Affirming Divergence:
Deleuze’s reading of Leibniz

Alex Tissandier

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Department of Philosophy

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Abstract

This thesis argues that key aspects of Deleuze’s philosophy can be explained by looking closely at his relationship to Leibniz. By confining itself to the particular context and set of terminology which Leibniz’s philosophy provides, it hopes to avoid many of the dangers of a more general, and necessarily abstract, interpretation or reconstruction of Deleuze’s philosophy.

I identify, across Deleuze’s career, three distinct, important engagements with Leibniz. In each of these, I argue, Deleuze presents Leibniz as an ambiguous figure, caught somewhere between two opposing tendencies. On the one hand, Deleuze characterises Leibniz’s philosophy as the last attempt by theology to ground an ordered world, demonstrated by his preoccupation with questions of harmony and sufficient reason, as well as his insistence that to each kind of problem there must respond a rational principle (the principle of non-contradiction, the principle of the identity of indiscernibles, and so on). But on the other hand, beneath this conservative, theological sentiment, Deleuze also discerns the obscured outlines of a philosophy shot through with dynamism, whose ‘dizzying creation’ of principles and Baroque complexity reveal an alternative, radicalised image of Leibniz.

I argue that from this second, radical Leibniz, Deleuze takes two ideas, returning to them again and again in order to express key aspects of his own philosophy. First, Deleuze believes he has found in Leibniz’s theory of ‘incom- possibility’ a concept of difference which is not reducible to a form of opposition between two identities. This theory becomes a crucial component of Deleuze’s account of a subrepresentational transcendental field. Second, Deleuze draws on Leibniz’s theory that individual monads clearly express a certain region of the world in order to explain how the singular points or events which populate
this transcendental field are expressed or actualised by individuals.

Explaining how Deleuze appropriates and uses these two ideas provides a narrow point of access into one of the most important areas of his philosophy. At the same time, however, I show that eventually there is always a point where Leibniz’s conservative, theological commitments force Deleuze to leave him behind. I thus argue that it is precisely Leibniz’s ambiguous status for Deleuze which makes an investigation into their relationship so fruitful: by not only explaining Leibniz’s positive influence on Deleuze, but also pinpointing the precise grounds for their eventual divergence, we can better articulate Deleuze’s own philosophical priorities.
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Introduction - Two Leibnizes

Leibniz is a constant presence in Deleuze’s philosophy. He is mentioned as early as 1948, in a letter Deleuze wrote to his teacher Ferdinand Alquié.¹ 40 years later, Deleuze devoted his final work on the history of philosophy to Leibniz and the Baroque. Each time Deleuze returns to Leibniz, although often repeating the same themes, we find slight differences and varying degrees of sympathy, as if he is unable to arrive at a final judgement.

Leibniz’s ambiguous status for Deleuze is aptly demonstrated with two quotes. In the very last sentence of The Fold, published in 1988, Deleuze writes: ‘We remain Leibnizian…’ But just a few years later, in a letter to the English translator of Expressionism in Philosophy: Spinoza, he remarks: ‘I consider myself a Spinozist, rather than a Leibnizian…’ It is hardly satisfying to dismiss this ambiguity as harmless inconsistency on Deleuze’s part. But it is also not enough to explain it away by pinpointing opinions which change over the course of a long career. As we will see in some detail, Deleuze’s reading of Leibniz does change in key respects. But the short time separating the two quotes above is enough to demonstrate that there was never a single moment when Deleuze ‘changed his mind’ about Leibniz.

This explains, perhaps, why very little has been written on Deleuze’s relationship with Leibniz. If the tendency of Deleuze scholarship is to draw a sharp divide between Deleuze’s sweeping criticisms of philosophers like Plato and Hegel and his sympathetic readings of Spinoza, Nietzsche, Bergson and so on, then we must ask: on which side of such a division would Leibniz fall? Deleuze’s relationship with Leibniz is never entirely critical or entirely sym-

¹Leibniz has represented for me a revelation, and I had the impression that his principle of identity is precisely something like the position of the concept of true philosophy.’ Deleuze, Letter to Alquié, course hand out Bianco, Giuseppe, University of Warwick, 2012.
pathetic, making him hard to place in one of these two camps. As a result, there is no consensus within Deleuze scholarship on how exactly Leibniz’s role should be interpreted. Daniel Smith lists Leibniz as one of Deleuze’s ‘canonical philosophers’ alongside Nietzsche, Bergson and Spinoza. By contrast, Isabelle Stengers insists that Leibniz ‘was never venerated as a Great Man’. James Williams is more typical, and refers to Leibniz as ‘unfinished business until The Fold’.

To definitively dissolve this ambiguity would require, I think, a portrait of Deleuze’s philosophy which is necessarily broad in its strokes. We could try, as others have, to condense Deleuze’s various readings of the history of philosophy into a collection of rejected positions, and another collection of endorsements. But the difficulty in tracing a consistent thread across all of Deleuze’s works would force us to resort to over-generalisations. The risk is always that the concepts through which we grasp and classify Deleuze’s philosophy remain vague and abstract, cast a net whose holes are too large, and fail to capture what is specific to each of his texts taken in isolation. The result is an understanding of Deleuze’s philosophy which is similarly vague and abstract. An overly general and abstract interpretation of Deleuze’s philosophy risks, I think, implying that at its core there resides a hidden essence, which stands behind or above its particular instantiations in various books.

We find something like this view in Joe Hughes’s recent Philosophy After Deleuze, for instance. There, he describes the ‘monotony’ of Deleuze’s texts: ‘there are certain concepts that continually reappear so that a family of rats, a pack of wolves, a rhizome, and the transcendental Idea all come to share the same essential predicates. […] This repetition of predicates across various incarnations suggests that there is a more stable concept, somewhere, animating Deleuze’s “cases”’. Of course, Deleuze does repeat the same themes over and over again across the course of his career, but we shouldn’t let this excuse a

\( ^3 \) Stengers, p.20.
\( ^4 \) Williams, ‘Difference and Repetition’, p.47.
\( ^5 \) Henry Somers-Hall has emphasised a similar point: ‘The change in terminology between Deleuze’s texts is not a superficial aspect of his writing, but signifies the attempt to develop new planes of immanence. None of these projects can be anything but provisional, as they open out onto that which cannot be consistently given all at once.’ (Somers-Hall, Introduction to Cambridge Companion to Deleuze, p.7)
\( ^6 \) Hughes, p.14.
level of abstraction which neglects the detail and immanent development of his individual books - Deleuze repeats, but he repeats *differently*.

This view also risks implying that Deleuze’s work in the history of philosophy lacks importance. If Deleuze is really saying the same thing over and over, then his works on historical philosophers are nothing more than a kind of ‘ventriloquism’. He is speaking through, rather than about, a certain philosopher. If this is the case, then Deleuze’s historical works lose much of their significance - everything they contain is either a standard piece of historical doctrine, or a piece of Deleuzian philosophy that is probably better explained elsewhere. However, we are left with the suspicion that the criterion for ventriloquism more often than not lies in whether or not a particular idea conforms to the external model of Deleuze’s philosophy that the commentator imports at the outset and hopes to reconstruct.

To avoid these dangers of abstraction and external reconstruction requires an *immanent* reading of the individual books in question. When it comes to Deleuze’s books on the history of philosophy, this presents its own challenges. It is illegitimate to reduce these historical figures to the status of puppets which are animated only by Deleuze’s ventriloquism. But it is also clear these engagements are more than just a scholastic exercise. There is a tendency amongst the few commentators who have written on Deleuze and Leibniz to treat Leibniz’s philosophy as an already-established, orthodox system, indifferent to Deleuze’s reading. For instance, Sean Bowden’s chapter on Leibniz in his book *The Priority of the Event* begins with a brief, traditional summary of various Leibnizian doctrines, without any reference to how Deleuze interprets these doctrines differently from orthodox scholarship. Similarly, Adam Wilkins’s *Modes, Monads and Nomads: Individuals in Spinoza, Leibniz and Deleuze* presents Deleuze and Leibniz as two entirely distinct figures, with almost no mention of an engagement between them. These readings thus present us with a ‘Deleuze’ on the one hand, and a ‘Leibniz’ on the other, but fail to recognise a third, more elusive figure, whose presence I hope to make clear in the course of this thesis: a ‘Deleuze’s Leibniz’, or a new, novel Leibnizian system which Deleuze constructs on the basis of his own creative reading.

* * *
INTRODUCTION

Ultimately, I will argue that focusing on Deleuze's interpretations of Leibniz, his appropriations and his criticisms, helps us to understand key moments in Deleuze's own philosophy. Focusing on the particular context and set of terminology that Leibniz provides avoids many of the dangers of more general, and necessarily abstract, interpretations or reconstructions of Deleuze's philosophy as a whole. For instance, and as we'll see in chapter five, looking at how Deleuze understands Leibniz's process of infinite analysis calls into question the insistence by various commentators that a complicated mathematical apparatus is necessary to understand certain key moments in Deleuze's description of the structure of the transcendental. For instance, DeLanda insists on that a theory of singularities can only be understood in terms of Rhene Thom's catastrophe theory; while Robin Dorie thinks that convergence must be understood in terms of the mathematical theory of Taylor series. The same discussion will also demonstrate that James Williams fundamentally misunderstands the process of 'vice-diction', treating it as an initiative of finite thought precisely because he remains at a level of abstraction that does not recognise its Leibnizian roots.

In contrast to all these approaches, then, we hope to show that an immanent, attentive reading of particular sections of Deleuze's work yields a new, more subtle account of Deleuze's relationship to Leibniz. This account subsequently offers an opportunity to understand several important aspects of Deleuze's philosophy - not one more monotonous repetition, but one more partial glimpse, or one more slice, of something which we can never abstract into a whole. This immanent reading must begin by taking seriously Leibniz's ambiguous status for Deleuze. When faced with the two apparently contradictory quotes above, then, our question should not be whether Deleuze was Leibnizian or not, but rather what, in each case, the word 'Leibnizian' signifies for Deleuze. Or in other words, which Leibniz Deleuze invokes in each particular instance. As will become clear, when it comes to Deleuze's relationship with Leibniz, there is more than one Leibniz to consider. And, for that matter, more than one way to be Leibnizian.

I will argue that Leibniz's ambiguous status is explained by the presence of two opposing tendencies in all of Deleuze's readings of Leibniz. These tendencies allow us to identify two distinct sides to Leibniz's philosophy, or indeed, two
distinct Leibniz's. Leibniz, it must be said, is not unused to being partitioned in this way. There is an often-quoted eulogy by Bernard Fontenelle (the secretary of the Académie des Sciences in Paris upon Leibniz's death), which likens Leibniz's propensity for broad study to a charioteer expertly managing each of his horses. Fontenelle's eulogy insists that we decompose and 'make many geniuses out of one Leibniz', a maxim which has generally set the standard for later scholarship. But where traditionally the lines of Leibniz's decomposition have been drawn according to discipline (Leibniz the philosopher, Leibniz the logician, Leibniz the mathematician, and so on), in Deleuze's reading we find Leibniz split in half by two opposing tendencies; tendencies which are not only philosophical but also theological, moral and political.

We'll briefly introduce these two tendencies or 'two Leibnizes' here, by looking at the first available of Deleuze's extended discussions of Leibniz. Qu'est-ce que fonder? (What is ground? or What is it to ground?) was a lecture course given by Deleuze in 1956. It survives only in the form of student notes, and as a result we can't attach to it the same kind of authority as to Deleuze's published books. But its early date (12 years before Difference and Repetition, 32 years before The Fold) and grand scope gives us an interesting glimpse into some of Deleuze's earliest philosophical interests. Of particular significance for us is Leibniz's prominent presence. Deleuze identifies three kinds of response given by philosophers to the question 'what is it to ground?'; and Leibniz is called on to represent the second kind of response (the kind which provides a principle as the response to problematic cases). This gives us two opportunities. First, it allows us to make the obvious point that Deleuze was familiar and engaged with Leibniz's philosophy right from the very beginning of his career. More importantly, it allows us to give a very general characterisation of Deleuze's attitude towards Leibniz, as well as of the aspects of his philosophy in which he is particularly interested. Again, because it was a lecture course, and because it survives only in note form, there is only so much we can convincingly reconstruct of this very early instance of 'Deleuze's Leibnizianism'. However, we can at least draw the following distinction.

On the one hand, Deleuze characterises Leibniz's philosophy as the last great attempt by theology to ground an ordered world. We find the symptoms of this
in his emphasis on sufficient reason, as well as in his insistence that to each kind of problem there must respond a rational principle (the principle of non-contradiction, the principle of the identity of indiscernibles, and so on). Leibniz is a theological thinker: his propensity for the creation of grand principles is motivated by a desire to ground an ordered, created world, in which a sufficient reason can always be given in answer to Leibniz’s two guiding questions: why is there something rather than nothing? and why is there this rather than that?

On the other hand, in the same lecture, Deleuze makes passing references to Leibniz’s mathematics, and in particular to his development of infinitesimal calculus. With these come a new concept, the ‘infinitely small’, which threatens to resist easy incorporation into the harmonious world of sufficient reasons, and hints at the possibility of another, more radical side to Leibniz’s philosophy.

I will argue that these two images of Leibniz’s philosophy set the pattern for how Leibniz is characterised in all of Deleuze’s later works, up to and including The Fold. The first image presents us with Leibniz the conservative, or Leibniz the theologian; called upon by Deleuze as the representative of various doctrines or tendencies in the history of philosophy. More often than not, Deleuze is critical of these doctrines, especially if they are explicitly contrasted with those of Spinoza. Limited to this characterisation, it is hard to see how an account of Deleuze’s reading of Leibniz could produce anything more than a motley collection of ideas to which Deleuze is vaguely opposed.

But beneath the mask of Leibniz’s conservatism, Deleuze also discerns the obscure outlines of a philosophy shot through with dynamism, whose ‘dizzying creation of principles’ and Baroque complexity result from the productive play of the infinitely small which lies at its ground. Deleuze is thus able to reveal a radicalised image of Leibniz, even if, ultimately, this image ends up obscured by the opposing tendency of Leibniz’s conservatism. This brief glimpse is enough, however, for Deleuze to find in Leibniz two important ideas, which lie at the heart of ‘Deleuze’s Leibnizianism’, and which even form a key component of Deleuze’s own philosophical project. Focusing on Deleuze’s interpretation of Leibniz gives us a narrow point of access into understanding something of Deleuze’s philosophy as a whole. Pinpointing exactly where Deleuze is forced to leave Leibniz behind tells us where Deleuze’s philosophical priorities lie, and his
constant struggle between a radical and conservative reading of Leibniz perhaps even reveals a similar set of opposing tendencies within Deleuze's own thought.

We can introduce the two Leibnizian ideas which Deleuze appropriates by turning to another 1956 work by Deleuze, his review of Hyppolite's *Logic and Existence*. In the final paragraph Deleuze asks a question which remains essential to his whole philosophical project: 

‘Can we not construct an ontology of difference which would not have to go up to contradiction, because contradiction would be less than difference and not more? Is not contradiction itself only the phenomenal and anthropological aspect of difference?’ (LE, p.195). One of the central concerns in the rest of Deleuze’s career is this question of how to provide a concept of difference that does not reduce difference to a form of opposition or contradiction between two identities. It is in attempting to answer this question that Deleuze will make use of Leibniz’s theory of compositibility and incompositibility. This theory remains the most important influence of Leibniz’s philosophy on Deleuze, at least until *The Fold*. Although he is referenced only once in this review, it is noteworthy at least that Leibniz is characterised as someone who did not ‘go up to contradiction’, remaining instead ‘with pure difference’. The review thus already places Leibniz in opposition to Hegel, and it is often in these circumstances that Leibniz’s theory of incompositibility is called on to provide a concept of difference or of mediation that represents an alternative to Hegelian contradiction. A relation of incompositibility, Deleuze will insist again and again, is not reducible to a relation of contradiction. As we will see, however, this insistence carries with it a particular interpretation of composibility - as grounded by the relations of convergence and divergence that can be established between series of differential relations.

Deleuze thus constructs a kind of topological, transcendental structure by combining the conceptual results of Leibniz’s mathematical discovery of infinitesimal analysis (infinitely small differences, the differential relations through which these differences are reciprocally determined, and the singular points that these differential relations distribute) with Leibniz’s philosophical theory of compositibility. A topological understanding of compositibility (where compositibility

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8Christian Keräkä in ‘The Vertigo of Philosophy: Deleuze and the Problem of Immanence’, calls this review ‘the only published plan, to my knowledge, in which [Deleuze] lays out the aims of his future philosophical project’.
finds its criterion in the convergence of the series of ordinary points which extend from the singular points which constitute each possible world) gives Deleuze an image of mediation which is *alogical* and *subrepresentational*. In other words, the relations which characterise this transcendental field are not the same as the conceptual relations we find in representation. Deleuze turns to Leibniz's original relation of compositibility precisely because it cannot be reduced to a relation of contradiction, at least if we understand it in terms of the convergence and divergence of series. This is why Deleuze repeatedly opposes Leibniz to Hegel and favours the former each time. It is clear, however, that if this is ‘Leibnizianism’, it is so only in a dispossessed, dislocated, form. As we’ll see, much of the mathematical terminology Deleuze uses in his discussions of Leibniz’s theory of compositibility is not actually found in Leibniz himself. More importantly, Deleuze takes the process which establishes relations of compositibility and incompositibility out of the understanding of Leibniz’s God, and places it instead in his own account of a virtual transcendental field. We can take this in two ways: either Deleuze has extracted one aspect of Leibniz’s philosophy (his theory of compositibility) and incorporated into his own account of the transcendental field, or, more radically, he has turned Leibniz himself into a kind of post-Kantian philosopher. We’ll see that while the first interpretation is often more appropriate, the second becomes more and more feasible in Deleuze’s later, more unified, accounts of Leibniz’s philosophy.

Deleuze again turns to Leibniz for an explanation of how individual subjects are constituted from this transcendental field. He develops a theory of individuals as centres of expression which envelop and actualise a set of the singularities distributed in the transcendental structure described above. In a letter to the English translator of *Expressionism in Philosophy: Spinoza*, Deleuze writes:

‘What I needed was both (1) the expressive character of particular individuals, and (2) an immanence of being. Leibniz, in a way, goes still further than Spinoza on the first point’ (*EPS*, p.11). In his earlier discussions of Leibniz, Deleuze interprets this constitution of individuals around pre-individual singularities as demonstrating how in each case, Leibniz begins with the inessential in order to construct essences. Later, Deleuze will emphasise how each individual monad clearly expresses a region of the world according to the singularities it envelops
or the predicates it includes. Deleuze takes seriously Leibniz’s principle that concepts ‘extend as far as’ the individual. As a result Deleuze has a tendency to equate the individual concept or notion of a monad with the monad itself. In a lecture course on Leibniz given in 1986 Deleuze says: ‘The monad is the individual notion, and it is even the individual, it is the individual taken in its notion; or, if you prefer, it is the subjective unity. It is the subjectivity. It is the subject.’

Badiou, in his review of The Fold, emphasises how this aspect of individuation is a key part of Deleuze’s interest in Leibniz: ‘If Deleuze likes the Stoics, Leibniz, or Whitehead, and if he does not much like Plato, Descartes or Hegel, it is because, in the first series, the principle of individuation occupies a strategic place, which it is denied in the second. The “Leibnizian revolution” is greeted with rare stylistic enthusiasm in Deleuze’s supple narration, as the “wedding of concept and singularity”.

Leibniz’s concepts thus make an appearance in Deleuze’s description of two key elements of his own philosophy: the structure of the transcendental field and the actualisation of individuals. Taken together, these appearances start to look more like a vulgarised or radicalised Leibnizianism, than a mere appropriation of isolated concepts. Historical figures always emerge from Deleuze’s readings transformed in some way, and the unified Leibniz we find in Deleuze is often not the same as the one to which history has accustomed us. Deleuze even seems to take especially seriously those parts of Leibniz’s philosophy which, in general, have been treated with the most derision. Thus, where ideas such as pre-established harmony, the best possible world, or the monad ‘without doors and windows’ are often quietly ignored in favour of Leibniz’s much more respectable discoveries in logic, in Deleuze’s hands they become the concepts which, when properly formulated, best express the essence of Leibniz’s philosophy. The inevitable result of this reading is a version of Leibniz’s philosophy which emphasises the tendencies to which Deleuze is most sympathetic, until it almost begins to align with his own philosophy. In one key respect, however, Leibniz always remains distanced from Deleuze, such that there is no question that they belong to two distinct, irreconcilable philosophical epochs. Eventually, in each of Deleuze’s discussions of these two ideas, there is a

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9Deleuze, lecture, 16/12/1986, webdeleuze.com.

10Badiou, p.63.
point where Leibniz is left behind. There are limits on how far Deleuze can
stretch Leibniz’s concepts. The moment of rupture, when Deleuze is forced
to turn away from Leibniz and find concepts elsewhere (most often in art, as
we’ll see) occurs precisely in the relation of compossibility we described above.
While compossibility finds its criterion in the topological convergence of series,
compossibility finds its criterion in the divergence of series. For Leibniz, the
divergence of series marks a bifurcation into two possible worlds, which exclude
one another. But, Deleuze will argue, Leibniz sees the divergence of series as a
relation of exclusion only because he is bound to the view of an ordered, created
universe, guaranteed by a non-deceiving God who would not allow incompos-
sibles or divergent series to coexist. This is the view that Deleuze rejects in
Leibniz, and will instead affirm, repeatedly, the divergence of series - not just
their coexistence, but their productive communication. Stengers describes it in
the following terms: ‘Again and again, in a quasi-obsessive way, Deleuze returns
to the same judgement: Leibniz missed, or domesticated, the concept of series,
restricting it to convergent series; he used it in order to exclude incompatabil-
ities, that is, to save from destruction the harmonious unity of the world and
the continuity of the individual’.\footnote{Stengers, p.30.}

We can interpret this fundamental divergence between Deleuze and Leib-
niz in various ways. For Stengers, Deleuze always rejects Leibniz in reaction
to his inherent conservatism and reluctance to ‘upset established sensibilities’.
Smith characterises it in terms of the death of God: ‘His Leibnizianism is a
Leibnizianism minus God’.\footnote{Smith, ‘Deleuze and the History of Philosophy’, p.21.} Duffy characterises it differently, in terms of the
exigencies of pure mathematics. Developments by Weierstrass and Poincare, he
points out, allowed continuity to be established between diverging series, with
the result that ‘the Leibnizian account of compossibility as the unity of conver-
gent series, which relies on the exclusion of divergence, is no longer required by
the mathematics’.\footnote{Duffy, ‘Leibniz, Mathematics and the Monad’, p.109.}

But despite this difference which lies at the heart of their relationship,
Deleuze inherits from Leibniz a vision of a world of continuous, infinite series
marked by singularities around which individuals are constituted. And although
he criticises Leibniz for subjecting this world to conditions of convergence, the very notions of convergence and divergence become central to Deleuze’s own account of the virtual. These two opposed tendencies in Deleuze’s reading thus reveal a tension between two images of Leibniz. The first is the theological, conservative thinker of sufficient reason and harmony, who always excludes divergence. The second is the radical, dynamic Leibniz, the thinker of infinitely small difference, differential relations, topology and the author behind a dizzying, baroque creation of original concepts and principles. There are various pairs of terms we can use to describe this difference. A conservative and a radical Leibniz, a theological and a mathematical Leibniz, an Apollonian and a Dionysian Leibniz. They are like two opposing tendencies: Leibniz is pulled towards the latter by his discoveries in mathematics and physics, but remains anchored by his firm commitment to an ordered, principled, God-governed world. This tension itself is even the very source of Leibniz’s productivity and originality: it is only his desperation to salvage an ordered vision of the world that compels him to create a new principle each time the world confronts him with a new, problematic case. Deleuze briefly invokes this tension in a 1980 lecture on Leibniz, in a passage which encapsulates Leibniz’s unique position for Deleuze:

Leibniz is from the great rationalist tradition. Imagine Leibniz, there is something frightening there. He is the philosopher of order, even more, of order and policing, in every sense of the word “policing”. He only thinks in terms of order. But very oddly, in this taste for order, and to establish this order, he yields to the most insane concept creation that we have ever witnessed in philosophy. Disheveled concepts, the most exuberant concepts, the most disordered, the most complex in order to justify what is.\(^{14}\)

If we can point to one original aspect of Deleuze’s reading of Leibniz, it is to unanchor him from these theological exigencies, and allow his creative philosophy to be pushed to its limit. If for Leibniz the world is held together by rules which ensure it is harmonious and convergent, then for Deleuze the world is divergent and ‘broken’. Deleuze’s Leibnizianism is a Leibnizianism for a broken world, where incompossibles communicate and divergences are affirmed.

The evolution of Deleuze’s reading of Leibniz

Which of these ‘two Leibnizes’ dominates varies with each particular reading we find in Deleuze’s work. In general, each of Deleuze’s encounters with Leibniz suggests a gradual slide towards the second, radical characterisation of his philosophy. Along with this comes an increase in the scope of Deleuze’s interest in Leibniz. With each new reading, I will argue, we find an increased sympathy and willingness to treat Leibniz’s philosophy as a unified system. While the earliest engagements are motivated by a practical extraction of Leibnizian concepts, taken in isolation, in order to be applied to particular problems, Deleuze will go on to gradually develop his own image of a unified Leibnizian philosophy, which introduces more and more elements each time it appears. As a consequence, Deleuze is able to ‘carry’ Leibniz further and further as this system develops.

I’ll suggest that Deleuze’s reading of Leibniz should be divided into three distinct periods (which correspond to the three parts of this thesis). The Leibniz we find in Expressionism in Philosophy: Spinoza is predominantly the conservative thinker of sufficient reason, grounded in theology. Deleuze is unable, or unwilling, to unleash the dynamism buried in Leibniz’s philosophy, reduced as he is to an opponent of Spinoza. ¹⁵

In Difference and Repetition, we find a very different Leibniz, introduced, alongside Hegel, as a representative of ‘infinite’ representation. For the first time, Deleuze draws on the more radical side of Leibniz’s philosophy. Here, what is interesting about Leibniz is his discovery within, or beneath, each clear idea of the ‘restlessness’ of the infinitely small. The obscure depths of the infinitely small constitutes a restlessness made up of intoxication, giddiness, evanescence, ‘and even death’ (DR, p.45). It this image of the obscure, confused depths of the infinitely small which Deleuze gradually discovers at the heart of all areas of Leibniz’s philosophy, and which haunts and threatens to undermine Leibniz’s conservative facade. Similarly, in Logic of Sense, Deleuze turns to Leibniz both for the concept of compossibility, which provides a ‘rich domain of alogical compatibilities and incompatibilities’, and for the concept of expressive

¹⁵This book was actually published in the same year as Difference and Repetition (1968). We justify calling this book the ‘early’ reading by referring to Dusse’s claim that it was ‘practically finished in the late 1960s’ (Dusse, p.118) most of it was complete in the 1950s. The book itself, as we will see, provides clear reasons for being treated as a distinct period in Deleuze’s engagement with Leibniz.
INTRODUCTION

individuals.

These two books thus mark the first appearance of our second, more radical Leibniz, and a more sympathetic tone on the part of Deleuze. Nevertheless, Leibniz is still criticised for subsuming the excess of difference under a sufficient reason which ‘no longer allows anything to escape’. To this extent, Leibniz does not escape his conservative yoke. However sympathetic, there is always a point in these texts where Deleuze is forced to leave Leibniz behind, citing the constraints imposed by Leibniz’s own ‘theological exigencies’.

Although Difference and Repetition and Logic of Sense present a much more positive image of Leibniz than the one in Expressionism in Philosophy: Spinoza, Deleuze’s reading of Leibniz in all three books share one characteristic: they are essentially fragmented. Deleuze extracts disparate concepts from Leibniz’s philosophy and uses them like tools, often because they are representative of a particular moment in the history of philosophy, and more rarely because they coincide with his own philosophical system. But this always happens within the context of a larger discussion which has nothing in particular to do with Leibniz, and there is never a sense that Deleuze has any interest in Leibniz’s philosophy as a unified system.

This all changes with The Fold, published in 1988. Here Deleuze gives a much more general, unified account of Leibniz. He regards Leibniz’s philosophy, for the first time, as something more than just a collection of useful explanatory concepts to be deployed in some other context. Leibniz is promoted to philosophical representative of the Baroque period, whose defining trait, Deleuze thinks, is a process of folding which continues indefinitely. But the themes which interest Deleuze in his early reading of Leibniz are not simply superseded by the much grander role he is now given. They return, without exception, in The Fold, with this difference: where before they were isolated from each other, they are now drawn together under this new concept of the infinite fold. The third part of this thesis explains this complicated relationship between the various aspects of Leibniz’s philosophy, the Baroque style, and the concept of the fold.

By the time of The Fold, we find a radicalised Leibniz whose philosophy has been stretched further than ever before, but also appears more coherent and
unified. *The Fold* is Deleuze's final, most elaborate attempt to come to terms with Leibniz and arrive at a final judgement. But we will see that this does not amount to a final decision between which of the two Leibnizes should be given priority. Rather, *The Fold* tries to reconcile these two images of Leibniz, precisely through the concept of the fold itself. I will argue that the concept of the fold is the productive result of the opposing tendencies that Deleuze endlessly returns to in Leibniz's philosophy. Eventually, it is true, even in *The Fold* Deleuze is unable to escape Leibniz's inherent conservatism, and, just like in *Difference and Repetition* and *Logic of Sense*, he departs from Leibniz on the issue of the exclusive nature of divergence. But, Deleuze concludes, we remain Leibnizian insofar as Leibniz has finally been pinned down as the thinker of infinite folds. It is with the concept of the fold that Leibniz at last becomes a figure that Deleuze can affirm without the inevitable undermining presence of his conservative side.
Part I

Expressionism in Philosophy:
Leibniz
Chapter 1

The theological Leibniz (the main text of *Expressionism in Philosophy: Spinoza*)

Key aspects of Leibniz’s influence on Deleuze’s philosophy are discernible for the first time in his minor thesis on Spinoza, *Expressionism in Philosophy: Spinoza* (hereafter *EPS*). Central to my reading will be the claim that we must draw a sharp distinction between the main portion of this book and its conclusion. I will argue that between the two there are significant developments, and that Leibniz is afforded a far more important role in the conclusion than his almost incidental presence in the main text would have lead us to suggest.

In the introduction I identified two general tendencies in all of Deleuze’s readings or engagements with Leibniz. I characterised these as the presence of ‘two Leibnizes’: on the one hand, the traditional, conservative, theological Leibniz, subject to Deleuze’s relentless criticism; and on the other the radical, endlessly creative Leibniz, a source of inspiration and increasing influence. In a very general sense, the division between the main text and the conclusion of *EPS* follows this distinction between the conservative and the radical Leibniz: the critical tone which dominates in the main text is transformed by the time we arrive at the conclusion. But this distinction is not clear-cut, and we’ll often
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detect the more-or-less suppressed presence of both Leibniz’s at each stage.

This chapter details the three discussions of Leibniz we find in the main text of *EPS*. Within these discussions we’ll identify two criticisms: Deleuze levels at Leibniz, the first concerning his ‘symbolisation’, and the second his commitment to ‘finality’. Ultimately, I’ll argue, both of these have their roots in Leibniz’s own theological and political concerns. In later books, Deleuze will drop this first criticism, instead relying on a refined version of the second. But the seeds for this rejection, I will argue, can already be found here in *EPS*.

Aside from its critical tone, there is one other important feature of all of Deleuze’s discussions of Leibniz in the main text: they are, we are forced to admit, *incidental*. Despite occasional references to an anti-Cartesian reaction which unites Leibniz and Spinoza, we never get the sense that this is a central point of concern for Deleuze. It is a reading of Spinoza’s philosophy in terms of the concept of expression which motivates the text as a whole. This project, as we hinted at in the introduction when we looked at Deleuze’s review of Hyppolite, finds its roots in Deleuze’s goal to find in a model of expression an alternative to Hegel’s productive movement of contradiction. Limited to this context, the affinities between Spinoza and Leibniz are at best a point of interest, and their differences are at best a useful point of opposition to better draw out Spinoza’s originality. But it is this, I will argue, which radically changes in Deleuze’s conclusion. There, it is precisely the affinities and oppositions between Spinoza and Leibniz that drive Deleuze’s argument, suggesting a far more important role for Leibniz’s philosophy, along with a new, more sophisticated reading.

The next chapter thus details how the incidental affinities between Leibniz and Spinoza in the main text are transformed into the central point of concern in the conclusion. I will try to demonstrate that the conclusion affords a far more important role to Leibniz, and that his relation to Deleuze can no longer be reduced to one of opposition. This is in contrast to how Deleuze scholarship tends to treat Leibniz’s place in the book, where it mentions him at all.1 The new emphasis on Leibniz in the conclusion will introduce, in nascent form, the Leibnizian ideas and concepts that Deleuze increasingly takes to heart in his

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1The only reference I have found to Leibniz in *EPS* is Hardt, p.56, which argues that in relation to Leibniz (and Descartes, and the scholastics) we find a ‘Deleuzian opposition’. 
later works and which, as I'll eventually argue, form a part of the explanation of his own philosophical system.

EPS is Deleuze's most 'scholarly' book, carefully charting a comprehensive reading of Spinoza in terms of the concept of expression (and a particular perspective on that concept). While we must concede what Beistegui calls 'a degree of hermeneutic violence' in Deleuze's reading of Spinoza, the book nevertheless lacks the constant leaps between philosophers and disciplines that will later characterise Difference and Repetition and Logic of Sense. In light of this, what follows is an attempt at a similarly careful account of Deleuze's reading of Leibniz, giving Leibniz's own texts an emphasis which will be lacking in later chapters. At the same time, however, our goal remains clarifying the gradually increasing influence of Leibnizian ideas on Deleuze's own philosophy, and not, to any significant degree, the legitimacy or fidelity of Deleuze's reading. In other words, our interest remains in what Leibniz can tell us about Deleuze, and not what Deleuze can tell us about Leibniz.

Outside a few scattered references, there are three noteworthy discussions of Leibniz in the main text of EPS. These discussions all share roughly the same form. First, Deleuze identifies a similarity between Leibniz and Spinoza in their criticism of a particular Cartesian doctrine. Second, he grounds this criticism in a shared concern for the lack of a sufficient reason operating in Descartes's philosophy. Third, he nominates expression as the concept most suitable to fulfill this requirement for sufficient reason. Finally, he shows that the way expression functions in Spinoza's philosophy is each time superior to Leibniz's own use of the concept.

This general form allows us to make some similarly general comments about Leibniz's place in the main text of EPS. Although I suggested above that it is

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2It was on Spinoza that I worked most seriously according to the norms of the history of philosophy', Dialogues II, p.15. Reading EPS in this way puts us in opposition to Gillian Howie's reading, which attempts to 'explore the moments of dissonance between the appearance of the work and its essential systematic argument; the rift between the manifest argument and the latent inferential pattern, which forces the reader to reach conclusions quite distinct from those glittering through the text. It is in the gaps and silences, the premature closures and the question-begging moves where, I contend, we can detect the "unthought" of Deleuze's thought.' (Howie, p.2). I am reluctant to concede that EPS really does contain gaps and silences, premature closures, or question-begging moves, preferring instead to take the main text of the book at face value as a focused exposition of the concept of expression in post-Cartesian philosophy.

3Beistegui, p.28.
the conservative, theological Leibniz who dominates in these early discussions, even here enough of Leibniz’s radical potential shines through for us to suitably demonstrate his complicated dual role in relation to Spinoza (and hence, I will argue, in relation to Deleuze himself). On the one hand he is praised as Spinoza’s kindred spirit, or as one half of what Deleuze will sometimes call the ‘anti-Cartesian reaction’. Limited to this role, Deleuze is happy to oscillate between Spinozist and Leibnizian terminology, convinced that in many instances the general thrust of their arguments is the same. He even, as we will see, makes use of Leibniz’s often more detailed, fleshed-out arguments on those occasions where Spinoza’s own texts are lacking. But on the other hand, it is precisely Leibniz’s closeness to Spinoza which inevitably opens him up to criticism. It is often by condemning aspects of Leibniz’s philosophy that Deleuze is able to articulate Spinoza’s profound originality. And these criticisms do not merely or exclusively bear on the technicalities of Leibniz’s arguments in each particular case, but concern fundamental beliefs or tendencies which lie at the heart of his philosophy, until they almost appear as attacks on Leibniz’s very character.

This chapter will look at each of these three discussions of Leibniz in the main text of EPS. In light of the above, our goals will reflect Leibniz’s double role. One the one hand, we will introduce some of the general themes of Leibniz’s philosophy to which Deleuze is drawn and to which he is more or less sympathetic, the most general of these being the concern for sufficient reason which guides each of the discussions. On the other hand, we will also introduce the two criticisms Deleuze levels at Leibniz in this text. These are rooted in a more fundamental criticism which, in its most general form, I will argue returns in all of his later engagements, up to and including The Fold.

1.1 God’s possibility

The first instance of the pattern that will come to characterise all of Leibniz’s appearances is in the fourth chapter, ‘The Absolute’. This chapter is concerned with the inadequacy of the Cartesian concept of an infinitely perfect being for establishing the nature of God, and even for establishing God’s necessary existence. By looking at this section in detail, three things will emerge. First,
we’ll establish that Deleuze locates the affinity between Spinoza and Leibniz in a concern for sufficient reason which grounds their criticism of Descartes. Second, we’ll introduce Deleuze’s first criticism of Leibniz. Finally, we’ll set the stage for the subtle reinterpretation of Leibniz which takes place in the conclusion and which, I will argue in sections 1.2 and 2.1, renders Deleuze’s criticism problematic, and perhaps explains why it is eventually dropped.

Descartes’s ontological proof relies on identifying the nature of God with infinite perfection: God is the ens perfectissimum, or most perfect being. Spinoza and Leibniz both question the adequacy of this definition. Leibniz gives his criticism a precise formulation, arguing that before identifying God with infinite perfection we must first demonstrate that the idea of an infinitely perfect being is not itself self-contradictory. As Deleuze writes, ‘infinite perfection does not suffice to constitute the nature of God’ precisely because ‘there might perhaps be a contradiction in ens perfectissimum, just as there is in “the greatest number” or “the greatest velocity”’ (EPS, p.73). We find Leibniz’s formulation of this argument in a paper written in anticipation of his meeting with Spinoza in November 1676, ‘Quod ens perfectissimum existit’. By looking at this argument in some detail, a number of key ideas will emerge.

Descartes argues that the ens perfectissimum must necessarily exist because ‘existence’ is listed among the perfections contained in an infinitely perfect being. While Leibniz agrees with Descartes that ‘existence is contained in the number of perfections’ he finds Descartes’s criteria for judging our knowledge of an infinitely perfect being inadequate: ‘Descartes’s reasoning about the existence of a most perfect being assumed that such a being can be conceived or is possible’ (I.14). It is not enough, Leibniz claims, to prove the existence of God through the means of his infinite perfection without first demonstrating that the very concept of the ens perfectissimum is coherent or ‘has reality’. This demonstration will amount to providing a real definition of an infinitely perfect being – a demonstration which must therefore go beyond Descartes’s criteria of clarity and distinctness, which, Leibniz argues elsewhere, are suitable only for nominal definitions. It will be left until the next chapter to understand Leibniz’s dissatisfaction with clarity and distinctness as sufficient conditions for real definitions; for now we concern ourselves only with Leibniz’s attempt to correct or
supplement Descartes’s ontological proof by providing a real definition of God.

In his Meditations on Knowledge, Truth and Ideas Leibniz writes that ‘We cannot safely infer from definitions until we know that they are real or that they involve no contradiction’ (L 33). And in his Discourse on Metaphysics that ‘as long as we only have a nominal definition, we cannot be sure of the consequences drawn from it, for if it concealed some contradiction or impossibility, we could draw conflicting conclusions’ (L 35, section 24). A definition is real, therefore, only if it does not ‘involve contradiction.’ The words ‘involve’ and ‘conceal’ suggest that, if we are to demonstrate that a definition is not contradictory (and therefore that the thing defined is possible) it must be the constituent parts of a definition with which we should be concerned. In a letter to Arnold Eckhard in 1677 Leibniz explains why, precisely because of the incompatibility of its parts, his favourite example of a ‘most rapid motion’ or ‘maximum velocity’ is an impossible concept: ‘Whoever speaks of a maximum velocity knows what velocity is and what a maximum is, yet he cannot understand maximum velocity, for it is easy to demonstrate that this involves a contradiction’ (L 16). The concept of ‘maximum velocity’ is contradictory or impossible because its constituent parts, ‘maximum’ and ‘velocity’, although readily understood in isolation, contradict each other and are thus incompatible when contained in the same concept. And on top of this incompatibility of parts, we must add that any concept which would include an impossible concept as one of its own constituent parts must itself therefore be impossible.

For a concept to be possible thus requires two things: first, that each of its constituent parts is compatible with every other, and second, that each of these parts is itself possible: ‘We know ... the possibility of a thing when we resolve the concept into its necessary elements or into other concepts whose possibility is known, and we know that there is nothing incompatible in them’ (L 35). When it comes to the concept of the ens perfectissimum, the same two requirements apply. If we return to the letter to Eckhard, Leibniz writes: ‘I hasten to the heart of the question, which is whether a most perfect being does not imply a contradiction. You have undertaken to prove this because neither Descartes nor any of the Cartesians have done it, though I have often urged them to do so’ (L 16). Just like everything else, then, the concept of an
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infinitely perfect being is possible only if it does not involve contradiction; and it does not involve contradiction only if its constituent parts are each themselves possible and mutually compatible.

But what are the ‘parts’ of an infinitely perfect being? Leibniz treats the ens perfectissimum exactly as if it were the subject in which all perfections are included: ‘There is, or can be conceived, a subject of all perfections, or a most perfect being’ (L. 14). The parts of an infinitely perfect being are thus nothing other than the perfections which constitute its nature as infinitely perfect. And so Leibniz’s attempt to demonstrate the possibility of the ens perfectissimum will depend on whether these perfections, as constitutive parts, are subject to the same two criteria of possibility and mutual compatibility as the parts of other concepts. This in turn depends on the precise nature of a ‘perfection’. On this, Leibniz writes: ‘By a perfection I mean every simple quality which is positive and absolute or which expresses whatever it expresses without any limits’ (ibid.). Initially, we need only focus on two aspects of this definition: we’ll see that the fact that perfections are ‘simple’ will mean they are necessarily possible, while the fact that they are ‘absolute’ will mean they are necessarily compatible with each other. With the establishment of these two features, Leibniz can demonstrate that a subject which contains all perfections does not contain a contradiction and is therefore possible. In effect, then, Leibniz thinks we must provide a real definition of God solely in terms of the nature of the perfections He includes or which constitute His nature. But what does it mean to say that God’s perfections are ‘simple’ and ‘absolute’, and how do these two characteristics ensure the possibility of an infinitely perfect being?

‘Simple means without parts’ Leibniz tells us in section one of the Monadology (L. 67), and so, in contrast to composite concepts which are conceived through the parts or terms that constitute them, perfections as simple forms are not reducible to parts or analysable into lower-level terms. We saw above that something ‘contains contradiction’ if it has parts which are incompatible with each other. Perfections, therefore, cannot contain contradiction because they do not have any parts. And because they do not contain any contradiction it follows that all perfections, as simple, are possible.

Perfections are also, Leibniz tells us, absolute or ‘without limits’ or, in other
words, without any relation to other perfections. Incompatibility can only arise between two things that relate to one another, with a shared element that is affirmed by one whilst being denied by the other. In the case of simple perfections, however, there can be no such shared element, and therefore no incompatibility. And thus even a subject which contains every perfection is at no risk of harbouring an incompatibility between its parts. Leibniz’s definition of perfections as simple and absolute guarantees that, when they are contained in a single subject, the conditions for the possibility of that subject are met: each perfection is itself possible, and each is compatible with every other. Thus the subject of all perfections, the \textit{ens perfectissimum}, is itself possible.

Deleuze briefly summarises this argument, with its reliance on the two key characteristics of perfections. Regarding their simplicity, he points out that rather than containing parts, they contain or include only \textit{themselves}, and writes that each is ‘simple and irreducible, conceived in itself, \textit{index sui}’ (\textit{EPS}, p.78). Regarding their absolute nature, this he calls their ‘disparity’, and writes that ‘it is their very disparity that assures their compatibility (the impossibility of their contradiction), and their compatibility that assures the possibility of the Being to which they belong’ (\textit{ibid.}).

With this, Leibniz has advanced on the nominal definition provided by Descartes towards providing a real definition or a reason for God’s infinite perfection based on the nature of these simple, absolute perfections: ‘For Leibniz, God is possible because infinite perfection is the proper of an “absolute being” that includes in itself all “attributes”, “all simple forms taken absolutely”, all “natures which are susceptible of the highest degree”, “all positive qualities expressing something without limitation”’ (\textit{ibid.}).

It is by providing this real, as opposed to nominal, definition of God, Deleuze thinks, that Leibniz fulfils the requirement for sufficient reason that was lacking in Descartes, ‘a nature or reason of the infinitely perfect’ (\textit{EPS}, p.77). And in this, Spinoza and Leibniz are united: ‘There is no difference between Leibniz’s requirements and Spinoza’s: the same call for a real definition of God, for a nature or reason of the infinitely perfect. The same subordination of the ontological proof to a real definition of God, and to the demonstration that this definition is indeed a real one’ (\textit{ibid.}). And again: ‘If one considers the
formulations through which Leibniz himself proves the possibility of God, one
does not at first sight perceive any difference between these and Spinoza’s’ (EPS,
p.78).

Why, then, does Deleuze bring up Leibniz’s proof for the possibility of the
*ens perfectissimum*, if it adds nothing to what we already find in Spinoza?
Christian Kerslake argues that: ‘in seeking to characterise the coexistence of
the attributes, Deleuze in fact presents Leibniz’s version of the proof, silently
implying that Leibniz has presented a stronger version of the Spinozist proof’
(Kerslake, 2009, p.112). In fact, however, Deleuze *does* give a Spinozist ver-
sion of the same proof, a few pages later (p.79), precisely in order to defend
Spinoza against the accusation Leibniz levels at him in his notes on the *Ethics*:
that Spinoza, like Descartes, does not demonstrate the compatibility of God’s
attributes (L 20). I will instead argue, therefore, that Deleuze introduces Leib-
niz’s argument precisely in order to introduce his first major criticism of Leibniz,
and with it his first demonstration of Spinoza’s superiority. And despite the ap-
parent affinity between Leibniz and Spinoza in proving the possibility of God,
we can already detect a hint of their eventual disagreement in the quote above:
it is only ‘at first sight’ that we do not perceive any difference between them.
What happens, then, when we look more closely?

1.2 The first criticism of Leibniz - absolutely sim-
ple and relatively simple notions

The difference between Leibniz and Spinoza in this section is found in their dif-
ferent interpretations of the ‘infinite positive forms or qualities’ of God, or what
above we called God’s perfections. Regarding Leibniz’s formulation, Deleuze
makes a key claim:

> These prime possibles, “absolutely simple notions”, lie outside our
knowledge: we know they are necessarily compatible, without knowing
what they are. They appear anterior to, and above, any logical
relation: knowledge reaches only to ‘relatively simple notions’ which
serve as terms of our thinking, and of which the best, perhaps, one
can say is that they have a symbolic relation to the prime simples.
This key distinction between absolutely simple notions and relatively simple notions lies at the heart of Deleuze’s first criticism of Leibniz, and will return in various forms throughout the rest of the book. We’ll see below how Deleuze argues for the presence of this claim in Leibniz, but first we’ll look at how Deleuze uses it to criticize Leibniz and differentiate his view from Spinoza’s. Deleuze argues that by positing a clear division between the absolutely simple notions which constitute God’s nature or essence, and the only relatively simple notions which lie at the basis of our knowledge, Leibniz is able to leave the nature of God somewhat obscure; preserving, thereby, the eminence of God and the contingency of creation: ‘Leibniz hereby escapes the absolute necessity which he denounces as the danger of Spinozism: he stops “metaphysical” necessity getting out from God and communicating itself to creatures’ (EPS, p.79). There is a definite motivation behind this move, Deleuze thinks: ‘After his meetings with Spinoza, Leibniz considers absolute necessity the enemy’ (ibid.). The way Deleuze frames this first departure of Leibniz from Spinoza in these strong terms of ‘dangers’ and ‘enemies’ already suggests, I think, that beyond any philosophical incompatibility, Deleuze places the real grounds for their disagreement in Leibniz’s own ideological concerns. We thus see here for the first time how Deleuze thinks Leibniz’s philosophy is always constrained by certain commitments, partly theological, and partly, as we’ll see below, political.

An aversion to absolute necessity is indeed the basis for Leibniz’s criticism of Spinoza which we find in his 1707 ‘Comments on Spinoza’s philosophy’. But there, the way Leibniz ‘escapes the danger of absolute necessity’ is very different. Leibniz writes:

> The axiom “that without which a thing can neither be nor be conceived belongs to the essence of a thing”, is to be used with regard to necessary things or species, but not with regard to individuals or contingent things, for individuals cannot distinctly be conceived. Thus, they have no necessary connection with God, but were produced freely. God was inclined towards them for a definite reason, but he was not necessitated.’

4Leibniz, ‘Comments on Spinoza’s Philosophy’, in Ariew and Garber.
Leibniz thus refers to his traditional distinction between the domain of essences and the domain of existing things. The first are subject to absolute necessity, but the second are not. Leibniz’s commitment to this distinction is a recurring theme in his criticisms of Spinoza. Commenting on proposition five of the Ethics, Leibniz writes: “what is meant by “in the nature of things” seems obscure. Does he mean in the whole of existing things or in the region of ideas or of possible essences?” (L 20) But as we will see in the next chapter, this distinction between necessary essences and contingent things cannot be straightforwardly mapped onto Deleuze’s distinction between absolutely simple notions and relatively simple notions. Why, then, does Deleuze insist on making this the basis for the divergence between Leibniz and Spinoza? The answer, I think, is that Deleuze wants to criticise Leibniz in a very particular way: for falling victim to the traditional notions of eminence, analogy and symbolism that Spinoza escapes; “Could not Spinoza think, though, that in order to save creatures and creation, Leibniz was retaining all the perspectives of eminence, analogy and symbolism in general? Perhaps Leibniz only appears to advance beyond infinite perfection, only appears to arrive at a nature or reason” (EPS, p. 79).

Escaping the concepts of eminence and analogy is in large part where Deleuze locates Spinoza’s profound originality. It is this that allows him to formulate the concept of univocal expression we’ll look at when we turn to the conclusion. Deleuze is thus especially concerned with showing how Leibniz, despite all his affinities with Spinoza, remains rooted in the tradition of eminence and analogy that Spinoza escapes. Leibniz’s philosophy, Deleuze argues, maintains something of the mystery of God by positing the divine attributes of God as essentially unknowable. The result is that being emanates from God; that our own ideas have only an analogical relationship to the attributes of God (our ideas are only analogous to the ideas of God); and that as such they are only signs or symbols referring to something essentially transcendent. Creatures and the ideas of creatures emanate from a God who remains essentially indifferent to them. Leibniz’s God, then, as opposed to Spinoza’s, remains an eminently transcendent, and concealed source of expression. As such, in contrast to Spinoza’s univocal concept of expression, Leibniz remains tied to the neo-Platonic model of participation, of which Beistegui writes: “What is participated remains within
itself. It is participated in so far as it produces, and produces in so far as it
gives. But in order to produce or give, it need not leave or be separated from
itself.”

The key to understanding Deleuze’s criticism is his claim that the relatively
simple notions of our own understanding only have a ‘symbolic relation’ to the
absolutely simple notions of God, and it is this symbolic relation which exposes
Leibniz to the criticisms of analogy and eminence. And yet, I think, we would
be hard-pressed to find this view in Leibniz himself given the reference Deleuze
provides. In section six of the 1679 paper ‘Elements of calculus’, Leibniz does
indeed speak of assigning a sign to notions whose requisites or component parts
we cannot distinctly discern. In this way, he writes, ‘we could at least discover all
propositions by a calculation and show which ones can at least be demonstrated
analytically when taken as primary for the time being, without actually being
so’ (L. 26). Thus, some ideas are indeed relegated to the status of signs, but there
is never a sense that this is anything other than a practical measure to make up
for a temporary lack in our understanding. The example Leibniz gives illustrates
this well. Euclid’s geometry does not give a definition of a straight line, treating
it instead as a simple, axiomatic notion. Euclid’s notion of a straight line is
thus something like one of the ‘relatively simple notions’ Deleuze claims Leibniz
restricts us to. But in fact, Leibniz points out, it was treated as simple only until
Archimedes was able to analyse the notion and give it an adequate definition:
the least distance between two points. Thus, in this paper at least, not only
is there no mention of absolutely simple notions being restricted to God, but
Leibniz does not even concede the inevitability of the relative simplicity of our
own notions. The implication is rather the opposite: that it is possible, at
least in theory, that our relatively simple notions will one day be analysed into
notions which are absolutely simple, even if such an analysis ‘would scarcely
be provided for mortals in many thousands of years’. We will see in the next
chapter that Deleuze goes on to reference other texts which bear on this issue.
But for now, it is hard to avoid the conclusion that Deleuze’s criticism of Leibniz
is weakened by his insistence on identifying the difference between Leibniz and

5Beistegui, p.32. For an account of precisely why Deleuze condemns philosophies reliant on
emination and analogy, cf. Beistegui, Chapter two, section two, as well as our own discussion
of the opening of Difference and Repetition in part II. Deleuze’s own account of eminance,
analogy and symbolism in EPS is found in chapter three, ‘Attributes and Divine Names’.

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Spinoza in Leibniz’s reliance on eminence, analogy and symbolism, rather than on his much more obvious commitment to a division between the domain of necessary essences and the domain of contingent existence.

In this section we have seen how Spinoza and Leibniz arrive at similar solutions to the problem they identify in Descartes: a better ontological proof which demonstrates God’s possibility or provides a real definition of God which reaches his absolute nature, beyond the *proprium* of infinite perfection. Eventually, however, Leibniz and Spinoza depart on the precise nature of the absolutely simple notions or attributes which constitute God’s nature. The difference has its roots, Deleuze argues, in certain of Leibniz’s theological commitments, which necessitate his drawing a clear line between notions as they exist in the understanding of God and the only ‘relatively’ simple notions that exist in our own understanding. By drawing this clear division Leibniz is forced to rely on an analogical relation between the absolutely simple notions of God and the relatively simple terms of his combinatorial logic which symbolise them.

However, we have also seen that although Deleuze is no doubt correct to emphasise the theological motivations behind Leibniz’s position, he has not yet adequately demonstrated Leibniz’s commitment to a division between absolutely and relatively simple notions. The complexity of Leibniz’s writings on this matter in fact leave room for a different interpretation, which Deleuze himself will hint at when he reiterates this discussion in the conclusion, and which we will discuss in the next chapter.

A key question is thus whether Leibniz’s theory of relatively simple notions carries with it the commitment to analogy and symbolism which Deleuze claims. Answering this question requires looking in more detail at Leibniz’s understanding of ideas; and in particular at the way he introduces a notion of *adequacy* to supplement Descartes’s criteria of clarity and distinctness for true ideas. Fortunately, it is in just such a discussion of adequacy that we find Deleuze’s second comparison between Leibniz and Spinoza.
1.3 Adequate ideas

The second engagement with Leibniz in *EPS* is closely connected to the first. We saw above that part of Leibniz's criticism of Descartes's ontological proof was the claim that clarity and distinctness are inadequate for proving God's existence. Deleuze returns to this point in the last two pages of chapter nine, 'Inadequacy'. Clarity and distinctness, he suggests, are supplemented by an additional notion of adequacy:

A clear and distinct idea does not in itself constitute real knowledge, any more than it contains its own ground within itself: the sufficient reason of clarity and distinctness is to be found only in adequacy, and a clear and distinct idea constitutes real knowledge only to the extent that it follows from an idea that is itself adequate.

(*EPS*, p.151)

Deleuze identifies in this idea another affinity between Leibniz and Spinoza: 'We have here, once again, a point of agreement between Spinoza and Leibniz, which helps to define the anti-Cartesian reaction' (*EPS*, p.152). Once again, then, Leibniz and Spinoza are united by a criticism of Descartes which focuses on sufficient reason. But this time, Deleuze also connects it to the concept of expression:

Descartes, in his conception of the clear and distinct, restricted himself to the representative content of ideas; he did not rise to the conception of an infinitely deeper expressive content. He didn't conceive adequacy as the necessary and sufficient reason for clarity and distinctness: didn't conceive expression, that is to say, as the basis of representation. (*ibid.*)

In this section we will be concerned, first, with precisely how Deleuze identifies an 'expressive content' in Leibniz's theory of ideas and, second, with how

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6cf. also, p.153: 'All the differences between Leibniz and Spinoza take away nothing from their agreement on those fundamental principles which, above all else, constitute the anti-Cartesian reaction.' and p.154: 'In all this, Spinoza and Leibniz are fighting a common cause, a continuation of what had set them against the Cartesian ontological proof, the search for a sufficient reason singularly lacking throughout Cartesianism. Each of them, proceeding differently, discovers the expressive content of ideas, and their explicative form.'
this issue informs the questions concerning Leibniz's reliance on symbolism and analogy which ended the last section.

Above, we introduced the idea that Leibniz's demonstration of the conditions of possibility of an infinitely perfect being also provides us with the conditions for a real definition of God. Indeed, Leibniz defines a real definition as one 'through which the possibility of the thing is ascertained' (L 33). This is in contrast to nominal definitions, which allow us to name or define a thing, but do not ascertain the possibility of what they define: 'I call a definition nominal when it can still be doubted that the defined concept is possible' (L 35, Section 24). We also saw above that Leibniz criticises Descartes's ontological proof for not establishing the possibility of an infinitely perfect being. Descartes's definition of God therefore remains nominal. At the root of this criticism of Descartes lies Leibniz's dissatisfaction with clarity and distinctness as sufficient conditions for true ideas. A third criterion, Leibniz argues, must be added: adequacy. The Meditations on Knowledge, Truth and Ideas open with a hierarchy of increasingly 'perfect' knowledge: 'Knowledge is either obscure or clear; clear knowledge is either confused or distinct; distinct knowledge is either inadequate or adequate, and also either symbolic or intuitive. The most perfect knowledge is that which is both adequate and intuitive.'

A concept is clear and distinct, says Leibniz, if it allows a thing to be recognised and distinguished from other things; in other words, if it contains the 'marks' necessary for a nominal definition, which is understood as 'nothing but the enumeration of sufficient marks.' A nominal definition thus 'contains only marks for discerning one thing from others' (L 33). Leibniz calls these distinguishing marks 'component marks', and it is these marks which constitute a notion, just like the absolutely simple notions or perfections constituted the notion of an infinitely perfect being in the last section. Why is an 'enumeration of sufficient marks' not sufficient to demonstrate the possibility of a concept? In other words, why does this enumeration only suffice for a nominal definition and not for a real definition? The answer is that our knowledge of these component marks, while giving us clear and distinct knowledge of what they compose, may itself not be distinct. In most cases, Leibniz tells us, our knowledge of the component marks which allow us to recognise a thing is confused. And as a result,
because the distinctness of our knowledge of a concept does not extend to the parts of that concept, our knowledge ultimately remains inadequate. The criterion for adequate knowledge, then, is that it must render distinct not just the concept, but all components of that concept: ‘When every ingredient that enters into a distinct concept is itself known distinctly, or when analysis is carried through to the end, knowledge is adequate.’ Adequate knowledge, for Leibniz, requires analysing a concept into its parts until we arrive at distinct or simple parts, which themselves have no parts. This is the only way we can demonstrate with certainty that they do not harbour a hidden contradiction. This is why, in the case of the concept of an infinitely perfect being, Descartes’s clear and distinct concept of infinite perfection allows us to recognise an ‘infinitely perfect being’, but remains inadequate so long as we do not have distinct knowledge of the simple perfections that serve as the requisites or ‘component marks’ of this concept.

Delaune frames this criticism of Descartes in terms of his reliance on the revelations of an individual mind, rather than a logic internal to ideas themselves. Thus ‘Descartes got no further than the form of psychological consciousness in ideas; he didn’t get as far as the logical form through which an idea is explained, by which ideas are linked one to another’ (EPS, p.152). Leibniz’s model of adequation provides the logical form through which true ideas are judged in terms of knowledge of their component parts. Leibniz himself will criticise Descartes repeatedly for ignoring this essential aspect, relying instead on some kind of qualitative criterion present in any particular judgement. In Quod ens Perfectissimum existit, he writes:

Nor does it suffice for Descartes to appeal to experience and allege that he experiences this very concept in himself, clearly and distinctly. This is not to complete the demonstration but to break it off, unless he shows a way in which others can also arrive at an experience of this kind. For whenever we inject experience into our demonstrations, we ought to show how others can produce the same experience, unless we are trying to convince them solely through our own authority. (L 14)
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In the Meditations, the same point is connected to the critique of clarity and distinctness:

[The example of most rapid motion] has shown that we do not always at once have an idea of a thing of which we are conscious of thinking. Nor is it less deceptive, I think, when men today advance the famous principle that whatever I perceive clearly and distinctly in some thing is true, or may be predicated of it. For what seems clear and distinct to men when they judge rashly is frequently obscure and confused. (L 33)

Leibniz’s concept of adequation thus moves beyond simple representative content, and beyond a reliance on the form of a psychological consciousness. But, we are yet to see how it allows ideas to be characterised as expressive.

1.4 Symbolic thinking and relatively simple notions

Concerning adequate knowledge, Leibniz writes: ‘Whenever our knowledge is adequate, we have a priori knowledge of a possibility, for if we have carried out the analysis to the end and no contradiction has appeared, the concept is obviously possible’ (L 33). But here we must recall the basis for Deleuze’s criticism of Leibniz which we discussed in the last section: that human thinking, in fact, has access only to relatively simple notions. These notions are not actually simple or distinct at all, but are treated as such only because we choose to ignore, for the sake of convenience, their confusion of parts. Leibniz denies us, Deleuze claims, access to the absolutely simple, truly distinct terms that constitute God’s essence. But in this case, on Deleuze’s reading, adequate knowledge, for Leibniz, is impossible, because we can never reach absolutely simple notions. Leibniz himself is typically reluctant to arrive at a definitive answer to this question: ‘Whether men will ever be able to carry out a perfect analysis of concepts, that is, to reduce their thoughts to the first possibles or to irreducible concepts, or (what is the same thing) to the absolute attributes of God themselves or the first causes and the final end of things, I shall not now
venture to decide' \((\textit{ibid.})\). Instead, Leibniz argues, our treatment of ideas relies on replacing their real parts with signs or symbols, which we treat as simple, even if really they are just placeholders for other, equally composite concepts: ‘Yet for the most part, especially in a longer analysis, we do not intuit the the entire nature of the subject matter at once but make use of signs instead of things, though we usually omit the explanation of these signs in any actually present thought for the sake of brevity, knowing or believing that we have the power to do it’ \((\textit{ibid.})\). It is these signs which Deleuze referred to above as ‘relatively’ simple notions, and which were distinguished from absolutely simple notions, knowledge of which is restricted to God. But the question is whether Leibniz thinks such thinking through signs is an inevitable necessity when faced with the inferiority of our understanding in relation to the understanding of God, or whether it is an obvious convenience ‘for the sake of brevity’. The first is a profound point about Leibniz’s commitment to an eminent God whose true essence remains obscure. The second is a much more trivial point about the necessary shortcuts caused by the finitude of human understanding.

It was the second interpretation that we were lead to in our brief look at the ‘Elements of logical calculus’ in the last section, where Euclid’s relatively simple axiom of the straight line was a necessary shortcut until the arrival of Archimedes’s real definition. Indeed, Leibniz is critical of symbolic thinking precisely because it does not reach truly simple concepts. This is, in fact, precisely the same criticism we have already seen him level at Descartes:

> It often happens that we falsely believe ourselves to have ideas of things in our mind, when we assume wrongly that we have already explained terms which we are using. […] For often we understand after a fashion each single word or remember to have understood it earlier; yet because we are content with this blind [symbolic] thinking and do not sufficiently press the analysis of the concepts, we overlook a contradiction which the composite concept may involve. \((L.33)\)

Leibniz opposes the ‘symbolic’ thinking he describes here to ‘intuitive’ thinking. Symbolic knowledge is thus knowledge of a concept which, while distinct, leaves the composites of this concept confused, choosing instead to represent them by signs. Intuitive knowledge, by contrast, leaves nothing confused: the concept
and all its components are distinct. Intuitive knowledge, then, is adequate knowledge. But again, Leibniz refuses to come to a decision on whether such knowledge is ever actually achievable: ‘when [intuitive knowledge] is possible, or insofar as it is possible’, he writes. We know what intuitive, adequate knowledge would be, but we don’t know if we can ever reach it. Leibniz is clear on at least one thing, though: when it comes to knowledge of a ‘distinct, primitive [simple] concept’, only intuitive knowledge is adequate. Thus, knowledge of absolutely simple notions, if it is possible, is not knowledge based on signs or symbols.

1.5 Expression

What does all this mean for Deleuze’s criticism of Leibniz, which we introduced in the last section? We saw that it had two components. The first was the accusation that Leibniz leaves absolutely simple notions inaccessible to human understanding, which must rely instead on relatively simple notions. This view now finds additional support in Leibniz’s obvious reluctance to admit that adequate knowledge is possible.

But the second component of Deleuze’s criticism is that, as a result of this discrepancy between absolutely and relatively simple notions, the terms of our thinking have a symbolic, analogical relation to the notions present in the understanding of God. This, I think, is harder to defend. Leibniz is clear that signs or symbols always refer to composite concepts. How then, could they be symbols for the simple attributes of God? When it comes to simple concepts, only intuitive, adequate knowledge is sufficient, and we leave the language of signs and symbols behind. Even if such adequate knowledge is ultimately impossible, we can at least understand what the relation between absolutely simple concepts and relatively simple terms would be: absolutely simple notions serve as the requisites or components of our relatively simple notions. They may remain necessarily obscure and confused, but, in theory at least, all composite concepts can be analysed into these simple terms. And while we may not know whether any of our relatively simple notions ever are adequate, and if so which, we at least know that their adequacy is grounded in having these absolutely simple notions as components, and not through any kind of merely symbolic or
analogue relation to them.

If the relation between relatively simple notions and absolutely simple notions is not one of analogy or symbolisation, then what is it? If absolutely simple notions serve as the requisites or components of all our notions, and we understand these as in some sense the cause of the notions they compose, then the relation between them is precisely one of expression. An effect expresses its cause, Leibniz insists, and this, then, seems to be how we find the expressive content in ideas that Deleuze believes is just as crucial to Leibniz’s theory of adequacy as it is to Spinoza’s. But two points must be made. The first is that if this is expression, it is so only in the limited, traditional sense that Leibniz (and Deleuze) sometimes gives it, where an effect is said to express its cause. It is not yet the ‘triadic’ model of expression Deleuze finds in Spinoza, but which I will argue he only finds in Leibniz much later, in the conclusion. Second, if Leibniz’s ideas are expressive, they are so only by being composed of simple terms that serve as the requisites for our concepts in the same form as they serve as the attributes of God. If ideas are expressive, therefore, they cannot be analogue. Thus, it seems, if Leibniz reaches the expressive content of ideas that Deleuze credits him with, then he does so only by overcoming the reliance on analogy and symbolisation which Deleuze had earlier accused him of.

Leibniz is clear, at various points, in drawing an equivalence between absolutely simple concepts and the attributes of God. We already saw it in the quote above: ‘first possibles or irreducible concepts, or (what is the same thing) the absolute attributes of God’, and he makes the same point in his Paris notes of 1676: ‘Any simple form whatever is an attribute of God’ (L. 12). I will even argue, in section 2.1 below, that Deleuze himself eventually makes this same point. Thus, ideas become expressive or adequate precisely by attaining to the absolutely simple form of their requisites in the understanding of God, and not by symbolising them. To establish something’s possibility; to provide its real

\footnote{See also, on this point, Loemker’s own note on p. 169: ‘Leibniz’s argument therefore rests on his identification of the simple concepts of his combinatory logic with the perfections of God’, and also section V of his introduction, where he writes: ‘For a real definition must contain in its predicate those essential concepts which serve to determine all the properties and modifications which are involved in the substance which its composite subject represents; Leibniz sometimes calls these essential determinants. These are the simple, primary essences or concepts, ultimate perfections of God, out of which concrete substances come into being, since all other qualities, essential or temporal, arise by combination from them.’ Loemker, p. 25.}
definition; to possess adequate knowledge of its notion; and to provide its sufficient reason, are all processes reliant on the absolute, simple self-identities which are the attributes of God and simultaneously the requisites or components of our own composite concepts.

However, Leibniz is perhaps saved from facing the repercussions of this view by refusing to decide on whether adequate knowledge is attainable. But he is also saved by once again drawing a sharp divide between the domain of logical possibility and the domain of real existence. It may well be the case that we can only prove the possibility of a thing \textit{a priori} by reaching the absolutely simple terms which are the attributes of God, but this doesn’t matter, he thinks, so long as we can also prove the possibility of a thing \textit{a posteriori}. Thus, Leibniz writes: ‘We know an idea \textit{a posteriori} when we experience the actual existence of the thing, for what actually exists or has existed is in any case possible’ (L 33). And this is indeed the method we usually rely on, he thinks: ‘For the most part we are content to learn the reality of certain concepts by experience and then to compose other concepts from them after the pattern of nature.’

The problem with this, of course, is that it seems to take us away from the purely logical form of ideas and back into the representative content which Leibniz has already criticised Descartes for relying upon. The representative content of ideas, which their expressive content was supposed to supplement and surpass, risks returning with an even more fundamental role, as the only thing which guarantees the possibility of the simple concepts which compose our complex concepts. Again, then, although Deleuze praises Leibniz’s theory of ideas for realising their ‘expressive content’, this is only according to a ‘weak’ form of expression, this time understood as the relationship between an idea and the thing it represents. Thus, when Deleuze writes that ‘Leibniz’s remark that knowledge is a species of expression could have come from Spinoza’ (\textit{EPS}, p.152), we must, I think, add this important qualification: often, when Leibniz talks of expression, he is taking it as a synonym for representation. In the letter to Arnauld from which Deleuze takes this quote Leibniz refers at various points to ‘expression or representation’, and ‘expression or perception’. (Leibniz to Arnauld, 9th October 1687, Mason, p.144)

Thus, we have not yet discovered in Leibniz the kind of expression that
Deleuze thinks is truly original: the ‘triad’ of expression, in which what is expressed is ‘beyond real causality, beyond ideal representation’, and simultaneously ‘deeper than the relation of causality, deeper than the relation of representation’ (EPS, p.335). Here, at least, we have not gone beyond or deeper than expression as causality (in the sense that composite ideas express their requisites as an effect expresses its cause) and expression as representation (in the sense that simple ideas express the thing they represent).

In this section we’ve seen that Deleuze thinks there is another affinity between Leibniz and Spinoza when it comes to the ‘expressive content’ of ideas. This expressive content is tied up with the new idea of adequation, supplementing and providing the sufficient reason for Descartes’s previous criteria of clarity and distinctness. But we’ve also seen that we can only understand adequate ideas in Leibniz according to a weak form of expression understood either as a relation of causality or a relation of representation, and that even this weak form calls into question Deleuze’s earlier claim that Leibniz’s philosophy restricts us to symbolic, analogical, and relatively simple notions.

Perhaps, though, there is another aspect to Deleuze’s symbolisation criticism, that goes beyond explicitly understanding notions as signs or symbols. Here, symbolisation is understood as an essential component of Leibniz’s theory of harmony, and becomes a reciprocal relation between terms that symbolise each other. This new interpretation is first introduced by Deleuze in his discussion of Leibniz’s criticism of Cartesian mechanism, and it is this which constitutes the third and final engagement with Leibniz in the main text of SPE.

1.6 Mechanism, force and essence

The third discussion of Leibniz in *EPS* begins with his critique of mechanism, and ends with the complex relation between metaphysical substances (or monads) and physical bodies. Looking at this discussion will introduce a new understanding of Deleuze’s ‘symbolisation’ criticism of Leibniz: this time it refers to the harmonious relation between metaphysics and physics, rather than the unilateral symbolisation between relatively and absolutely simple notions. But it will also introduce a new, and I will argue much more fundamental, criticism,
based on the role of God as guarantor of this harmonious relationship. This second criticism, I will argue, grounds the first. Finally, this section will introduce a new, complex set of issues concerning Leibniz’s conception of the relation between metaphysical substances and physical bodies. We have thus moved away from the realm of necessary essences and logical ideas which dominated the last two sections, and into the realm of actually existing things.

Halfway through chapter 14, ‘What Can a Body Do?’, Deleuze identifies another affinity between Leibniz and Spinoza: ‘Their philosophies constitute two aspects of a new “naturalism”’ (EPS, p.227). This is, once again, an aspect of their shared anti-Cartesian reaction. Descartes established a new mathematical and mechanical science, whose effect was to render nature itself ‘impotent’ by removing any virtuality, potentiality or immanent power of its own. The goal of the anti-Cartesian reaction, Deleuze thinks, is to ‘re-establish the claims of a nature endowed with forces or power’ (EPS, p.228). Central to this will be a critique of Cartesian mechanism. But again, just as with Descartes’s ontological proof and his clear and distinct ideas, it is not a matter of rejecting this Cartesian doctrine outright, but of supplementing it somehow. Thus, Leibniz writes in his ‘New System of the Nature and Communication of Substances’, that: ‘After trying to explore the principles of mechanics itself in order to account for the laws of nature which we learn from experience, I perceived that the sole consideration of extended mass was not enough but that it was necessary, in addition, to use the concept of force, which is fully intelligible, although it falls within the sphere of metaphysics’ (L 47, Section 2).

Once again, Deleuze thinks, it is the question of sufficient reason which motivates this re-introduction of the notion of force into the world of mechanical bodies. He writes: ‘One thus sees that mechanism does not exclude the idea of a nature or essence of each body, but rather requires it, as the sufficient reason for a given shape or a given movement, or a given proportion of movement and rest’ (EPS, p.228). And here, for the first time, Deleuze explicitly draws together all three of his discussions of Leibniz in the main text of EPS under this umbrella of sufficient reason: ‘The anti-Cartesian reaction is, throughout, a search for sufficient reasons: a sufficient reason for infinite perfection, a sufficient reason for clarity and distinctness, and a sufficient reason, indeed, for mechanism itself’
We thus get our first hint that the previous discussions of Leibniz, regarding the possibility of an infinitely perfect being in section 1.1 and the adequacy of ideas in section 1.2, may not have been as incidental as they first appeared.

How, then, does Leibniz overcome the limitations of mechanism, and provide its sufficient reason? Deleuze’s account is brief, dense and complex and, I’ll argue, not without its problems. We’ll only briefly summarise it here. There are, he insists, three levels at work in Leibniz’s account of the nature of bodies: mechanism, force and essence (EPS, p.228). On the first, mechanistic level, ‘everything happens in bodies mechanically, through shape and movement’ (ibid.). However, these movements necessarily refer to forces: ‘The movements themselves presuppose forces of passion and action, without which bodies would be no more distinguished than would patterns of movement. Or, if you will, mechanical laws themselves presuppose an inner nature in the bodies they govern’ (EPS, p.229). This is the move from the level of mechanism to the level of force. The next move is from these forces themselves to a primitive force or a metaphysical essence: ‘But nor does the derivative force, in its turn, contain its own reason: it is only momentary, although it links that moment to earlier and later ones. It must be referred to a law governing the series of moments, which is a sort of primitive force or individual essence’ (ibid.). These essences, Deleuze claims, are ‘the source of the derivative forces attributed to bodies’. Deleuze concludes that individual essences constitute ‘a genuine metaphysics of Nature, which does not enter into physics, but corresponds to such physics itself’ (ibid., translation modified.)

Central to Deleuze’s account of Leibniz’s view of the natural world is thus this distinction between three levels: mechanism, force and essence. But the only reference Deleuze gives for this distinction is to the later sections of Leibniz’s paper On Nature Itself (L 53). And there, we struggle to find the same distinction between three levels. Deleuze insists that there is an ‘inner nature’ to bodies on the level of force, prior to the introduction of essence, and quotes

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8Jouffrin’s mistranslation of this sentence is unfortunately rather damaging. He writes that the metaphysics of Nature ‘does not merely enter into physics’, whereas in fact the key point, as we’ll see, is that it does not enter into physics at all ‘Elles forment enfin une véritable métaphysique de la nature, qui n’intervient pas dans la physique, mais qui correspond à cette physique elle-même’ Spinoza et le Problème de l’Expression, p.209.
the following line from section nine: ‘the internal nature [of created beings] is no different from the force of acting and suffering’. But later in the same section, Leibniz is clear that this force of acting and suffering is precisely what constitutes a substance: ‘actions belong to substances’, and ‘everything that acts is an individual substance’. Earlier, in section eight, Leibniz writes: ‘The substance of things itself consists in the force of acting and being acted upon.’ It thus seems that, in this paper at least, Leibniz treats as equal (force and substance) what Demeuze distributes across two levels (the level of force and the level of essence).

Despite this, in the earlier sections of this paper, Leibniz does clearly reject Cartesian mechanism on precisely the grounds Demeuze suggests: that it ignores the internal nature or force of a thing. Why, then, does Demeuze insist on his own unnecessarily complex account? I think the answer lies in the obvious theological motivations behind Leibniz’s arguments in those earlier sections. Demeuze is keen to identify a correspondence between Leibniz and Spinoza on this question of the inadequacy of mechanism. Thus, he will write that Spinoza’s own account is ‘closely analogous’ to Leibniz’s (EPS, p.229). But the result is that he must go to great lengths to give a Leibnizian account which does not rely on theological commitments, because such an account is explicitly anti-Spinozist. Leibniz opens his account with the following question: ‘In what does the nature consist which we customarily ascribe to things, whose attributes, as they are usually understood, Mr. Sturm considers to reek somewhat of paganism?’ (L 53, Section 2). Far from ‘reeking of paganism’, Leibniz argues that the true risk of ‘injuring piety’ comes from the view that ‘matter can stand by itself and mechanism needs no intelligence or spiritual substance’ (ibid.). But far from this drawing him closer to Spinoza, Leibniz in fact extends this argument, and claims that internal force is necessary precisely because it allows us to avoid the distasteful Spinozist alternative:

No created substance, no identical soul, would be permanent, and hence nothing would be conserved by God, but everything would reduce to certain evanescent and flowing modifications or phantasms, so to speak, of the one permanent divine substance. And, what reduces to the same thing, God would be the nature and substance
of all things - a doctrine of most evil repute, which a writer who
was subtle indeed but irreligious, in recent years imposed upon the
world, or at least revived. (L 53, section 8)

It would be hard for Deleuze to draw a correspondence between Leibniz and
Spinoza on this point if, as it appears from these early sections, a central part
of Leibniz's account is its anti-Spinozist sentiment. Perhaps, though, we can also
view this as the earliest demonstration of Deleuze's willingness to be charitable
in his readings of Leibniz. Instead of framing Leibniz's rejection of mechanism
purely in terms of his theologically conservative claim that it 'injures piety',
he instead strives to give an alternative account which doesn't shy away from
the complicated relation between metaphysical substance and physical body in
Leibniz's philosophy. Here then, the creative, radical Leibniz wins out over the
conservative Leibniz. At the same time, Deleuze inadvertently introduces, for
the first time, ideas which we'll see return, with a much more important role,
in his later work.

As we've seen, Deleuze's account identifies three distinct levels in Leibniz's
account of nature: mechanism, force and essence. But it also contains two
moments where we move from one level to the next. Thus, mechanism 'pre-
supposes' forces, which in turn 'refer to' essences as their source. It is in these
moments that we locate sufficient reason: each level refers to the one above as
the source of its reason. There thus appears, at least at first glance, to be some
kind of causal relationship between the three levels. And yet we saw Deleuze
conclude his account with the claim that essences constitute a metaphysics of
nature which corresponds to a physics of bodies, but which does not enter into
it. This isn't a causal relation, but a relation of harmony between two entirely
autonomous domains: the metaphysical domain of essences on the one hand
and the physical domain of bodies and forces on the other. But if this is the
case, in what sense does force 'refer to' essences, and in what sense are essences
the 'source of' forces? The danger is that if we understand the relation between
the two domains as a causal relation, we undermine the autonomy of each and
jeopardise Leibniz's important concept of harmony.

The solution lies in how we understand the concept of 'referral'. It involves
understanding metaphysical essences as a unifying principle for material masses
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that are necessarily multiple or aggregated due to the infinitely divisible nature of matter itself. Thus, Leibniz will write:

For if these true and real unities were dispensed with, only beings through aggregation would remain; indeed, it would follow that there would be left no true beings within bodies. For even though there are atoms of substance, namely, my monads, which lack parts, there are no atoms of mass or of minimum extension, or any last elements, since a continuum is not composed of points. (On Nature Itself, section 11)

On this model, physics and metaphysics harmonise one another, and the same movement can at once be understood as the result of the simple internal nature or essence of a thing (its monad), and as the result of the universal interaction that makes bodies react to the ‘shocks’ imparted by other parts of matter, and which results from the continuous, infinitely divisible nature of matter.

Although only marginally significant here, this Leibnizian conception of the infinite divisibility of matter, and especially the continuity that corresponds to it, will become one of the most important influences of Leibniz on Deleuze. In the next part of this thesis, we will use it to help characterise the ‘restless’ nature of the infinitely small, which will be the first component of the Leibnizian structure we find at work in Difference and Repetition and Logic of Sense. But we’re not yet in a position to get to the bottom of this complex issue, and at this early stage, Deleuze himself does not make any reference to this idea of the unifying role of metaphysical substances. In fact, it seems likely that Deleuze himself had not yet fully formulated his ideas; and it is not until the first and eighth chapters of The Fold, 20 years later, that we get a fully-developed view on this important question. Here, however, we need only address the criticism that Deleuze levels at Leibniz on the basis of this reading, and we’ll see that this criticism applies however we understand the relation between these three levels.
1.7 A new criticism of Leibniz

Following the section on Leibniz’s critique of mechanism, Deleuze gives an account of Spinoza’s own anti-Cartesian naturalism and then asks, once more: ‘What is the real difference between Leibniz and Spinoza?’ \( (EPS, \text{p. 232}) \) • They both, he argues, posit ‘singular essences’ as a necessary supplement to mechanism. But with this crucial difference: ‘If Leibniz recognizes in things an inherent force of their own, he does so by making individual essences into so many substances. In Spinoza, on the other hand, this is done by defining particular essences as modal, and more generally, by making things themselves modes of a single substance’ \( (ibid.) \). Why is it so significant that Leibniz’s essences are themselves substances rather than modes of a single substance? The nature of substances, and in particular their relation to God, means, ultimately that ‘with Leibniz mechanism is referred to something deeper through the requirements of a finality that remains partly transcendent’ \( (ibid., \text{translation modified}) \). We can understand this finality in two ways, depending on how we understand the relation between the three levels we looked at just above. Deleuze’s own argument seems again to rely on the language of ‘referral’ and sufficient reason. Mechanism refers to forces, which refer to substances or monads. What, then, do these substances themselves refer to, as the source of their own sufficient reason? The answer is God’s choice of best possible world. Deleuze writes that substances are ‘caught in an order of finality as the context in which they are chosen by God, or even just subject to such a choice’ \( (ibid.) \). By referring to metaphysical substances, mechanism in fact ends up relying on something transcendent: sufficient reason thus converges each time on God and God’s choice of best possible world.

Even if we understand the relation between physics and metaphysics as one of correspondence instead of referral, the result is the same: this correspondence is the result of a pre-established harmony, which again is grounded in God’s choice of best possible world.\(^9\) The point is that, whichever way we look at it, Leibniz’s substances are embroiled in a transcendent, divine calculus, or in a divine choice which presides over the creation of all substances and all

\(^9\) As Gueroult writes: ‘Physics and even the concept of derivative force thus leads irresistibly to the metaphysical theory of pre-established harmony.’ \( (Gueroult, \text{p. 203}) \)
aggregated bodies. It is therefore here, in this discussion of mechanism, that we find a new criticism of Leibniz. And, I argue, it is this criticism which will occur again and again, in different terms, in all of Deleuze’s later readings of Leibniz, including the conclusion of *EPS*. It boils down to the eventual dominance of Leibniz’s conservative side: however radical and dynamic his philosophy may appear, there is always implicit some kind of essential reference to a theological principle of harmony, finality or divine choice, which grounds and guarantees the harmony and order of the world, while remaining completely transcendent to it.

What does this mean for D leuze’s earlier criticism based on symbolisation and analogy? It returns here in a different form. Nature for Leibniz, D leuze argues, is ‘a Nature whose different levels are hierarchically related, harmonised and, above all, “symbolise one another”. Expression is never divorced in Leibniz from a symbolisation whose principle is always finality or ultimate agreement’ (*EPS*, p.232). Here, then, the idea of symbolisation returns, but with two important developments. First, it now occurs entirely on the side of ‘nature’: it is no longer a unilateral relation between God’s infinite perfections and our own notions which symbolise them. Instead, it is a reciprocal relation in which the different levels of Leibniz’s world symbolise each other. Second, and more importantly, symbolisation is now subordinated to the finality ‘or ultimate agreement’ which causes and governs it. It becomes a symptom of Leibniz’s reliance on a transcendent God, and is therefore secondary to D leuze’s new, much more fundamental criticism of Leibniz’s theology. Above we called into question D leuze’s strict closing off of absolutely simple notions in the necessarily obscured understanding of God, suggesting that, limited to the domain of logical possibilities, we at least know the requirements of adequate knowledge that would reach absolutely simple notions, even if we can never attain it. But when it comes to God’s choice of the world itself, there is no longer even this satisfaction. With the infinitely, irreducibly complex nature of every possible world, any calculus which would determine the best possible must be locked deeply inside the understanding of God. Not only can we never recreate this

\footnote{The most important development of this criticism will be its eventual appearance in terms of the language of the *convergence* and *divergence* of infinite series, which is absent here.}
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divine calculus, we cannot even begin to guess how it functions.\footnote{Although, as we'll see, Deleuze will go on to claim that Leibniz's own infinitesimal calculus might be seen as an 'approximation' of this divine process.} Thus the sufficient reason of the world and everything in it ultimately remains forever closed off in its transcendent creator.

In this section we've introduced the third and final connection between Leibniz and Spinoza in their critique of Cartesian mechanism. Deleuze's account of three levels in Leibniz's vision of nature has introduced the question of the relation between physics and metaphysics in Leibniz's philosophy and its place in Deleuze's reading. We have gained a sense of the important role played by individual substances or monads in relation to physical bodies, which are only 'aggregates' thanks to the infinitely divisible nature of the world itself.

We've also established in its fullest form the true grounds for Deleuze's major criticism of Leibniz. The accusation that Leibniz relies on a 'symbolisation', which above had seemed potentially inadequate, is now better understood as a mutual relation of harmony between the various levels of his philosophy, and which is itself grounded by the harmonious principles of an ordered, law-governed world chosen and guaranteed by a transcendent God.

Finally, we've seen for the first time how Deleuze draws together all three discussions of Leibniz in the main text of EPS through the question of sufficient reason which constitutes the anti-Cartesian reaction. The initially incidental nature of Deleuze's discussions of Leibniz now strike us as increasingly important, a view which will be confirmed as we turn to the conclusion of the book, the entirety of which is explicitly framed in terms of the differences between Leibniz and Spinoza and their use of the concept of expression.
Chapter 2

The radical Leibniz (the conclusion of Expressionism in Philosophy: Spinoza)

Deleuze’s conclusion to Expressionism in Philosophy: Spinoza gives Leibniz a new, central role that was lacking in the main text. The title of the conclusion itself already demonstrates this (‘The theory of Expression in Leibniz and Spinoza’). While the three discussions of Leibniz in the main text appeared incidental, they are now drawn together by Deleuze under the heading of three ‘fundamental determinations’: being, knowing and acting. These correspond to God and God’s nature, to adequate ideas, and to bodies imbued with force (EPS, p.321). And while we’ve already seen that it was an emphasis on sufficient reason which motivated these discussions, Deleuze now gives sufficient reason itself a clearer formulation by distributing it across these three domains. Thus, sufficient reason has three branches, the ratio essendi or reason for essence, the ratio cognoscendi or reason for knowing, and the ratio fiendi or agendi or reason for producing or acting (EPS, p.322).\footnote{These three ‘ration’ will return in Difference and Repetition. There the ratio fiendi and ratio agendi will be distinguished, resulting in a fourfold root of the principle of sufficient reason, which corresponds to the four necessary characteristics of representation (identity, opposition, analogy and resemblance).} It is in these three domains that Deleuze locates a crucial role for the concept of expression, which is now just as central
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to Leibniz as to Spinoza, and constitutes the heart of their shared anti-Cartesian reaction.

Leibniz's appearances in the main text were dominated by his theological commitments, and he thus appeared under the guise of the theological or conservative Leibniz. Here in the conclusion, by contrast, the 'radical' Leibniz starts to come to the fore. How do we explain Leibniz's sudden promotion? There are various possibilities. Although Expressionism in Philosophy: Spinoza was published the same year as Difference and Repetition, Dose points out that it was 'practically finished in the late 1950s' (Dose, p.118). It is possible, then, that the conclusion was written significantly later than the main text. And perhaps in the interval Deleuze had come to a more developed understanding and appreciation of Leibniz's philosophy. The Leibniz we find in the conclusion is much closer to the Leibniz that Deleuze puts to work at crucial stages in Difference and Repetition and Logic of Sense. On the other hand, perhaps Deleuze had always had this more radical version of Leibniz in mind, but suppressed it in the main text until it was relevant, or because he wanted to emphasize Spinoza's originality. It is impossible to conclusively explain the changes in Deleuze's reading of Leibniz between the main text and the conclusion of EPS. But it is enough for our purposes to demonstrate that the conclusion contains a new, much more radical, reading of Leibniz's philosophy and introduces many of the Leibnizian themes that Deleuze continues to make use of throughout his later work. This chapter will thus be concerned with four things.

First, we'll return to two of our discussions in the last chapter in light of their new role as the 'fundamental determinations' of being and acting. We'll see that Deleuze's summary of these discussions in the conclusion is slightly different, showing us a new reading of Leibniz that introduces some of the key influences of Leibniz's philosophy on Deleuze.

Second, we'll turn to Deleuze's lengthy discussion of Leibniz's concept of expression. I'll argue that within this discussion there is a shift from a 'two-term' concept of expression to a triadic concept which is closer to the one Deleuze finds in Spinoza.

The appearance of new references, especially to the New Essays Concerning Human Understanding suggests that Deleuze had been working on Leibniz at some point between writing the main text and writing this conclusion.

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Third, we’ll return a final time to Deleuze’s criticism of Leibniz, this time understood as a criticism of his ‘equivocal’ concept of expression compared to Spinoza’s ‘univocal’ concept. We’ll see that ultimately all of Deleuze’s criticisms of Leibniz can be reduced to an aversion to certain of Leibniz’s theological and political commitments and motivations.

Finally, we’ll look at the penultimate paragraph which, I’ll suggest, ends with a brief description of what will ultimately become Deleuze’s double process of actualisation and counter-actualisation. Crucially, I’ll argue that Deleuze turns to Leibniz, rather than Spinoza, in order to explain these processes.

2.1 Absolutely simple notions

In the conclusion, Deleuze summarises the three elements of the anti-Cartesian reaction we looked at in the main text. The first concerns the necessity of demonstrating the possibility of God as an infinitely perfect being. Here again Deleuze mentions as key to Leibniz’s account the absolutely simple forms or attributes of God through whose necessary compatibility His nature is proved possible. At first glance this appears to be the same account as the one found in chapter four of the main text and which we discussed in section 1.1. But while Deleuze once again references the note ‘Quod ens perfectissimum existit’, and the ‘Meditations on Knowledge, Truth and Ideas’, this time he adds a third reference, to the New Essays, a book he does not reference anywhere in the main text and which reveals a potentially significant development. Deleuze refers to Leibniz’s mention of ‘original or distinctly knowable qualities’ alongside his references to ‘absolutely simple forms’ and the ‘attributes of God’. But, as we saw in our discussion, the criticism leveled at Leibniz in chapter four relied on the key claim that these absolutely simple forms were not distinctly knowable. The simple terms of our own logic were only relatively simple, and were thus only analogous to the actual attributes of God, and only ever symbolised them. Deleuze does not explicitly change his view, but this new reference, I think, suggests that he has now arrived at the same conclusion we did in section 1.2: that adequate, distinct knowledge of the attributes of God is at least theoretically possible. But this also implies that Deleuze has quietly dropped one aspect
of his ‘symbolisation’ criticism of Leibniz, where our relatively simple notions unilaterally symbolise absolutely simple notions.

By the time we get to The Fold, there is no longer any ambiguity on this point. There, Deleuze goes to great lengths to demonstrate how relatively simple notions (which he there calls ‘Definables’) do not analogically symbolise the absolutely simple notions (which he there calls ‘Identicals’) but derive from and are composed by them: ‘No doubt, in the absolute, God himself assures the passage from Identicals to Definables: he is constituted by all the primitive absolute forms, but he is also the first and last definable, from which derives all the others.’ (Le Pli, p.61). If, as I suggest, the first instance of this change in reading is already hinted at in the conclusion of EPS, then we can also identify here the seeds for another important aspect of Deleuze’s reading of Leibniz: his increasing emphasis on Leibniz’s propensity for creating principles, and in this case, the crucial role of the principle of identity.

The idea that God’s nature, essence or sufficient reason is in some sense constituted by his attributes is better understood, I think, now that we realise that these attributes are at the same time the primary terms of Leibniz’s logic. As we began to see in our discussion of adequate ideas in section 1.2, these terms are something like the ‘essential determinants’ that serve as the predicates of any real definition. In his Paris Notes of 1676 Leibniz calls them ‘requisites’ and tells us that ‘A reason is the sum of requisites’ (L 12). Thus, we find this more specific sense of God’s ‘reason’ in the ‘first possibles or irreducible concepts’ which are simultaneously understood first as perfections or attributes; then as the predicates of God’s real definition; and finally as the requisites which make up the concept of an infinitely perfect being.

But if these absolutely simple terms are no longer closed off in the understanding of God, we face a new question concerning their own sufficient reason or ratio essendi. In other words, if a concept’s sufficient reason is understood as the sum of the requisites that make it up, how do we conceive of the sufficient reason of these requisites themselves, given that they are simple and without parts? For Leibniz these simple forms are essences: they stand prior to the relations of compossibility and combination which condition the rest of existence. Indeed, their only condition is that they are possible: ‘Possibility is the prin-
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principle of essence' (Leibniz, On the Radical Origination of Things, L 51). We've already seen that the possibility of these simple elements is guaranteed by the fact that, as simple, they contain no parts which could contradict each other. We also saw that Deleuze goes further and claims that it is not the case that in the absence of requisite parts simple elements contain nothing, but rather that they contain only themselves. They are possible, therefore, only because they do not contradict themselves. In other words, they find their reason in the fact that ‘A is not non-A.’ This is Leibniz’s formal characterisation of the principle of non-contradiction, and it is this principle, along with the principle of identity as its counterpart, that ultimately serves as the ‘sufficient reason’ for the essences which constitute God’s nature. There is thus a sense in which Leibniz’s commitment to the principle of identity is even more foundational than his theological commitments. Indeed, in a note to a letter to Eckhard, Leibniz writes:

‘Who would say that A is not non-A because God has decreed it?’ (L 16).3

This new reading thus hints at something else Deleuze will later emphasise in Leibniz. While his criticism of Leibniz’s reliance on a creative God remains a constant presence, he also comes to admire his philosophy for its creative ‘play of principles’. In this, we detect a recurring tension between, on the one hand, the often theological motivations that lead Leibniz to this ‘dizzying creation’ of principles and, on the other hand, the potential for these radical, creative principles to themselves overcome or break free from theological commitments. And this tension is itself only one instance of a much broader tension in Deleuze’s Leibnizianism between a theological and a radical Leibniz.

This emphasis on principles brings with it a reevaluation of sufficient reason. We’ve already seen how Deleuze formulates it more rigorously in the conclusion: while in the main text sufficient reason remains fairly vague, motivating the anti-Cartesian reaction almost as a political slogan, in the conclusion Deleuze distributes it across three domains in three different forms, as the ratio essendi, ratio cogitandi and ratio fiendi or agendi. Later, however, Deleuze will tie sufficient reason to Leibniz’s creation of principles. While this first instance of sufficient reason in the form of the principle of identity is ostensibly concerned only with the proof of God’s possibility, it returns in The Fold, whose fourth

3It is perhaps significant that Leibniz only writes this in his own marginal notes, knowing they would not be seen by anyone else.
chapter (titled ‘Sufficient Reason’) once again demonstrates a more complex reading of Leibniz’s philosophy by identifying four Leibnizian principles, each of which serves as the sufficient reason for a particular domain. There, simple elements as absolute self-identities exist in a ‘zone’ in which ‘noncontradiction [identity] suffices as reason’ and in which, therefore, ‘the principle of contradiction is a case of sufficient reason’ (Le Pli, p.78).

2.2 Noncausal correspondences

After summarising the discussion of adequate ideas we looked at in section 1.2, Deleuze turns again to the question of material bodies, or what we now call the third ‘fundamental determination’ of acting. Here, his focus has changed significantly. In the main text, the criticism of Cartesian mechanism evolved into a discussion of the relation between metaphysics and physics, understood in a very general sense. Here, the issue for Deleuze is the more specific question of the relation between mind and body. And while Leibniz’s relation of harmony between metaphysics and physics was viewed in a negative light for its necessary reference to God’s choice of best possible world, it is now placed alongside Spinoza’s ‘parallelism’ as an instance of the novel new idea of ‘noncausal correspondences’. Deleuze combines this idea with a new set of terminology based on series, which will take on an important role in Difference and Repetition and especially Logic of Sense. Thus, each body forms a corporeal series and each mind forms a spiritual series. The progression of each of these series is explained by the operation of real causality within them. But between these two series there is no causal relation. There is nevertheless a correspondence and, Deleuze thinks, this correspondence must be explained through the concept of expression (EPS, p.327). Deleuze thus finds a place for Leibniz’s theory of harmony without immediately condemning its reliance on a principle of finality or maximal perfection. We get the first hint that the complicated relationship between the spiritual motivations of a monad and the causal mechanism of the body which belongs to that monad can be explained in terms of a concept of expression. But it’s also clear that this concept of expression cannot be understood as a relation between only two terms, as it was above. In other words,
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the heterogeneous series of mind and body do not merely express each other. Rather, they both express some third thing, for now left mysterious as simply ‘what is expressed’. Thus, Deleuze thinks, the concept of expression ‘explains the possibility of distinct and heterogeneous series (expressions) expressing the same invariant (what is expressed), by establishing in each of the varying series the same concatenation of causes and effects’ (EPS, p.327).

We must be careful to distinguish this new ‘three-term’ model of expression from the ‘two-term’ model which is much more obviously discernible in Leibniz’s philosophy. The two-term expression exists between what is expressed and its expression. This is the sense in which real causality and representation were above both understood as species of expression. An effect is an expression of its cause (what is expressed), while an idea is an expression of its object. The three-term or triadic model, by contrast, distinguishes what expresses, its expressions, and what is expressed. Deleuze identifies various forms of this triad in Spinoza, the first and most obvious being between substance (what expresses), attributes (expressions) and the essence of substance (what is expressed). It is not yet clear exactly how this model will be applied to Leibniz’s philosophy, but we’ve just seen how the heterogeneous series of mind and body are both expressions of some third, deeper ‘invariant’ (what is expressed).

The next section will show how Deleuze’s reading of Leibniz in the conclusion gradually shifts, almost imperceptibly, from the first two-term model of expression to a three-term model. Even with this change, however, he still subjects Leibniz to the same criticisms of symbolisation and finality. It is not until the penultimate paragraph that Deleuze finally gives Leibniz’s philosophy a triadic expressive character which appears equal to that of Spinoza’s.

2.3 Expression in Leibniz

Expression is thus the concept which draws together the three fundamental determinations of being, knowing and acting, as well as the three branches of sufficient reason. And because this concept is found in Leibniz as well as Spinoza, Deleuze emphasises that ‘what they have in common cannot be exaggerated’ (EPS, p.327). Even here, however, Deleuze does not want to push the affinity
between them too far, and hastens to add that ‘they part company over the use and interpretation of the concept on each point’.

But the way in which they part company is not how we would expect. Despite all Deleuze’s attempts to find the concept of expression working at every stage in Spinoza’s philosophy the irony is that it is Leibniz who gives expression ‘such an extension that it comes to cover everything’. And while we find ‘no explicit definition or demonstration’ of expression in Spinoza, we do find many passages in Leibniz that deal with the concept explicitly. The problem, though, is that Leibniz extends the concept too far, until it includes even those things which Spinoza’s version rejects: ‘the world of signs, of similarities, of symbols and harmonies ...’ (ibid.)

Deleuze thus turns to one of these explicit formulations of expression in Leibniz: the paper ‘What is an Idea?’ written, incidentally, just after his meeting with Spinoza (L 21). There, Leibniz defines expression as a relation of correspondence between two things: ‘That is said to express a thing in which there are relations [habitudines] which correspond to the relations of the thing expressed.’ We find a similar definition in a letter to Arnauld: ‘One thing expresses another (in my terminology) when there exists a constant and fixed relationship between what can be said of one and the other’ (Leibniz to Arnauld, 9th October 1687, Mason, p.144). Here, then, it is clear that with Leibniz we are firmly rooted in a two-term conception of expression. He gives a number of examples. Expression can be arbitrary, writes Leibniz, in the sense that a certain word or character expresses a certain idea. But it can also have a ‘basis in nature’, either through a similarity, such as between a geographic region and a map of the region, or through a law, such as between a circle and an ellipse which represents it, ‘since any point whatever on the ellipse corresponds to some point on the circle according to a definite law’ (‘What is an Idea?’).

On the basis of these examples, Deleuze concludes that in Leibniz’s model of expression one of the terms is always superior or dominant in relation to the other. Thus, the landscape ‘enjoys the identity’ which is reproduced in the map, while the circle ‘involves the law’ that the ellipse ‘develops’ (EPS, p.328). But Deleuze’s use of the words ‘involve’ and ‘develop’ is confusing, and it is unclear how a law can be enveloped or developed. Leibniz himself simply claims that
there is some law which allows a correspondence to be drawn between a point on the circle and a point on the ellipse, but Deleuze seems to want to push the point further. His next point confirms this suspicion. The superior term in the relation of expression, he claims, ‘concentrates in its unity’ what the other ‘disperses in multiplicity’ (*EPS*, p.328). We thus already begin to sense that the terms of the discussion are shifting: rather than a simple relation between two terms (one of which expresses the other), this sentence opens up the possibility that there is now some third term present on both sides of the expression, concentrated into a unity on one side, and dispersed into a multiplicity on the other. In this sense, both terms would be expressions of some third term (the ‘what is expressed’). What is clear, in any case, is that Deleuze’s reference to ‘What is an Idea?’ is not enough to resolve this confusion. There is no obvious sense in which a landscape is a unity in relation to the multiplicity of a map, or a circle a unity in relation to the multiplicity of an ellipse, and indeed Leibniz makes no mention of unity or multiplicity anywhere in this paper. Instead, it is clear that once again Leibniz is using the term expression as a synonym for *representation*. It is still not clear, then, how we can draw out of Leibniz a three-term model of expression which goes beyond the two-term relation of causality or representation.

Fortunately, in a footnote Deleuze gives two other references to Leibniz on this point. Thus, we *do* find a relation between expression on the one hand and unity and multiplicity on the other in the *New Essays*: ‘Though the soul and the machine [body] have no immediate influence on each other, they mutually express each other, the soul having concentrated into a perfect unity everything that the machine has dispersed throughout its multiplicity’ (*New Essays*, Book III, chapter VI, section 24). We can make two points on the basis of this quote. First, the relation of expression, rather than existing between things like landscapes and maps, exists here between the mind or monad and its body. But this expressive relation is clearly not one of causation. The soul and body ‘have no immediate influence’ on one another. Their relation is instead one of noncausal correspondence or harmony. Second, the relation of expression is now mutual. The terms express each other, rather than one term (the expression, the map) expressing the other (the expressed, the landscape). But, within this
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mutual expression, one term remains superior insofar as it unifies what remains dispersed into a multiplicity in the other. In this case, the mind is superior because it is a unity in relation to all the myriad parts of its body. It is thus on the basis of a distinction between unity and multiplicity or One and Many that Deleuze distinguishes a superior and inferior term in Leibniz’s model of expression.

What does this mean for the ambiguity between a two-term and three-term model of expression? Deleuze’s next sentence settles the issue: ‘That which expresses is “endowed with true unity” in relation to its expressions; or, which comes to the same thing, the expression is a unity in relation to the multiplicity and divisibility of what is expressed’ (EPS, p.328, translation modified). On a two-term model, the two parts of this sentence, far from ‘coming to the same thing’, appear instead to completely contradict one another. Thus, if we consider a two-term relation of expression between myself and a self-portrait I have painted, then I am simultaneously ‘what expresses’ and ‘what is expressed’. I have expressed myself in my self-portrait, which is my expression, and I am the ‘what is expressed’ of that expression. But according to Deleuze’s phrasing, ‘that which expresses’ is a unity, while ‘what is expressed’ is a multiplicity, and thus they cannot be the same thing. The only way out of this confusion, then, is to introduce ‘what is expressed’ as a third term, which is present in both sides of the expression.

The introduction of a three-term model is confirmed by Deleuze’s next sentence: ‘But a certain area of confusion or obscurity is thus introduced into expression: the superior term, through its unity, expresses more distinctly what the other in its multiplicity expresses less distinctly’ (ibid.). Here, we distinguish two expressions, both of which express some third thing, one more distinctly than the other. We also see that Deleuze ties the distinction between unity and multiplicity to the distinction between the clear and the obscure and between the distinct and the confused. The superior term is a unity because it expresses clearly and distinctly what remains obscure and confused (or multiple) in the inferior term. But what exactly is this third term, or this ‘what is expressed’?

We get our first hint in Deleuze’s appropriation of an image from another of Leibniz’s letters to Arnauld (Mason, p.84). A boat, he points out, is said
to be the cause of the movement of the myriad parts of the water it moves
through, because it has a unity which ‘allows a more distinct explanation of
what is happening’. We note first of all how strange this argument appears. Is
the boat really the cause of the movement of the water just because it is more
distinct? Surely, we would want to add, the boat is the cause because it has a
sail or an engine? But the boat is only ‘said’ to be the cause of the movement of
the water. Here we are forced to confront again the radical autonomy of every
part of Leibniz’s universe. What appears as action and passion or cause and
effect is, ultimately, something perspectival. There’s no actual causal relation
between the boat and the water, just as there is no causal influence between
my mind and body. The monads present in the molecules of water each have
their own internally unfolding, spontaneous development, utterly indifferent to
the influence of all the other monads which surround them, but corresponding
and conforming to it perfectly. This is the essence of pre-established harmony.
The water, then, is just as active as the boat; we just can’t adequately grasp
its activity. The boat, nevertheless, is said to be the cause because it expresses
more distinctly what the parts of the water express obscurely or confusedly. But
what is it that they are both expressing? Here, it is simply ‘what is happening’.
What is expressed, then, is what is happening. For a more satisfactory answer,
we must push on, and observe how Degen transforms this image of the boat
cutting through the water into a general account of the expressive nature of
monads themselves.

The movement of the water, Degen points out, is expressed in the move-
ment of the boat. Here we must introduce another key feature of Leibniz’s
model of expression as Degen describes it. The superior term or unity requires
the inferior term or multiplicity: its unity is precisely the involving, folding or
drawing together of a part of this confused multiplicity. In other words, what
is clear and distinct is so only on the basis of its relation to some obscure and
confused multiplicity which it subsumes. Thus, Degen writes, the superior
term ‘carves its own distinct expression out of a dim area which surrounds it
on all sides and in which it is plunged’ (EPS, p.328). We understand this, first,
in a literal sense, in terms of the boat. The boat is plunged into the water,
and it unifies a part of the confused totality of the water by carving through
it and expressing it distinctly. But, Deleuze thinks, we can understand the expression of monads in precisely the same terms: ‘each monad traces its distinct partial expression against the background of a confused total expression’ (ibid.). But what is the ‘water’ that the boat-monad carves through, and from which it draws its clear expression? Or in other words, what is the mysterious third term, the ‘what is happening’ or the ‘what is expressed’? It is the world itself: each monad ‘confusedly expresses the whole world, but clearly expresses only a part of it’ (EPS, p.329). Monads express the world, but they express it twice. First, they express it as a totality; but as a totality they express it only confusingly and obscurely; their limited, finite nature proving inadequate to grasp the whole world clearly. But within this confused total expression the monad carves out a second, smaller, clear and distinct expression, determined by the expressive relation it has to its body. This second expression is thus simultaneously a distinct expression of a small part of the whole world, and an expression which unifies the multiplicity of its own body.

If this is the world, though, it is so only in a new sense, revealed by Deleuze as he draws his account of Leibniz’s expression together in a final key sentence: ‘The world expressed by each monad is a continuum in which there are singularities, and it is around these singularities that monads take form as expressive centres’ (ibid.). Monads are plunged into this continuum of singularities, and express a part of it clearly by drawing together or enveloping a certain group of these singularities. But what really strikes us about this sentence is just how out of place it is with anything that has come before. Nowhere else in EPS, before this point, is there any mention of singularities, or of monads as expressive centres. And not only this, but it’s part of a set of terminology which will become very familiar in Deleuze’s later works. Thus, in what is ostensibly part of yet another criticism of Leibniz in comparison with Spinoza, we in fact find an account that sounds suspiciously ‘Deleuzian’. Jumping ahead of ourselves somewhat, we can see, for instance, its similarity to the following account of the process of ‘static ontological genesis’ given in series 16 of Logic of Sense: ‘A world already envelops an infinite system of singularities [...]. Within this world, however, individuals are constituted which select and envelop a finite number of the singularities of the system’ (LS p.126). And this from Difference
and Repetition: ‘We know that each one of these completed notions (monads) expresses the totality of the world: but it expresses it precisely under a certain differential relation and around certain distinctive points [singularities] which correspond to this relation’ (DR, p.47). And, of course, it will return in an even more complicated form in The Fold: ‘We have seen that the world is an infinity of convergent series, prolonged into each other, around singular points. And each individual monad expresses the same world in its entirety, although it only clearly expresses a part of this world, a series or even a finite sequence’ (Le Pli, p.80) In all that follows we’ll see just how much Deleuze takes to heart this Leibnizian vision of the world.

Here then, Leibniz has finally been allowed to appear, however briefly, in a more radical guise. And this new Leibniz reveals to us the potential for a new understanding of individuals and of the world itself. Leibniz’s ‘continuum of singularities’, I’ll argue, returns as a crucial part of Deleuze’s description of a virtual, transcendental field in Difference and Repetition and Logic of Sense. And the expressive nature of monads will become central to his account of the actualisation of individuals. In a letter to the English translator of EPS Deleuze writes: ‘What I needed was both (1) the expressive character of particular individuals, and (2) an immanence of being. Leibniz, in a way, goes still further than Spinoza on the first point’ (EPS, p.11). We thus see that the expressive nature of monads is one point where Deleuze is willing to concede a superiority to Leibniz over Spinoza. But it is telling that this concession occurs only long after the book itself was written. The brief mention here is not enough to conclusively demonstrate the importance this idea will eventually have for Deleuze. It is likely therefore that Deleuze himself only recognised its importance later, as it gradually came to play a more central role in Difference and Repetition, Logic of Sense and especially The Fold, which was published just before Deleuze wrote the letter above.4

At the same time as this new radical Leibniz appears, however, we’re forced to confront for the first time the extent to which this is only possible on the basis of Deleuze’s own ‘radical’ reading. Unlike in his earlier discussions, Deleuze provides no reference for this key sentence about the ‘continuum of singularities’.4

4The way Deleuze writes in terms of ‘what I needed’ perhaps also says something about his appropriative method of reading the history of philosophy as a whole.
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Whereas the theological Leibniz is easy to pin down, the radical Leibniz which forms the heart of Deleuze's Leibnizianism is, we are forced to admit, just as much the result of Deleuze's own radical and creative reading. Deleuze goes on, as we'll now see, to condemn Leibniz’s concept of expression, and he even does so on the basis of many of the ideas which will eventually become so influential. But I think this section is enough to refute the idea that Deleuze's relationship to Leibniz is exclusively negative. Even if, ultimately, we are forced to admit that Leibniz is more often than not referenced in EPS only in order to better bring out Spinoza's originality, even confined to this role, Deleuze cannot help but bring out some of the radical side of Leibniz's philosophy.

2.4 Leibniz’s theological and political motivations

Deleuze's criticism of Leibniz in the conclusion draws together those we saw in the main text. At its root lies a final element in the account of expression. We've seen that monads are expressions, and that the world is expressed. But we haven't yet discovered the final element in the expressive triad: what expresses itself. In Leibniz, predictably enough, this is God. And it is precisely those elements of the account above which I argued will be so influential that here undermine Leibniz's concept of expression. In particular, it is the necessary reference of expressive unities to their own obscure and confused background which causes each of Leibniz’s expressions to be equivocal. Thus, in Leibniz, what is expressed varies according to each of its expressions. In one monad, a certain part of the world is expressed clearly, but in another monad, this part remains obscure and confused. In other words, the world, as the expressed, takes on a different form in each of the monads which express it, in contrast to Spinoza’s own univocal expressions, which ‘never imply a change of form’ (EPS, p.332).

But the real problem is the basis for this necessary presence of obscurity in all of Leibniz’s expressions. And here at least, Deleuze thinks this has a strictly theological basis. In order to preserve the eminence of God, monads must express obscurely, confusedly or inadequately that which remains clear, distinct and adequate in God. This is thus how Leibniz avoids the pantheist
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‘danger’ found in Spinoza’s univocal expression (*EPS*, p.330). This danger, for Leibniz, is not just theological, but even political. Deleuze has already hinted, earlier in *EPS*, at what may really lie at the heart of Leibniz’s opposition to Spinoza: ‘Leibniz [...] reveals the true reasons for his opposition. And these are in fact practical reasons, relating to the problem of evil, to providence and to religion, relating to the practical conception of the role of philosophy as a whole’ (*EPS*, p.229). What Deleuze calls Leibniz’s ‘practical conception of the role of philosophy as a whole’ is almost certainly a reference to Leibniz’s adage that philosophers should not disturb or upset ‘established sentiments’. It is this which Deleuze will condemn in *Logic of Sense* as a ‘shameful declaration’.

But we must bear in mind the very real political context within which Leibniz makes these remarks. Leibniz, living in the aftermath of the devastating thirty years war, is always preoccupied by the real-world destructive potential of intellectual disagreements. At a time when philosophy was theological, and theology was political, and politics, so often, descended into violent conflict, it is unlikely that Leibniz considered hyperbolic his talk of the ‘dangers’ of certain philosophical positions. Thus, Leibniz goes to great lengths to provide the philosophical means through which theological differences between Protestant and Catholic interpretations of things like the eucharist could be resolved. We are often struck by the way Leibniz’s highly abstract philosophical style, in many ways the pinnacle of pure rationalism, is so often abruptly, and awkwardly, brought to bear on these dated controversies of Christian dogma. At its heart is Leibniz’s touching, if naïve, hope that one day, ‘when there are disputes among persons’, instead of resorting to conflict, ‘we can simply say: Let us calculate’ (Leibniz, *The Art of Discovery*).

It is within this context, therefore, that we should appreciate the absolute significance which Leibniz places on the idea of an *ordered* world. It is precisely the chaotic, fractured nature of the 17th century Europe to which Leibniz is exposed which drives his desperate creation of an increasingly elaborate, baroque philosophical system; in which a higher order and harmony of the world, and its eventual redemption, are guaranteed. There are thus deeply-rooted political, and not merely theological, grounds for Leibniz’s enduring reluctance to even consider certain philosophical positions, sensing in them an attack on the glory
of God and the inherent order of the world, and the subsequent very real danger that such an attack implies. But it is this commitment to order and harmony which, above all, Deleuze despises in Leibniz, insisting instead on the creative, but also disruptive, power of concepts. But perhaps Leibniz, just like Deleuze, does fully recognise the truly radical power of concepts, even if only to condemn them on this basis.\footnote{Why does Deleuze, writing in the aftermath of the Second World War, display nothing of Leibniz’s fear of radical thought, and certainly nothing of his desire to save the ‘order’ of the world? Is it that the world has become incapable of redemption?}

The final irony, however, is that it is Leibniz’s very desperation to cling to an ordered world which drives his creative activity, and his ‘play of principles’ which Deleuze so admires. And if this creative activity is ultimately restrained by Leibniz for fear of its destructive potential, an opportunity is nevertheless glimpsed: to liberate Leibniz’s concepts, and Leibniz himself, from these self-imposed limitations and to embrace the consequences of this liberation. Deleuze, by rejecting the ideal of a harmonious world in a way which Leibniz never would or could, allows thereby Leibniz’s own concepts to untether themselves from the constraints which motivated their creation. Deleuze’s Leibnizianism is a new, radical Leibnizianism for a new, ‘broken’ world. And I think this is what we begin to detect, in its clearest form so far, in the penultimate paragraph of \textit{EPS}.

\section*{2.5 The double movement of expression and the world as sense}

We’ve followed Deleuze in his constant oscillations between emphasising the affinities between Leibniz and Spinoza, and being careful to point out their fundamental disagreements. We’ve seen in the last section how important these disagreements are. In the penultimate paragraph of the conclusion, though, it is the affinities which are, in the end, given the final word: ‘But whatever the importance of this opposition, we must return to what is common to Leibniz and Spinoza, to that use of the notion of expression which presents the whole force of their anti-Cartesian reaction’ (\textit{EPS}, p.333). This penultimate paragraph introduces two new ideas into Deleuze’s account of expression. These help demonstrate how his account of expression in Leibniz and Spinoza con-
tributes to the philosophical system he outlines in *Difference and Repetition* and *Logic of Sense*.

The first new idea is that ‘expression bears within it a double movement’ (*EPS*, p. 333). And significantly, perhaps, Deleuze turns to Leibniz, rather than to Spinoza, in order to demonstrate this double movement. In the first movement, we ‘take what is expressed as involved, implicit, wound up, in its expression, and so retain only the couple “expresser-expression”’ (*ibid.*). Thus, in Leibniz, the world (the expressed) is involved or folded up into the monads (expressions) which express God (the expresser). In the second movement, we ‘unfold, explicate, unwind expression so as to restore [restituer] what is expressed (leaving the couple “expresser-expressed”).’ Thus, Deleuze writes, ‘monads in their evolution restore [restituent] their continuous background together with the singularities about which they are themselves constituted’ (*ibid.*, translation modified). It is through this double movement, Deleuze claims, that we can understand Leibniz’s apparently contradictory claim that ‘the world has no existence outside the monads that express it, while yet God brings the world, rather than the monads, into existence’ (*ibid.*). The world, as an obscure and confused ‘continuum of singularities’ is in some sense prior to the constitution of individual monads (and serves as the ground of their constitution). But at the same time, it only *exists* in the monads which express a portion of it clearly and distinctly. We must take seriously Deleuze’s claim that this is a double movement, rather than simply two perspectives, and it is in this, I think, that we detect its similarity to Deleuze’s own processes of actualisation and counter-actualisation. Thus, the process of actualisation is one in which virtual singularities are enveloped by the individuals which express or actualise them; while the process of counter-actualisation is one in which these virtual singularities are themselves ‘restored’.  

Leibniz’s ‘world’ is for Deleuze a virtual transcendental field, which presides over the constitution of individuals but only exists ‘actually’ when enveloped or folded into these individuals as constituting their expression or actualisation.

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6Perhaps the key to understanding counter-actualisation, one of the hardest aspects of Deleuze’s philosophy, thus depends on what is meant by this word *restituer* (something like to restore, reconstitute, re-establish or recreate). Unfortunately there is just not enough in this brief description to arrive at any coherent picture. It is a word that will return, however, in *Logic of Sense*. 
CHAPTER 2. THE CONCLUSION OF EPS

The second new idea in this penultimate paragraph is that what is expressed is really nothing other than sense: 'What is expressed is sense: deeper than the relation of causality, deeper than the relation of representation' (EPS, p.335). We've seen that in Deleuze's reading of Leibniz what is expressed is the world. The same is true of Spinoza. But while in Spinoza the world is made up of modifications of God, in Leibniz it is nothing other than the 'continuum of singularities'. And if for Deleuze the world ultimately is sense, then I think it is Leibniz's model of the world that he adopts, rather than Spinoza's. This is why, by the time of Logic of Sense, a Leibnizian conception of singularities is at the same time a conception of 'sense-events'. Leibniz's equivocal expression is criticised in EPS for its necessary reliance on an obscure and confused background, necessary to preserve God's eminence, and in contrast to Spinoza's univocal model which allows modes to express the essence of God directly and adequately. But it is this obscure and confused background which, I will argue, ultimately returns with a positive role. In contrast to the transparent, clear and distinct self-identity of God, it is from these obscure and confused depths, and from their infinite, irreducible complexity, that difference itself springs. It is in a Leibnizian conception of an always-receding obscure and confused ground that Deleuze finds the infinite depths from which the myriad of differential relations is extracted, and which in turn ultimately determine the singularities which constitute the virtual transcendental field.

On the basis of Leibniz's new role in the conclusion, and in particular the two new ideas introduced in the penultimate paragraph, I think that Leibniz's contribution to EPS, far from simply being underestimated, is in fact hard to overestimate. The ambiguous note on which Deleuze chooses to end the book is a far cry from the restricted, critical image of Leibniz our reading of the main text initially suggested. Thus, Deleuze thinks, 'it is hard, in the end, to say which is more important: the differences between Leibniz and Spinoza in their evaluation of expression; or their common reliance on this concept in founding a post-Cartesian philosophy' (EPS, p.335). While it is unquestionably Spinoza who provides Deleuze with the insight of an immanent, univocal being which forms the core of his philosophy, we've seen that Deleuze's engagements with Leibniz provide him with many of the key concepts through which this
philosophy is expressed. In the end, then, it's hard to resist the temptation to characterise Deleuze's reading of Spinoza and Leibniz, here in the conclusion and its key penultimate paragraph, in the same terms so often applied to God and Satan in *Paradise Lost*: Spinoza is the hero, but Leibniz gets all the best lines.

2.6 Conclusion

Our discussion of *Expressionism in Philosophy: Spinoza* over the last two chapters has introduced many of the elements of Leibniz's philosophy which are important not just for Deleuze's reading, but for his appropriation of these elements in order to construct his own philosophical system. The most important of these is a certain conception of the world as an obscure and confused continuum from which singularities are drawn, and which are subsequently enveloped and expressed or actualised by individual monads. This image returns to form the heart of the Leibnizian structure which Deleuze goes on to construct.

We've also established Deleuze's major reproach against Leibniz, which lies at the heart of all his later criticisms: that Leibniz always subjects the world to the requirements of an ordered theology. We've also seen that these theological requirements were in part influenced by Leibniz's own political concerns and fears.

But what we haven't yet established is precisely how Deleuze appropriates these Leibnizian elements and puts them to his own positive ends. This will require the addition of several other aspects of Leibniz's philosophy which are not present in *EPS*. Most important among these is Deleuze's combination of Leibniz's infinitesimal calculus and his theory of incommensurability into a new theory of convergent and divergent series. This is what takes place in *Difference and Repetition* and *Logic of Sense*, and it is to these texts that we now turn.
Part II

Deleuze’s Leibnizian ‘world’
Chapter 3

Deleuze’s critique of representation

3.1 Introduction

At the end of the last chapter, we saw how Deleuze briefly invokes an image of ‘Leibniz’s world’ at the end of Expressionism in Philosophy: Spinoza. This world, we learned, is ‘a continuum in which there are singularities, and it is around these singularities that monads take form as expressive centres’ (EPS, p.329). We observed how this statement seemed to hint at a much richer reading of Leibniz than the one Deleuze had presented throughout EPS. Indeed, we also observed how out of place this statement appeared in the context of EPS, lacking as it did the resources necessary to understand this richer reading. We now turn to Deleuze’s later work in order to find these resources.

Looking at the quote again, we can use it to identify two central moments in Deleuze’s reading of Leibniz. First, there is the ‘continuum in which there are singularities’; this is Deleuze’s vision of a Leibnizian world. Second, there are ‘monads as expressive centres’; this is Deleuze’s vision of Leibnizian subjects. The Leibnizian world, Deleuze believes, is a kind of ideal topological structure, the nature of which was only hinted at in EPS, and which pre-exists the individual subjects which come to express it. Deleuze often repeats Leibniz’s claim that God creates the world in which Adam sins before he creates Adam the sin-
The world has its own structure, defined by the distribution of singularities within it, and this world is subsequently expressed by the subjects which come to occupy a particular view on it. This idea ultimately culminates in Deleuze's description of monads in *The Fold* as beings-for-the-world.

In part II we will turn to *Difference and Repetition* and *Logic of Sense* in order to describe the structure of this Leibnizian world. In these books, at various points, we find Deleuze operating within a carefully constructed ‘Leibnizian theatre’ (*LS*, p.113). In part III, when we turn to *The Fold*, we will see how this Leibnizian theatre comes to be expressed by individual monads.

We note already that this Leibnizian theatre constitutes a new, unified reading of Leibniz compared to the fragmented references we were faced with in *EPS*. But we also note that this unity is above all the result of Deleuze’s own creative drawing-together of various disparate elements of Leibniz’s philosophy. The theatre or world of Leibniz we find in *DR* and *LS* is an ideal space or structure. While the characteristics and behaviour of this structure are ‘Leibnizian’ in various more-or-less specific senses, we would be hard-pressed to find it operating in the same way in Leibniz’s own philosophy. Deleuze is thus not especially concerned with providing an accurate account of Leibniz’s philosophy. Instead, he uses the concepts it provides to construct a context within which a key aspect of his own philosophy can be described. In what follows I’ll argue that when Deleuze refers to the ‘world’ in Leibniz’s philosophy, he has in mind exactly the same kind of transcendental structure which in *Difference and Repetition* he refers to as ‘virtual Ideas’ and in *Logic of Sense* he refers to as the transcendental field or surface. This will become clear as we identify the four key elements of this strange Leibnizian world, which we can briefly summarise now under the following headings.

1) **The continuum.** ‘The extraordinary Leibnizian world puts us in the presence of an ideal continuum’, Deleuze writes in *The Method of Dramatisation*. He turns to Leibniz’s law of continuity, as well as aspects of his infinitesimal calculus, to discover a space of infinite depths, which is animated by the restless activity of the infinitely small. Perhaps the most important feature of this ideal continuum is that it is not populated by individual, self-identical entities. Instead, individuals are produced from this pre-individual structure.
2) **Singularities or events.** The ideal continuum is thus not populated by individuals; but it nevertheless harbours a distribution of singular points or singularities which allow its structure to be articulated. These singularities ultimately determine how, when, where and ‘in which case’ individuals will be produced. In *Difference and Repetition*, Deleuze attempts to find a theory of singular points in an obscure area of Leibniz’s mathematics. In *Logic of Sense*, he turns instead to a Leibnizian theory of *events* to explain the role of these singularities in constituting individual monads.

3) **Compossibility and Incompossilibility.** The singularities or events which populate the continuum are either *compossible* or *incompossible* with one another. Compossible singularities can happily co-exist as part of the same world, whereas incompossible singularities necessarily exclude one another. Crucially for Deleuze, a relation of incompossibility amongst singularities does not involve any kind of *logical* opposition. Instead, Deleuze will claim that these relations depend on whether the series of ordinary points which extend from each singularity ‘converge’ or ‘diverge’ with one another. Where series converge, singularities are compossible or continuous with one another, and may exist as part of the same world. But where series diverge, singularities are incompossible or discontinuous, and signal a division between two distinct possible worlds. The result is a theory of ‘agonal incompatibilities’, which determines the structure of a world *prior* to the constitution of the individuals which come to express it. Deleuze even coins a special name for this method, ‘vice-diction’, in order to emphasise its difference from logical contradiction.

4) **The Divine Game.** Finally, it is left up to a kind of divine game in the mind of God to decide *which* of these possible worlds will be realised in order to become the real world. This is a game which takes place once-and-for-all at the origin of the world. God selects the best possible world by selecting the best distribution of singularities or events. Subsequently, and on the basis of this distribution, individual monads come to occupy every possible point of view on this world. God’s decision to realise the best possible world thus becomes the *sufficient reason or ground* of the world; each event, and each individual, will ultimately refer to the necessarily obscure calculus of God’s choice.

These four elements constitute the heart of Deleuze’s reading of Leibniz in
CHAPTER 3. DELEUZE’S CRITIQUE OF REPRESENTATION

DR and LS. The first three all indicate the extent to which Deleuze invokes this reading in order to express key aspects of his own philosophical system. First, Deleuze finds in the infinite depths of Leibniz’s continuum an expression of the productive priority of difference over identity. Second, by emphasising the production of monads which comes after God’s choice of best possible world, Deleuze describes a world which is pre-individual, and contains only a particular distribution of singularities or events. Third, the rules or processes which govern the various distributions of singularities are not logical rules which depend on relations of opposition or contradiction between individual concepts. Instead, they are topological processes which depend on relations of distance and continuity between singularities as pre-individual, structural entities. In the broader context of Deleuze’s philosophy, the process through which this structure produces individuals is named actualisation. When Deleuze refers to the same process using Leibnizian terminology, it is the constitution of monads as expressive centres.

However, with the fourth point, the Divine Game, a crucial divergence emerges between Deleuze’s image of Leibniz’s world and his own theory of transcendental structure. Thus, although the Leibnizian structure we find in DR and LS is in many respects Deleuze’s own construction, it nevertheless brings with it the theological commitments which so often restrain its more radical elements, and signal its incompatibility with Deleuze’s altogether different commitments. But again I’ll suggest that these moments of difference and divergence are ultimately as significant as any similarity. If on the one hand Deleuze’s sympathetic appropriation of Leibnizian concepts places us in a restricted context useful for understanding Deleuze’s philosophy, then on the other hand his rejection or transformation of other Leibnizian concepts allows us to better articulate the originality of his own philosophy, and its divergence from other trends in the history of philosophy. Once again, then, it is precisely Leibniz’s ambiguous status for Deleuze which drives so much of our interpretation of Deleuze’s reading of Leibniz, and grounds its usefulness in understanding Deleuze’s own philosophy.

The divergence between Deleuze and Leibniz comes in two related areas. First we’ll see that Deleuze’s critique of Leibniz’s divine game amounts to a critique of the grounding influence that God exerts on every aspect of the Leib-
nizian world. God’s choice of best possible world is the sufficient reason which grounds every finite determination. Deleuze explains this reliance on God as a ‘theological exigency’ on Leibniz’s part. As we look closer, however, we’ll see that Deleuze’s divergence from Leibniz is motivated by more than just an aversion to divine or transcendent influence. It is part of Deleuze’s much broader ‘critique of representation’. As we’ll see, Deleuze’s concern in *Difference and Repetition* is to demonstrate how the very structure of representation has infected philosophy with various presuppositions. In the first chapter, he details the various ways in which the concept of difference, in particular, has been pacified by its subjection to the requirements of representation. In this context, Leibniz is introduced as a thinker of ‘infinite representation’. As such, he is subject to the same criticisms Deleuze levels at all philosophy which takes the structure of representation as an unquestioned starting point. Specifically, Deleuze criticises Leibniz for subjecting the movement of vice-diction, and the relations of compossibility and incompossibility which it establishes, to requirements of representation. The main symptom of this subjection is the ‘exclusive’ role that incompossibility plays for Leibniz: it marks an uncrossable boundary or discontinuity between distinct possible worlds. Every time the movement of vice-diction uncovers two incompossible or divergent singularities, it distributes them into two distinct possible worlds. And it is for this reason that such a system must posit an external, transcendent ground, which stands above these distinct worlds and chooses between them: God’s divine game. By contrast, Deleuze will reject the exclusive nature of incompossibility: incompossible singularities, and the underlying divergence of series on which this incompossibility depends, coexist as part of one and the same world, and the ‘affirmation’ of their divergence generates productive relations of resonance and coupling. And with this comes a very different kind of ‘divine game’ which presides over the constitution of the world. For Deleuze this is no longer a game played by God, and certainly not by man, but by chance itself, or the eternal repetition of difference (the dice-throw). And it is not played ‘once-and-for-all’ at the origin of the world, but reaffirmed at every moment.

On the one hand, then, Deleuze makes use of three features of the Leibnizian structure he describes in order to help explain some of the features of his own
philosophy: a ‘differential’ continuum, a theory of pre-individual singularities or events, and a theory of ‘alogical incompatibilities’ based on the divergence of series. On the other hand, the Leibnizian structure itself is undermined by its continued commitment to the requirements of representation; a commitment which culminates in the theory of the Divine game. Are these three points of influence enough to label Deleuze’s own philosophy as ‘Leibnizian’? Or does the fourth point, the divine game, signal a profound distance between the two? If ‘Deleuze’s Leibnizianism’ names the structural space he constructs from various elements of Leibniz’s philosophy, then perhaps we should call ‘Deleuze’s neo-Leibnizianism’ this same space evacuated of the presuppositions of representation and of all divine influence. Describing the process through which Deleuze replaces a Leibnizian structure with a neo-Leibnizian structure will force us to confront some of the most difficult, and foundational, aspects of Deleuze’s philosophy.

What is clear, at least, is that Deleuze’s critique of representation will be crucial for understanding Deleuze’s reading of Leibniz. Not only does it explain why Deleuze is drawn to certain themes in Leibniz’s philosophy (the first three key features outlined above), it also explains why he ultimately rejects the fourth, and questions Leibniz’s assumption that incomposability or divergence must signal a complete exclusion into discontinuous possible worlds. It is thus worth characterising Deleuze’s critique of representation in more detail, as it is presented in the first chapter of Difference and Repetition, and just before the introduction of Leibniz as a thinker of infinite representation. First, however, I’d like to characterise Deleuze’s critique of representation more broadly, and suggest that the real target of Deleuze’s critique is the apparently innocent process through which philosophy abstracts or borrows from the structure of our naïve representation of the world in order to account for the nature of this structure itself. What Deleuze criticises is the assumption that the ground, or the condition, is the same as, or analogous to, the structure of the grounded or the conditioned. I think we find an early form of this argument in Deleuze’s critique of ‘anthropology’ in his review of Hyppolite’s Logic and Existence. Turning to this review will illustrate some of Deleuze’s most general philosophical concerns, helping to explain his later attraction to certain Leibnizian ideas. At the same
time, it’s the first place we encounter Deleuze’s criticism of Hegel’s concept of contradiction, which, in *Difference and Repetition*, he intends to supplant with a Leibnizian concept of *vice-diction*.

### 3.2 Hyppolite

Deleuze’s 1954 review of *Logic and Existence* is the earliest piece of work he sanctioned for republication. Despite its short length, Deleuze presents, in the course of his response to Hyppolite, a fundamental philosophical problem, and a recognisable sketch of his mature philosophy as its solution. This culminates in three central claims:

1) Philosophy must be ontology and, as a consequence, philosophy cannot be anthropology.

2) Philosophy must be an ontology of sense, rather than an ontology of essence.

3) Hegel’s attempt to ground such an ontology on a logic of contradiction is inadequate.

The review is thus one of the few places where we find a brief, linear (albeit dense) account of the problems and claims which remain a crucial motivation behind Deleuze’s philosophical project in *Difference and Repetition* and *Logic of Sense*.1

‘That philosophy must be ontology,’ Deleuze writes in the opening paragraph of the review, ‘means first of all that it is not anthropology’ (*LE*, p.191). The concept of anthropology lies at the heart of Deleuze’s reading of *Logic and Existence*: it is the injunction that ‘philosophy must not be anthropology’ which drives Hegel beyond a metaphysics of essence and, ultimately, provides the motive for Deleuze’s own rejection of Hegel. It is also, I’ll argue, a precursor to the critique of representation we find in *Difference and Repetition*.

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1Deleuze’s review has drawn little scholarly attention, with only two instances of close study: a chapter in Nathan Widder’s *Reflections on Time and Politics*, and an essay by Christian Kerslake (*The vertigo of Philosophy: Deleuze and the problem of immateriality*). While both of these accounts contain valuable insights into various aspects of the review, they share the view that it is, in itself, essentially *incomplete*. Kerslake argues that it is intelligible only on the basis of Deleuze’s subsequent work, while Widder suggests that it relies on arguments that are not explicitly present in the review itself. However, I would like to suggest that a closer reading of the review reveals a coherent narrative, and thus that, rather than requiring Deleuze’s later work to be understood, the review provides a useful means of framing Deleuze’s subsequent philosophical trajectory.
'Anthropology' is derived from the Greek *anthrōpos*, meaning 'man', and *lógos*, whose many meanings include 'speech', 'oration', 'account' and 'reason', but which is best translated in this context as 'discourse'. Thus, anthropology, at least as the term is commonly accepted, names a 'discourse on man' (*LE* p.192), in which humanity is taken as the object of a scientific, or philosophical, discourse. In this sense, anthropology is just one discourse among many. Anthropology, biology, psychology and sociology are all discourses, and each has its own particular object. Deleuze, however, uses the term anthropology in a broader sense, to refer to the underlying structure which all of these discourses have in common. This underlying structure Deleuze calls the 'empirical discourse of man'. The most basic characteristic of this empirical discourse of man is that 'the one who speaks and that of which one speaks are separated' (*ibid*.). Thus, in experience, we, as subjects, encounter objects that are irreducible to our experience of them. Similarly, the subject of each discourse reflects on, and remains separated from, its respective object. But this basic characteristic also carries with it two seemingly inevitable implications for how we think about the subject and object of such an empirical discourse. First, the subject of each discourse, or 'the one who speaks', is always man or humanity: discourse is the 'discourse of man'. Second, the object of each discourse, or 'that of which one speaks', is in some sense pre-given: we encounter objects that are external and alien to us.

With this, we can introduce a second, much broader definition of the word anthropology. Just above, our limited, common sense understanding of anthropology designated *anthrōpos* as the object of the *lógos*, such that anthropology was a discourse on man. If, however, we instead make anthrōpos the *subject* of the *lógos*, then anthropology comes to name this whole empirical discourse of man, and its two fundamental positions: that the subject of discourse is man, and that the object of discourse is external to man. However, we should not lose sight of the initial act of 'borrowing' which gave rise to these presuppositions. More properly, then, we should say that philosophy is anthropological whenever it takes as its starting point a structure which is in some sense abstracted or borrowed from this basic structure of our empirical or phenomenal experience. By extension, for philosophy to become ontology proper, it must forgo
this illegitimate abstraction, and evacuate itself of its corresponding presuppositions. This argument is at the centre of Deleuze’s critique of anthropology, and it is this which returns to form the heart of his critique of representation, as we’ll see below. Kerslake aptly sums up the point: ‘Both Hegel and Deleuze are against philosophies of representation because such philosophies claim to express what should be genuinely universal within a framework that remains relative to subjective representational experience (i.e. which has only been justified anthropologically), so that the concept of expression doesn’t even gain its full extension, and thought is denied its rightful access to being’ (Kerslake, ‘The vertigo of philosophy’).

In the second paragraph of the review, Deleuze briefly summarises three types of philosophy in order to explain the conditions under which philosophy may escape these anthropological presuppositions. He begins with pre-critical philosophy, and outlines the positions and problems which result from its commitment to the structure of the ‘naive’ empirical discourse we introduced above. He then introduces Kantian critical philosophy, which radically rethinks the nature of the objects which a subject reflects upon. Finally, he turns to Hegelian Absolute philosophy, which, at least at first glance, appears to avoid all the pitfalls of anthropology, and thus renders ontology possible.

Deleuze refers to these ‘types’ of philosophy as distinct forms of discourse or knowledge, but also as distinct forms of consciousness: empirical consciousness, critical consciousness and Absolute consciousness. The Hegelian language and tone are explained in part by the fact that Deleuze’s account loosely mirrors the one Hyppolite presents in the text itself (LE pp.129-148). The review is nevertheless remarkable in lacking the usual hostile tone towards Hegel that characterises Deleuze’s later writing. Deleuze’s rejection of the concept of contradiction at the end of the review signals a fundamental difference, but it comes within a broader agreement concerning the goals and conditions of an ontology of sense. Deleuze writes: ‘Following Hyppolite, we recognise that philosophy, if it has a meaning, can only be an ontology and an ontology of sense’ (LE p.194). Of course, the key point here is that Deleuze is agreeing with Hyppolite, rather than Hegel himself, and no doubt the Hegel we find throughout the review has been diluted and modified through Hyppolite’s reading, which
heavily emphasises the concept of sense. Deleuze even seems keen to widen the
distance between Hyppolite and Hegel, writing in the opening paragraph that
while Hyppolite’s book on the Phenomenology was a commentary, Logic and
Existence has a ‘very different’ intention.

But what really interests us is how Deleuze transitions between these three
forms of philosophical discourse. In Hyppolite’s text itself, empirical conscious-
ness is pushed towards Absolute consciousness by the unsustainable contra-
dictions which it faces at each stage. Given that Deleuze goes on to criticise
precisely this movement of contradiction, it would appear inconsistent to si-
multaneously rely on it to structure the progress of the review itself. Indeed,
Deleuze’s own account suppresses the presence of contradiction as a motivating
force. Instead, we are compelled to leave each stage behind, including Hegel’s
Absolute philosophy, after arriving at the verdict that they ‘remain anthropolog-
ical’. Deleuze’s account is thus driven by the desire to escape anthropology. The
same desire, expressed differently, returns to motivate much of Difference and
Repetition. There, it will again justify a rejection of Hegel’s concept of contra-
diction, this time in favour of Leibnizian vice-diction. And, just as importantly,
it will also mark the point of divergence between Deleuze and Leibniz.

3.2.1 Pre-critical philosophy / Empirical consciousness

What happens, then, when philosophy assumes that the structure of the ‘em-
pirical discourse of man’ introduced above is explanatorily basic? Or when it
assumes that this structure is the fundamental structure of reality or being itself,
and presupposes it as a natural point of departure? The result is a philosophy
which separates the beings which we reflect upon from our own act of reflect-
ing upon them. The knowledge which results from our reflection upon objects
is essentially different from the object itself; it remains external to it, and ex-
ists solely on the side of the subject. In other words, there is a fundamental
non-identity between thought and being. The processes that animate thought,
and the rules that constrain its progress, concern thought and thought alone,
without any relation to the wholly different processes at work in the objects,
beings or things which thought may come to reflect upon. It is in this sense
that ‘knowledge […] is a movement which is not a movement of the thing’ (LE
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If knowledge really is something wholly distinct from its objects, and if, furthermore, its nature differs in kind from the nature of the beings which supply its content, then it must comprise a ‘power of abstraction’ (ibid.) which represents beings, or certain of their aspects, on its own terms, or according to its own structure. As a result of this representational nature of knowledge, reflection must be understood as a formal structure that we bring to bear upon an alien content. In other words, our power to reflect upon objects, or our power to entertain them in thought, necessarily depends upon a structure of conceptual rules and relations which come to mediate and shape the data of our experience. Thus, so long as philosophy is founded on the structure of empirical consciousness, thought will be inherently representational, and our knowledge of beings will be insuperably mediated.

But what does this mean for philosophy’s claims to knowledge? Pre-critical philosophical enquiry aims at knowing the truth of its objects, or at knowing beings as they are ‘in themselves’. However, the fact that knowledge is representational, and the fact that beings are always mediated, seems to undermine each attempt to reach knowledge of being ‘in itself’. Borrowing from Hyppolite’s own account for a moment: ‘The empirical subject says what the thing is, white, tasty, heavy, but this attribution is its work’ (LE p. 143). Pre-critical philosophy is thus thrown into problems as soon as it lays claim to any knowledge about its objects. The problem comes from the anthropological structure which it assumes: it presupposes that knowledge of an object is fundamentally different in kind from the object itself. In other words, the two are entirely heterogeneous: thought and its knowledge on one side, being and beings on the other. But then the question arises: if the two are heterogeneous, how are they able to come into contact with one another at all? In other words, how is a relation between thought and being established such that thought can claim to know the ‘truth’ of its object? Faced with this crisis, pre-critical philosophy retreats into one of two attitudes: dogmatism or scepticism. It either continues to assert a relation between thought and being which it is incapable of substantiating, or it denies the possibility of knowledge altogether.

In effect, Deleuze argues that pre-critical philosophy shows that ontology,
or a discourse on being itself, is impossible so long as this discourse has an anthropological structure. Knowledge of beings is impossible so long as this knowledge resides with a human subject which is only capable of representing objects which remain external to it. As Deleuze summarises, empirical consciousness is a ‘consciousness which directs itself towards pre-existing being and delegates reflection to its subjectivity’ (*LE*, p.192).

### 3.2.2 Critical consciousness

With Kant, the relation between the subject and object of philosophical discourse changes radically. We’ve just seen that empirical consciousness, and the pre-critical philosophy which takes the structure of this consciousness as foundational, presupposes that objects are fundamentally different in kind from the knowledge we have of them. When an aspect of the object was discovered instead to be an aspect of our *representation* of the object, we tried to ignore this aspect in the hopes that eventually we would reach the object in itself.

The revelation of Kant’s critical philosophy is that the structure of our cognition, rather than obscuring the true nature of the object of knowledge, instead constitutes this object. With this, one of philosophy’s anthropological presuppositions has been transformed. Objects are no longer different in kind and alien to the subject which comes to know them. The *a priori* structure of thought and knowledge is also the *a priori* structure of the object itself. In other words, there is an identity of thought and its object. Thus Kant seems to overcome the aporias of knowledge which forced pre-critical philosophy into dogmatism or scepticism. But it comes at a price: critical philosophical discourse is possible, but it can no longer claim to be *ontological*. The objects of critical philosophy are ‘merely objects relative to the subject’ (*ibid.*). In other words, they are the objects of thought, rather than of being. When faced with the insuperable divide between thought and being, critical philosophy moves the objects of knowledge over to the side of thought. Kant leaves being, or the thing-in-itself, inaccessible and unknowable. However, he never denies that it *is there*, and that it remains fundamentally distinct from thought. Deleuze concludes: ‘Thus in Kant, thought and the thing are identical, but what is identical to thought is only a relative thing, not the thing as being, in itself’ (*ibid.*).
Kantian critical philosophy advances on pre-critical philosophy by demonstrating that thought and thought’s object are not necessarily different in kind. It remains anthropological, however, because it continues to insist that being, or the thing-in-itself which ‘occasions’ thought or knowledge, itself remains external and alien to thought.

3.2.3 Absolute consciousness

Finally, Deleuze moves on to Hegel’s philosophy. At this stage at least, he concurs with Hyppolite that with Hegelian Absolute consciousness the insuperable divide between thought and being is dissolved. Just as critical philosophy brings objects over to the side of thought, so Absolute philosophy brings being itself. The ‘genuine identity of the position and the presupposed’ means that the ‘external difference between reflection and being is in another view the internal difference of Being itself’ (*ibid.*). The thing-in-itself is no longer outside of and alien to thought. Absolute knowledge therefore ‘eliminates the hypothesis of a knowledge whose source is alien’. And with this goes the anthropological structure which had presupposed that thought and being were different in kind. Knowledge of the object of thought is thus not only possible, but can finally be named ontology, or a discourse on being itself.

But there was a second characteristic of anthropology, and with it comes a second sense of the term ontology. We said above that anthropology assumes that the subject of philosophical discourse is man or humanity - anthropology is the discourse *of* man. But if, in Absolute discourse, the subject and object, thought and being, are identical, then the subject of this discourse is being itself. We can therefore subject the word ontology to the same reinterpretation as we did anthropology: ontology as the discourse *on* being is at the same time the discourse *of* being. Absolute discourse is thus being’s own discourse on being. With this, Deleuze goes on to argue, philosophy not only goes from anthropology to ontology, but from a metaphysics of essence to an ontology of sense.

Why do the assumptions of anthropology lead to a metaphysics of essence? We saw that one of these assumptions is that knowledge of an object is different in kind from the object itself. As a result, philosophy based on anthropology is forced to accept that more and more features of the object are only features
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of its appearance for thought, and not features of the object in itself. It is nevertheless assumed that this appearance is grounded by the essence of the object, which stands outside or behind its appearance. Pre-critical philosophy is thus a metaphysics of essence because it seeks to go beyond the appearance of an object to the essence which grounds our knowledge of it. But again, it assumes the anthropological structure which confines being-in-itself to a second world, a world of essences, which transcends and grounds the world of appearances.

Philosophy escapes anthropology by rejecting this assumption that thought, knowledge and reflection reside solely on the side of the subject; distinct from being itself. In other words, it rejects ‘the hypothesis of a knowledge whose source is alien’ (ibid.). And with it goes the hypothesis of a ‘second’ world of essences. Deleuze's reading of Hyppolite emphasises the idea that nothing transcends the world: ‘There is nothing to see behind the curtain’ (LE p.193).

This world, alone, is sufficient. When the world becomes sufficient, then it ‘refers to being not as the essence beyond the appearance, not as a second world which would be the intelligible world, but as the sense of this world’ (ibid.). Thus, philosophy becomes ontology, rather than anthropology, when it does not speak about indifferent, transcendent essence, but about the sense which is immanent to ‘the one who speaks’ (being itself). Deleuze concludes: ‘My discourse is logical or properly philosophical when I say the sense of what I say, and when in this manner Being says itself’.

Absolute discourse, by positing an identity of thought and being, thereby does away with the two main presuppositions of anthropology: there is no longer a difference in kind between thought and being, and the subject of philosophical discourse is no longer man, but being itself. Thus, with Absolute knowledge, ontology, both as the discourse on being and of being, is possible. Again, however, we must not forget our broader definition of anthropology: its structure was borrowed from the structure of our empirical consciousness or phenomenal experience. It is on these grounds that Deleuze will return to accuse Hegel’s Absolute knowledge of remaining anthropological, and thus still failing to achieve philosophy’s goal of becoming ontology.

The fundamental point of disagreement concerns the concept of difference. Being can ‘say itself’, or express itself, only because it is different from itself:
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‘The difference between thought and being is sublated in the absolute by the
positing of the Being identical to difference which, as such, thinks itself and
reflects itself in man’ (LE p.195). But, Deleuze points out, according to the
Hegelian model, being is identical to difference only if by difference we mean
contradiction: ‘But there is a point in all this where Hyppolite shows himself
to be altogether Hegelian: Being can be identical to difference only insofar as
difference is carried up to the absolute, that is up to contradiction’ (ibid.). Thus,
according to Hyppolite, contradiction is the only form in which difference
can be identical to being, or, put differently, it is only because being contradicts
itself that it is able to express itself.

Deleuze, however, questions this claim that the difference internal to Being
must be a self-contradicting difference. He suggests that contradiction, in fact,
is ‘only the phenomenal and anthropological aspect of difference’ (ibid.). Why
should contradiction be anthropological? An ontology of sense, as we’ve seen,
avoids the two presuppositions of anthropology by making Being the subject
and object of philosophical discourse. But these presuppositions were only the
result of the underlying process which is the real target of Deleuze’s critique: the
process which illegitimately abstracts from the facts of empirical consciousness
into the structure of being and thought as such. Deleuze’s argument is that even
the concept of contradiction itself is the result of this process – it is appropriated
from the empirical in order to explain how Being can express itself. But, Deleuze
insists, it is not the same thing to say that Being expresses itself and to say
that it contradicts itself. And so long as philosophy is limited to a conception
difference as contradiction, it will remain anthropological, and prove inadequate
to a true ontology of sense. To escape this last vestige of anthropology, Deleuze
believes, what is needed is ‘a theory of expression where difference is expression
itself, and contradiction its merely phenomenal aspect’. It is just such a theory
that Deleuze goes on to describe in Difference and Repetition and Logic of Sense.

In the first chapter of Difference and Repetition Deleuze describes a history
of the representation of difference. At first glance it bears little resemblance to
the history of anthropology we’ve just looked at. It is tied to a different set of
proper names, and foregos any mention of discourse or forms of consciousness.
But we’ll see that the critique of representation we find there is in many ways
a more mature form of the critique of anthropology we’ve introduced here. In both cases, Hegel’s philosophy is criticised on the same basis: the inadequacy of the concept of contradiction. While here in the Hyppolite review contradiction is inadequate because it ‘remains anthropological’, in *Difference and Repetition* it will be inadequate because it ‘remains subject to the requirements of representation’. A Leibnizian theory of ‘vice-diction’ is introduced precisely in order to overcome this failure of contradiction, even if, ultimately, Leibniz’s philosophy will be subjected to the same criticism.

3.3 The Critique of Representation in *Difference and Repetition*

The first chapter of *Difference and Repetition* describes a series of moments in the long history of philosophy’s representation of ‘difference’. Deleuze’s initial suspicion is that, in spite of this long history, philosophy has failed to adequately represent difference ‘as such’. The causes of this failure, Deleuze thinks, lie in the nature of representation itself. Representation imposes its own requirements and conditions, which difference, insofar as it is a difference within representation, must be subordinated to and mediated by. The result is a concept of difference which has in some sense been pacified, constrained or neutralised by its inscription within the structure of representation. ‘Difference is not and cannot be thought in itself, so long as it is subject to the requirements of representation’ (*DR*, p.262). Perhaps the central task of *Difference and Repetition* is to recover a concept of difference which is not subject to these requirements.²

Deleuze’s account of the history of representation in the first chapter can therefore be read as a critical diagnosis of its harmful or all-too-pervasive influence, necessary to better bring out the originality of the philosophical system

²Somers-Hall summarises the project of *Difference and Repetition*: ‘On the one hand, Deleuze develops an extended critique of much of the philosophical tradition, arguing that seeing difference as only comprehensible on the basis of identity has led us wrongly to construe the nature of the world and the philosophical endeavour. This critique takes in a number of thinkers from Plato, Aristotle, Descartes, Leibniz and Kant, through to Heidegger and the twentieth-century phenomenological tradition. On the other, Deleuze develops his alternative conception of philosophy both in contrast to these philosophers, and in relation to an alternative tradition of thinkers who have managed to free themselves at least partially from the structures of what he calls representation’ (*Somers-Hall, Deleuze’s *Difference and Repetition*, p.2). To this we would wish only to add that Leibniz is present on both sides: part of Deleuze’s critique of representation, while simultaneously escaping it in key respects.
developed by the rest of the book. However, when it comes to Leibniz's place in this history, and as is so often the case, this reading proves to be only half of the story. I will argue that while Deleuze's first discussion of Leibniz in *Difference and Repetition* ostensibly condemns him as just one more example of the subordination of difference to representation, it simultaneously introduces many of the ideas and resources which form a key part of the philosophical system Deleuze goes on to develop in chapters four and five. It is thus through Leibniz that we get our first hint of how we might understand difference as *subrepresentational*. This account, however, will only make sense after introducing the origin of representation, in Plato, and its first proper formulation, in Aristotle.

### 3.3.1 Plato and the simulacrum

Deleuze identifies the origin of representation in Plato's philosophy. This discussion occurs in *Difference and Repetition* in more or less the same form at the end of chapter one (p. 59-63), chapter two (p. 128), and in the conclusion (p. 264-265). It is also found in a paper originally published in 1966 but rewritten for *Logic of Sense* called 'Plato and the Simulacrum'.

In these discussions, Deleuze argues that the Platonic distinction between Ideas and the things which participate in them, rather than a distinction between essence and appearance, is better understood as one between model and copy. And this distinction itself is second to a more profound distinction between copies and *simulacra* or *phantasms*. The model is distinguished from the copy only in order to serve as the basis for a selective criterion. This selective criterion is a test which allows copies, with their well-founded internal relation to the model, to be distinguished from simulacra, which have no internal relation to the model (even though they may claim or appear to have such a relation). The copy and the simulacrum are like two claimants or suitors, both claiming to possess or participate in something given by the model. The philosopher and the sophist both claim to possess truth, but Truth is the ground which only grants legitimacy to the claim of the philosopher. The model gives something to be possessed, but only by the claimant who has passed the grounding test. The model is the father who gives his daughter, but only to the best suitor.

There is another distinction, however - not between model and copy, or copy
and simulacrum, but between copy and copy. Copies themselves, insofar as they participate in the same model, are distinguished by the degree of their participation. The model as the ground thus not only selects legitimate claimants, but distributes them all in a hierarchy where they are ranked according to their level of participation. The simulacrum, which does not participate in the model at all, must be completely excluded from this hierarchy.

This Platonic desire to ‘exorcise’ simulacra is ultimately moral, Deleuze claims (DR, p.265). It is a question of distinguishing between good and bad claims, and granting recognition only to those which can be placed in an ordered relation to one another. But, Deleuze also claims, this same desire simultaneously inaugurates ‘the subjection of difference’ (ibid.). We can see why by looking again at the role played by the Idea or model as ground or grounding principle. The ground distinguishes copies according to their degree of participation. ‘In this sense’, Deleuze writes, ‘the ground measures and makes the difference’ (DR, p.62). In other words, Platonic philosophy limits us to a conception of difference which is mediated through the regulative role of Ideas. The only things which can be said to differ are well-founded copies, and they can differ only in relation to the Idea which grounds their difference.

Plato was thus the first to constrain difference, and inscribe it entirely within the intelligible, conceptual relations established by the Idea as ground of these relations. But he was also the first to establish the constitutive conditions of these relations. Deleuze identifies four. The first is the identity of the model which allows it to be defined. Identity is the ‘essence of the Same’ (DR, p.265). The second is the resemblance which the copy bears to the model. While identity is the essence of the Same, resemblance is the ‘quality of the Similar’. Third, and as a result, the copy has a relation to being which is analogous to the model’s relation to being. Finally, the copy is constituted on the basis of selecting between predicates which are opposed to each other. Although they are not yet enough to define a ‘world of representation’, these four characteristics nevertheless constitute a ‘theory of Ideas which will allow the deployment of representation’ (ibid.). We will therefore recognise their subsequent return as the four ‘iron collars of representation’ which feature prominently throughout Difference and Repetition. Identity, resemblance, analogy and opposition are
the four central features which Deleuze claims characterise every model of representation. We’ll see them below in Aristotle’s finite representation, and also, ultimately, in Leibniz’s own infinite representation.

It falls to Aristotle to inaugurate this ‘world of representation’ and establish its conditions. Aristotle does not inherit from Plato the moral imperative behind the exclusion of simulacra. However, he does retain its two consequences: first, the subordination of difference to the requirements of representation, and second, the four characteristics introduced above, which Aristotle develops into the requirements for what Deleuze calls ‘finite representation’.

Before moving on, however, it is worth taking note of the status of simulacra in the picture of Platonism we’re left with. The process through which the ground ‘makes the difference’ between copies excludes simulacra completely: they bear no genuine relation to the model, and thus fail the model’s selective test. The simulacrum cannot be granted a place in the ordered hierarchy of copies, because it is not grounded by a model which would serve as the principle of its measure. And yet, the simulacrum seems nevertheless to persist or insist underneath or on the limits of Platonism. And with this haunting presence comes a question: if the simulacrum is not grounded by the model or Idea, what is it grounded by? Or is it grounded at all? ‘What is condemned in the figure of the simulacrum is the state of free, oceanic differences, of nomadic distributions and crowned anarchy, along with all that malice which challenges both the notion of the model and that of the copy’ (ibid.). The simulacrum’s threatening or challenging presence motivates its exclusion, and for Deleuze this exclusion not only defines Platonism but founds the whole subsequent subordination of difference to representation. At the same time, however, the status of the simulacrum signals for Deleuze an opportunity. Deleuze defines his own philosophical project, at various points, as a reversal or overturning of Platonism. But he also insists that the seeds for this reversal can be found in Platonism itself. If the exclusion of the simulacrum from Platonism signals the ‘crossroads of a decision’ in philosophy (ibid.), then the reversal of Platonism will require returning to the figure of the simulacrum and taking seriously its problematic status.
3.3.2 Aristotle and finite representation

Aristotle inscribes difference within his classificatory system of genus and species. Difference is always a difference in species or a specific difference. To differentiate between two things is to identify their specific differences: what is specific about cats is what differentiates them from what is specific about dogs. Specific difference is essential difference, insofar as it is the means through which we identify things, or give things a concept: being a man is what is specific about Socrates, and constitutes an essential part of his existence.

Specific difference, however, is always subsumed under the genus which contains it. Thus, cats and dogs may disagree with respect to their species, but they agree with respect to their genus (mammal). In fact, then, it is the genus which ‘makes the difference’, but only insofar as it subordinates this difference to its own identity. In other words, we can talk about difference, or represent difference, only if it is mediated through the form of a higher-level identity. Deleuze calls this the ‘happy moment’, when philosophy manages to reconcile difference with the model of the concept and represent it as subordinate to the identity of this concept. The ‘monster’ of difference is thus pacified. The result is ‘organic’ representation: a vision of static, organised dispositions within an ordered (and orderly) space of classification.

With this subordination, we note the return of the first of the four elements which make up the ‘necessarily quadripartite character of representation’ (DR p.34). In Platonism, we called this the identity of the model or Idea (the Same); in Aristotle, it is the identity of the concept or genus. ‘Specific difference [...] refers to a particular moment in which difference is merely reconciled with the concept in general’ (p.32). A second element of representation returns when we note that the genus contains specific difference within itself in the form of an opposition or contrariety: dog and cat are opposed or contrasted in the genus mammal. In Platonism opposition defined the relation between predicates which allowed copies to be constructed. Here, it is the opposition of predicates which allows species to be determined. ‘It is in relation to the form of identity in the generic concept that difference goes as far as opposition, that is is pushed as far as contrariety’ (p.31). The other two characteristics of representation (analogy and resemblance) are harder to pin down, but they relate to the necessary limits
of Aristotle's theory of specific difference. These limits are the reason Deleuze describes the Aristotelian conception of representation as finite representation. In effect, specific difference implies a 'too large' and a 'too small' of difference, above and below which 'difference tends to become simple otherness and almost to escape the identity of the concept' (DR p.30).

The 'too large' of difference refers to the difference between genera themselves, or generic difference. The genus 'mammal' is itself a species in relation to a higher genus, which contains the specific differences between mammals, reptiles and so on. Eventually, however, we reach genera which are not related to each other through a specific difference contained within a higher genus. In other words, there is no 'highest' genus. Why isn't 'being' the highest genus? Because this would deprive specific differences themselves of being. The genus cannot be contained in the specific difference which differentiates it, or, in other words, the specific difference or differentiae must remain external to the genus it differentiates;\footnote{For more on this point see Somers-Hall, \textit{Regel, Deleuze and the Critique of Representation}, p.49.} The genus 'animal', for instance, cannot be contained in, or predicated of, the specific difference 'rational'. If it were, then rationality would entail animality in every case: a God who is rational would also be a God who is an animal, and the statement 'man is a rational animal' would amount to 'man is an animal and an animal'. Thus, if being were a genus, it could not be predicated of the specific differences which differentiate it and must remain external to it. Deleuze writes:

Genus is determinable by specific difference from without; and the identity of the genus in relation to the species contrasts with the impossibility for Being of forming a similar identity in relation to the genera themselves. However, it is precisely the nature of the specific differences (the fact that they \textit{are}) which grounds that impossibility, preventing generic differences from being related to being as if to a common genus (if being were a genus, its differences would be assimilable to specific differences, but then one could no longer say that they 'are', since a genus is not in itself attributed to its differences. (\textit{DR}, p.34)
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What, then, are we to make of the highest genera, which cannot be subsumed under a highest genus, and which Aristotle calls the Categories? Here, the third feature of representation returns: analogy. Being does not relate to the categories in the same way as genera refer to their species. While the genus dog is predicated in one and the same way of every species of dog, being is predicated analogously of the categories. In order to avoid making being into a genus, then, Aristotle forces us to treat being itself as *equivocal*. Doghood is univocal and has only one sense, and as a result, all dogs are dogs in the same way; but being is equivocal, and things can be in equivocal ways. Despite this, Deleuze claims that generic difference is still subordinated to the ‘quasi-identity’ of a concept: ‘An identical or common concept still remains, albeit in a very particular manner’ (*DR*, p.33).

The ‘too small’ of difference arises at the other end of the process of differentiation performed by specific differences. Eventually we reach the *infima species*, or the lowest point in this process. The infima species is like a block to the process of specification, which prevents it from reaching the level of the individual itself. However far we continue the differentiation of species, then, and however specific our concepts become, they retain an irreducible element of generality such that the *singular* is never reached. There is an ‘authentic singularity which escapes the species’ (*DR*, p.43). Beyond this limit we find only *accidental* differences between singular individuals. But, precisely as accidents, they do not contain the essence of this individual; this essence remains entirely within specific difference. The lowest level of the specification, just before we reach the limit presented by the *infima species*, is characterised by the fourth feature of representation: resemblance. ‘The small units, the little genera or species, are determined by a direct perception of resemblances’ (*DR*, p.34).

Deleuze thus argues that Aristotle can inscribe difference within the identity of the concept only by imposing a ‘maximum’ and a ‘minimum’ of difference. With this comes the corresponding subordination of difference to the four elements of representation. The result, just as with Plato, is that a true concept of difference is missed. ‘A confusion disastrous for the entire philosophy of difference: assigning a distinctive concept of difference is confused with the inscription of difference within concepts in general’ (*DR*, p.32). However, just
as the simulacrum continues to haunt Platonism, so too does difference persist beyond the ‘arbitrary boundaries of the happy moment’ (DR, p.34). Deleuze characterises the philosophy of Hegel and Leibniz as the attempt to incorporate this last vestige of unapacified difference, and bring it within representation. With this attempt, representation becomes infinite.

3.3.3 Leibniz, Hegel and infinite representation

The ‘extreme forms’ which persist beyond the limits of finite representation can be captured by representation, Deleuze claims, only in relation to infinity. As soon as infinity is introduced into representation, it redisCOVERs these ‘limits of the organised; tumult, restlessness and passion underneath apparent calm’ (DR, p.42). And with this, representation goes from being calm, static and organic, to being ‘orgiastic’. In the conclusion, Deleuze writes that it is ‘a question of causing a little of Dionysus’s blood to flow in the organic veins of Apollo’ (DR, p.262). It is no longer a question of a ‘happy moment’ where difference enters into a conceptual structure with a maximum and a minimum, but of extending representation itself until it ‘follows and espouses determination in all its metamorphoses, from one end to the other.’ Speaking in relation to Leibniz, Deleuze writes that the concept ‘extends its benediction to all parts’ (DR, p.42), while Somers-Hall summarises infinite representation as the claim that the world is conceptual ‘all the way down’ (Somers-Hall, Deleuze’s Difference and Repetition, p.44). There are no longer determinations which are ‘too small’ or ‘too large’ for representation, because finite determinations are no longer related to a higher-level genus as their principle. Instead, they are related to a ground. This ground, Deleuze writes, is the ‘womb in which finite determination never ceases to be born and to disappear, to be enveloped and deployed within orgiastic representation’ (DR, p.43). It is the role of the infinite to serve as mediation between finite determinations and this ground.

With just this, the nature of infinite representation remains fairly unclear. To clarify things, we must see how Deleuze thinks infinite representation functions in Hegel and, especially, in Leibniz. For now, we need only bear one thing in mind: central to Deleuze’s characterisation of infinite representation is that there is some kind of movement, process or procedure of the infinite
which 'makes the difference', or produces finite determinations. Unlike finite representation, this movement will not involve subsuming differences under a higher-level genus. Instead, it will involve mediating between a finite determination and its ground in the form of the infinite. When it comes to how we represent this infinity and its movement, however, it turns out that we can only say it of finite determinations. Finite determinations do not disappear into the infinite, but are 'vanishing and on the point of disappearing' (DR, p.44), in such a way that they are engendered in the infinite while remaining finite. We represent the infinite in the finite, but in doing so we subject it to the conditions of representation which characterise finite determinations. This subjecting takes the form of a choice between representing the infinite as infinitely large or infinitely small. Deleuze is quick to point out that these are not the same as the large and the small which characterise the limits of finite representation, but two ways of representing the infinite within finite representation. It is this choice, Deleuze claims, which marks the difference between Hegel and Leibniz.

We are best able to bring out the important aspects of Deleuze's interpretation of Leibniz in this section through its opposition to his interpretation of Hegel. First, however, it is worth noting the marked difference between this discussion, in which Leibniz will be opposed to Hegel, and the discussions in Expressionism in Philosophy: Spinoza, in which Leibniz was opposed to Spinoza. While in the latter it was Leibniz's fate to never quite live up to the achievements of Spinoza, here he is credited with 'going further' than Hegel in various key respects (DR, p.264). Given that Spinoza and Hegel likely occupy two extremes on the list of Deleuze's philosophical affections, it's not surprising that his attitude to Leibniz lies somewhere in between - 'better' than Hegel, but not as good as Spinoza. More interesting, perhaps, is that by opposing Leibniz to Hegel, Deleuze allows the radical, creative and positive side of his reading of Leibniz to dominate for the first time. Thus, in the conclusion of Difference and Repetition, Deleuze summarises all the aspects of Leibniz's philosophy he admires:

"His conception of the Idea as an ensemble of differential relations and singular points, the manner in which he begins with the inessential and constructs essences in the form of centres of envelopment..."
around singularities, his presentiment of divergences, his procedure of vice-diction, his approximation to an inverse ratio between the distinct and the clear, all show why the ground rumbles with greater power in the case of Leibniz, why the intoxication and giddiness are less feigned in his case, why obscurity is better understood and the Dionysian shores are closer.” (DR, p.264)

The movement of the infinite in Hegel, Deleuze argues, is the dialectical movement of contradiction itself. Just as in Aristotle, difference is determined through an opposition, but Hegel ‘raises’ this opposition to the level of contradiction. The result is that, whereas in organic representation the static organisation of opposed species comes from the genus under which they are subsumed, for Hegel concepts are determined by their own orgiastic self-movement, as these contradictions are resolved. Difference is made by the ‘movement of contradiction as it constitutes the true pulsation of the infinite’ (DR, p.45), and is grounded by the labour of the negative. Regardless of the accuracy of Deleuze’s interpretation of Hegel, we can introduce his reading of Leibniz in terms of its opposition to this Hegelian movement of contradiction. The first opposition arises from the same theological commitment to preserving the glory of God which we looked at in the last chapter. It is in order to prevent any possible ‘admixture of God and his creatures’ (ibid.), Deleuze claims, that Leibniz confines the presence of the infinite in representation to the infinitely small. For Leibniz, God’s infinite nature, or the infinitely large, lies outside the grasp of representation, just like the absolutely simple notions which exceeded our own relatively simple notions in part I.

Thus, in Leibniz it is the realm of the infinitely small which lies on the border between finite differences and the ground from which differences arise. There it plays a mediating role, and relates finite difference to its ground. The infinite is said of the finite, but only as a finite difference which is ‘vanishing’ or ‘evanescent’, or in other words which is ‘engendered in the infinite’ (DR, p.44) in the form of the infinitely small. It is thus a movement appropriate to the infinitely small which ‘makes the difference’, and grounds finite determination. However, this is a movement which will be radically different from the movement of contradiction which operates through the infinitely large. Deleuze
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characterises the presence of the infinitely small in Leibniz’s philosophy by its restlessness. The obscure depths of the infinitely small harbor an ‘intoxication, giddiness, evanescence, and even death’ (DR, p.45). This image of the endless, swarming activity of the infinitely small is one of Leibniz’s most profound influences on Deleuze. It lies at the foundation of the Leibnizian world which Deleuze describes in Difference and Repetition. It testifies to the presence of a radical, dynamic tendency hidden beneath Leibniz’s conservative, theological mask. As Deleuze writes of Leibniz in ‘The Method of Dramatisation’: ‘The state of the world is well expressed in the image of the murmuring, of the ocean, of the water mill, of the swoon or even drunkenness, which bears witness to a Dionysian ground rumbling beneath this apparently Apollonian philosophy.’ (Desert Islands, p.95.)

In fact, this image was already vaguely discernible at two points in Expressionism in Philosophy: Spinoza. We saw the first in section 1.6, where we briefly introduced the infinite divisibility of matter, and the second in section 2.3, where we saw how the clear and distinct expression of each monad presupposes an obscure and confused background. We will return to both of these ideas below in order to help explain the nature of the infinitely small. In both books, Deleuze even locates the origin for these ideas in the same theological commitment: to maintain the modesty of God’s creatures. Once again then, we get a sense of the productive interplay between the two diverging characterisations of Leibniz we find in Deleuze’s writing: a strong theological commitment, which ends up motivating a creative philosophical process, in this case the discovery of a new kind of dynamism particular to the infinitely small.

3.3.4 Vice-diction

Once again, the choice between the infinitely large and the infinitely small, Deleuze claims, marks the two ways in which Hegel and Leibniz ‘go beyond the organic’, or ‘beyond finite representation to an orgiastic, infinite representation. But Deleuze also frames this choice in another way, this time concerning where this movement beyond the organic occurs. This is a choice, he claims, between beginning with either the ‘essential’ or the ‘inessential’. At various points Deleuze equates this difference with the distinction between the equal
and the unequal, and the identical and the different. To understand what this means requires once again beginning with a brief look at Deleuze’s reading of Hegel. Hegel, Deleuze argues, ‘begins with the essential as a genus’ (DR, p.45). The Aristotelian genus was divided by specific differences which placed species in opposition to each other. When opposition is raised to the infinitely large of contradiction, however, the Hegelian ‘genus’ divides itself and remains simultaneously genus and species, or whole and part. What contradicts the essential (the inessential, the unequal or the different) is thus contained as part of the essential: ‘it contains the other essentially, it contains it in essence’ (DR, p.46). The key point for us is that Deleuze thinks that some kind of essence is ultimately responsible for the origami movement of infinite representation in Hegel’s philosophy. The infinite Hegelian ‘Self’ as he calls it on p.49 is the essential, the identical or the equal which ‘contradicts the unequal to the extent that it possesses it in essence, and contradicts itself to the extent that it denies itself in denying the unequal’ (DR, p.46). And it is through this self-contradiction that finite determinations unfold as moments of the infinite Self. We might wonder about the accuracy of Deleuze’s hasty appraisal of Hegel’s philosophy, especially given that it neglects to mention Hegel’s own extensive treatment of the ‘doctrine of essence’ in the second part of the Science of Logic. Again, however, our interest is limited to how Deleuze introduces Leibniz’s philosophy of the infinitely small as an alternative to this Hegelian reliance on ‘the essential’.

Deleuze thinks that Leibniz begins with the inessential or the unequal, or with ‘movement, inequality and difference’. In other words, he begins with the restless movement of the infinitely small. Deleuze’s argument is that there is a ‘procedure of the infinitely small’, which in some sense corresponds to the movement of contradiction in the Hegelian dialectic, but which is ‘quite different’ to it. Deleuze even gives this procedure a special name: ‘vice-diction’ (DR, p.46). What Deleuze means by vice-diction will take some explaining. In effect, though, it is this concept which animates the Leibnizian world which Deleuze constructs in Difference and Repetition and whose structure we are vaguely beginning to discern. We’ve now introduced, albeit briefly, two fundamental features of this structure: the domain of the infinitely small, and a process of vice-diction which operates in this domain and grounds the finite
determinations which arise from it. Perhaps even more importantly, we’ve also established that this whole structure presents a Leibnizian alternative to the Hegelian movement of contradiction. And with this, we can see why the implications of vice-diction extend further than just Deleuze’s reading of Leibniz. Deleuze returns to the concept in chapter four, and uses it to characterise the structure of Ideas themselves, without any explicit reference to Leibniz. My own reading of this concept, however, will differ significantly from the few brief characterisations it has received in other Deleuze scholarship. Briefly, while some commentators present vice-diction as a kind of human-centred, almost ethical activity or method, I will argue instead that it is a metaphysical process, movement or procedure through which identity is produced from difference.

The easiest way to approach vice-diction, at least initially, is to return to its opposition to Hegelian contradiction. The first thing we have to bear in mind is that contradiction and vice-diction are in some sense playing the same role or doing the same thing. They both, Deleuze writes, ‘maintain the distinction between essences’ (DR, p.46). To distinguish between essences is to determine the finite differences between them, or to ‘make the difference’ between finite determinations within representation. They do this, we’ve seen, by relating these finite determinations to a ground, mediated through either the infinitely large or the infinitely small. However, we’ve also seen that Deleuze argues that contradiction takes as its starting point an essence or Self, which is enveloped by this ground and of which all other essences are determinations. By contrast, vice-diction relates finite determinations to a ground which begins with the inessential, and from which essences are produced. This is a key aspect of vice-diction, and Deleuze cites the way Leibniz ‘begins with the inessential and constructs essences’ as another of the ways in which Leibniz ‘goes further’ than Hegel (DR, p.264).

The best way to explain this process of producing essences which characterises vice-diction is by looking again at the relation between the essential and the inessential. On Deleuze’s reading, Hegelian ‘essence’ also contains the inessential as part of its own essence (the ‘other’ within itself which gives rise to contradiction). For Leibniz, however, the inessential does not contain the essential ‘in essence’, but only ‘with respect to properties, in cases’ (ibid.). It’s not yet
clear what this means, but there is at least one preliminary context in which we can see how an emphasis on the inessential might lead to a distinction between essences and 'cases'. In The Method of Dramatisation, Deleuze distinguishes between various types of philosophical question. He argues, controversially (as the questions following the paper demonstrate), that Hegel is perhaps the only philosopher to seriously rely on questions of the form 'what is x?'. Hegel is able to ask 'what is' questions, Deleuze claims, precisely because the movement of contradiction is one which presupposes empty, abstract and simple essences. 'The question “What is?”' prejudices the Idea as the simplicity of essence; it then becomes obligatory that the simple essence comprehends the inessential, and comprehends it in essence, thus contradicting itself (Desert Islands, p.94).

By contrast, the movement of vice-diction leads us to ask in which case essences are constituted. 'Subsuming under the case', Deleuze argues, has its own language, distinct from the language of essences. It is a language 'of properties and events', in which the question 'what is?' is replaced by the questions 'who? how? how much? where and when? in which case?' (ibid.)

The key point is that to answer these questions, Deleuze thinks, is to give an account of the production of essences from the inessential. 'The inessential here refers not to that which lacks importance but, on the contrary, to the most profound, to the universal matter or continuum from which the essences are finally made' (DR, p.47). This, then, is the major difference between contradiction and vice-diction: vice-diction is the movement through which the essential is produced from the inessential and, by extension, the equal is produced from the unequal, or the identical is produced from the different. This, I think, is also how we should understand the term vice-diction itself. If contradiction is a 'speaking against', then vice-diction is a 'speaking in place of'. And if, in Hegel, the equal contradicts the unequal, then, for Deleuze's Leibniz, the unequal or the different vice-dicts the equal or the identical insofar as it determines cases which 'speak in place of' or prepare for the essences which will eventually be constituted on their basis.

Vice-diction is thus a procedure which constructs essences from a 'universal continuum', and it is a procedure which can only be understood within a language of cases, properties and events. But at the same time, it is a procedure
which Deleuze thinks he finds operating within Leibniz's philosophy. Our goal in the next chapter will thus be to reconstruct Deleuze's reading of Leibniz, and with it the Leibnizian world within which vice-diction can operate. This requires, in effect, pinpointing exactly what Deleuze thinks the ‘essential’ and ‘inessential’ refer to in Leibniz’s philosophy. Our guiding claim will be the following: Deleuze’s claim that vice-diction produces essences from the inessential will find its correlate in Leibniz’s claim that God does not create Adam the sinner, but rather the world in which Adam sins. This implies two things. First, that when Deleuze talks about ‘essences’ in Leibniz’s philosophy, he is really talking about monads. Traditionally, a distinction is made by commentators between a monad and the complete individual notion which is that monad’s essence. Deleuze, however, often collapses this distinction and happily equivocates between the terms monad and essence. We’ll return to the implications of this equivocation below. Second, that when Deleuze talks about the inessential, he means the world as it is structured prior to the constitution of essences or monads. We’ve already talked about this in various ways: in EPS it was briefly invoked as a ‘continuum of singularities’ and as an ‘obscure and confused background’; at this point in DR it is a ‘continuum of properties’, and if we add the language of The Method of Dramatisation it is also a continuum of events. It is the restless domain of the infinitely small, characterised by difference and inequality, which forms the obscure and confused background against which monads are constructed as centres of finite, clear expression. Monads as centres of expression envelop into a unity a small portion of the multiplicity of the world. With this last point in mind, we can begin to see why, in his letter to the translator of EPS we quoted in the last chapter, Deleuze credits Leibniz with going further than Spinoza when it comes to the expressive character of individuals. Deleuze finds in Leibniz a way of describing the genesis of expressive individuals.

It is thus in order to explain vice-diction, as the procedure which produces individuals from a pre-individual continuum, that Deleuze turns to the four connected themes in Leibniz’s philosophy which we outlined in the introduction to this chapter: an inessential, or pre-individual, continuum (the restless infinitely small); a distribution of singularities which are amenable only to a language
of cases, properties or events; a theory of compossibility and incompossibility which determines this distribution; and a divine game which selects the best possible distribution and produces the monads which correspond to it. Taken together, these four ideas constitute the Leibnizian structure Deleuze creates in *Difference and Repetition* and *Logic of Sense*, and within which vice-diction operates. As we continue, we'll see that it is an impressively creative act of appropriation which allows Deleuze to push these disparate Leibnizian themes into the service of a new radicalised or vulgarised Leibnizianism.
Chapter 4

Leibnizian structure

4.1 The continuum

The first step in this reconstruction is to discover the ‘language’ of cases, properties or events that Deleuze insists is distinct from the language of essences, and which is adequate to the domain of the infinitely small. We’ll introduce this language through one final opposition between Leibniz and Hegel. When writing of the presence of the infinitely large in Hegel’s philosophy, Deleuze claims that there is no reason to expect a mathematical treatment of the theological infinitely large’ (DR, p.45). However, this is not the case with the infinitely small, which can be approached mathematically. Thus, at the same time as Deleuze claims that vice-diction has its own ‘language of properties or events’ he also claims that it is a ‘mistake to impose upon infinitesimal analysis the alternative of being either a language of essences or a convenient fiction’ (DR, p.46). The implication, then, is that it is ‘infinitesimal analysis’ which provides the language adequate to infinitely small difference and its movement of vice-diction. The infinitely small thus ‘finds its concept’ (DR, p.46), Deleuze claims, in the form of the mathematical notation ‘dx’. It is clear, then, that for Deleuze the domain of the infinitely small is intimately connected to Leibniz’s discovery of infinitesimal calculus, and the notation he developed as a result. We must therefore introduce, if only in outline, the central features of this mathematical discovery, and their philosophical implications. These implications will become
clear when we move from the mathematical theory of infinitesimal analysis to
Leibniz's philosophical theory of infinite analysis.

Leibniz's introduction of the symbol $dx$ into mathematics can be explained
in terms of purely mathematical exigencies, especially various enduring problems relating to the measurement of curves. Mathematicians of the time were especially concerned with two problems caused by curved lines and figures, for which the traditional resources of geometry and algebra seemed inadequate. The first problem was how to determine the gradient of a curved line at a single point, and the second was how to determine the area of a figure with curved edges. Leibniz developed his infinitesimal calculus precisely to solve these problems (and to relate them to one another). However, it is also the case that these problems were given an increased urgency by Leibniz's corresponding physical commitments. Here, we are concerned with the material bodies and processes that mathematical curves and figures try to represent. We get a better sense of the importance of infinitesimal calculus by looking at how Leibniz's claim that the material world is subject to a law of continuity is at the same time the claim that the world itself is in some sense 'curved'. Only then will we see how infinitesimal calculus is the language or technique most suited to this curved universe.

A useful illustration of curvature in Leibniz's physics comes from the example of a body in motion. Leibniz thinks that while it is a simple matter to describe a body moving in a uniform straight line, this kind of motion only ever exists as a useful abstraction. When it comes to real bodies in real space, we find that their motion is always curved in some way. The simplest definition of curved motion is therefore in its opposition to uniform motion: curved motion is motion that is not 'in a straight line'. But what is it about real bodies, as opposed to ideal mathematical entities, that prevents their motion from being uniform? We can explain by looking at some examples of curved motion. For instance, a cannonball fired into the air, which follows a curved arc as it falls to the ground. This is the simplest kind of curved motion, but the word 'curved' doesn't only apply to smooth arcs: it applies to any movement that is not uniformly straight. When the same cannonball is rolled down a grassy hill, for instance, even though it appears to move in a fairly straight line following
the greatest slope, it is constantly being knocked slightly from left to right by
the rough ground. Because of these constant fluctuations in the cannonball’s
movement which prevent its motion from being completely uniform, this kind
of motion may also be called curved. The word ‘curved’, when used in this way,
rather than conjuring up images of smooth arcs, more properly designates any
deviation from uniform movement in a perfectly straight line, however slight or
chaotic. Why, then, does Leibniz maintain that the motion of bodies is always
necessarily curved or non-uniform?

We said above that the motion of a body is only straight and uniform if
we consider it in abstraction. There is nothing about a body taken in isolation
that would cause its movement to curve. However, in reality, the motion of a
body is always influenced by its surrounding environment, like the cannonball
being knocked about by the rough ground. In the preface to his New Essays
Concerning Human Understanding, Leibniz writes: ‘Abstraction is not an error
as long as one knows that what one is pretending not to notice, is there. This is
what mathematicians are doing when they ask us to consider perfect lines and
uniform motions and other regular effects, although matter (i.e. the jumble of
effects of the surrounding infinity) always provides some exception’ (New Essays
Concerning Human Understanding, p.57). The motion of a body changes in
response to the jumble of effects emanating from the matter that surrounds it.
Each part of matter is open to constant influence from an environment from
which it is never completely isolated or separated, and it is this which accounts
for the necessarily curved or non-uniform motion of bodies. We can think of
this ‘jumble of effects’ from the surrounding environment as a type of pressure
exerted on a body. Matter is pressed on all sides by its surrounding environment,
and it is this which gives it a curvilinear movement.¹

As long as we are talking about flying or rolling cannonballs we are describing
the curved motion of an actual body in space. Here, it is easy to explain curva-
ture in terms of the effect of the surrounding environment: the uniform motion
of the cannonball rolling down the hill is interrupted by the rough ground which
constantantly affects its course. But, as we’ve seen, there is a technical mathemati-
cal definition of curvature which applies to the mathematical description of this

¹The themes of curvature and pressure are central to the correspondences Dелеuze will go
on to draw between Leibniz’s physics of material bodies and Baroque architecture in The Fold.
CHAPTER 4. LEIBNIZIAN STRUCTURE

motion, and specifically its representation as a line drawn as a graph within a system of coordinates. Just like the actual movement it represents, this line may be straight or curved. This second, mathematical sense of curvature is useful when we come to consider the properties of a body other than its position in space. It may have a varying speed, or temperature, and these properties would also be represented as curves. Here, the curvature does not result from the influence of an external environment, however, but from the fact that these properties are subject to continuous variation. This gives us a second sense of the significance of curvature as it applies to material bodies, which is that it suitably represents the continuous nature of change.

The key point is that the trajectory of a continuously varying property mapped on to a graph is not made up of tiny straight lines which only appear as a curved line when viewed ‘from a distance’. Rather, it is curved at every point, or in other words each point is subject to an instantaneous rate of change. In fact, as we will see, it is only by positing two points that are infinitesimally close to each other that a straight line can be approximated, in order for the gradient of a curve to be determined. What is clear is that curvature in this second sense always suggests some kind of continuous change, variation or difference. Curvature is thus closely connected to Leibniz’s law of continuity, which he summarises as: ‘Nothing takes place suddenly, and it is one of my great and best confirmed maxims that nature never makes leaps. I called this the law of Continuity... There is much work for this law to do in natural science. It implies that any change from small to large, or vice versa, passes through something which is, in respect of degrees as well as of parts, in between...’ (Leibniz, Letter to Des Billettes, December 1696, Loemker 49.) The law of continuity implies that when we consider, for instance, a continuously varying temperature, the difference in temperature between any two points always contains a third point which lies somewhere between. However close we bring the two points to each other, and however small we make their difference in temperature, a third point, and a smaller difference, always sneaks in. This idea is somewhat familiar from our discussion of the infinite divisibility of matter in section 1.6. This infinite divisibility is implied by the law of continuity, and Deleuze uses both to help define the restless nature of the infinitely small which
characterises the ‘continuum’ of the world.

The mathematical problem of measuring curves, or the fact that we can always find a third point between any two points, however close, thus corresponds to Leibniz’s law of continuity. And so, a technique for describing these mathematical curves will at the same time be a technique for describing the structure of Leibniz’s continuous universe. And, as the language adequate to the infinitely small, the key to this technique will be the role played by infinitely small differences. We mentioned above two problems which aptly illustrate the difficulty which geometry and algebra had in dealing with curves. The first was how to find the tangent to a given point on a curve, while the second was how to find the area of a figure with curved sides. Even before Leibniz’s development of infinitesimal calculus, two ‘infinitesimal techniques’ were developed to try and tackle these problems. Looking at each of these in turn will set the stage for Leibniz’s original contribution.²

The first problem arises from the question of how to ‘square a circle’, or how to construct a square with an area equal to a given circle. Archimedes discovered that the area of a circle could be determined by drawing a spiral starting from the centre of the circle that makes one revolution before intersecting the edge of the circle. The problem with Archimedes’s method is that it requires knowing the tangent to the spiral at the point of its intersection with the edge of the circle. This tangent would be a line which touches the spiral at only one point. When it came to finding this tangent line Archimedes fell silent, and how to find the tangent to a point on a curve became an important problem in mathematics. Its solution required the idea of infinitesimal difference. If we draw a straight line between any two points on a curve, and then move these points towards each other until they are ‘infinitely close’, then the straight line drawn between them will effectively be the same as the tangent line to the point where they (almost) meet. The infinitesimal distance between the two points is ignored and they are treated as the same point. This method was very effective, but an obvious criticism emerged when the analytic geometry developed by Fermat and Descartes allowed curves, and the infinitely close points located on them,

²For much of the following section I rely on the history of calculus found in Zill and Wright, p.xxvi - xxvii. For other accounts of calculus as it relates to Descartes’s philosophy see Somers-Hall and Simon Duffy.
to be represented as equations. At one stage in these equations, the relation between these points is used to determine the tangent to the curve. But at a later stage, this relation is specified as being equal to zero, in order that the result be a tangent to a single point, rather than a line intersecting two points. Mathematics was faced with an unsatisfying ambiguity: how can the same relation at once determine a tangent, while simultaneously being equal to zero?

The second infinitesimal technique relates to the problem of how to determine the area of a figure with curved sides. It involved the realisation that an area could be thought of as equivalent to a ‘stack’ of line segments. Two areas are equal if every line segment in one is the same in the other. But the same kind of objection applies to this technique as to the first. Because a line has only one dimension, its area is zero: how can we add all these zero-area lines together in order to arrive at a non-zero area of the whole figure?

Both of these techniques predated Leibniz. The fundamental insight of both Newton and Leibniz was that these two methods were related to one another: the method for finding tangents to curves is related to the method for finding areas bounded by curves. The first is the object of differential calculus, while the second is the object of integral calculus. A curve is differentiated in order to find the tangent or derivative of each of its points, and these derivatives are integrated in order to reconstruct the original curve. What we are interested in, however, is how Leibniz developed the notation $dx$ in order to avoid the ambiguities present in the two infinitesimal techniques identified above. $dx$ is the symbol of the infinitesimal: it is the infinitely small difference in $x$ that is nevertheless not zero. This is what Berkeley disparagingly called the ghost of a departed quantity: an infinitely small quantity, any multiple of which remains smaller than any ordinary number, but which still maintains a determinate ratio with another infinitesimal. Thus, it can serve as the denominator in the differential relation $dy/dx$ without the risk of dividing by zero that was present in the first infinitesimal technique. When it comes to the second infinitesimal technique, instead of conceiving of the area of a curved figure as the sum of a collection of line segments, Leibniz thought of it as the sum of a collection of infinitely thin rectangles, with a width of $dx$. 

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Deleuze's real interest in Leibniz's concept of $dx$ is how it stands in relation to another infinitesimal. As an infinitely small difference, $dx$ is zero in relation to $x$. Despite this, it is able to form a determinate ratio with another infinitesimal, in the form of a differential relation: $dx/dy$. There remains some question about whether $dx$ really is zero in relation to $x$, or whether it retains a minimum of quantity, even if its infinitely small. Returning to our discussion of representation, the symbol $dx$ is significant for Deleuze precisely because it escapes representation altogether.\(^3\) In this sense, it is not just a very small quantity; it is not a quantity at all. The point, however, is that because they have a determinate relation to each other, this ratio will allow us to find, for example, the gradient to a curve at a single point. The difference in position on the $x$-axis which $dx$ represents is infinitely small, as is the difference in the $y$-axis represented by $dy$, but the relation between these differences, and how they change in relation to one another, nevertheless allows us to determine something concrete about the nature of the curve at that point. Insofar as they are only determined in relation to one another, Deleuze claims that infinitesimals are reciprocally determined and subject to a principle of reciprocal determination (DR, p.46).\(^4\)

The reciprocal determination of differential relations will play a fundamental role in the movement of vice-diction and its production of finite determinations. It is this reciprocal determination, in effect, which will allow us to say that finite identities are produced from the endless differences of the infinitely small. But to see how this is possible, we first have to abstract these differential relations away from the curves from which they were originally derived. While above we began with the curve whose gradient we were trying to determine at each point, there is a sense in which we can reverse this perspective and begin with the differential relations as such, and take them as the first stage in the construction of a curve. But if they are not derived from an already-existing curve, where do these differential relations come from? We know that at the basis of Deleuze's vision

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\(^3\)As Somers-Hall writes: 'What draws Deleuze to the calculus is the fact that it can be understood to operate according to entities that simply cannot be represented - that is, that simply cannot be incorporated into judgements' (Somers-Hall, *Deleuze's Difference and Repetition*, p.5).

\(^4\)Again, as Somers-Hall writes 'What is important about the calculus is that it presents an account of how undetermined elements can become determinate through entering into reciprocal relations' (*ibid*, p. 142).
of Leibniz’s world is the ‘restlessness’ of the infinitely small. We are now able to see that this restlessness really refers to the ‘Dionysian’ activity through which infinitely small differences spontaneously and ceaselessly enter into differential relations. The domain of the infinitely small constitutes an infinite depth in which every possible variation of differential relation coexists. In the context of infinite representation, it is this which allows us to say that the infinitely small relates finite differences to a ground or womb from which differences arise. It is the differential relation which mediates between the infinite and the finite, between infinite difference and finite difference. Thus, in a lecture on Spinoza given in 1981, D...
4.2 Singularities and events

As we've already suggested, Deleuze's reading of Leibniz heavily emphasises the idea that singularities or events play a crucial role in the production of monads or essences. Initially, however, we'll introduce them in the context of Leibniz's theory of analysis. We mentioned at various points in part I how Leibniz distinguishes between a logical domain of essences and a contingent domain of existence. The distinction is useful here to demonstrate why the analysis of the concept of a monad is a very different process than the analysis of a purely logical concept.

We are already familiar with the analysis of logical concepts from our discussion of God's possibility in chapter one. To analyse a concept is to demonstrate its possibility, by demonstrating that none of its constituent parts contradicts each other or itself. We saw that although often this process is difficult, there is always, at least in theory, a finite number of steps through which an analysis must progress in order to demonstrate the logical possibility of a concept. As such, the analysis of logical concepts is a finite analysis.

What happens, however, when we try to analyse the concept of a monad, or its complete individual notion? Leibniz famously maintains that concepts extend all the way to the individual, such that each monad has its own unique concept. There is a unique concept for Adam, for Sextus and for Julius Caesar. Monads, however, unlike logical essences, are subject to the contingent domain of existence: they are embroiled in the continuous material world with its now-familiar universal influence and infinite divisibility. Precisely insofar as it becomes equal to the monad, then, the monad's concept must also become equal to this infinite, irreducible complexity. In effect, we can see that to analyse the individual concept of a monad would require an infinite number of steps, or an infinite analysis. This infinite analysis must function in a very different way than finite analysis.

The analysis of logical essences demonstrated their possibility. However, given that the concept of a monad must necessarily refer to the whole world in which that monad exists, Leibniz creates a new, more restricted version of possi-

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DeLanda insists on that a theory of singularities can only be understood in terms of Rene Thom's catastrophe theory; while Robin Durie thinks that convergence must be understood in terms of the mathematical theory of Taylor series.
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bility adequate to monads: *composibility*. Whereas logical possibility required demonstrating that a concept did not harbour a contradiction, composibility requires demonstrating that a monad is compatible or continuous with all the other monads in the world to which it belongs. One of Deleuze's key claims will be that the relation of incompossibility between monads is very different than the relation of contradiction between logical concepts. This is why, In *Logic of Sense*, he calls Leibniz the 'first theoretician of alogical incompatibilities' (LS, p.171). Incompossible monads exclude one another, but not on the basis of any kind of conceptual opposition or contradiction. We can see, then, that a particular reading of the theory of composibility will play an important role in Deleuze's theory of vice-diction as an alternative to contradiction.

Infinite analysis is thus a process which entails determining that a monad is composable with the world it exists in. Setting aside the question of precisely who is performing this analysis for now, we can nevertheless begin to see how this process of infinite analysis would function. We see that just as finite analysis concerned the parts of a concept, so composibility must concern the parts of a monad. But what are these parts? We are not talking about the material parts of a monad's body, but rather the predicates which make up its concept. And Deleuze is clear that he thinks these predicates are *events*. This is why, in *Logic of Sense*, just after Deleuze describes Leibniz as the first theoretician of alogical incompatibilities, he also describes him as the 'first important theoretician of the event'. It is in the 'Sixteenth Series of the Static Ontological Genesis' that we find Deleuze's first discussion of Leibnizian events. The first half of this series mirrors almost exactly the process of vice-diction found in *Difference and Repetition*, as we'll see below. What interests us here is how the relation of composibility is grounded by the events that a monad includes. Thus, we must

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6There is an interesting question concerning whether events should be treated as predicates. Deleuze in *Logic of Sense* tries to create an image of verbs and becomings which is non-conceptual. As such, he tries to downplay the importance of the inference of predicates in the notion of individual monads within Leibniz's philosophy. While here Deleuze is trying to give an image of Leibniz that does not rely on a model of predicate inference, his method in *The Fold* will be very different. Rather than downplaying predicate inference, *The Fold* gives it a central role, but with this difference: predicates themselves are to be understood as events. In effect, then, the result is the same: events are given priority over logical attributes. But the difference is interesting: here in *Logic of Sense* Deleuze tries to suppress the importance of predicate inference and give its role over to another aspect of Leibniz's philosophy (composibility). In *The Fold* by contrast, he gives a new interpretation to predicate inference itself.
recognise that compossibility is really a relation between the events that monads come to include or envelop, rather than a relation between monads themselves. This means events are capable of defining a complete possible world independently of the individual monads which will eventually express it. This is the first step in the production of individual monads, or in the production of the essential from the inessential: a particular distribution of pre-individual singularities or events, with their own relations of compossibility, defines a continuous possible world without any reference to the individuals which occupy that world. This is the first of the two movements of vice-diction, or the first moment of the static ontological genesis.

What is the nature of these events? Initially, we can use the term quite literally: ‘to sin’ is an event included in the concept of Adam, and ‘to cross the Rubicon’ is an event included in the concept of Caesar. The key point is that these events are not entirely disconnected. Insofar as they are both events occurring in the same world, they must be compatible or composable with each other: Caesar can only cross the Rubicon if Adam sins. And they must both be composable with all the other events which make up that world: Caesar can only cross the Rubicon, the event which ends the Roman Republic, if Sextus rapes Lucretia, the event which founds it. Again, then, monads are composable with each other on the basis of an underlying compossibility between the events they include. But the question remains: how is this compossibility between events established?

The answer requires recognising that although Deleuze refers to events in the form of infinitive verbs like ‘to sin’ and ‘to cross the Rubicon’, they are in fact singularities or singular points. But singular points of what? Here, we must return to Deleuze’s definition of the Leibnizian world as an ‘ideal continuum in which there are singularities’. It is within this ideal continuum that we find a distribution of singular points. Within the infinite depths of the infinitely small, then, with its endless varieties of differential relations and curves, we discover something which allows for a structure to be articulated: the distribution of singular points or singularities. A quote from the end of series 14 suitably

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7 Sean Bowden’s recent book The Priority of the Event doesn’t recognise the equivalence between ideal events and singular points. He thus talks of ‘ordinary events’ as if they were distinct from ‘singular events’. Deleuze, however, never refers to ordinary events, and it seems clear that all events are singular.
demonstrates the importance of singularities for Deleuze:

'But the transcendental field is no more individual than personal, and no more general than universal. Is this to say that it is a bottomless entity, with neither shape nor difference, a schizophrenic abyss? Everything contradicts such a conclusion, beginning with the surface organisation of this field. The idea of singularities, and thus of anti-generalities, which are however impersonal and pre-individual, must now serve as our hypothesis for the determination of this domain and its genetic power' (LS, p. 99).

As singular points within an ideal continuum, the question of compossibility between events becomes a question of continuity. With this, we must introduce two new terms: convergence and divergence. These are, in effect, the underlying technical ground for establishing relations of compossibility and incomposibility. Compossible singularities converge with one another, while incompossible singularities diverge. What does this mean? Deleuze describes singularities, at various places, as the point of origin for all kinds of series of ‘ordinary’ (non-singular) points. Two of these series, each extending from a different singular point, can either converge or diverge with each other. Deleuze defines a continuity between singularities by the convergence of the series which extend from them. Thus, in a 1980 lecture, he will claim that ‘the ultimate possible scholarly formulation of continuity is: a given singularity is prolonged into a whole series of ordinaries all the way to the neighborhood of the following singularity’ (06/05/1980). This, in turn defines compossibility. In Logic of Sense Deleuze writes: ‘The extraordinary notion of compossibility is thus defined as a continuum of singularities, whereby continuity has the convergence of series as its ideational criterion’ (LS p. 111). And in Difference and Repetition: ‘It is undoubted continuity which defines the compossibility of each world [...] That is to say: for each world a series which converges around a distinctive point is capable of being continued in all directions in other series converging around other points (DR, p. 48).’

By turning to the question of infinite analysis, we introduced the important theory of compossibility. To analyse a monad, or to provide its real definition, requires demonstrating the compossibility (and not merely the possibility) of its parts, or the events which it includes. This compossibility, we now know, finds
its criterion in the theory of convergent series which defines a whole network of continuous singular points. With this final point, however, we must confront a new, potentially troubling, question. With the notions of convergence and divergence, and as Simon Duffy has suitably demonstrated, Deleuze is making use of notions from fields of mathematics that came long after Leibniz.\(^8\) Despite this, Deleuze repeatedly uses the idea of convergence and divergence specifically in relation to Leibniz, apparently unconcerned that they derive from fields which would have been unfamiliar to him. Duffy is thus also correct that Deleuze ‘retrospectively maps these developments back onto the structure of Leibniz’s metaphysics’.\(^9\) Nevertheless, we must still explain the fact that these modern mathematical techniques seem to form an essential component of Deleuze’s description of an ostensibly Leibnizian world. We must therefore step back and remind ourselves of the motivations behind Deleuze’s particular reading of the theory of compossibility in Leibniz’s philosophy.

First, however, we can provide a more straightforward explanation of Deleuze’s references to convergence and divergence by remaining within the context of infinite analysis. Infinite analysis requires demonstrating that a monad is compossible with all the other monads in the world. Crucially, however, for Leibniz such an infinite analysis is \textit{impossible}. Or at least, it is impossible for us: infinite analysis is restricted to the understanding of God. Not only that, but we cannot even begin to imagine the processes through which it functions. It is, in fact, a central part of the ‘divine game’ which a calculating God plays at the origin of the world. In this sense, then, it doesn’t matter if a theory of convergent and divergent series would have been alien to Leibniz, because he was content to regard the whole process as alien. Deleuze suspects, however, that Leibniz’s differential calculus ‘gives us an artifice so that we can operate a well-founded approximation of what happens in God’s understanding’ (22/04/1980). Subsequent mathematical developments, therefore, like the theory of convergent and divergent series, are perhaps nothing more than improvements to our approximation of this divine game.

But there is a much more important reason why Deleuze is so keen to supplement Leibniz’s theory of compossibility with the ideas of convergence and

\(^8\)Duffy, \textit{Virtual Mathematics and The Logic of Expression}.
\(^9\)Duffy, ‘Leibniz, mathematics and the monad’, p.89.
4.3 Incompossibility

Deleuze turns to convergence and divergence as a means of giving a topological ground to the theory of compossibility and incompossibility. It is, we recall, a theory of ‘alogical incompatibility’: the compatibility or incompatibility of singularities or events is not derived from the logical relations between fully-formed concepts. This is important because it allows incompossibility to play a role in the production of individuals. We saw how singularities allow a structure to be articulated within a pre-individual transcendental continuum. The theory of incompossibility forms a crucial part in the articulation of this structure, by determining which particular sets of singularities are continuous with each other. But, this means incompossibility must be able to function before the emergence of the essences, individuals or monads which are caught up in conceptual relations of opposition and contradiction. Thus, while the theory of infinite analysis introduced us to the importance of singularities and composibility, we must in a sense reverse this theory in order to come up with an account of how monads are produced.

Infinite analysis demonstrates the continuity of singularities, and the inclusion of these singularities within the concept of a monad. Precisely as an analysis, it is a process which ‘breaks apart’ already-existing concepts in order to discover their predicates: their events or singularities. However, our problem was not how monads are analysed, but how they are produced. By in some sense reversing the process of infinite analysis, we can use the same movement to describe how monads are entirely constituted by events or singularities which pre-exist them. With this reversal, infinite analysis becomes a part of the movement of vice-diction or static ontological genesis. There, instead of demonstrating continuity between singularities, it establishes or produces this continuity. And instead of demonstrating that monads contain certain events, it will construct this monad itself on the basis of these events. We see that the continuum of singularities is entirely distinct from the individuals which
envelop it in variable and complementary degrees of clarity: singularities are pre-individual. If it is true that the expressed world exists only in individuals, and that it exists there only as a predicate, it subsists in an entirely different manner, as an event or a verb, in the singularities which preside over the constitution of individuals' (*LS*, p.111).

Compossibility is thus, Deleuze writes, the ‘rule of a world synthesis’ (*LS*, p.111). But unlike Kant’s a priori categories, compossibility is not conceptual: it functions through the topological process of convergence which brings singular points into relation with each other. ‘For what Leibniz called the “composable” and the “incomposable” cannot be reduced to the identical and the contradictory’ (*LS*, p.196). It is thus a question of priority: compossibility must be prior to contradiction because it structures a pre-individual transcendental field. This is why Deleuze goes further, and claims that contradiction itself must derive from compossibility: ‘The contradiction between Adam-the-sinner and Adam-non-sinner results from the incompossibility of worlds in which Adam sins or does not sin’ (*LS*, p.111). The reason why Adam-non-sinner contradicts Adam-the-sinner isn’t because the two concepts can’t coexist, but because the event ‘to sin’ diverges from the event ‘to not sin’. The contradiction only makes sense on the basis of a world which has already established rules for what can and cannot happen, or in other words a world that has already accounted for the production of a certain set of individuals or essences. We can begin to see here why, in the Hpsychiotic review, Deleuze suggests that contradiction is only the anthropological or phenomenal aspect of difference.

The importance of grounding compossibility in convergence and divergence rather than contradiction is clear: ‘Convergence and divergence are entirely original relations which cover the rich domain of alogical compatibilities and incompatibilities and therefore form an essential component of the theory of sense’ (*LS*, p.196). We can further demonstrate the importance of this structure by briefly looking at the project of *Logic of Sense* as a whole.\(^{10}\) Following the ideas we introduced above in the Hpsychiotic review, Deleuze believes a logic of sense should not be grounded in the concept (as it was in Hegel). Rather, if

\(^{10}\)I am indebted to conversations with Stephen Barrall for the main features of this account. See his forthcoming thesis, *The Form and Function of Deleuze’s Engagement with Psychoanalysis in The Logic of Sense*. 
it is possible at all, it must begin with the subrepresentational dynamism of the world itself and show how a conceptual structure is immanently derived from it. Deleuze’s goal is thus to construct an emergent transcendental philosophy, in which the subrepresentational movement of nature produces a transcendental field which is constituted by topological relations and processes. A topological, as opposed to conceptual, transcendental field, avoids the circularity inherent in abstracting an image of the ground from the world which is to be grounded. Thus, Deleuze writes in series 15: We seek to determine an impersonal and pre-individual transcendental field, which does not resemble the corresponding empirical fields, and which nevertheless is not confused with an undifferentiated depth’ (LS, p.102). This transcendental field then ‘folds back’ on its point of origin in order to produce the conceptual and empirical structure of our experience. Rather than the transcendental logic we find in Kant, Deleuze constructs a transcendental topology that will ultimately ground a conceptual structure.

The three distinct meanings of the French word sens are used by Deleuze to establish the immanent ontology of sense which eluded Hegel: the subrepresentational movement of nature is identical to a disorganised thought (sense as chaotic sensation); the emergent transcendental field is one in which topological relation precedes identity (sense as direction); and finally the conceptual structure of the empirical itself (sense as meaning).

This is why it’s so important that compositability is not contradiction. In fact, in Difference and Repetition, we find Deleuze making precisely the same argument:

We can see why the notion of incompositibility in no way reduces to contradiction and does not even imply real opposition: it implies only divergence, while compositibility is only an analytic continuation which translates the originality of the process of vice-diction. In the continuum of a composable world, differential relations and distinctive points thus determine expressive centres. (DR, p.48)

The ‘first level of actualisation’ of the static ontological genesis in Logic of Sense is thus made up of the same two movements as vice-diction in Difference and Repetition. First, it establishes continuity between a set of singularities, establishing an ideal continuum and ‘defining compositibility as the rule of a
world synthesis' (LS, p.111). Second, it defines monads as centres of expression on the basis of these singularities.

4.4 Vice-diction

Deleuze’s reading of Leibniz gives him a relation of composibility based on convergence which is not reducible to a relation of contradiction. In Logic of Sense this is part of the ‘static ontological genesis’, while in Difference and Repetition it is called ‘vice-diction’. In chapter four of Difference and Repetition, however, vice-diction returns, with one crucial difference: this time there is no reference to Leibniz at all. Deleuze uses the word to describe the process through which virtual Ideas are determined or structured. These virtual Ideas therefore share a similar structure to what above we have been calling Leibniz’s ‘world’: an ideal continuum populated by singular points. The first movement of vice-diction, we saw, established relations of continuity between these singular points. When Deleuze returns to vice-diction outside of a Leibnizian context, we find precisely the same movement. Here, Deleuze employs a new set of mathematical terminology (‘auxiliaries and adjunctions’), and doesn’t mention the theory of composibility. But it is clear that the process is the same:

It is vice-diction which engenders cases, on the basis of auxiliaries and adjunctions. It presides over the distribution of distinctive points within the Idea; it decides the manner in which a series must be continued, from one singular point among regular points up to which other; it determines whether the series obtained within the Idea are convergent or divergent. (DR, p.190)

Vice-diction is a kind of non-conceptual mediation which relates singular points to one another, and here again, its most important feature for Deleuze is its difference from contradiction: ‘the procedure capable of following and describing multiplicities and themes, the procedure of vice-diction, is more important than that of contradiction, which purports to determine essences and preserve their simplicity’ (DR, p.189). Vice-diction functions independently of already-determined individual essences, and provides the condition for their production. Thus: ‘The problem of thought is tied not to essences but to the evaluation of
what is important and what is not, to the distribution of singular and regular, distinctive and ordinary points, which takes place entirely within the inessential or within the description of a multiplicity, in relation to the ideal events which constitute the conditions of a “problem” (ibid).

But this is only the first movement of vice-diction - the traversal or description of an ideal continuum with a corresponding distribution of singular points. The second movement involved the envelopment of this ideal continuum within the individual monads which come to express it. But again, Deleuze's return to vice-diction in chapter four, independently of Leibniz, also contains this second movement: 'Vice-diction has two procedures which intervene both in the determination of the conditions of the problem and in the correlative genesis of cases of solution: these are, in the first case, the specification of adjunct fields and, in the second, the condensation of singularities' (ibid). From what we've already established, it's clear that these two procedures of vice-diction have their correlates in the Leibnizian structure we've described in this chapter. The 'specification of adjunct fields' corresponds to the condition of continuity which determines a complete possible world; while the 'condensation of singularities' corresponds to the envelopment of singularities within an expressive individual.

This account of vice-diction conflicts with that of James Williams, for whom vice-diction is a kind of ethical operation on the side of human subjects: 'The concept of vice-diction is Deleuze's answer to the question of how to live with the way virtual Ideas and, therefore, pure differences condition our actions. This leads to answers to the question of how to act' (Williams, Difference and Repetition, A critical introduction, p.168). But, we've seen that vice-diction is a metaphysical procedure or movement, rather than a peculiarly human activity. Thus, Deleuze writes: 'There is an objectivity on the part of adjunction and condensation, and an objectivity of conditions, which implies that Ideas no more than Problems do not exist only in our heads but occur here and there in the production of an actual historical world' (DR, p.189).

Vice-diction traverses an ideal continuum, and determines relations of convergence or divergence between singular points. Singular points that converge are composable, and may be enveloped within a single individual. There is no reason, however, to expect the restlessness of the infinitely small to produce a
distribution of singularities all of which are convergent. In fact, this restlessness produces a whole variety of differential relations, and ensures a whole series of possible singular points are distributed at once. We are thus faced with a new question: what happens when the series of ordinary points extending from two singularities diverge from one other? The differing answers to this question will mark the fundamental difference between the Leibnizian world and Deleuze's neo-Leibnizian world - their own point of divergence.

4.5 Deleuze’s critique of Leibniz

Central to Deleuze's account, as we've seen, is his claim that Leibniz's 'world' pre-exists the individual monads which eventually come to occupy and express it. The world is nothing other than a particular distribution of composable singularities or events. His account remains traditionally Leibnizian, however, insofar as this distribution is just one of many possible distributions, each of which constitutes a complete possible world. According to this view, the divergence of singularities must necessarily signal a bifurcation into two distinct possible worlds. Leibniz, Deleuze thinks, thus only ever made an 'exclusive' use of incomposibility: it is the criterion which ensures that each world contains only events which are continuous, convergent and composable with one another. Discontinuous, divergent and incomposable events exclude one another, ensuring each world remains ordered and harmonious. Deleuze writes: 'Leibniz makes use of this rule of incomposibility in order to exclude events from one another. He made a negative use of divergence of disjunction - one of exclusion' (LS, p.197). It is this exclusive nature of divergence or incomposibility that Deleuze repeatedly criticises in Leibniz. Thus, at the same time as Deleuze praises Leibniz for employing 'the method of vice-diction with such genius', he laments the fact that Leibniz 'subordinated it to illegitimate conditions of convergence'. And crucially, the grounds for this subordination lie in the requirements of representation. Leibniz's theory of convergence and divergence indicates for Deleuze 'the presence of a continuing pressure on the part of the requirements of representation' (DR, p.279).

The critique of representation provides the general basis for all of Deleuze's
critical statements about Leibniz’s philosophy in *Difference and Repetition*. It explains, Deleuze thinks, Leibniz’s commitment to the principle of identity, which in turn explains the exclusive role of divergence. In *Logic of Sense*, however, we find Deleuze’s criticisms framed differently. Here, Deleuze is concerned with the necessary presence of God as a transcendent ground for the coherence of the world. Thus, the question of which distribution of singularities will be realised reduces to the more traditional question of God’s choice of best possible world. We’ll begin, therefore, by looking at Deleuze’s critique of the concept of possibility itself.

### 4.6 The possible and the virtual in *Logic of Sense*

Deleuze discusses the concept of possibility in some detail in the 10th series of *Logic of Sense*, ‘The Ideal Game’. Similar themes are also found in the fifth chapter of his 1962 book *Bergsonism*. A simple example will illustrate the ways in which Deleuze believes thinking is constrained by its reliance on possibility. When considering a future event, like rolling a die, we try to conceive of every possible outcome. In this case, we conceive of six possibilities corresponding to the six faces of the die. These possibilities constitute the elements of a logical set, and we can establish the probability of a certain outcome by dividing certainty (1) amongst all the elements of this set: 1/6 in the case of the fair die. This account has four key features.

First, when the event we are considering comes to pass (when the die is rolled) the outcome is understood as the *realisation* of a possibility which was already contained within the set of all possible outcomes. There is a relationship of *resemblance* between this possibility and the real outcome: the movement of realisation is understood as adding existence or reality to a possibility in such a way that it ‘passes into the real’ (*Bergsonism*, p.96). We recall that resemblance was one of the four features of representation which Deleuze identifies in *Difference and Repetition* and which we looked at above. For instance, Platonic copies resemble the ideal forms they participate in. Here, the situation is slightly different: a real event or state of the world resembles the *possible* state that pre-exists it. In fact, then, Deleuze’s critique of possibility is part
of his much broader condemnation of philosophy’s reliance on the features of representation.

This relationship of resemblance thus requires that the total set of possible outcomes is completely delineated prior to the realisation of one of its elements, and this is the second key feature of Deleuze’s account of possibility: ‘we give ourselves a real that is ready-made, preformed, pre-existent to itself... Everything is already completely given: all of the real is in the pseudo-actuality of the possible’ (ibid., p.98).

Third, because of this antecedence, the set of possibilities as a whole is unaffected by which one of its elements is realised. In other words, the possible is indifferent to its own realisation.

Finally, then, there is nothing about a possibility or a set of possibilities which allows us to determine which will in fact be realised. Instead, we must look outside the set in order to discover some external criterion or set of conditions on the basis of which a possibility is selected and realised. This selection can at the same time be viewed as a limitation which prevents every possibility from being realised: ‘every possibility is not realised, realisation involves a limitation by which some possibilities are supposed to be repulsed or thwarted, while others pass into the real’ (ibid., p.96).

This final point amounts to the claim that there must be a reason why a particular possibility is realised. Thus, the question of possibility is closely connected to the question of sufficient reason. Within the context of our discussion of Leibniz, the task is to provide a reason why one singularity or event would be realised rather than some other. For instance, why, in the region of the world which Adam comes to envelop, do we find the event ‘to sin’, rather than the event ‘to not sin’? For Leibniz, of course, with his law of continuity and commitment to the universal influence which extends between every event of the world, the answer will inevitably refer to all the other events with which ‘to sin’ is continuous, convergent and compossible. In effect, then, for Leibniz, each distinct set of possible events collapses into a single set which encompasses every possible state of the entire world. Each element of this set is a complete possible world, and a single moment of selection establishes once and for all which distribution of singularities is realised. Even at this point, however, there is nothing
internal to this all-encompassing set of possible worlds which determines which
world is realised in order to become the real world. An external criterion is
still required - something which stands outside the domain in which sufficient
reason applies, or outside the world itself. Thus, for Leibniz, sufficient reason
will inevitably refer back to God's free choice between internally composable
and complete possible worlds.

Relying on a particular understanding of possibility thus seems to commit
a Leibnizian system to two important views. First, there is only a single point
of selection or determination: not just a selection of a particular possibility
but of an entire possible world. The events which define the world are selected
once and for all at its origin. Second, it relies on God as a being with a special
ontological status in three senses: God is a being that necessarily stands outside
the domain in which sufficient reasons are intelligible; the sufficient reason of
every other being is only intelligible insofar as it contains a reference to God;
and God has an intellect capable of grasping every possible distribution, and
selecting the best possible for realisation.

The real cause of these two views is the model of possibility: in particular,
a certain idea of closure. There is a closed set of possible worlds which God
chooses between, and each possible world is itself closed. The closure of possible
worlds stems from the condition of convergence we looked at above. It's a theory
of careful, orderly, agrarian distributions and enclosures. Deleuze's rejection of
the condition of convergence will thus also entail a rejection of a world genesis
based on the realisation of a possibility. The distribution of singularities does
not rely on a once and for all selection, and it also does not rely on a transcendent
agent which grounds this selection. One of the key differences between a purely
Leibnizian model and Deleuze's own model is thus the mechanism behind this
distribution of singularities. On the Leibnizian model, as we've just seen, this
distribution is governed by God's choice of best possible world, and occurs at
the origin of the world. Deleuze's alternative turns this distribution into an
on-going, creative process.
4.7 Affirming divergence

Convergence and divergence come into play with the series of ordinary points which extend from each singular point. Convergence functions as a criterion of selection: a world is constituted on the condition that the series extending from singularities converge. A world envelops an infinite system of singularities which have been selected through convergence. Where they don’t converge we get a second possible world. Convergence is only determined with the prolongation or actualisation of singularities: it is the series or ordinary points extending from a singular point that are said to converge or diverge with each other. At the same time, however, Deleuze is clear that on the Leibnizian model it is the convergence of series which determines the compossibility of each possible world. And so, if God is to choose between already-formed possible worlds, the singularities in each of these worlds must already be fully actualised. Just like the distribution of singularities, the actualisation of singularities has already occurred in the understanding of God prior to the realisation of the best possible world. In other words, Leibniz’s model entirely precludes individuals from having any kind of ‘virtual’ aspect: an individual’s potential is distributed across completely disconnected possible worlds, and all the individuals contained in each particular world are completely actualised at its origin.

Here again, just as in Difference and Repetition, Deleuze makes two related claims: first, that this criterion of convergence is what defines compossibility, and second, that the relation of compossibility is therefore not reducible to a relation of contradiction. The key consequence of the first claim is that compossibility does not just describe a static series of relations, but describes a dynamic and genetic process, because the convergence of series is simultaneously the actualisation of individuals: there is no structural compossibility prior to actualisation. Again, this is why above we saw that Leibniz’s possible worlds are devoid of any virtuality: they are structured according to their compossibility and as such must already be fully actual (possible without being virtual, or actual without being real). By contrast, the key moment in Deleuze’s modification of the Leibnizian model is his insistence on a communication or resonance between divergent series. This idea is absurd so long as we understand divergence as a relation between series belonging to incompossible worlds, and can
be affirmed only when we consider the virtual structure of a single world, whose singularities have not yet been fully actualised. Communication between divergent series lies at the heart of Deleuze’s ‘neo-Leibnizianism’: it is dependent on a Leibnizian topological structure but remains inconceivable to Leibniz himself thanks to the restrictions of his own thought. Deleuze argues that the assumption that divergent singularities exclude and are forever closed off from each other is justified ‘only to the extent that events are already grasped under the hypothesis of a God who calculates and chooses, and from the point of view of their actualisation in distinct worlds or individuals’ (LS, p.197). Here in Logic of Sense, then, we ultimately find the conservative, theological Leibniz returning to undermine the creative potential of events. But the exclusive nature of divergent series is not justified, Deleuze argues, ‘if we consider the pure events and the ideal game whose principle Leibniz was unable to grasp, hindered as he was by theological exigencies’ (LS, p.197). Stengers makes a similar point when she writes of Leibniz’s refusal to acknowledge the ‘depths’: ‘Leibniz is a central figure in Deleuze’s Logic of Sense. He appears as the creator of concepts Deleuze clearly loves, but he is also the one who exhibits the danger specific to what Deleuze calls a surface thought: not a thought that remains at the surface of things, but a thought that is creating this surface, refusing both the height, the high point from which things can be judged, and the depths, which subvert and destroy any order’ (Stengers, p.30). We would add to this only that the ‘depths’ which subvert and destroy any order already linger within Leibniz’s philosophy in the form of the dynamic, restless infinitely small.

In contrast to Leibniz’s divine game, we find Deleuze’s ideal game. Leibniz’s divine game makes use of divergence as a rule of exclusion which distributes events into distinct possible worlds. By contrast, in Deleuze’s ideal game ‘the divergence of series or the disjunction of members cease to be negative rules of exclusion according to which events would be incommunicable or incompatible. Divergence and disjunction are, on the contrary, affirmed as such’ (LS, p.197). But when it comes to affirming divergence, it is Nietzsche that Deleuze turns to, and no longer Leibniz: ‘Nietzsche’s perspective - his perspectivism - is a much more profound art than Leibniz’s point of view; for divergence is no longer a principle of exclusion, and disjunction no longer a means of separation’ (LS,
p.198). To affirm divergence means, in effect, to posit a relationship of coupling or resonance between divergent series. The whole productive result of Deleuze's break with Leibniz's conditions of convergence is thus summarised in Deleuze's claim that 'incomposibility is now a means of communication' (LS p.198).

### 4.8 The possible and the virtual in *Difference and Repetition*

In *Difference and Repetition* we find precisely the same argument: ‘Ideas have the power to affirm divergence; they establish a kind of resonance between divergent series’ (*DR*, p.278). This is the basis on which we distinguish between a Leibnizian procedure of vice-diction, with its necessary addition of a divine game, and Deleuze's own vice-diction, which relies on the ideal game or play of events which diverge from one another: ‘The procedures of vice-diction cannot, therefore, be expressed in terms of representation, even infinite: as we saw with Leibniz, they thereby lose their principal power, that of affirming divergence or decentring’ (*DR*, p.191). However, Deleuze's treatment of Leibniz differs from that in *Logic of Sense* in two respects. First, the grounds for Leibniz's failure to grasp the productive role of divergence is no longer located in his ‘theological exigencies' but in his commitment to the requirements of representation. Second, Deleuze is willing to concede a more ambiguous status to Leibniz, arguing that he stands 'hesitant' between various opposed positions.

The tension between two opposing characterisations of Leibniz first reappears in Deleuze's discussion of the difference between virtual and the possible. This account shares many of the features of Deleuze's account of possibility in series 10 of *Logic of Sense*, but again, while there it was the necessary role of God as a selective principle which Deleuze criticised, here it is the underlying representational structure that possibility presupposes. Thus, Deleuze argues that the difference between the possible and the real, or the movement from the possible to the real, amounts to the simple addition of existence. The only thing possibilities lack is reality or existence: ‘What difference can there be between the existent and the non-existent if the non-existent is already possible, already included in the concept and having all the characteristics that the
concept confers upon it as a possibility?’ (DR, p.211). This means that while realisation occurs in space and time, this space and time is nothing but an indifferent milieu, because existence doesn’t add anything that wasn’t already present as possible. The possible, Deleuze thinks, already refers to the form of identity in the concept. It is already fully determined through the form of the concept. Thus, the possible, insofar as it is capable of being realised, already possesses the ‘image of the real’. The real therefore resembles the possible: ‘It is difficult to understand what existence adds to the concept when all it does is double like with like’ (DR, p.212). Deleuze condemns possibility for being subordinated to the requirements of representation: the form of possibility is subject to identity in the concept, while the relation between the possible and the real is understood as one of resemblance. The genesis of the illusion of possibility has as its source the same mistaken procedure Deleuze condemns so frequently: the possible is ‘produced after the fact, as retroactively fabricated in the image of what resembles it (ibid.). Far from being capable of fulfilling its grounding or conditioning role, the possible instead ends up an inert, abstract shadow of that which it was intended to ground. This is why Deleuze will go on to claim that Leibniz’s divine game, in which God selects the best possible world for realisation, is a game which is ‘indistinguishable from the practice of representation, of which it presents all the elements’ (DR, p.283).

Leibniz’s philosophy is ultimately a philosophy of ‘infinite representation’, for Deleuze, because it ‘does not free itself from the principle of identity as a presupposition of representation’ (DR, p.49). Just as in Logic of Sense, this presupposition of representation manifests itself in the technical definition of divergence as a rule of exclusion: ‘that is why it remains subject to the condition of the convergence of series in the case of Leibniz’ (ibid.). We are thus able to recognise that Deleuze’s rejection of Leibniz can be brought back to this single point of difference. This gives us a better grasp of some of the key features of Deleuze’s philosophy than if we had simply located Deleuze’s critique of Leibniz in a vague distaste for conservative theology and a reliance on a transcendent divine agent. Deleuze even goes as far as to say that this is Leibniz’s only error:

Leibniz’s only error was to have linked difference to the negative of limitation, because he maintained the dominance of the old
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principle, because he linked the series to a principle of convergence, without seeing that divergence itself was an object of affirmation, or that the incomposites belonged to the same world and were affirmed as the greatest crime and the greatest virtue of the one and only world, that of the eternal return' (DR, p. 51).

The actualisation of the virtual is opposed to the realisation of the possible on all of these grounds. 'Actualisation breaks with resemblance as a process no less than it does with identity as a principle. Actual terms never resemble the singularities they incarnate. In this sense, actualisation or differentiation is always a genuine creation' (DR, p. 212). And key to this process of actualisation are the relations of resonance between divergent singularities.

Leibniz is saved from his fate as nothing but a thinker of representation because, Deleuze thinks, he is a figure standing hesitant between these two movements: the topological movement of the virtual and the conceptual movement of the possible. 'Any hesitation between the virtual and the possible, the order of the Idea and the order of the concept, is disastrous, since it abolishes the reality of the virtual. There are traces of such an oscillation in the philosophy of Leibniz' (DR, p. 212). This oscillation between the virtual and the possible encapsulates the double-sided nature of all of Deleuze’s readings of Leibniz. On the one hand, we get the dynamic, Dionysian side: 'Every time Leibniz speaks of Ideas, he presents them as virtual multiplicities made of differential relations and singular points, which thought apprehends in a state close to sleep, stupor, swooning, death, amnesia, murmuring or intoxication' (DR, p. 213). But on the other hand the conservative, Apollonian theological tendency returns and subordinates this conception of the Idea to a model of possibility: 'However, that in which Ideas are actualised is rather conceived as a possible, a realised possible' (ibid.).

But, as I suggested in the introduction, this hesitation turns out to be the very source of Leibniz’s originality and creativity: 'This hesitation between the possible and the virtual explains why no one has gone further than Leibniz in the exploration of sufficient reason, and why, nevertheless, no one has better maintained the illusion of a subordination of that sufficient reason to the identical' (ibid.). Sufficient reason is directly connected to the nature of vice-diction.
Thus, Deleuze writes: ‘No one has come closer to a movement of vice-diction in
the Idea, but no one has better maintained the supposed right of representation,
albeit at the price of rendering it infinite’ (*ibid*). But there is one other area
where Deleuze explicitly highlights a tension in Leibniz’s philosophy.

4.9 The clear and confused

There is one more ‘hesitation’ in Leibniz’s philosophy, Deleuze thinks, this time
concerning his steps towards a theory of differential, unconscious ideas: ‘No
one has been better able to immerse thought in the element of difference and
provide it with a differential unconscious, surround it with little glimmerings
and singularities, all in order to save and reconstitute the homogeneity of a
natural light a la Descartes’ (*ibid*). Just like in *Expressionism in Philosophy:
Spinoza*, Leibniz’s contribution here is framed by its opposition to Descartes.
Descartes’s principle of the clear and distinct is the ‘highest form’ of the prin-
ciple of representation as good sense or common sense, Deleuze thinks. The
proportionality between clarity and distinctness means that an idea becomes
more distinct the clearer it is: ‘Clarity-distinctness constitutes the light which
renders thought possible in the common exercise of all the faculties’ (*ibid*).
With Leibniz, however, this proportionality is broken: ‘Given this principle,
we cannot over emphasise the importance of a remark that Leibniz constantly
makes in his logic of ideas: a clear idea is in itself confused, it is confused in so
far as it is clear’ (*ibid*).

Thus, for Leibniz, clarity and distinctness are inversely proportional: the
clearer an idea is, the less distinct it is. Clarity is always confused, and dis-
distinctness is always obscure. This is a theme that is broad enough for Deleuze
to identity across various aspects of Leibniz’s philosophy. Thus, while here it
is introduced in the context of a logic of ideas, Deleuze concedes that the true
force is not felt by Leibniz himself: ‘Without doubt, this remark may be accom-
modated within the Cartesian logic, and taken to mean simply that a clear idea
is confused because it is not yet clear enough in all its parts. Moreover, is this
not how Leibniz himself finally tends to interpret it?’ (*ibid*). But it returns in
full force in his model of minute perceptions:
Despite the complexity and ambiguity of [Leibniz’s] texts, it does indeed seem at times that the expressed (the continuum of differential relations or the unconscious virtual Idea) should be in itself distinct and obscure: for example, all the drops of water in the sea like so many genetic elements with the differential relations, the variations in these relations and the distinctive points they comprise. In addition, it seems that the expresser (the perceiving, imagining or thinking individual) should be by nature clear and confused: for example, our perception of the noise of the sea, which confusedly includes the whole and clearly expresses only certain relations or certain points by virtue of our bodies and a threshold of consciousness they determine (DR p.253).

The individual drops of water are distinct but we perceive them only obscurely, while the clear perception of the sea is a confusion of all these individual drops. But this quote is also useful for pointing out what almost seems like a reluctance on Deleuze’s part to credit Leibniz with such a view. It is only despite the ‘complexity and ambiguity’ of Leibniz’s texts, and only ‘at times’, that it seems as if Leibniz breaks the connection between clarity and distinctness. By contrast, when Deleuze returns to this question in The Fold, there is no such reluctance: when it comes to both perceptions and ideas, distinctness is necessarily obscure, and clarity is necessarily confused.

The question of clarity and distinctness is especially important for the question of the ‘region of clear expression’ which defines monads. From what we’ve seen in this chapter, we know that Deleuze’s reading of Leibniz makes a central point of the fact that monads are defined or produced by the singularities or events which they envelop and express clearly. This is the second moment of vice-diction or static ontological genesis, following the distribution of singularities. Even in Difference and Repetition and Logic of Sense, it is already clear that Deleuze conceives this as a theory of envelopment. But it is not until 20 years later that we find a fully developed account of this theory. We thus turn to The Fold in order to explain why a theory of individuals as ‘centres of expression’ forms another central part of Deleuze’s reading of Leibniz. As part of this process, we will have to find correlates for the central features of
Deleuze’s Leibnizian structure which we’ve reconstructed in this chapter. As we’ll see, each returns modified in some sense by the concept of the fold. But we’ll also see that folding is not enough to liberate Leibniz’s philosophy from its constraints (theological or representational) and in fact, precisely the same criticisms return even in this later, more sympathetic engagement.
Part III

The Fold
Chapter 5

The Baroque House - the lower level

5.1 Introduction

The Leibnizian structure we discovered in *Difference and Repetition* and *Logic of Sense* returns in a different form in *The Fold*, although its central elements remain the same. Here, for the first time, Deleuze is careful to introduce each element of his reading of Leibniz in a particular order. In the lecture series on Leibniz Deleuze was giving at around the same time *The Fold* was written, Deleuze calls this a ‘non-philosophical’ progression, and insists it must accompany any philosophical understanding of Leibniz. It relies on a kind of intuitive deduction of the impetus behind Leibniz’s creation of certain theories. Thus, for example, when Deleuze initially asks ‘why are things folded?’, the intuitive answer he relies on to advance his account is ‘in order to be put inside something’.

It is only on this basis that we move from the folded nature of predicates or events to their ‘inclusion’ in subjects or individual notions. Regardless of how we interpret the legitimacy of this method, it at least demonstrates the extent to which *The Fold* presents Leibniz’s philosophy, for the first time, as a unified whole, all of whose elements are connected.¹

¹Does a more unified reading of Leibniz also mean a more scholarly one? We find varying opposed positions. For instance, Adam Wilkins argues that Deleuze’s interpretations of Leibniz ‘tend to involve a sort of systematic reconstruction that is not too tightly tied to the
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The Fold starts with a discussion of curvature in Leibniz’s conception of matter. Deleuze draws on Wolfflin’s analysis of Baroque architecture to characterise the propensity for curved forms with fuzzy edges and the neglect of sharp edges which finds its correlate both in the contemporary mathematical problem of curved lines and figures and in Leibniz’s own philosophical conception of infinitely divisible matter. Ultimately, however, we discover that infinitely divisible, continuous matter ends up referring to centres of unity which exist outside of the domain of matter. Deleuze’s non-philosophical progression thus moves us to a different domain, where metaphysical unities or souls exist. It is here that Deleuze’s Leibnizian structure returns in familiar form. Once again, Deleuze describes a process through which singular points (this time themselves understood as points of inflection or folds) are enveloped by monads which come to occupy certain points of view. Deleuze describes the clear region of the world which these monads express in terms of Baroque painting, whose characteristic chiaroscuro style causes clear forms to emerge from an obscured dark background. We also see here Deleuze’s most explicit attempt to equate the Leibnizian monad with the singular complete notion. The singularities enfolded in a monad are simultaneously the predicates which are included in the monad’s complete notion. What we ‘see’ in the monad, Deleuze thinks, we ‘read’ in the monad’s notion.

In The Fold we find Deleuze’s own characterisation of the ‘two Leibnizes’. Any ‘portrait of Leibniz’, he will write in chapter three, is marked by the tension between an ‘open façade’ and a ‘closed interiority’, especially when it comes to the ways in which he presents his philosophy. But even in The Fold, Deleuze cannot free Leibniz from the theological constraints of his time and thought. However far he is pushed, we return again and again to the same point: Leibniz cannot be brought to ‘affirm divergence’ in the way Deleuze insists is necessary.

I referred briefly in the introduction to the neglected status of Leibniz within Deleuze scholarship. The Fold, by and large, is similarly neglected, even on those occasions where Leibniz is addressed directly. A good example can be found in text under discussion. (Wilkins, p.134.) Whereas Dosse quotes the Leibniz specialist Michel Fichant: ‘In rereading The Fold, I’ve realized that Deleuze is far more faithful to Leibniz than we might have thought.’

If The Fold is often neglected when it comes to Deleuze’s reading of Leibniz, then we can also make a further claim; this time from the other direction: Leibniz himself is neglected in scholarship on The Fold. Consider the recently published Deleuze and The Fold: A Critical
the chapter devoted to Leibniz in Deleuze’s Philosophical Lineage. There, Daniel Smith writes that although Deleuze published a book-length study of Leibniz late in his career, entitled The Fold: Leibniz and the Baroque, his more profound (and, I believe, more important) engagement with Leibniz had already occurred in Difference and Repetition and Logic of Sense. I hope to show, in this final part, that this view is incorrect. Although we’ve seen Deleuze rely heavily on Leibniz at various points in Difference and Repetition and Logic of Sense, and although almost every aspect of these engagements returns in The Fold, there is one key difference. In DR and LS, various themes in Leibniz’s philosophy are called upon to help explain one key aspect of Deleuze’s philosophy. But it is only in The Fold that all of these positions are brought together and united into a single reading; a whole system which methodically unfolds throughout the book. In this sense, I will argue that Deleuze’s ‘more profound engagement’ with Leibniz unquestionably takes place in The Fold.

5.1.1 The Baroque

There is another word that accompanies Leibniz in the subtitle of The Fold. Throughout the book, Deleuze refers to Baroque architecture, sculpture, painting and music. Pinpointing the intention behind Deleuze’s references to the Baroque forces us to make some fairly bold claims about the intentions of the book as a whole, and especially how the Baroque stands in relation to Leibniz’s philosophy. It is tempting, given our focus, to interpret all of Deleuze’s references to Baroque art as nothing more than a useful set of analogies and images that allow us to better understand Leibniz’s philosophy. We could argue that the various discussions of Baroque architecture, sculpture, painting and music give us an alternative, fresh viewpoint on complex Leibnizian concepts; and that these viewpoints help us visualise Leibniz’s elaborate philosophical system and add some colour to what would otherwise be a fairly dry, technical text.

Reader, the only substantial secondary commentary on The Fold. Of the ten papers, fewer than half have anything significant to say about Leibniz’s central place in the book.

Smith, ‘Leibniz’, p.44.

4The actual content of Smith’s paper almost seems to run counter to his own claim. The paper is largely concerned with a summary of Deleuze’s taxonomy of Leibnizian principles, formulated in a lecture series on Leibniz given in 1980. But not one of these principles makes an appearance in Deleuze’s references to Leibniz in Difference and Repetition or Logic of Sense. Instead, this taxonomy is clearly a precursor to the fourth chapter of The Fold, where their importance becomes clear.
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But perhaps the Baroque signifies something much more important for Deleuze. It might signify a particular context within which Leibniz’s philosophy should be situated, where it can be labeled ‘Baroque philosophy’ and placed alongside Baroque architecture, music and so on (perhaps even a Baroque mathematics). If this is the case, then the discussions of Baroque art still help us understand Leibniz’s philosophy, but only insofar as they describe ‘Baroque traits’ which are common to all these various disciplines. Leibniz’s philosophy thus becomes one expression amongst many of the traits which define the Baroque.

The difference between these two possible interpretations of Baroque art in The Fold boils down to a decision over which word in the subtitle should take priority: does the significance of the Baroque stem solely from its affinity with the images conjured up by a Leibnizian universe, or does Leibniz’s significance stem from his role as philosophical ambassador for the Baroque, understood as some kind of historical event, or perhaps even a Baroque ‘plane of immanence’? Although it runs counter to our emphasis on Leibniz, I would like to argue that the second interpretation is correct: it is Leibniz who falls under the umbrella of the Baroque, and not vice versa. I think this is clear from the very first page, where Deleuze writes that the ‘trait of the Baroque’ is the infinite fold, or the infinite process of folding. Thus (and before we even broach the question of what folding means), it is clear that the Baroque, by itself, has a defining trait, and it is through this common trait that we justify the analogies which Deleuze draws between Baroque art, philosophy and mathematics. The key point, then, is that the infinite fold is not just a concept we can extract from Leibniz’s philosophy, it is the very trait which allows Leibniz’s philosophy to express the Baroque world, and for Leibniz to be considered the Baroque philosopher par excellence. And so when it comes to the goals of this thesis, in order to justify the relevance of The Fold it suffices only to point out that Deleuze’s passages on the Baroque always shed some light on Leibniz, whichever way we view the relationship between the two: whether because they are deliberately constructed as analogies, or because they share key traits, these passages always correspond to some area or theme of Leibniz’s philosophy. Manola Antonioli points out how The Fold presents a complex relationship between the Baroque and Leibniz’s philosophy: ‘Even if this book seems like a return to the preceding monographs, it presents in
realism a much more complex structure of internal folding: implication of the
tought of Leibniz in the thought of the Baroque, implication and complication
of fundamental concepts of Deleuze in the thought of the fold of Leibniz and of
the Baroque. (Antonioli, p.109.)

None of this should take away from Leibniz’s singular importance, however.
However wide Deleuze’s analyses may spread, insofar as The Fold remains a
book of philosophy, Leibniz’s central role is assured. This is especially clear
when we consider the question of defining the Baroque. Even the best com-
mentators on the Baroque, Deleuze will point out, have had their doubts about
the ‘consistency’ of the concept. They worried that it would become too broad
a term, and take on an arbitrary extension: a label applied so liberally that
it becomes meaningless. In response to this fear, different strategies have been
employed. Sometimes the Baroque is restricted to a single domain, like archi-
tecture, or restricted to narrower and narrower periods and places. The most
radical way to deal with the problem is to deny that the Baroque is a mean-
ful concept at all: ‘the Baroque has never existed.’ However, we cannot simply
deny the existence of the Baroque in the same way as we deny, for instance, the
existence of unicorns. In the case of the unicorn the concept is at least given:
we know what a unicorn would be, we simply deny the existence of anything
that matches this concept. In the case of the Baroque, however, the question is
precisely how to determine the concept itself. It’s easy to render the Baroque
inexistent, Deleuze writes: all we have to do is refuse to provide a concept for
what the Baroque would be. But the challenge is to invent a concept of the
Baroque that makes it exist, or that provides its reason for existing. And if
Leibniz is the philosophical representative of the Baroque, then it is to him that
we must turn in our search for a concept that would make the Baroque exist.

For Deleuze, the criterion or the ‘operative concept’ of the Baroque is the
fold. It is this concept which allows us to extend the Baroque beyond its his-
torical limits while giving it a precise condition. In other words, particular
figures from various points in history can be labeled ‘Baroque’ if and only if
their work includes folding in some way. This is why Deleuze can insist, for
example, that Mallarmé is a Baroque poet, and Hantaï is a Baroque painter.
There is a Baroque line or lineage throughout history, Deleuze claims, recog-
nisable thanks to the concept of the fold, and which unites architects, painters, musicians, poets and philosophers. But does Deleuze’s own criterion fall prey to the very criticism he has leveled at previous attempts? Does defining the Baroque in terms of folding leave it far too broad a concept? Deleuze recognises the danger: ‘which period and which style would ignore the fold as a trait of painting or of sculpture?’ (Le Pli p.47). There are already Roman folds, Oriental folds, etc. But the Baroque is not just identified with folding, it is identified with the infinite fold, the fold that ‘goes to infinity’, and which attains a kind of ‘unlimited freedom’.

Deleuze is not silent on this question of the relation or correspondence between Leibniz’s philosophy and other ‘Baroque disciplines’, and analogy is a theme which runs constantly throughout The Fold. In the last chapter, for instance, Deleuze is clear that while we can’t ‘directly transpose’ a discussion of harmony in Baroque music onto Leibniz’s philosophy, there is nevertheless a ‘clear analogy’. And we can even point out a new appreciation for a correspondence or harmony between disciplines within certain areas of Baroque art itself. For instance, Bukofzer shows in his Music in the Baroque era, that: ‘The renaissance artist saw in music a self-contained autonomous art, subject only to its own laws. The baroque artist saw in music a heteronomous art, subordinated to words and serving only as musical means to a dramatic end that transcended music’ (Bukofzer, p.8). Similarly, Wölflin writes in Renaissance and Baroque: ‘[W]hat we are discussing is a general approach to form which embraces all the arts, including music, and which implies a more fundamental common source’ (Wölflin, p.36).

While Wölflin is largely concerned with architecture, his identification of more general Baroque traits is influential on Deleuze. Wölflin pinpoints, within the 200 year Baroque period, a gradual change or tendency within this ‘general approach to form’. The early Baroque style is ‘heavy, massive, restrained and solemn.’ Gradually, the ‘pressure’ of this early period begins to lift, and we find a ‘lighter and gayer’ style, culminating with the ‘playful dissolution of all structural elements’ in the Rococo style. This movement from heaviness to lightness is like an elevation, or perhaps an overflowing, and it is a theme that will return again and again throughout The Fold. We find it not only in chapter
one, where Deleuze addresses Wölflin's architectural theory directly, but also in chapter nine, where Deleuze characterises Baroque art through the tendency for its matter to extend or overflow its frame. But Deleuze also insists that this tendency is not limited to art. In Leibniz's philosophy, souls are 'elevated' to the status of reasonable spirits. But I would like to go even further, and suggest that just as there is a gradual process of elevation within the Baroque style, there is a corresponding elevation within the structure of The Fold itself. And we can see this not only in the areas of philosophy Deleuze turns his attention to, but in the artistic analogies he creates. The first chapter is concerned with Leibniz's theory of matter, and thus it is in the weighty, heavy masses of architecture that Deleuze finds inspiration. Then, as we move to a discussion of the 'weightless' soul in chapters two and three, we turn to painting and sculpture. In chapters five and six, which address souls which have been elevated to a 'reasonable' status, Deleuze draws heavily on literature, and in the final chapter discusses music as an analogy for Leibniz's theory of harmony. In the most general terms, The Fold displays a tendency from material heaviness towards spiritual weightlessness.

We find this theme again in one of the most enduring images of The Fold: the metaphor of the Baroque house. The most important feature of the Baroque house is that it has two floors or levels: above we find weightless souls, while below we find heavy, material masses. This distinction between these two levels or floors is crucial for Deleuze: The two floors of the Baroque house are also the two levels of the Baroque conception of the world. The lower level of the Baroque house is made up of crowded, communal areas. There is no privacy, and everything communicates. It is on this lower level that we find weighty, material masses. Deleuze uses the image of the communal area to hint at the continuous and open nature of matter: the parts of matter are not 'closed off' from one another, and each is open to the influence of every other part. By contrast, the upper level of the Baroque house contains completely private rooms, which do not communicate or interact with each other or with the outside world. These private chambers are the monads which, we are constantly reminded, 'have no doors or windows'. The upper, spiritual level of the Baroque house is where we find absolute individuality in the form of monads or souls. It is hard to imagine two more opposed domains: the openness, exteriority and continuity of material
bodies below and the closure, interiority and individuality of spiritual monads above. The two levels of the Baroque house seem irredeemably detached from one another. They are, to use the terminology familiar to Leibniz’s period, really distinct.

And yet there is a third, more elusive, current within Leibniz’s philosophy which hints at a reconciliation or even a blurring between these two levels, and this is where the concept of folding becomes crucial. The essence of folding is present in Deleuze’s repeated references to a favourite thesis of Leibniz: real distinction does not imply separability, which means that two things, including the two levels of the Baroque house, can be really distinct from one another and yet remain inseparable. It is as if the two levels of the Baroque house are distinguished only while simultaneously being folded over or into each other in such a way that they become inseparable. But there are folds everywhere, not just the fold which passes between the upper and lower level of the Baroque house. There are operations of folding on each level itself, specific to that level. On the level below there is a fold which amasses the parts of matter into inorganic aggregates. And there is a second fold which organises (the same) parts into organic bodies. Meanwhile, on the level above, a monad’s perception has nothing to do with a window onto an outside, but with unfolding or drawing out something already folded within the obscure darkness of its own interiority.

Deleuze devotes the first chapter of *The Fold* to the lower level of the Baroque house, or to the types of folding found in material bodies. The second chapter deals with the type of folding found in souls on the upper level. It is not until chapter three that we begin to see how there is a process of folding which passes between these two levels themselves.

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5 This is a good moment to mention what I consider to be the inadequacy of Tom Conley’s English translation of *Le Père*. The crucial thesis that two things can be really distinct while remaining inseparable is first mentioned on p.17, where Deleuze writes: ‘L’âme et le corps ont beau être inséparables, ils n’en sont pas moins réellement distincts.’ Even though the soul and body are inseparable, they are nevertheless really distinct. However, Conley translates this sentence as: “The body and soul have no point in being inseparable, for they are not in the least really distinct” (*The Fold*, p.13). According to Conley’s translation, then, the body and soul are not inseparable, and they are not really distinct. This reverses the meaning of the sentence and, if we were to take it seriously, would make Deleuze’s argument concerning the relation between the upper and lower levels of the Baroque universe even harder to understand.
5.1.2 Two types of folding

These then are the three central aspects of the Baroque house, and by extension, the Baroque world: two really distinct levels, folded into a single world. They are also indicative of the three central areas of Leibniz’s philosophy which Deleuze thinks are pivotal. Leibniz provides a conception of a continuous, infinitely divisible matter on the one hand, and a conception of absolute individuality, in the form of closed monads, on the other. But he also provides, or at least hints at, a third concept, the fold, as the defining concept of the Baroque itself, through which the two levels of the Baroque world begin to resonate, are brought into a correspondence and perhaps even a communication. This is why, in the final chapter, Deleuze is able to write that ‘the world of Leibniz has no trouble in reconciling full continuity in extension with the most comprehensive and tightest individuality’ (Le Pli, p.169).

Chapter one of The Fold is concerned with the ‘lower’ level of the Baroque house and with the material bodies found there. Amongst these material bodies Deleuze identifies two types of fold, or two distinct operations of folding. The first of these corresponds to inorganic aggregates, while the second corresponds to living organisms. In order to pinpoint the difference between ‘inorganic folds’ and ‘organic folds’ (as we will call them), Deleuze thus devotes much of his attention to the difference between inorganic aggregates and living organisms. This is an unusual place to begin a treatment of Leibniz’s philosophy, and sheds some additional light on the intent behind The Fold as a whole. If The Fold were a conventional account of Leibniz’s philosophy we would expect it to begin with an introduction of its more well-known aspects: his theory of analytic truth, his understanding of predication, the theory of monads, and so on. The difference between inorganic aggregates and living organisms seems to be a secondary question: it might be addressed, but only after these more properly philosophical issues have been settled. And even Deleuze’s own earlier reading of Leibniz, in Expressionism in Philosophy: Spinoza, followed this approach: while the nature of matter and organisms is eventually discussed, it is interesting only insofar as it is informed by the great metaphysical ‘principles of reason’, an understanding of which remains Deleuze’s real concern. The way The Fold plunges headfirst into the intricacies of matter and living organisms is therefore surprising. But
it is surprising only so long as we treat this strictly as a book about Leibniz. As I have argued above, The Fold does not introduce the concept of folding in order to explain Leibniz's philosophy, but places Leibniz's philosophy alongside other expressions of the 'infinite fold' as the concept which defines the Baroque. And as we struggle to understand the nature of folding in all of its various aspects, it is perhaps the inorganic and the organic fold which are the easiest to grasp. And so, if we accept that an account of folding is one of Deleuze's central goals for the book as a whole, then a discussion of inorganic matter and living organisms, as the domains in which the inorganic and the organic fold operate, whilst apparently unorthodox, instead becomes the most logical starting point. The choice of topics contained in this first chapter is thus guided by Deleuze's overall plan to develop an account of folding, and it should not imply that Deleuze believes that these topics play any kind of grounding role in Leibniz's philosophy.

The first chapter of The Fold introduces us to two 'images' of folding. These correspond to a difference between inorganic matter and living organisms in Leibniz's philosophy. This is an unusual place to begin a treatment of Leibniz's philosophy, and it's not a topic we find in any of Deleuze's earlier readings of Leibniz. The way The Fold plunges headfirst into the intricacies of inorganic matter and living organisms, although surprising, can therefore be explained by Deleuze's intention to introduce, as early as possible, the concept after which the book is named.

5.2 Baroque architecture and the inorganic fold

Deleuze identifies three important characteristics within Leibniz's theory of inorganic matter. But he does not turn to Leibniz directly in order to introduce these characteristics. Instead, we find an apparently unconnected discussion of Baroque architecture. Often, throughout The Fold, and as we saw above, the same idea is expressed in various ways, or approached from different angles, across several disciplines. Sometimes it is only through a careful reading that the correspondence between these apparently disconnected discussions becomes clear. In this case, it is necessary to summarise the important features
of Deleuze's brief foray into architectural theory in order to draw out their later relevance. The authority Deleuze turns to is Heinrich Wölfflin, the figure largely responsible for legitimising the Baroque period. Until Wölfflin's 1888 work *Renaissance and Barock*, the term had always been derogatory, indicating a noisy, redundant abundance of detail or complexity. As Wölfflin points out, the Baroque was customarily seen, not as a progression from the Renaissance, but as that 'into which the Renaissance degenerated' (Wölfflin, p.15). Wölfflin's work marks the point at which the term came to designate a particular stylistic category, and therefore a serious area of study. Deleuze credits Wölfflin with identifying the 'material traits' of the Baroque through his analysis of Baroque architecture. We've already established that Deleuze thinks the same Baroque characteristics apply across disciplines, and so the 'material traits' which Deleuze finds in Wölfflin must inevitably extend beyond architecture. Wölfflin himself even says as much: '[W]hat we are discussing is a general approach to form which embraces all the arts, including music, and which implies a more fundamental common source' (p.36). Of course Deleuze goes further, and claims that these traits are not just limited to the arts, but extend into Baroque mathematics, science and philosophy. This means that insofar as Leibniz is the philosophical representative of the Baroque, the material traits which Deleuze finds in Wölfflin's analysis of Baroque architecture must correspond to the material traits of Leibniz's own philosophy, or in other words to certain features of Leibniz's own understanding of the nature of material bodies. Looking at the key characteristics of Baroque architecture is thus how we begin to visualise and understand Leibniz's conception of the material world, the world of masses and aggregates, and subsequently the world of the inorganic fold. With this in mind, we'll identify the material traits which Deleuze finds in Wölfflin, and which will correspond to the characteristics of Leibniz's theory of matter.

The first key trait of Baroque architecture Deleuze picks out is its use of curved forms in place of straight edges: 'the rounding of corners and the avoidance of right angles', as well as 'the substitution of the rounded acanthus for the jagged acanthus...' (Le Pli, p.7) (the acanthus is an ornamental decoration styled after the leaves of the acanthus plant). Wölfflin writes that as part of the transition from Renaissance to Baroque architecture 'all hard and pointed
shapes were blunted and softened, and everything angular became rounded’ (p.47). We already introduced the importance of curvature when we used it to characterise the non-uniform motion of bodies in the last chapter. There, it was connected to the *continuity* of matter, and the same idea returns here in *The Fold*. We’ll see that the key trait of continuity is the ‘blurring’ of edges, such that the boundary or transition between two forms is impossible to pinpoint precisely. Baroque architectural forms are curved precisely because they lack sharp boundaries, and in many respects this is the real significance of curvature for Deleuze. Indeed, Wölflin goes so far as to say that ‘this very antipathy to any form with a clear contour is perhaps the most basic trait of the Baroque style’ (p.64). The transition from the discontinuous, sharp forms of the Renaissance to the continuous, curved forms of the Baroque is thus one in which ‘...corners were rounded off, so that the boundaries between light and dark, which had formerly been clearly defined, now formed a quivering transition’ (Wölflin, p.35).

Second, Deleuze references the ‘horizontal widening of the base’, the ‘lowering of the pediment’ and the ‘low and curved steps...’ which are characteristic of Baroque architecture (Le Pin, p.7). All of these are symptomatic of what Wölflin calls the Baroque’s ‘broad, heavy, massive forms’. Weight predominates in Baroque architecture to the extent that its forms are ‘almost crushed by the pressure’. The result is Church and palace façades with ‘as much width as possible’, pediments that are ‘heavily depressed’, and staircases with ‘low, spreading forms’ (Wölflin, p.44). Wölflin writes that ‘this effect of yielding to an oppressive weight is sometimes so powerful that we imagine that the forms affected are actually suffering’ (Wölflin, p.45). The second material trait of the Baroque is thus this sense of weight or pressure: Baroque forms behave as if they are compressed or squashed by an outside force.

The ubiquity of curvature carries with it a third aspect, which Wölflin hints at when he writes: ‘The Renaissance work looks fragile, its brittle stuff terminates in sharp edges and hard angles, while the Baroque forms are full, opulent, and curled over in round and generous whorls’ (Wölflin, p.35). Baroque architectural forms do not only have curved *external* edges, but the ‘quivering transition’ between forms in some way reaches into the interior of the form itself, which becomes animated by ‘generous whorls’ or vortices. Deleuze expands on
this when he writes of ‘the utilisation of travertine [a particularly porous form of limestone] to produce spongy, cavernous forms, or the constitution of a vertical form which is always fed by new turbulences and which ends only in the fashion of a horse’s mane or the foam of a wave...’ (Le Pli, p.7). There is thus a kind of dynamism or restless activity nesting within the Baroque forms. This animated matter even displays a tendency ‘to overflow space, in the style of a fluid...’ (ibid). Wölflin writes: ‘[T]he Baroque puts the emphasis on the material, and either omits the frame altogether or makes it seem inadequate to contain the bulging mass it encloses’ (Wölflin, p.55). This tendency presents an interesting opposition to the sense of weight and pressure we introduced above. Caught between these two tendencies, Baroque architecture is ‘crowded and massive and makes us fear that the filling will burst out of the frames’ (Wölflin, p.56).

Wölflin’s analysis of Baroque architecture has thus given us three ‘material traits’ of the Baroque, encapsulated in three terms: curvature, pressure, and dynamism. Taken together these three ideas will also form the core of Deleuze’s reading of Leibniz’s theory of matter. Finally, they form the core of the first of the two kinds of fold which Deleuze puts to use throughout the whole of The Fold. Again, we are already somewhat familiar with the importance of curvature from the last chapter: we know it is connected with Leibniz’s law of continuity, and with his discovery of the infinitesimal calculus. This idea of continuity was important, because it lead us to a description of a differential continuum, populated by singularities, which formed an important part of the Leibnizian structure Deleuze puts to use in Difference and Repetition and Logic of Sense. In the first chapter of The Fold, it becomes central to the analogy Deleuze draws between Baroque architecture and a ‘Baroque mathematical physics’. Deleuze thinks that the Dutch mathematician Huygens, with whom Leibniz corresponded, is responsible for the development of a particular mathematical physics which can be described as Baroque because of its emphasis on curvature. Following Huygens, Leibniz maintained that the biggest challenge facing our observation of bodies moving in space is to describe their curved, or non-uniform, motion. In Huygens’s case, the development of a branch of mathematical physics ‘aimed at curvature’ lead to the discovery of centrifugal force. In Leibniz’s case,
as we saw, it lead to the development of infinitesimal calculus. Here in The Fold, however, Deleuze does not immediately relate the idea of curvature to Leibniz’s mathematics. Instead, we are still firmly in the domain of the material. Deleuze describes three ‘fundamental notions’ in Leibniz’s theory of matter which will correspond to the three traits of Baroque architecture we have just introduced: the fluidity of matter, the elasticity of bodies, and the ‘spring’ or ressort. In the last chapter we briefly introduced the curved, non-uniform motion of bodies (the rolling cannonball) in order to get a sense of the urgency behind Leibniz’s mathematical discoveries. We’ll now return to this discussion in more detail in order to see how it ultimately leads Deleuze to introduce an account of folding as the means to understand a key part of Leibniz’s philosophy - his law of continuity. We thus have our first instance of a familiar and important point of influence on Deleuze returning in order to be brought under the auspices of his new concern for the concept of the fold.

When isolated, or considered in abstraction, the motion of any body will be straight and uniform. There is nothing about a body taken in isolation that would cause its movement to curve. However, in reality, the motion of a body is always influenced by its surrounding environment, and is compelled to respond to this influence. In the preface to his New Essays Concerning Human Understanding (a text which Deleuze cites often in The Fold), Leibniz writes:

Abstraction is not an error as long as one knows that what one is pretending not to notice, is there. This is what mathematicians are doing when they ask us to consider perfect lines and uniform motions and other regular effects, although matter (i.e. the jumble of effects of the surrounding infinity) always provides some exception.

Each part of matter is open to constant influence from an environment from which it is never completely isolated or separated, and it is this that accounts for the necessarily curved or non-uniform motion of bodies. We can describe this ‘jumble of effects’ from the surrounding environment as a type of pressure exerted on a body, and it thus corresponds to the first of the material traits of the Baroque which Deleuze takes from Wöllflin - the idea that Baroque forms are subject to a kind of weight or pressure. Matter is compressed by its surrounding environment, and it is this which gives it a curvilinear movement. The
effect of the surrounding environment is evident enough in most cases: the uniform motion of the cannonball rolling down the hill is interrupted because the rough ground constantly affects its course. But Leibniz insists that no part of matter can ever be isolated, thanks to the nature of matter itself. Matter is infinitely divisible, and this entails a continuity between each of its parts, and a corresponding susceptibility to influence. Leibniz summarises this continuity with a well-known phrase: ‘nature never makes leaps’. For a body to be isolated it would have to remain indifferent to, or disconnected from, the matter that surrounds it. But for Leibniz such a discontinuity between the parts of matter is impossible because the ‘gap’ between any two parts of matter always contains a third part that exists between them. As a result, even the space where two bodies ‘touch’ is not really a point of discontinuity because the division between the two becomes blurred as each divides infinitely into further parts. And if discontinuity is impossible then it follows that no part of matter can be isolated, or rendered indifferent to any influence from its environment.

We’ve already seen that the ‘blurring’ of the division between bodies or forms is a Baroque trait which Wölflin describes in architecture. But it appears again in Wölflin’s distinction between the ‘linear’ style of painting characteristic of the Renaissance and the ‘painterly’ style of the Baroque: ‘The earlier [Renaissance] style is entirely linear: every object has a sharp unbroken outline and the main expressive element is the contour. The later [Baroque] style works with broad, vague masses, the contours barely indicated; the lines are tentative and repetitive strokes, or do not exist at all’ (Wölflin, p.31). It is this characteristic of matter as continuous and infinitely divisible which is called the ‘fluidity’ of matter, Deleuze’s first ‘fundamental notion’ in Leibniz’s theory of matter.

To describe matter as fluid can mean one of two things. Deleuze uses the term to designate this continuous influence that extends between the parts of matter. The fluidity of matter means that each of its parts is constantly open to its environment, and each part therefore has a curved motion as it moves in response to the effects of this environment. In this sense, matter is fluid in the same sense as a pond of water, in which any disturbance eventually reverberates throughout the whole pond. This is why Deleuze quotes the following line from Leibniz: ‘The whole world is like a pond of matter in which there are different
Leibniz himself, however, used the term fluidity in a slightly different, although closely connected, sense to designate the indifference of matter to its own division: the ‘more fluid’ a matter is, the easier it may be divided, and matter that is ‘absolutely fluid’ can be divided continuously at any point. This would be opposed to, for example, the atomist theory of indivisible parts of matter that are absolutely ‘hard’. Given that Leibniz is committed to the infinite division of matter, it would seem to follow that he is also committed to the absolute fluidity of matter: matter that can be infinitely divided can surely be divided at any point. In fact, however, Leibniz does not think that matter is absolutely fluid, and distinguishes his theory from, for example, Descartes’s theory of absolutely fluid matter. According to Descartes’s theory, matter is absolutely fluid because the parts of matter are always separable: they can always exist independently of one another. However, Leibniz relegates this theory to the same category as uniform motion: both remain useful as abstractions, but absent from reality. I think that perfect fluidity is appropriate only to primary matter – i.e. matter in the abstract, considered as an original quality like motionlessness. But it does not fit secondary matter – i.e. matter as it actually occurs, invested with its derivative qualities – for I believe that no mass is ultimately rarefied and that there is some degree of bonding everywhere’ (Leibniz, New Essays, II, Ch xxiii, section 23). In opposition to Descartes, then, Leibniz claims that matter is not absolutely fluid because there is always ‘some degree of bonding’ or an element of inseparability between the parts of matter. This is the first place in The Fold where Deleuze mentions the potential in Leibniz’s philosophy for a break in the connection between separability and real distinction: while two parts of matter are inseparable, they may nevertheless be really distinct (Le Pli, p.8). This theory is an important part of Deleuze’s reading of Leibniz in The Fold, and the claim that ‘real distinction does not imply separability’ returns in its most important form in the question of the separability of soul and body. How can we reconcile the inseparability that exists between parts of matter with infinite division? The answer, Deleuze thinks, is the inorganic fold. First though, let’s look at this idea of inseparability in more detail.

We have already seen a weak sense in which parts of matter may be said to
be inseparable: each part of matter is open to an environment which determines its particular curved movement. Matter is inseparable from the influence of this environment, unless we consider it in abstraction. But this sense of inseparability does nothing to explain the resistance to division which prevents matter from being absolutely fluid. This requires a stronger sense of inseparability, which designates the coherence or cohesion of the parts of matter. Matter can only be ‘absolutely fluid’, Deleuze writes, if it completely lacks coherence. Parts of matter in a relationship of coherence thus attain at least some degree of ‘hardness’ or resistance to division. In this state, they are called masses or aggregates. The fact that all bodies maintain a degree of hardness (the coherence or inseparability of their parts) is thus why matter cannot be absolutely fluid. Leibniz writes:

We should think of space as full of matter which is inherently fluid, capable of every sort of division and indeed actually divided and subdivided to infinity; but with this difference, that how it is divisible and divided varies from place to place, because of variations in the extent to which the movements in it run the same way. That is what brings it about that matter has everywhere some degree of rigidity as well as of fluidity, and that no body is either hard or fluid in the ultimate degree – we find in it no invincibly hard atoms and no mass which is entirely unresistant to division. The order of nature, and in particular the law of continuity, equally pull down both alternatives. (*New Essays*, p.58.)

This feature of bodies, that they have ‘some degree of rigidity as well of fluidity’, is called the elasticity of bodies, the second fundamental notion or material trait Deleuze finds in Leibniz. This leaves us with two questions. First, how can we make sense of infinite division, if some parts of matter are inseparable from each other? Second, what is it that determines the relationships of coherence between the various parts of matter?

According to Descartes’s theory, when matter is continuously divided it dissolves into a series of non-extended points which are entirely separable from one another. An infinite number of these independent points constitutes the continuum of matter. Above, this fluid matter was opposed to the Atomist theory of
absolutely hard atoms. However, both theories posit these separable minima: finite bodies in the case of the atomists, and an infinite number of non-extended points in the case of Descartes.⁶ Leibniz, however, opposes this idea of separable minima because as we've just seen, outside of abstraction, there is 'some degree of bonding everywhere'. A central aspect of Deleuze's reading of Leibniz is thus the rejection of the idea of 'minimal elements' that can stand independently of each other: the division of matter does not leave us with atoms or points. Instead, infinite division is reconciled with the continued coherence of matter by replacing these separable minimal elements with an infinite number of inseparable folds. Thus, Deleuze writes: 'The unit of matter, the smallest element of the labyrinth [the continuum of matter], is the fold, not the point' (Le Pli, p.9). With this, Deleuze makes the concept of the fold a crucial part of how we understand Leibniz's material continuum. By extension, as we'll see, it also becomes a crucial part of a new understanding of the first feature of Deleuze's Leibnizian structure: the differential continuum which lies at the base of the 'world' prior to its envelopment in expressive subjects. The image of the fold illustrates that when we divide a mass or aggregate we are not left with individual parts, but rather with an infinity of smaller and smaller masses, each of which retains some measure of coherence, or a relationship with other parts of matter. A single 'fold' is a relationship between two or more parts of matter: they are folded into or over each other in such a way that they become inseparable. At no point, therefore, do we reach an independent single atom of matter, but always parts that are already related to or folded over one another in order to form an aggregate or a mass. In other words, matter is always composite, and never simple. 'The fold is always between two folds, and this between-two-folds seems to happen everywhere' (Le Pli, p.19). We are even tempted to say that this continuum of folds, rather than presenting us with an identity, only ever exposes us to an ever-increasing depth of difference, or of differential relations.

With the introduction of this new idea of folding, we must adjust the way we

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⁶'The atomist hypothesis of an absolute hardness and the Cartesian hypothesis of an absolute fluidity are joined all the more by sharing the same error, by positing separable minima, whether under the form of finite bodies, or whether as infinity under the form of points.' Le Pli, p.9. It seems clear that the 'form of finite bodies' refers to the atomists, while the 'form of points' refers to Descartes. However, Niënn McDonnell and Birgit Kaiser both mistakenly attribute the 'form of finite bodies' to Descartes, and neglect to mention the atomist hypothesis (McDonnell, p.66 and Kaiser, p.212).
think of the infinite divisibility of matter. Traditionally we might think of it as a process which breaks things apart, like the classic image of cutting something in half over and over again. Folding, however, gives us a different image. Opposed to Descartes, the ‘labyrinth of the continuum’ or the continuous nature of matter should not be understood as a straight line which dissolves into independent points, but like an infinitely folded piece of fabric or a sheet of paper. This image, which is crucial to Deleuze's account of the fold, comes straight from Leibniz himself:

The division of the continuous must not be taken as of sand dividing into grains, but as that of a sheet of paper or a folded tunic, in such a way that an infinite number of folds can be produced, some smaller than others, but without the body ever dissolving into points or minima. (Conturat, Opuscules, p.614-615.)

Even this image of folding, however, can be grasped in two different ways. The folds of a piece of cloth can be neat and orderly: we can carefully fold it in half, then fold it in half again, and so on. But folding can also be far less ordered: if we scrunch the piece of cloth up into a ball, then each of its many creases is a fold. Again, then, there is an opposition between the folding of straight, uniform lines, and the folding of curved, non-uniform lines. Deleuze criticises Descartes for searching for the ‘secret of the continuous’ in rectilinear paths, ignorant of the ‘curvature of matter’. The folding of matter should be understood in terms of this second, curved, non-uniform folding. If we imagine matter is a sheet of fabric, then this fabric has been crumpled up into a ball, as if it were stuffed into a box. Matter is folded, but not over itself in a neat fashion; rather furled, crumpled and creased as it is compressed by the sides of the box. If we ‘zoom in’ on one of these creased folds, we do not find a smooth section of fabric, but always another fold. The fabric is already folded at every point, just as matter is already folded into coherent masses at every point.

This leaves us with our second question: why is matter infinitely folded? What causes the coherence or folding of matter in the first place? In other words, why is the smooth fabric of matter disturbed and forced to crumple? In our fabric analogy, the fabric is folded because it is compressed by the sides of the box it has been stuffed into. Similarly, the folding of matter is caused by
the influence of 'compressive forces' that act on every piece of matter. Here we return to the second material trait of the Baroque: weight or pressure. Baroque architectural forms are 'almost crushed by pressure', and we can say the same thing of Leibniz's material bodies. In fact, we have already introduced this concept of compressive force, but above we referred to it as the 'influence of a surrounding environment'. There, this influence explained the curved movement of bodies: it is the pressure of the environment which 'boxes in' a body and forces it to move in a non-uniform way. But this compressive force of the environment also plays a second role: its pressure is what forces the parts of matter to fold over each other and form relationships of coherence. The parts of matter thus form masses thanks to compressive force, like metamorphic rocks formed by the pressure of the earth. This is still unclear, however. What exactly constitutes this compressive force? When it comes to curved movement, the 'surrounding environment' can refer simply to other bodies: the cannonball's movement responds to rocks, the grass, the air and so on. But this is not enough to explain the pressure which applies to every part of the universe. A force acting on any single part of matter can be explained by its surroundings, but there must also be a compressive force acting on the totality of matter. This is a much more complex issue, and refers to the state of the world itself. Just like the bodies that populate it, we can say that the world must have a unique curvature or 'bent': The box that contains the fabric of matter has its own curved shape. Deleuze writes: 'With Leibniz the world is fundamentally affected by a curve, [...] a curvature of the universe' (Deleuze, lecture 16/12/1986, webdeleuze.com). We will not address this yet, but the shape of this box, or the curvature of the world, is the result of the principle of perfection, or in other words of God's choice to realise the most perfect possible world. And the reason the world must be curved, Deleuze will argue, is ultimately so that it can be enveloped within the monads which come to express it.

This universal compressive force is not enough to explain folding on its own, however. Or rather, it is not enough to explain the complex folded structure of matter. If an unrestricted compressive force relentlessly pushes 'inwards', then matter would be crushed into a single point. In fact, however, there is a counter-acting force, or something within matter which pushes 'outwards' just
as compressive force pushes inwards. This resistance comes from a spring-like force within matter itself, pushing back against the pressure of its surroundings. The French word Deleuze uses is ressort, which suggests not just spring, but a kind of motivating spirit. Deleuze borrows the term from Gueroult, who describes the ressort of bodies in Leibniz’s metaphysics. For now, we can take this term in its most literal sense, as if matter really were like a spring which pushes outwards unless it is compressed by an external force. Again, we recall Wölflin’s identification of a tendency for Baroque artistic forms to ‘overflow’ or ‘burst’ out of their frames (or at least to try). It is as if our analogical piece of cloth had a springy, spongy texture – it pushes against the sides of the box which holds it, and if it weren’t for the pressure of the box it would spring out and unfold all of its creases. The result is a matter which is ‘cavernous’ or porous. It is not dense, but rather like a sponge, containing endless interior spaces, pierced with passages and surrounded and penetrated by the subtle fluid of matter. Hence Deleuze’s reference to the use in Baroque architecture of travertine, which results in ‘spongy, cavernous forms’. Gueroult writes: ‘How can we conceive of “the spring” [“le ressort”] if we do not suppose that the body is composite, and thus that it can shrink by flushing [chassant] from its pores the subtle particles of matter which penetrate it, and that in turn this more subtle matter can expel from its pores another more subtle matter etc. to infinity?’ (Gueroult, p.32). Matter is thus subject to two opposing forces: endlessly pushing outwards as a result of its own spring-like nature, and endlessly pushed inwards by the compressive force of the universe. And the result is an endless folding of matter into and over itself. But perhaps the most important point of all this for Deleuze is that it is not a static tension: the folds of inorganic matter remain constantly animated, full of endless turbulence and vortices. This is our third Baroque material trait: the dynamism of ‘quivering’ transitions and ‘generous whorls’. In effect, then, this is the ‘restlessness of the infinitely small’ which we found so important in the last chapter. The word Deleuze uses for the folds of inorganic matter is repli. But this word carries with it a crucial secondary meaning. The replis of matter refer not just to folds, but to the infinite retreat or withdrawal of matter in the face of our attempts to give it a clear contour, or a static form. Each time we think we have found a
sharp boundary, it turns out ‘quiver’, become blurred, and refer us endlessly
to deeper and deeper folds. In his lecture on The Fold, Deleuze describes matter
as ‘a power which never stops folding [replièr]’ (16/12/1986).

The folds of matter, or the inorganic fold, thus has two defining characteristics. First, it implies the *inseparability* of whatever is folded. In this case it’s the parts of matter; below it will be the mind and the body, the spiritual and the material, the intelligible and the sensible. Again, however, this inseparability
does not necessarily entail that we cannot make a real distinction between the
two. Second, what is folded is folded to *infinity*: each fold dissolves into further
folds, and with this comes the restlessness of the infinite nesting of differences
which forms such a crucial part of Deleuze’s reading of Leibniz. With this image
of folding we are better placed to understand the importance of folding not just
for Deleuze’s reading of Leibniz, but for his characterisation of the Baroque as a
whole. On the first page of The Fold, Deleuze is clear that it is not just a general
idea of folding that defines the Baroque, but specifically the fold which ‘goes to
infinity’: ‘the Baroque curves and bends folds, pushes them to infinity, fold upon
fold, fold within fold. The Baroque trait is the fold that goes to infinity.’ Fi-
ally, we note that when together, these two characteristics (inseparability and
infinity) imply something else: an inability to clearly distinguish the boundary
between two things. Here we were only concerned with the boundaries between
the parts of matter, but the same idea will return in Deleuze’s claim that ‘we
cannot tell where the sensible ends the intelligible begins’.

Matter is folded into inorganic masses or aggregates. While the parts of
these aggregates are coherent, this coherence is forced upon them by the com-
pressive force of the world that surrounds them. In this sense, inorganic folds
are determined externally, or from the outside: the individual part of matter
plays no role in determining how it is bent and buffeted around by the pres-
sures of its environment. For this reason, Deleuze gives these inorganic folds a
particular name: ‘exogenous folds’. But there is another type of fold operating
within the material lower level of the Baroque house - an ‘endogeneous folding’
particular to organisms and organic matter. With this, Deleuze’s account of
Leibniz begins to emphasise themes of enfolding and envelopment, which will
culminate in the account of souls in the next chapter.
5.3 Baroque biology and the organic fold

For Deleuze, the relationship between inorganic matter and organisms in Leibniz’s philosophy is one more instance of the kind of relationship we encounter repeatedly throughout The Fold. On the one hand, the two are distinct: organisms behave very differently, and are subject to different kinds of forces and laws, than the masses or aggregates of inorganic matter we have just been looking at. But on the other hand, the two are implicated with and folded into each other, in such a way as they become inseparable. ‘Distinct but inseparable’ is the defining characteristic of the fold as a concept, and The Fold as a book.

We saw above that inorganic matter is made up of folds rather than independent points or atoms. The result is a matter which always retains some level of coherence or cohesion. We could also call this a minimal level of complexity. Because of this complexity, Deleuze claims there is ‘an affinity of matter with life, with the organism’ (Le Pli, p.9). The complexity already inherent in matter provides a propensity for the development of life. If organisms are defined in part by the complex relation of their parts, then their formation would remain an ‘improbable mystery’ or even a miracle if matter simply dissolved into independent points without any cohesion. Life becomes increasingly likely, however, given the ‘infinity of intermediary states’ already present in the folds of matter. Deleuze gives the analogy of trying to form a coherent word or phrase by randomly assembling individual letters. This process is far more likely to result in a recognisable word or phrase if, instead of individual letters, we begin with already-formed syllables. Deleuze also references Leibniz’s Protogaea to support this point. The Protogaea is a rarely-cited text in which Leibniz speculates about the history of the Earth. In it, he argues that God’s creation of the structure of the Earth echoes the structure of animals or plants: ‘There is no doubt that something like the formation of plant or animal occurred when the creator wove the first fabric of the tender earth’ (Leibniz, Protogaea, p.25. My emphasis).

However, Deleuze’s reading simultaneously maintains a fundamental difference between the inorganic and the organic; namely, that the organism is endowed with some degree of interiority. Unlike the ‘exogenous folds’ of inorganic matter, the organism has an interior determination, and is thus characterised
CHAPTER 5. THE BAROQUE HOUSE - THE LOWER LEVEL

by its own 'endogenous' or interior folds. With this, we are introduced to the
second type of fold at work in The Fold: folding as an *envelopment*. Our first
image of folding (the crumpled piece of fabric) is no longer adequate to grasp
this second type of folding. A new image is needed: the enveloping fold is more
suitably represented by a piece of paper which is neatly folded over itself towards
its centre, reducing in size each time, in order to form an *envelope*. It is the
fact that the organic fold envelopes something which creates the interiority which
defines organisms. Organisms are enveloped (folded) and developed (unfolded)
in order to attain their own measure of internal determination. But what is it
which is enveloped? We find the answer in Deleuze's claim that Leibniz's commit-
tment to a theory of *preformationism* (sometimes just *preformism*) makes
organisms into a type of 'baroque machine'.

Leibniz argues that organisms are machines, but a very different kind of
machine than the mechanical, artificial machines we are used to. We can
construct complex mechanical machines that contain a vast number of parts,
but there will always be a key difference between these and even the simplest
organism: the parts that make up an inorganic machine are not *themselves*
machines. An organism, on the other hand, is 'infinitely machined' because
each of its parts is also a machine (and each of the parts of this machine is
a machine, and so on). Discussing the differences between 'the mechanisms
of the Divine Wisdom' (organisms) and the 'greatest masterpieces of the craft
of a finite mind' (human machines which remain inorganic) Leibniz writes: 'A
machine made by human art is not a machine in all of its parts [...] But the
machines of nature, living bodies, are still machines in their smallest parts,
into infinity' (L 67, section 64). We would be forgiven for assuming that
the machines that make up the parts of an organism are simply its various
cells and organs. But Leibniz's claim is much bolder: they are other complete
organisms. Leibniz writes: 'If matter is arranged by divine wisdom, it must be
essentially organised throughout and there must thus be machines in the parts
of the natural machine into infinity, so many enveloping structures and so many
organic bodies enveloped...' (L 61). Thus, each organism envelops an infinite

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7See also, *Principles of Nature and Grace* (L 66), section 3: 'And this body is organic
when it forms a kind of Automaton or Machine of Nature, which is a machine not only as a
whole but also in the smallest parts that can be noticed.'
number of other organisms, which themselves envelop yet more organisms, and so on. Deleuze adopts one of Leibniz’s favourite metaphors: it is as if every part of every organism harbours within its interior a pond which is full of fish. And each of these fish itself contains an infinite number of ponds with an infinite number of other fish, and so on. It is easy to see the influence on Leibniz of the 17th Century’s first microscopes, with their revelation that even the smallest drop of water is teeming with life. The organic fold thus refers to this process of envelopment in which organisms are infinitely ‘nested’ one within the other.

But the organic fold also refers to the state in which each one of these enveloped organisms exists: as enveloped, it is ‘folded’ in on itself, like a tiny seed. What’s more, each of these enveloped organisms has the potential to be unfolded, or developed (as the inverse of envelopment). The unfolding of an organism is its transformation from a completely folded, seed-like state, into a developed state. In other words, not every fish is forever confined to its pond, and some will emerge into higher waters. Above, where we looked at the inorganic fold, unfolding was a relatively unimportant operation: to unfold one of the inorganic, exogenous folds that makes up the fabric of matter leaves us with just another set of folds. But the unfolding or development of organic, endogenous folds refers to the actual growth or development of an individual organism. According to Leibniz, an organism does not create other organisms. Rather, its children develop or unfold from within, where they had already existed in an enveloped or folded state as one of the infinite number of organisms that occupy its interior. This is Leibniz’s theory of preformationism: organisms are always already completely formed, but they lie dormant within another organism until the time comes for them to be developed. He writes: ‘The formation of organic animate bodies appears explicable in the order of nature only when one assumes a preformation already organic. I have thence inferred that what we call generation of an animal is only a transformation and augmentation’ (*Theodicy*, section 90). An organism is therefore not born; but rather developed: ‘Animals and all other organised substances do not at all begin when we believe them to and their apparent generation is merely a development’ (L 47, section 6).

Deleuze emphasises Leibniz’s preformationism precisely because he so often describes it as a process of folding and unfolding. Thus, Leibniz writes that an
organism is ‘transformed through the different foldings which it undergoes’ and that ‘there is no transmigration of souls but only a transformation of the same animal, as its organs are differently folded and are more or less developed’ (L 47, sections 7 and 10). It is clear that the words envelopment and development are closely connected to the concepts of folding and unfolding. But there are two other terms which share a similar connection: involution and evolution. These words refer not to the various foldings of an individual organism, but to the *species* as a whole. The evolution of a species is understood as the same type of unfolding. Deleuze writes: ‘The first fly contains all the flies to come, each being called in turn to unfold its own parts, when the time comes’ (*Le Ph*, p.13). Each organism in a species is infinitely and instantaneously folded at the creation of the world, but the species itself unfolds finitely and slowly, as the universe itself unfolds.

Leibniz’s theory of preformationism, of course, strikes us as far-fetched. The idea of tiny animals being nested within each other is bizarre. Indeed, preformationist theories did not survive their encounter with newer, opposing theories of *epigenesis*. Epigenesis maintains that the early development of organisms, their morphogenesis, is a process of progressive differentiation: an initially undifferentiated egg gradually differentiates into cells and organs. Here, the organism is not preformed, and it does not refer back to a specific pre-existing organism; it refers instead to a general outline which provides guidelines and tendencies for its development. And unlike preformationism, this development is not just a matter of growth or augmentation, but a matter of moving from the general to the increasingly specific. Deleuze tries, however, to hint at a number of ways in which the dismissal of Leibniz’s preformationism may have been overly hasty. Preformationism, Deleuze claims, is simply the way the 17th Century’s method of conceiving the same ‘truth’ that epigenesis refers to today; and this truth is to ‘conceive of the organism as a fold, an originary folding or bending’ (*Le Ph*, p.15). Given this fundamental similarity, therefore, the only real difference between Leibniz’s preformationism and modern epigenetics lies in their different conception of this folding. And here, perhaps preformationism even has an advantage. If the process of epigenesis can be viewed as a process of folding, then it is a process which produces or hollows out folds from an initially non-folded,
smooth field. The folds of epigenesis are ‘pushed up from a relatively spread out and unified surface’ (ibid.) By contrast, the fold of preformationism always ensues from another fold: every fold originates in the interior of a similarly folded organism. Abstractly, then, Deleuze claims that the fold of epigenesis is a ‘differentiation of an undifferentiated’, while the fold of preformationism, by contrast, is a ‘difference which is differentiated’, or a differentiation of the already differentiated. Deleuze here makes interesting (perhaps questionable) use of some Heideggerian terms: the fold of epigenesis is an Einfall, or a ‘fold-of-one’, whereas the fold of preformationism is a Zweifalt, a ‘fold-of-two’, or a fold between two. When viewed in this way, Deleuze thinks, it is less certain that preformationism is obsolete, and it may after all ‘have a future’.

With this idea of the Zweifalt or fold-between-two, we are returned to the key characteristics of folding as such. And this final discussion makes it clear that the endogeneous fold shares the same key feature as the exogeneous fold: it goes to infinity. It is not an infinite inseperability, but an infinite internal envelopment.

5.4 The fold-between-the-two

Matter is thus folded twice, once under compressive or elastic forces, and once again under ‘plastic’ (ibid.) organic forces: the inorganic fold and the organic fold. The inorganic and the organic, Deleuze writes, are like two vectors whose tendency is to move in opposite directions. The inorganic tends towards larger and larger masses, forced together by compressive force and operating purely mechanically. The organic tends towards smaller and smaller masses, as it folds inwards, and where an ‘individuating machinery’ operates. We can make two points about this. First, despite the way they have been introduced, the inorganic fold is not primary; it is not the foundation from which the organic arises. Organisms themselves do not simply spring out of inorganic matter: there is never a point in time where we transition from an inorganic mass to an organism, as if the inorganic was transformed into the organic. Rather, the emergence of an organism always refers back to another, already formed organism from which it unfolds. An animal does not emerge spontaneously
from the earth; it is born. And the seed that grows into a tree has always come from another tree. Second, the universe is not a giant organism. Organisms envelop other organisms in their ‘interior milieu’, but it is not the case that all organisms are enveloped in the interior milieu of a universal organism. While organic folding continues infinitely in an ‘inwards’ direction, in the sense that every organism contains other organisms, it does not continue ‘outwards’, in the sense that not every organism is contained within a higher level organism. The organism is infinitely folded, but not infinitely unfolded.

A particular picture therefore emerges. The two sorts of forces, the two sorts of folds, masses and organisms, are ‘strictly coextensive’. There are no fewer organisms than parts of inorganic matter, but not every part of inorganic matter is an organism. Leibniz writes: ‘There is no part of matter which is not actually divided and does not contain organic bodies’ (L 61). We can explain this by returning to the image of the fishpond. ‘Each part of matter’, Leibniz writes, ‘can be thought of as a pond full of fish’ (L 67, section 67). Organisms are therefore everywhere, even while the pond itself is inorganic: ‘One cannot say that every portion of matter is animated, any more than we should say that a pond full of fish is an animated body, although the fish are’ (L 61). The interior milieu of an organism is therefore made up of ‘parts’ which are inorganic, although these parts, like ponds, always contain more organisms. The exterior milieu of an organism is inorganic. Every organism is like a fish contained in an inorganic pond, and although every fish contains more ponds, not every pond is contained within a fish. This is the only way we can account for the fact that the world is not a giant fish. Every part of inorganic matter therefore contains organisms. The ‘parts’ of these organisms are inorganic masses, and these masses themselves contain more organisms. But not every part of inorganic matter is contained in an organism. While an organism might seem distinct from the inorganic, then, when we ‘zoom in’ on an organism all we find is a particular arrangement of inorganic masses (the ponds): masses that have been organised. How then is the organism distinct from these inorganic masses? How does the fish exist, if the fish is nothing more than an organisation of inorganic masses? The answer is that the organism just is precisely this particular organisation, enveloped into a unity. The organism is a collection of inorganic masses that
has been given a boundary, but it is not a mass itself. Instead of a mass, which is a being by aggregation, the organism is a true unity. Insofar as an organism is a particular organisation of masses everything can be explained in terms of mechanical, material plastic forces. Everything, that is, except the unity which an organism has. To explain this unity requires introducing the concept of the soul.

### 5.4.1 The fold between matter and soul

Deleuze ends the first chapter of *The Fold* with the claim that the unity of an organism is explained only by reference to a soul. We should not let the use of this term conjure up religious images, however. For now at least, the souls in question are animal souls. In fact, we can just as well call them 'principles of life', and below we will even call them ‘active forces’. An animal soul plays the role of providing a unity around which plastic forces perform the synthesis of the organism – the organisation of inorganic masses. The unity of every organism thus refers to the unity of the animal soul that ‘inhabits’ it:

> I perceived that it is impossible to find the principles of a true unity in matter alone or in what is merely passive, since everything in it is but a collection or aggregation of parts to infinity. Now a multitude can derive its reality only from the true unities, which have some other origin and are entirely different from points, for it is certain that the continuum cannot be compounded of points. To find these real unities, therefore, I was forced to have recourse to a formal atom, since a material being cannot be at the same time material and perfectly indivisible, or endowed with true unity. (L

47)

We can think of this habitation almost literally: the animal soul is localised in a ‘point’ in the organism (or perhaps ‘projected’). This means that however the organism is transformed, and even when it ‘dies’ (which, as we have seen, is really a re-folding or diminishment) it contains the same soul. But we have also seen how, as part of the theory of preformationism, every organism has always existed, albeit mostly in a folded, seed-like state. This means that the
organism’s animal soul, as well, must have always existed along with it. When the time comes for an organism to develop, it unfolds, and as it does so its soul is opened up to its material surroundings (‘a theatre’, according to Deleuze) and perceives and feels in accordance with the degree of unity that it brings to the organic body. ‘The point of view is in the body’ (Letter to Lady Masham, June 1704). Not only, therefore, is the organic body inseparable from the soul which is the basis for its unity, but the soul is inseparable from its body, which it relies on for its point of view.

This leads us to a strange picture, however. What happens to organisms that are folded like seeds in the body of Adam, and that are destined to eventually become human bodies? Human souls are reasonable souls, and as such are clearly distinguished from animal souls. But when the human body is folded, is its soul reasonable? Leibniz thinks not. Even a seed that is destined to become human has an animal soul until it unfolds, and it reaches a degree of organic development suitable for man, which means, according to Deleuze, it forms ‘cerebral folds’. It is only then, that its animal soul ‘becomes reasonable’. The human soul therefore has a complex relationship with the body. On the one hand it is inseparable from its body, and always contains an element of ‘animality’ that entangles it with the folds of matter. But on the other hand it is able to achieve a degree of development which allows its elevation to reason, so that it rises above all other folds. A tension exists between the two, between the body’s crushing, gravitational materiality and the soul’s metaphysical elevation. This is another instance of the generalised tendencies, one weighty and one elevating, which characterise the Baroque. The reasonable soul’s elevation moves it to a different realm, a different level or stage: ‘the theatre of matter has been replaced by that of minds, or of God’ (Le Pléiades, p.17). With the introduction of the soul, therefore, we move to the ‘upper’ level of the Baroque house that we introduced above. But if the soul is above, and its body is below, how are they related? The answer is that, just like the parts of inorganic matter, the soul and the body are ‘really distinct but nevertheless inseparable’. Once again Deleuze is making use of this key Leibnizian doctrine. The two levels of the Baroque house are distinguished as part of ‘one sole and same world’: two floors of the same house. Despite this, with the introduction of this upper level, we must
think of the ‘localisation’ of the soul in the body in slightly different terms. The soul is not contained in the body as such, it is rather a projection, from above to below – from the upper level to the lower level. This is in conformity, Deleuze notes, with the projective geometry discovered by Desargues, a Baroque mathematician.8

The upper level is introduced to accommodate elevated, reasonable souls. But in fact we must reinterpret animal souls in light of what we have just seen. The reasonable soul and its body are really distinct, they belong to two different levels, but they are nevertheless inseparable. Deleuze thinks that reciprocally, we can say that two things that are inseparable may be really distinct, or exist on different levels. So, while the animal soul and its body are inseparable, therefore, they, too, are really distinct. In other words it turns out that animal souls, like reasonable souls, exist on the upper, metaphysical level. And like reasonable souls, their location in the body is a matter of ‘projection’. Below, everything happens mechanically, in a machine-like fashion. Plastic forces are called ‘derivative forces’, and are defined purely in relation to the inorganic masses that they organise. They generate an interiority, but this is only an ‘interiority of space, not yet of the notion’ (Le Pli, p.12).9 They enclose on the inside what was previously outside, but they must refer to ‘true interiorities which are elsewhere’. These are souls which, by contrast with derivative forces, are ‘primitive forces’, or ‘immortal principles of life’, they refer to the inside of an organism, and are defined ‘by analogy with the mind’. As we have seen, the animal souls, with their attached organism, are everywhere in inorganic matter: every part is swarming with organisms. Even inorganic matter, therefore, refers to ‘souls’ on the level above. But why is this necessary? A body (thought of here as an inorganic mass), as we have seen, follows a ‘curved’ movement purely under the impulse of the first kind of force we looked at: compressive forces. These are also ‘derivative’ forces that operate purely on the lower, material level: they determine the curve of the body through the mechanical action of other bodies, which act as obstacles in its environment. Without these other

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8Perhaps ‘projection’ should be added to our list of Baroque traits. This new language of projection is part of Deleuze’s more precise formulation of his earlier tendency to collapse the distinction between monads and concepts: the concept is ‘projected’ into the body, as a monad.

9Tom Conley’s translation mistakes ‘notion’ for ‘motion’ (The Fold, p.9).
bodies in the way, a body left all alone would move in a straight line. But the same situation arises as with plastic forces and organisms above. Derivative, compressive forces, explain everything about the movement of a body except its unity. The unity of a curved, variable and irregular movement is 'always an affair of the soul' (ibid.). It refers to a 'superior unity', which exists on the upper level. But this unity pertains to the inside of the body, no longer its external determination which is the realm of compressive forces. It contains the 'law of curving', or the law of folds and of changes in direction. In 1702 Leibniz writes: 'I have frequently shown with regard to bodies themselves that although there are mechanical reasons for the details of phenomena, the final analysis of the laws of mechanics and the nature of substances compels us to resort to active indivisible principles' (L. 61). Deleuze relies on Gueroult to explain this complex point (Gueroult, p.204-205).

While we can explain a straight movement in terms of an internal spontaneity, we cannot explain why this movement would ever change, or why it would ever become curved. But Gueroult makes the point that this is simply because a scientific grasp of the body is always partial. It is because some element of the 'spontaneity' of bodies escapes us that we must resort to a science of interactions and collisions in order to explain curved movement. But, from the perspective of the whole universe, this curved movement is explained internally, because the body's future state is predetermined within it. From the perspective of the 'Whole', the body's curved movement results from its internal spontaneity. But from the abstract perspective of physics, the body's curved movement is explained in terms of interaction with other bodies.\(^\text{10}\)

\(^{10}\)Gueroult relies on the following key passage from one of Leibniz's letters to De Volder: 'All change comes not from outside, on the contrary, there is in all finite substance an internal tendency of change, and the change could not be born naturally elsewhere in the monads. But in the phenomena or aggregates, all new change derives from a contest of shocks, conforming to laws derived, in part from metaphysics, in part from geometry; because the abstractions are indispensable for the scientific explanation of things. After this, we consider in the mass, the singular parts as incomplete and assume that each only receives partial action, and it is only in the concurrent action of all that the whole is achieved. So we think that each body tends itself toward the tangent, but that, by the continual action of other bodies, its real movement is produced following a curve. But in the substance itself that is complete per se and envelopes all things, is contained and expressed the construction of the curved line itself, because all the future is predetermined in the present state of the substance. Between the substance and the mass, there is thus as big a difference as that between complete things as they are as such and incomplete things such as are received by us, by abstraction. These incomplete representations allow us to determine in phenomena which action must be assigned to such part of matter, and to distinguish and explain all things by reasons which necessarily postulates abstractions.' [Gerhardt, Volume II, pp.252-253. My translation. For an alternative translation see L.55,
The same movement, therefore, is simultaneously determined from the outside, by the shocks and collisions of the environment, related to derivative force, and also from the inside, where it is unified by primitive force. When viewed in terms of the outside determination, the curve is always accidental: it is a deviation from the straight line which is the body’s natural inclination. But when viewed from the inside determination, or in Gueroult’s terms the view of the Whole, it is primary. The motive force which causes movement is therefore understood by the physicist mechanically in terms of a surrounding environment, and by the metaphysician from inside, metaphysically, in terms of the harmony of the body with the whole universe. As far as the physicist is concerned, the body is a mass or a being by aggregation, while for the metaphysician it is a unified substance. We must never lose sight of the fact that the relationship between the soul and the body is never directly causal. It takes place ‘from the point of view of pure unity or of union, independently of all causal action’ (Le Ph, p.16). Leibniz writes: ‘There is no need to say that the soul changes the impulses of the body, and we can readily conclude also that it is just as unnecessary to assume that the material mass sends thoughts to the soul’ (L 61). This is a ‘non-causal correspondence’, or a kind of parallelism, not dissimilar from the one we introduced in part one.

The point is that if we want to explain movement, we must turn to the soul which unifies it, and in particular we must explain the soul’s own curvature or fold. The soul has its own curve, but Deleuze also calls this a fold. It’s not the same as the curved movement of bodies, but Deleuze insists that the model of folding can be applied here as well: there are ‘folds in the soul’ just as there are folds in matter. This curve explains why each soul is unique, and why it will behave the way it behaves. It is the principle of its individuality.

Here, we can step back and see the return of some ideas that were introduced as far back as Expressionism in Philosophy: Spinoza, and which we discussed in section 1.6. There, we saw how Leibniz’s critique of Descartes involved supplementing mechanism with a theory of active forces, positing an ‘inner nature’ of bodies which unifies their movements. Now, however, we are in a position to go further, and ask where the soul’s own curve or fold comes from. The
perspective of the ‘Whole’ returns us to the question of the *world* in which each body resides. To explain why each soul (we’re not yet calling them monads) has the particular curve that it has, requires explaining the structure of the world. Here, we are not in wholly unfamiliar territory: just as in part II, this ‘world’ is an ideal space. And what characterised this ideal space was its particular *distribution of singularities*, determined by the process of vice-diction. It is these singularities which defined monads; they were the events included within a monad that constituted its concept or notion. They were, in effect, what individuated each monad and made it unique. We find exactly the same process at work in *The Fold*. Just as singularities determined monads in the last chapter, there is something equivalent in *The Fold* which determines the unique curve or fold of each soul. Deleuze introduces it in the opening sentence of the second chapter: ‘The ideal genetic element of the variable curve, or the fold, is inflection’ (*Le Pli*, p.20). It will soon become clear that the ‘point of inflection’ corresponds to what Deleuze had in *Difference and Repetition* and *Logic of Sense* called a *singularity*. Turning to the point of inflection thus marks the return of the singularity, the second key feature of Deleuze’s Leibnizianism.
Chapter 6

The Baroque House - the upper level

6.1 Inflection

We begin our account of points of inflection by considering a simple curved line. Given the above, it should be clear that the ontological status of this curve, or what it represents, are irrelevant for now. It is just a geometrical figure. On this curve, as we saw in chapter four, there is a certain point which stands out from the others as remarkable or singular. There we called it a singularity, but it is also a ‘point of inflection’, or a point where the curve changes direction. Mathematically, we say that the curvature of the curve changes sign, from negative curvature to positive curvature. Imagine the curve is the path taken by a car: the point of inflection, halfway through the journey, is the moment when the steering wheel switches from left to right, or vice versa. In *The Fold*, however, Deleuze does not introduce points of inflection mathematically, turning instead to art, and especially the theory of Paul Klee.

6.1.1 Paul Klee and the point of inflection

Deleuze finds a similar treatment of points and curves in the theoretical work of Paul Klee. Just like in chapter one, then, Deleuze’s initial approach to the central issue of the chapter is from an angle, through a more-or-less analogical
discussion of art. Unlike chapter one, however, we’re no longer dealing with Baroque architecture, but with an expressionist painter. This is important for two reasons. First, there is the obvious fact that Paul Klee is not a Baroque artist. Above, our comparisons between Baroque architecture and Leibniz’s conception of inorganic matter were justified by appealing to universal Baroque traits, expressed by, but by no means limited to, architecture. Now, for the first time, we are confronted with the possibility that Baroque traits are not even limited to the Baroque period itself. Deleuze writes that Klee’s emphasis on the point of inflection in any given line or curve demonstrates his ‘affinity with the Baroque and with Leibniz’ (Le Pli, p. 20). The third chapter of The Fold and the question it poses (‘What is Baroque?’) shows how Baroque traits are easily identifiable in artistic and philosophical works produced outside of the narrow period of history that the Baroque strictly refers to. This means that Deleuze’s references to later figures (and Klee is only the first) should not just be read as notable yet ultimately inconsequential instances of Leibniz’s lasting influence. Instead, as legitimate expressions of the Baroque in their own right, these surrounding figures can help us interpret Leibniz’s philosophy, just as certain features of Baroque architecture help us understand Leibniz’s conception of matter. Second, we wonder if there is some significance to the fact that in this chapter Deleuze draws on painting rather than architecture. Architecture was ideally suited for a comparison with Leibniz’s theory of matter: both are described in a language of masses, spaces and weight. But now that we’ve moved away from the material and towards the spiritual side of Leibniz’s philosophy, Klee’s abstract painting seems more appropriate. This is also the first movement of what in the introduction I called the ‘elevation’ of artistic analogies in The Fold itself.

Deleuze places Klee in opposition to his colleague, Wassily Kandinsky, and draws a parallel between this and the opposition between Leibniz and Descartes. Both Klee and Kandinsky identify the ‘point’ and the ‘line’ as the two initial core elements of painting, but they conceive of them differently. Kandinsky’s theory of art is Cartesian. Deleuze claims, because the point is not a mathematical abstraction; it has extension, colour, density and so on. It is ‘hard’. Such a point becomes a line only when it is impelled to move by an external force,
and by default it moves in a straight line, unless acted on by more than one force. When it does change direction, its angles are also 'hard': the change in direction is sudden, leaving us with a sharp corner. Deleuze contrasts this to Klee's Leibnizianism. For Klee, the point is always a point of inflection, like those we introduced above. The point of inflection is like the 'cusp' of the curve, or the point where it changes direction. Here, Deleuze calls it a 'point-fold': the point of inflection is the point where a line is folded. When it comes to the line itself, Deleuze takes as his model the first three figures of the 'active line taking a stroll' which opens Klee's Pedagogical Sketchbook, reproduced on p.21 of The Fold, and which give us a picture of the status of the curved line (Klee, Pedagogical Sketchbook, p.16).

The first of these figures is the simple curved line, with its points of inflection. The second figure shows us that this curved line is never isolated. Rather, it is always mixed and intermingled with other curves, even in its smallest parts. The line is therefore not a figure with a 'hard', precise or clear outline. Here Deleuze detects an affinity with Leibniz's rejection of isolated straight lines and separable bodies, which we looked at in detail above. Leibniz writes: 'we can never assign to a body a certain precise surface, as we can do if there are atoms' (Letter to Arnauld, September 1687, Gerhardt, Volume II, p.119).

The third figure 'marks the shadow of the convex side' of the curve at each point. By doing this it highlights the concave side, or the side facing the centre of curvature around which the line curves. Each segment of a curved line has an 'inner-facing' (concave) and 'outer-facing' (convex) side. Which side is concave and which is convex is defined by the location of the locus of the curve, or the point around which the line is curving. But these sides swap at every point of inflection. Another way of defining points of inflection, then, is as those points where the side of the line which was facing outwards becomes the side which is facing inwards towards the centre of the curve.

But this third figure is also significant because it highlights for the first time the importance of 'centres of curvature'. These centres of curvature constitute a new kind of point, not found on the curve itself, but rather a kind of perspective on a certain section of the curve. These centres of curvature will return below as the 'site' or point of view which eventually comes to be occupied by a soul.
or monad.

6.1.2 Bernard Cache and intrinsic singularities

Besides Klee, Deleuze finds another opportunity for an explanation of inflection, this time borrowing terms from Bernard Cache’s architectural work Earth Moves. Deleuze turns to it here in order to provide a bridge between the artistic presentation of inflection we have just seen in Klee, and the more traditional mathematical presentation we will see below in Leibniz. Cache provides four ‘properties’ of the point of inflection. Cache defines the inflections of a curve as intrinsic singularities. These are opposed to extrinsic singularities, which would be the ‘extrema’, or in other words the maximum or minimum, or the peaks and troughs of a curve. Unlike extrinsic singularities, intrinsic singularities do not refer to coordinates: they are indifferent to the values of the axes of the coordinate system within which the curve is embedded (Cache, p.16). Points of inflection correspond to what Leibniz calls an ambiguous sign. Deleuze makes much of this term in Leibniz, but for now we will restrict ourselves to its mathematical definition. In mathematical terms, points of inflection are points where the curvature changes sign. If we were to assign the movement of our car a positive number every time we are moving to the left, and a negative number every time we are moving to the right, then the point of inflection is where the value of our movement changes from a positive to a negative number, or vice versa. The inflection is like the point at which the steering wheel is completely straight. At that moment it is neither left nor right, and its sign is therefore ‘ambiguous’. We could simply say that at this point the value of the curve is zero, but the law of continuity prevents us, as we will see just below. Points of inflection are weightless, writes Deleuze. He means by this that there is not a ‘vector of gravity’ or an external impulsion to move in a certain direction. The curve of which intrinsic singularities are inflections is determined by ‘centres of

1 Because it had not yet been published, Deleuze cites this work using its original title, L’assemblément du territoire. Cache attended many of Deleuze’s seminars, and they inspired the philosophy behind his own work. Doese writes: ‘Bernard Cache, a young, recent graduate in architecture from the Lausanne Polytechnical School, came to Vincennes during the 1979–1980 academic year, when Deleuze was starting to discuss Leibniz. I thought, “This is it! This is exactly what I’m looking for. I still don’t know what it is, but this is it.”’ He decided to study philosophy and chose Deleuze as his thesis director. A long dialogue began between them that lasted until Deleuze’s death in 1995. (Doese, p.452)
curving' which themselves oscillate around points of inflection. The inflection is the *pure Event* of the line or the point, where something 'happens' to it. But the point is that inflections are 'virtual' or 'ideal'. Deleuze writes that the point of inflection, as an ideal event, is not 'in the world'. Rather it provides the 'commencement' of this world, or as Klee writes in a different text, it is the 'non-dimensional' or 'inter-dimensional' point that is the 'locus of cosmo-genesis' (Klee, *Théorie de l'art moderne*, p.56.). The point of inflection is the condition for the reality (not just the possibility) of a precise curve, whose form it determines.

The point of inflection, Deleuze always insists, is inseparable from an infinitely variable curve. Here Deleuze references the curve defined by Helge von Koch, which is one of the first fractal curves. It is a curve which follows the Baroque requirement of 'rounded' angles, or in other words of continuity. Koch calls it 'a continuous curve without tangent'. Even though the curve does pass through an infinite number of angular points (which would suggest 'hard' angles), it is not made up of straight lines. We have already looked in some detail at the theories of continuity and irreducible complexity which are bound up with our theory of curves. Just as we can never isolate a single part of matter, so we can never isolate a single point on a curve. However far we 'zoom in', we always find a deeper level of intermingling and complexity. The curve varies infinitely or is infinitely variable at every point. This kind of curve, Deleuze writes, is 'more than a line and less than a surface', and it envelopes an infinitely spongy or cavernous world (*Le Pli*, p.23). The curve we are considering here is new to us, however, insofar as it is a fractal curve. As a fractal, each of its parts is a smaller copy of the whole. It proliferates itself following a law of similarity, and each additional level of the curve's complexity is determined by its self-similarity. This has an important consequence: it means that the variation of the curve always corresponds to a change in scale. Because each part is similar, the only thing that distinguishes it is its particular size in relation to the rest. But this all changes, Deleuze claims, when variation involves fluctuation instead of internal similarity. Limited to similarity, infinite variability referred to the fact that between any two angular points we could discover a new angular point, no matter

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2Koch, p.25.
how close they are. In other words we could always descend to, or zoom in on, a part of the fractal curve between two copies and find a new copy. By contrast, fluctuation means that any interval between two points contains the potential (‘latitude’) to ‘add a detour’ or to be the site of a new folding. Whenever we think we have identified a contour, or a straight edge (a tangent), it dissolves or fades in front of our eyes and is replaced by ‘formal powers of (the) material’ which ‘rise to the surface’ and present us with ‘detours and supplementary re-folds’ (ibid.). Given this, what becomes of the point of inflection? The curve is infinitely variable, and this means that each point of inflection must itself harbour a new detour. The point of inflection is thus, Deleuze thinks, ‘vortical’. It operates through a perpetual ‘delaying’ of itself, or a postponing of the change in direction of the curve. The curved line ends up being endlessly folded into a spiral, never reaching the point of inflection. It perpetually approaches (or moves away from) the centre of its curvature. The spiralling, vortical, turbulent line always defers the point of inflection, but at the same time this spiralling line itself has a ‘fractal mode of constitution’. Here, however, the term fractal does not refer to a similarity of form, but to an infinite nesting of vortices themselves. Repeating the third element of Wölfflin’s architectural analysis which we looked at above, Deleuze writes that each turbulence is fed by further turbulences, and because we never find a straight contour, it only ends like the ‘foth of a wave or a horse’s mane’. It is, as Cache writes, ‘a universal lapping of waves that cannot be represented by a straight line or even a swirl, but only by a surface of variable curvature that is perpetually out of phase’ (Cache, p.38). In The Fold, therefore, the singularity or point of inflection itself becomes vortical.

6.1.3 Baroque Mathematics

Deleuze thinks that Leibniz’s mathematics, and Baroque mathematics in general, is characterised by its concern for the variation of variable magnitudes, just like those we find in inflection. We don’t find this infinite variation in fractional numbers (2/4) or algebraic formulae (x + y) because each of the terms involved here has a particular value, or will have a particular value when solved. But when it comes to the irrational number which corresponds to the calculation of an infinite series, and also to the differential quotient which corresponds to
the calculation of differences, their variation is ‘actually infinite’. In the first case, the irrational number is the common limit of two converging series, one of which has no maximum and the other of which has no minimum. In the second case, the differential quotient is the common limit of the relation between two vanishing (or continuously diminishing) quantities.

But in both of these cases, Deleuze notes, there is still a ‘curved element’ which acts as the cause of this infinite variation. For instance, the irrational number is understood in terms of a circular arc which descends onto the straight line of rational numbers. This straight line of rational numbers is thereby exposed as a ‘false infinity’ – it is merely indefinite, and has an infinity of gaps between its elements. The continuous cannot be represented by a straight line because it is always intermingled with curves which form a labyrinth. This is a more rigorous formulation of the competing models of infinite division we introduced above, where the Cartesian model of the continuous straight line was criticised. Two points on a straight line, A and B, no matter how close they are to each other, can be turned into two corners of a triangle, the third corner of which, C, is a right angle and from which a circle can be drawn that intersects the straight line between A and B. This point of intersection will be an irrational number. The arc of this circle is like a ‘branch of inflection’, and the point of intersection, the irrational number, is a point-fold or a point of inflection. The point of this is that the infinite variation of variable magnitudes can always be understood in terms of ‘curved elements’ or a geometrical model in which a point of inflection turns the variation into a fold, and which ‘brings it to infinity’. Baroque mathematics thus has its own expression of the defining trait of the Baroque: the fold that goes to infinity.

6.2 Inclusion

The point of inflection is a singular point which sits on the curve itself. But we mentioned above that there is another point which does not touch the curve itself, but which is the meeting place, on the side of concavity, of all the ‘curved tangents’ which define the curve (Le Pk, p.27). Deleuze claims that this centre of curvature is the ‘point of view’ which represents the variation of the curve
or its inflection. The determination of points of view such as these lies at the
foundation of Leibniz’s perspectivism, Deleuze believes. Crucially, however, the
point of view does not depend on a previously defined subject. Rather, the
subject is itself formed or dwells in the point of view. With this, we see Deleuze
returning to his most important Leibnizian theme, which in *Difference and
Repetition* he called vice-diction and in *Logic of Sense* he called static ontological
genesis. The individual subject comes after the pre-individual singularities or
points of inflection which define a point of view. Here in *The Fold*, Deleuze
makes use of a new term, from Whitehead: the subject is no longer a subject,
in the sense of an underlying or standing underneath. Instead it is a ‘superject’,
or something which *arises* out of the point of view.

To illustrate the concept of the point of view more clearly Deleuze uses
another mathematical example. The point or tip of a cone is like a point of
view, and the cone itself is the variation on which it is a point of view.\(^3\) If we
cut away a ‘slice’ or a section of this cone, then we get a particular figure. And
if we cut it at an angle, with a tilt, then we get even more figures: ‘the circle,
the ellipse, the parabola, the hyperbola, and even the right angle and the point’.
All these sections can be taken as individual figures, and they are the variants
of the point of view. They become all the different ways in which something can
be folded. This variation is enveloped in the point of view, and doesn’t exist
outside of the point of view. It is, Deleuze writes, an ‘involution’.\(^4\)

Deleuze relies on Michel Serres’s comprehensive *Le système de Leibniz et ses
modèles mathématiques* to delineate the main consequences of this new theory
of conic sections. The key point for Deleuze is the importance of the point of
view. For any domain we need to assign the point of view in order to establish
truth, that is, to ‘classify the variation’ or ‘determine the case’. In every domain
of Leibniz’s philosophy, physics and mathematics, Deleuze thinks, the point of
view is the point of jurisprudence or the site of the art of judging. It is always
a matter of finding the right point of view, or rather the best point of view,
without which there would be disorder or chaos. The point of view is thus what
allows for the determination of the indeterminate.

\(^3\)For a comprehensive account of Deleuze’s references to ‘conic sections’, cf. Somers-Hall, *Deleuze’s Difference and Repetition*, p.187.

\(^4\)Deleuze borrows the term involution from the 17th Century mathematician Desargues. For a reasonably non-technical account see Field, pp.200-206.
CHAPTER 6. THE BAROQUE HOUSE - THE UPPER LEVEL

Deleuze's reading of Leibniz thus takes him from the continuous variable curve with its points of inflection (the world) to the points of view on this curve, or from folding to envelopment. This is a move, for Deleuze, from inflection to inclusion. The course of Deleuze's argument follows what, in a 1986 lecture on Leibniz, he calls the 'non-philosophical reading' of a philosopher (16/12/1986). This non-philosophical reading comprises 'all sorts of sensible intuitions that you must allow to be born within you; extremely rudimentary sensible intuitions, but by the same token, extremely lively.'

In this case, the sensible intuition Deleuze relies on arises from the question 'why is something folded?' His answer is that something is folded only so that it can be put inside something else: 'Things are only folded to be enveloped; things are folded to be included, to be put inside' (16/12/1986). The world is thus curved or folded, Deleuze claims, in order to be enveloped or included in something. This envelopment no longer refers to enveloping coherence or cohesion, like the egg which envelopes organic parts, but to an envelopment of 'inference' or 'inclusion'. The folded world is virtual, and exists actually only in an envelopment, in that which envelops it.

But it is not the point of view itself which includes or envelops the world. Instead, it is included by the soul or subject which comes to occupy the point of view. A soul includes that which it grasps, seizing, or apprehends from its point of view. In other words, it includes the points of inflection on which it is a point of view. 'Inflection is an ideality or virtuality which only exists actually in the soul which envelops it' (Le Pli, p.31]. The whole world is just a virtuality which actually exists only in the folds of the souls which express it. The move from inflection to inclusion is thus, for Deleuze, a movement from the virtual to the actual. Inflection defines the virtual fold, but inclusion defines the soul or subject which envelops the fold. In summary, Deleuze writes: 'The infinite series of curves or inflections is the world, and the entire world is included in the soul under a point of view' (Le Pli, p.34).

Before looking at enveloping subjects in more detail, we can at this stage distinguish three types of point, or three types of singularity in Deleuze's reading of Leibniz. The first is the 'physical' point (Le Pli, p.32], or the point of inflection of the variable curve. But as we have seen, this is not an atom or
a Cartesian point. It is a ‘point-fold’, fractal and vortical – somewhere between a line and a surface. Second, there is the ‘mathematical’ point, or the point of view. It is the place, foyer or site of the conjunction of curved vectors. The third point is the ‘metaphysical’ point, or the soul or the subject. It occupies a point of view, or is projected into a point of view. The soul is a superior point, of another nature, which corresponds with the point of view. Leibniz calls subjects or souls understood as metaphysical points ‘monads’. He takes the term monad from the Neo-Platonists, for whom it referred to a unity which envelops a multiplicity. Deleuze thinks that Leibniz makes two important contributions to the concept of the monad, which assures his name will always be attached to it. On the one hand, the mathematics of inflection allows him to treat the series of the ‘multiple’ as an infinite convergent series. On the other hand, the metaphysics of inclusion allows him to treat the enveloped unity as an irreducible individual unity. When he discusses monads as points of view, Leibniz often uses the metaphor of a single town, which is viewed from many different angles by different points of view. But this doesn’t mean that, for instance, that a certain street corresponds to each point of view. Each point of view must encompass the whole town. It grasps or encompasses the series of all curves or inflections. The point of view thus does not grasp a particular determined street, but rather the variety of all the possible routes or journeys along all streets, from one to another. The town is thus like a labyrinth, but it can be ordered by a particular point of view.

The world is the infinite curve which touches at an infinity of points on an infinity of other curves. It is the convergent series of all the series. Or in other words, it is the curve which all other curves converge towards. But then why is a single universal point of view impossible? Why must there always be an infinity of irreducible points of view and souls? The infinite series is infinitely variable, or it can be ordered in different ways. We understand it as the total of all these possible orders, but at each moment we must privilege a particular ‘partial sequence’. The partial sequence is thus like a street in the town, but it is related to the entire series. Each monad includes the entire series, and thus expresses the entire world, but it always expresses more clearly a certain small region of the world, a ‘department’ or quarter of the town, or a finite
sequence. Two souls or monads do not have the same sequence, or the same clarified region.

Each soul includes the same infinite series. But each grasps it in an order following its quarter, department, or region of clear expression. How do souls come to include the world, if the world only exists in the subjects which include it? Here Deleuze turns again to Leibniz's letters to Arnauld, where he reconciles two positions. On the one hand, the world where Adam sins only exists in Adam the sinner and in the other subjects which compose this world. But on the other hand, God doesn't create Adam directly, but the world in which Adam sins. We've seen Deleuze refer to this point often, as far back as *Expressionism in Philosophy: Spinoza*. But this time he characterises it in an interesting way: the world is *in* the subject, he writes, but the subject is *for* the world. God produces the world 'before' he creates souls, because he creates souls for the world that he puts in them. The soul is a product or a result — it results from the world which God has chosen: because the world is in the monad, each includes all the series of states of the world; but, because the monad is for the world, none clearly contains the 'reason' of the series, of which they are all the result, and which remains outside them as the principle of their accord (*Le Pli*, p.36).\(^5\) The move from the world to the subject thus leads us to a 'torsion', or a convoluted position where the world only actually exists in subjects, but all subjects relate to this world as to the virtuality which they actualise. This is the difference, Deleuze thinks, between a being for the world and a Heideggerian being in the world. Closure is a condition of being for the world, and is what allows the subject to 'represent infinity finitely' (*ibid.*). The world needs to be put in the subject, so that the subject can be for the world. This 'torsion' constitutes the fold between the world and the soul. In *The Fold*, Deleuze interprets expression in these terms. Expression is a process with two sides: the soul is the expression of the world (actuality), but only because the world is the expressed of the soul (virtuality). Thus God creates expressive souls because he creates the world which they express by including.

One of the key aspects of Leibniz's metaphysics, and one which Deleuze
\(^5\)In chapter four, 'Sufficient Reason', Deleuze formulates this point in a more precise way: even though the curve or the series is contained in the soul, the *law* of the series remains outside.
heavily emphasises, is the definition of monads we’ve just introduced: they are completely ‘closed’. Monads, Leibniz writes, ‘have no windows by which something can enter or exit’ (L 67, section 7). But monads, we have seen, are also souls which clearly express a certain region of the world. Deleuze opens chapter three of The Fold with a discussion of how we should understand the closed nature of monads. This discussion reintroduces the idea of a dark or obscure background against which a monad draws its clear region of expression. We introduced this idea in section 2.3 with the image of the boat cutting through the water. Here, Deleuze refers instead to the closed-off, isolated chambers which occupy the upper level of the Baroque house, which serve as an elaborate metaphor for the closed interiority of monads.

Deleuze’s account begins with the familiar turn to art. A traditional painting, Deleuze writes, always has an exterior model, and in this sense it is a window: it represents something that is let in from the outside. Deleuze draws on the analysis by art critic Leo Steinberg, who writes in Other Criteria of ‘the conception of the picture as representing a world, some sort of workspace which reads on the picture plane in correspondence with the erect human posture’ (Steinberg, p.82). A shift takes place, however, when painting begins to invoke images that do not have an exterior model. Steinberg thinks this has been the trend in modern painting since Robert Rauschenberg: ‘The pictures of the last fifteen to twenty years insist on a radically new orientation, in which the painted surface is no longer the analogue of a visual experience of nature but of operational processes’ (Steinberg, p.84). Deleuze thinks that in the case of Rauschenberg, the surface of the painting is no longer a window onto the world, but instead an ‘opaque table of information on which is inscribed the encrypted line’ (Le Pli, p.38). The painting is no longer a window onto an outside, but an internal table where lines, numbers and changing characters are inscribed.

Leibniz’s monads should be interpreted in a similar way. Deleuze claims. If monads are the closed rooms or private chambers of the upper level of the Baroque house, then Leibniz garnishes the interior walls of these rooms with ‘linear and numeric tables’. On the interior walls of the monad, windows onto the outside are replaced by internal folds. The Leibnizian monad is a room whose walls are entirely covered with lines of variable inflection. The walls are
like stretched canvases which ripple with ‘moving, living folds’. The essential
point is always that nothing comes in from the outside, and nothing goes out.
Rather, everything is drawn from the monad’s own interior dark background.
Everything that is visible in the monad is purely internal. Deleuze finds parallels
for this in Baroque architecture with its cells, sacistries, and crypts, where ‘what
is seen is on the inside’ (Le Pli, p.39). Regardless of how complicated the
‘decoration’ of the interior is, however, it is always circumscribed or integrated
by the point of view which orders its decoration. The infinite curves or folds
which move across the interior walls of the monad are grasped or ordered by a
particular point of view.

At the end of the third chapter, Deleuze returns to this theme, this time
in the context of the use of light and colour in (historically) Baroque painting.
Deleuze is interested in light because the difference between light and darkness
is not like a straightforward opposition between two strictly divided things, like
1 and 0 (a reference to Leibniz’s invention of binary arithmetic). Rather, there
is a mixture of light and darkness at play on each level. We’ve already seen that
the upper level contains monads which are like enclosed rooms without doors
or windows. This enclosed room has a ‘dark background’. This corresponds,
Deleuze thinks, to a development in Baroque painting (Le Pli, p.44). With Tin-
toretto and Caravaggio, the white canvas or the white background is replaced
by a dark background. This changes the status of the canvas, Deleuze thinks.
Things now ‘emerge’ from this dark background, and are defined by being cov-
ered or uncovered, or by gradually coming out from the shadows, rather than
by their sharp contours. Colour is here understood in terms of different levels
of shadow. Monads don’t have slots or windows by which light enters. Rather,
they have their own internal, ‘sealed’ light. This light is illuminated when the
monad or soul is elevated in order to become a reasonable soul, and produces
an area of white light. But this light also casts shadows. The white area is
like the clear region of the monad, but this region ‘degrades’ towards the dark
background. From this dark background, ‘things’ emerge as shadows cast on
the white area, shadows which can be more or less sharp, strong or well formed.
With this, Deleuze is trying to emphasise two things. First, the monad has
its own internal light which generates a clear region, but the contents of this
clear region always arise from the obscured dark background which surrounds it. Second, there is no clear opposition between the light and the darkness: light is ‘progressive’ and ‘transmitted by degrees’, or in other words there is a continuous and gradual change from light to dark as the edges of the clear region dissolve into the shadows. The clear and the obscure become inseparable, and the idea of a sharp contour becomes impossible. We are faced with the new Baroque concept of chiaroscuro, or the clear-obscure. We can’t help but be reminded of some of our earlier discussions: in chapter one, matter cannot be isolated because the discontinuity between masses ‘dissolves’ as matter is divided; while above, the fractal curve is never a straight line because each point once again dissolves into further points as we ‘zoom in’. The inseparability of the clear and the obscure, combined in the notion of chiaroscuro, extends beyond painting and can be placed in opposition to Descartes in two senses, which mark him as a ‘man of the Renaissance’ rather than of the Baroque. First, from the point of view of the physics of light: for Descartes light is characterised by sharp contours and a clear distinction between light and darkness. Secondly, and more importantly, from the point of view of the ‘logic of the idea’ itself, where the significance of the meaning of the terms clear and obscure suddenly becomes obvious. We will look at this in much more detail below, but the point is that this ambiguity between clarity and obscurity undermines Descartes’s sharp division between ideas which are ‘clear and distinct’ and ideas which are ‘obscure and confused’. This new model of light as the clear-obscure fills the monad as a continuous series which we can follow in two directions. At one end of this series is the dark background, and at the other end is the sealed light. This sealed light produces the white light in the clear region of the monad, which gets increasingly darker or shaded towards its edges, and gives way to ‘thicker’ shadows as it spreads to the dark background of the monad.

6.3 The Fold of the Baroque world

Central to Deleuze's definition of monads is thus this autonomy of the interior, through which a monad remains closed off from its exterior. In fact, Deleuze insists, the monad is an interior which doesn’t even have an exterior. The
opposite of this is the exterior which doesn’t have an interior, which Deleuze
believes corresponds to the Baroque architectural façade. Baroque architecture
is characterised by a scission between the façade and the inside: the autonomy
of the interior and the independence of the exterior. Deleuze again cites Wölfflin:
‘it is precisely the contrast between the exacerbated language of the façade and
the serene peace of the interior which constitutes one of the more powerful effects
that Baroque art exercises on us’ (Wölfflin, p.45). At the same time, however,
the ‘exterior without interior’ also characterises the domain of matter, or the
lower level of the Baroque house. We thus have a new set of terms through
which the upper and lower levels of the Baroque house are distinguished. The
façade, unlike the private chamber of the monad, is ‘full of holes’: it has doors
and windows everywhere. But these doors and windows only open from the
outside onto the outside. In other words, they never enter into an inside. The
organism does, however, ‘sketch out’ an interiorisation, Deleuze writes, even if it
is ‘always in progress and never achieved’ (Le Pli, p.39). A fold passes through
the living organism and designates at once the absolute interiority of the monad
as the metaphysical principle of life, and infinite exteriority as the physical law of
matter. These are two irreconcilable infinite milieux, Deleuze claims, and relies
again on an argument from Michel Serres. Serres writes: ‘the domain of the
physical, the natural, the phenomenal and the contingent is entirely immersed
into the infinite iteration of open chains: in this, it is non-metaphysical. The
domain of metaphysics is beyond, and closes the iteration: it fixes it’ (Serres,
p.762, my emphasis). The monad is thus the fixed point which escapes the
labyrinth of continuous matter and ‘closes infinitely divisible space’ (ibid.).

If these two infinite milieux (the façade and the interior, the material and
the metaphysical, the external and the internal) do not ‘touch’, there must be
a new mode of noncausal correspondence between them. Here again we return
to an issue that we first introduced in chapter two. The outside is material and
determined by physical laws, while the inside, by contrast, harbours its own
spiritual spontaneity. In The Fold, the harmony between the two relies on the
distinction between two levels. The lower level of the Baroque house corresponds
to the exterior façade introduced above. Although on this model it is no longer
a pure outside, its key characteristic remains: it is full of holes. These holes are
determined by the repeated foldings of a 'heavy' matter. Because it is infinitely pierced, the lower level, writes Deleuze, is an 'infinite room of reception or of receptivity' (Le Pli, p.41). The upper level, by contrast, is closed. It is a pure interior which, in contrast to the heavy matter below, encloses a 'weightlessness', and is upholstered with the spontaneous folds of a soul or a mind. This does not prevent them, however, from composing the two levels of a single house, or a single world: both are distributed or ordered as a function of a single ideal line or curve; the curve of the world. This curve is realised on the lower, material level, and actualised on the upper, spiritual level. Despite the fact that there is no communication between the two levels, therefore, the fact that they are determined by this single ideal line means that a 'superior' correspondence between the two levels is always maintained.

This ideal curved line is the fold which passes between the two levels themselves. Central to Deleuze's arguments in The Fold is always this distinction and partitioning of two levels as a unique feature of the Baroque, and of Leibniz's philosophy. Deleuze argues that the Platonic tradition gave us a conception of two worlds, while the Neo-Platonic tradition gave us a conception of multiple levels, like a staircase which ascends towards the eminence of the One and descends towards the ocean of the multiple (Le Pli, p.41). But the contribution of the Baroque is the single world with only two levels, which are separated by a fold whose repercussions on each level follow different regimes, but remain harmonious. Deleuze capitalises the word fold in order to single out this Fold between the two levels of the world from all the other folds operating on each level. The Fold distinguishes the two levels at the same time as relating them to each other. It is actualised in the folds which are enclosed by the soul on the upper level, and it is realised in the folds that matter forms on the lower level. There is, however, a harmony between the two because it is the same unique Fold or line of inflection which is expressed in each. At the end of chapter three Deleuze will write that the 'inner song of the soul' and the 'extrinsic fabrication of the material partition' are expressions of the same thing (Le Pli, p.49). It is, he writes, a 'perfect accord of the scission'. And yet, what is expressed does not exist outside of these expressions.

The Fold is the infinitely variable curve, the ideal line, or the Leibnizian
world. As that which is actualised or expressed in individual subjects, it corresponds to the Leibnizian world as an 'ideal continuum' in *Difference and Repetition* and *Logic of Sense*. But there are two major differences between Deleuze's account of Leibniz which we looked at in part II, and his account here. First, every aspect of Deleuze's reading of Leibniz is now inextricably connected to the concept of the fold. Second, a new domain has been added: in *Difference and Repetition* and *Logic of Sense*, individual subjects or monads actualised a world which virtually pre-exists them. But in *The Fold*, this world is also realised in material bodies. Thus, whereas previously Deleuze explicitly opposed the actualisation of the world to a theory of possibility in which the world is realised, he now reconciles and incorporates both of them into the two levels of a single Baroque world.

In part II, we argued that Deleuze develops a particular account of Leibniz's philosophy in order to make use of it in a core part of his own system: vice-diction or static ontological genesis, or the process through which individuals are determined by a pre-individual, subrepresentational structure. In other words, Leibniz was brought in to fill a particular role within a broader philosophical system. And this was possible only because Deleuze brought out the more Dionysian tendency which Leibniz himself invariably suppressed. *The Fold*, however, immerses us in an entirely Leibnizian system. Deleuze's construction of this system, by relying on the fold which 'goes to infinity', emphasises more than ever the lively, Dionysian side of Leibniz's philosophy. The result is an account which begins to look more and more like one more expression of Deleuze's own philosophy. We will see just below that there remains, even in *The Fold*, a point at which Deleuze distances himself from Leibniz. But here, there is nothing which would allow us to immediately determine just how attached Deleuze is to this idea of an infinitely variable Fold which is determined twice: actualised in souls and realised in bodies.

This question is especially pressing because Deleuze turns this discussion of the Fold of the world into an explicit engagement with Heidegger's philosophy, which are always rare in Deleuze's work (*Le Pli*, p.42). The ideal Fold is a *Zweifalt*, or two-fold, Deleuze claims. We mentioned this term in relation to preformism when we discussed the unfolding of an organism in section 5.3.
There it was used to refer to the differentiation of something which was already differentiated (organisms from organisms). Its usage here is somewhat similar. The Zweifalt is a fold which ‘differentiates and is differentiated’. First, the fold distinguishes the two levels of the world, or differentiates between them. But then it itself is differentiated as part of the process by which the two levels are determined: the fold’s realisation in matter below, and its actualisation in souls above, is a process of differentiation. Deleuze claims that the key characteristic of Heidegger’s Zweifalt is that differentiation does not refer to a prior undifferentiated. Differentiation refers instead to a difference with two sides, which unfold in relation to one another. In Heideggerian terms, there is a coextension of the unconcealing and concealing of Being, and of the presence and withdrawal of beings. The key point for Deleuze is always that the fold distinguishes two sides, but also relates them to each other. There is some kind of tension between the two that forces them to stretch into each other, or fold over each other.

6.3.1 Mallarmé; the visible and the readable

There is one final set of terms Deleuze uses to distinguish between the two levels of the Baroque house. It is a distinction, he claims, between the sensible and the intelligible. He turns to literature for the first time in order to describe it. Deleuze claims that Mallarmé’s understanding of the fold as an operation or ‘operatory act’ marks him as a great Baroque poet (Le Pli, p.43). Along with Klee, this is another instance of Deleuze taking the term Baroque and applying it to someone or something outside of the traditional ‘Baroque period’. To warrant the Baroque label for Deleuze requires a particular application of the concept of the fold, and Mallarmé’s work (Deleuze references Hérodiade in particular) is one example. The ‘fold of the world’ in Hérodiade is like a fan, writes Deleuze. When the fan is open it makes the grains or the ash of matter rise and fall and swirl around. We perceive what is visible through this veil of dust, which is full of holes or little gaps caused by the foldings of matter. We are reminded here of our earlier definition of matter as ‘cavernous’ or ‘spongy’, and as infinitely divisible. These folds reveal to us a view of the ‘town’, or an appearance of the world (recall Leibniz’s favoured image of perspectivism
as a view on a town). But simultaneously it obscures the town, or makes its continuous withdrawal apparent, because the hole-ridden dust of matter resists being grasped completely. The 'conglomerate of dust' forms 'collectives of hollows'. In other words, inorganic matter forms masses or assemblages. Deleuze calls them 'hallucinatory armies and assemblies'. The term army is a reference to one of Leibniz’s favourite examples of a 'mass' or being by aggregation. They are 'hallucinatory' precisely because they are not true unities, but only masses. They are formed by the foldings of matter, but risk being dissolved if we examine them too closely because they contain nothing more than the 'dust' of infinitely divisible matter. This dust belongs to the sensible side of the fan (or the sensible side of the fold of the world), writes Deleuze. The sensible 'arouses' the dust of matter through which we view everything.

But there is another side of the fan, or rather there is a closed fan. The image of the open fan we just looked at evidently corresponds to the 'open' or external lower level of matter, while the closed fan will correspond to the closed or interior upper level of souls. When the fan is open, as we have just seen, it blows on the dust of matter, and corresponds to matter’s own complete openness (cavernous, full of holes and infinitely divisible, or in Serres’s terms, composed of ‘open chains’). But when the fan is closed, it no longer ‘pulverises’ matter (making it into dust or ash), but rather folds itself up (like an envelopment): the ‘thick layers’ of the fan constitute an inclusion which is the ‘tiny tomb of the soul’. The closed fan is thus folded like the closed interiority of the monad. The open fan corresponds to the folds of matter through which we see. It is the side of the sensible, or the observable. By contrast the closed fan corresponds to the folds of the soul in which we read. We see on the lower level, but we read on the upper level. The monad, for Deleuze, is like Mallarmé’s concept of the Book. The contents of this Total Book can be rearranged to express every possible relation between things, and similarly, the monad contains every fold, because its ‘pages’ or ‘sheets’ can be combined infinitely.

On one side we find the refolds of matter, according to which things are visible. Here we find living things, but also ‘collectives’ or aggregates, things like armies or herds of animals, which are ‘inanities or fictions’ insofar as they are not true unities. These collectives are part of the ‘dust of matter’, which
they themselves are endlessly stirring up. This dust is swarming with holes which ‘feed our inquietude, our ennui or our dizziness’ (Le Philosophe, p.43). In the first chapter of The Fold, Deleuze calls matter ‘cavernous’ and ‘spongy’. In the third chapter, the same point is made when Deleuze points out that the exterior or the façade is ‘full of holes’. But with this comes the sense of frantic activity which Deleuze insists accompanies these characterisations of matter: every cavern contains a vortex; and matter isn’t just full of holes, it is _swarming_ with holes. The continuous nature of matter doesn’t just mean that we must resign ourselves to the impossibility of isolating a particular part of the world and grasping it completely. The swarming of matter confronts us whenever we face the world: it makes us dizzy, or fills us with ‘inquietude’.

On the other side, or on the upper level, we find the folds of the soul, where ‘we no longer see, we read’ (ibid.). What exactly does it mean to read the soul? Leibniz uses the word in section 61 of the Monadology to refer to the act of determining what happens to a body. While a monad can ‘read’ only its own clear region, God can read the entire monad: ‘A soul can read in itself only that which is represented distinctly there.’ The closed chamber of the monad is thus the enclosed ‘reading room’ within which the Book of the world is read. We are assured that the two levels of the world are part of the same world, Deleuze argues, precisely because what is visible can also be read, and what is read has its own visible ‘theatre’. The Baroque, Deleuze thinks, provides a new type of correspondence or mutual expression between the visible and the readable, the sensible and the intelligible, or a new kind of harmony.

### 6.4 The final divergence

In Chapter five of The Fold, Deleuze turns to Leibniz’s theory of compossibility. His account repeats most of the key points we looked at in part II: Deleuze insists that incompossibility is not reducible to contradiction, and instead functions according to a theory of convergent and divergent series. But we’ll also see, once again, that a different interpretation of what happens when series diverge marks the fundamental difference between Deleuze and Leibniz.

Between Adam the sinner and Adam the non-sinner there is a relation of
contradiction. But Deleuze claims there must also be another type of relation, not between the two Adams, but between Adam the non-sinner and the world in which Adam sinned. We’ve already seen that the world in which Adam sinned is included or enveloped within Adam the sinner himself. But the world in which Adam sinned is also included in the infinity of other monads which exist alongside Adam the sinner and which express this same world. There must, Deleuze claims, be a relation of exclusion between Adam the non-sinner and the world in which Adam sinned. Adam the non-sinner contains an entirely different world (the world in which Adam did not sin). While the relation between Adam the sinner and Adam the non-sinner is one of contradiction, the relation between the two worlds which they include is not. Instead, it is a relation of incompossibility. In a footnote, Deleuze again makes the same claim we are familiar with from part II: ‘It seems to us that the incompossible is in Leibniz an original relation irreducible to any form of contradiction. It is a difference and not a negation. It is why we propose in the following an interpretation that rests only on the divergence or the convergence of series: which has the advantage of being “Leibnizian”’ (Le Pli, p.79).

The basis for Deleuze’s argument that incompossibility is not the same as contradiction is almost identical to the one we looked at in part II. Thus, Deleuze thinks that relations of compossibility and incompossibility can be understood in terms of the convergence and divergence of series. The only difference here is Deleuze’s emphasis on series as curves. A series is a curved line formed around singular points, and these singular points allow curves to be prolonged into each other. The world is comprised of an infinite number of these series, which are called convergent because they can be prolonged into each other. Again, then, compossibility is grounded in a kind of continuity between series.

Similarly, incompossibility depends on a divergence of series: ‘another world appears when the obtained series diverge in the neighbourhood of singularities’ (Le Pli, p.80). A point of discontinuity between two series marks the boundary between two exclusive possible worlds. The totality of convergent and ‘prolongable’ series which constitute a world are all compossible with each other. By contrast, the series which diverge are incompossible, and therefore ‘pertain to two possible worlds’.
CHAPTER 6. THE BAROQUE HOUSE - THE UPPER LEVEL

As we’ve already seen a number of times, there is a strange relation of priority between monads and the world. Monads are antecedent insofar as the world does not exist outside of the monads which express it. But Deleuze is adamant that according to Leibniz God directly creates the world in which Adam sins, and includes it in all the individuals which express it. On Deleuze’s reading, God creates the world as a unique series of points of inflection, events or singularities. The world, Deleuze writes, is a ‘pure emission of singularities’ (Le Pli, p.81). He gives three examples of singularities that would be enveloped by Adam: ‘to be the first man, to live in a garden of pleasure, to have a woman emerge from one’s own rib’ (ibid.). But the choice between a fourth singularity ‘to sin’, or ‘to resist temptation’, marks a bifurcation between two incompossible worlds. We thus say that Adam the non-sinner is incompossible with our world because he ‘implies a singularity’ (or includes a singularity-event) which diverges from those of this world.

But Deleuze also calls the relation between the two worlds a vice-diction. Deleuze only uses the word vice-diction twice in The Fold, each time as a name for the incompossibility between possible worlds. This is a slightly different definition than the one at use in Difference and Repetition. There, as we saw, vice-diction referred to the establishment of relations between singularities, as well as to the envelopment of singularities within individuals. This definition was broad enough that Deleuze could make use of the term in a later context (as the establishment of ‘adjunct fields’ and the ‘condensation of singularities’) while rejecting the exclusive nature of divergence that in Leibniz leads to a theory of possible worlds. Here, though, Deleuze remains strictly within a Leibnizian context, where vice-diction is a process which, by establishing an incompossibility between singularities, simultaneously establishes an incompossibility between possible worlds.

Vice-diction operates, and incompossibility is established, we’ve seen, as part the ‘divine game’ which Leibniz’s God plays at the origin of the world. We can again list all the key features of this game. First, the game ‘emits’ singularities. Second, it prolongs or stretches infinite series which go from each of these singularities to all the others. Third, it instantiates rules of convergence or divergence which organise these series into possible worlds. The members of
each possible world are composable, but two possible worlds are incomposable with each other. Finally, it includes the singularities of each possible world in the monads or individuals which express that world.\(^6\)

In part II, we explained how this divine game was criticised in *Difference and Repetition* as one more symptom of Leibniz’s remaining subject to the requirements of representation. Here in *The Fold*, however, Deleuze singles out Leibniz’s divine game as the first attempt to escape some of these requirements. It is not unusual amongst great philosophers, Deleuze claims, to posit some kind of calculus or divine game which takes place at the origin of the world (*Le Pât*, p.82). But all too often, he thinks, these games function according to a ‘too human’ set of rules. Deleuze is thus criticising, once again, philosophical models which assume a resemblance between condition and what is conditioned: we abstract from our representation of the world and conceive of the ground of the world in the same terms. In part II we saw how this same criticism lies at the basis of both Deleuze’s critique of anthropology in his review of Hyppolite and his critique of representation in *Difference and Repetition*.

But Leibniz’s divine game avoids being ‘too human’, Deleuze thinks, precisely because it is a calculus of infinite series ruled by convergences and divergences. This calculus, and the relations of compositibility and incompositibility which it establishes, operates on pre-individual singularities in an ideal continuum which escapes the structure of representation and its rules of identity, analogy, opposition and resemblance. Sjoerd van Tuinen aptly summarises this point: ‘Events insist and subist in an ante-predicative modality, in constant communication only with other events and with possible worlds. Precisely insofar as they are considered independently, they make up what Deleuze terms the impersonal and pre-individual transcendental field’ (Tuinen, p.161.) .

But, as we’ll now see, for Deleuze, Leibniz’s divine game nevertheless remains, at best, a point of transition. The strict partitioning and exclusion of possible worlds prevents Leibniz’s philosophy from the kind of ‘affirmation of

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\(^6\)Deleuze thinks that by positing an infinity of possible worlds Leibniz avoids the duality of, for instance, Platonism, which makes our world a reflection of a ‘deeper’, absolute world. Instead, Leibniz makes our world the only existing world, which rejects or ‘repels’ all other possible worlds on the basis that it is the ‘best’. Thus, just as Deleuze insists that the two levels of the Baroque house are two expressions of a single world, the theory of possible worlds similarly lends weight to the ‘single world’ as an important motif in Leibniz’s philosophy which Deleuze is drawn to.
divergence' which characterises Deleuze’s own philosophy.

### 6.4.1 The Neo-Baroque

Deleuze finds the ultimate example of this partitioning of possible worlds in the elaborate metaphor that Leibniz constructs in the final three sections of *Theodicy*. There, Leibniz attempts to rewrite Lorenzo Valla’s dialogue on free will. He describes a dream that Theodorus has about the fate of Sextus Tarquinius. We are asked to imagine a vast pyramid, which has a summit, but does not have a base, or whose base is lost in mist. Each brick of this pyramid is like its own ‘apartment’, and each of these apartments is a possible world. One of these apartments is the best possible world, and this sits at the summit of the pyramid. The pyramid thus represents a hierarchy of the value (‘bestness’) of worlds. The pyramid does not have a base because the lower worlds are ‘lost in the fog’: there is no final or last world which we can say is the worst. In each apartment there is a Sextus, who acts out his life as if in a theatre. Next to each Sextus is a large book. One of the pages of this book describes the life of this Sextus in more detail (Sextus’s ‘clear region’ of this world), while the other pages describe all the other events of this world. Once again, there is a combination of that which we see and that which we read which Deleuze claims is a Baroque trait: in each apartment we see a Sextus, but we also read the book which contains his life and every other event. The apartments of the pyramid differ according to the singularities or events they contain. In one, Sextus goes to Corinth and becomes a famous man, in another he goes to Thrace and becomes king, etc. In the best apartment, or the one at the summit, Sextus returns to Rome and rapes Lucretia (the event which leads to the downfall of the last king of Rome and the beginning of the Roman republic). Each of these singularities or events diverge from each other, and thus each Sextus is possible, but part of an incompossible world: each apartment is incompossible with every other, and completely closed off from every other.

Following his description of Leibniz’s pyramid, Deleuze turns to two more recent literary examples (*Le Pli*, p.83). The first is a short story by Borges, ‘The Garden of Forking Paths’. There, Borges invokes an imaginary Chinese philosopher-architect called Ts’ui Pen, who invents the image of the ‘garden
of bifurcating paths', a labyrinthine landscape where every possible moment of
decision is mapped. It forms a 'frame' which embraces all possibilities. The
second is Maurice Leblanc's *La Vie extravagante de Balthazar*. In Leblanc's
novel, Balthazar's quest to find his father armed with three clues leads to a
series of encounters with various men, all of whom claim him as their son. Each
of these claims appears to be supported by the clues, and we are left with
various versions of Balthazar's history, each incompatible with the others but
all nevertheless coexisting in the same world.

At first glance, these appear similar to Leibniz's pyramid, insofar as we are
presented with a series of possible worlds. But for Deleuze, there is a fundamental
difference: the literary examples demonstrate an intermingling or entanglement
of divergent or incomposable histories. Within the garden of forking paths,
every possibility is present, and while in any given world, Balthazar can only
be the son of one of these men, these various histories nevertheless 'develop
simultaneously'. Deleuze's references to Borges and Leblanc, with their mutually
incompatible but co-existing histories, are thus the first indication in *The Fold*
of the return of the fundamental point of divergence between Deleuze and
Leibniz: Deleuze affirms the divergence of series in a way which Leibniz cannot.
Leibniz's position is clear: the idea of incompossible events or divergent series
coexisting is absurd, and a choice must always be made (or rather, the choice
always has already been made) which ensures that only the best is realised.

In part II, this necessary choice was criticised by Deleuze in various related
ways. In *Difference and Repetition* it was connected to the critique of represen-
tation, while in *Logic of Sense* it remained the result of 'theological exigencies'.
In *The Fold* we again find a slightly different explanation. Deleuze thinks Leib-
niz is keen to maintain a vitally important characteristic of God: God does
not deceive us. If God allowed incompossible events to exist then he would be
a lying, cheating, deceiving God (like the tramp in the Leblanc novel whose
lies turn out to be the cause of the intermingling of incompatible events). For
Leblanc and Borges, the 'game' of worldly origins has no rules: every possibility
exists. By contrast, Leibniz's God gives rules to the game, which state that
possible worlds cannot pass into existence if they are incompossible with the
world which God has chosen.
Leibniz’s Baroque philosophy, claims Deleuze, is positioned precisely at the point of a crisis in ‘theological reason’. The Baroque position tries desperately to save the theological ideal, even while it is attacked on all sides in a world which threatens to ‘lose all its principles’ (*Le Pli*, p.90). Thus, by the time of Nietzsche and Mallarme we get a very different ‘game of the world’. Theirs is a game, Deleuze thinks, based on the model of a dice-throw. The difference is that this game refers to a ‘world without principle’ (*ibid.*), and the dice-throw is thus an affirmation of chance. The result is that Nietzsche and Mallarme, like Borges and Leblanc, ‘make incompossibles enter into the same fragmented world’ (*ibid.*).
Conclusion - The New Discord

The depth of Deleuze’s reading of Leibniz in *The Fold* allows us to determine the consequences of treating Deleuze’s philosophy as a Neo-Baroque, Neo-Leibnizian philosophy. Such a philosophy still operates within a Leibnizian space of infinite depths, singular events, foldings and envelopments. But the Leibnizian principles governing this space have been overturned.

In chapter three, we mentioned briefly that Deleuze’s reversal of Platonism begins with simulacra. Simulacra were the untamed differences that could not be brought within the orderly structure of representation. In Platonism, this meant that they were *excluded*, and it was the role of the Ideas to provide rules for the distinction between well-founded copies and mere simulacra. With the reversal of Platonism, this regulative role of the Ideas is removed. Instead of being excluded, the dynamic, untamed simulacra become the ground for the production of the world of representation.

Deleuze’s overturning of Leibnizianism does the same thing. God is no longer present to ensure that the divergent series which are produced by the infinite depths of difference are excluded from one another, and partitioned into possible worlds according to rules of order and harmony. Instead, the divergences which difference produces are allowed to coexist, resonate and communicate within a single world. This reversal thus has two key features, which we’ve seen at various points in *Difference and Repetition*, *Logic of Sense*, and *The Fold*. First, Leibniz’s divine game is replaced with a new ‘ideal game’. This game no longer relies on God as the foundation and origin of the world. Thus, in the conclusion
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to *Difference and Repetition* Deleuze writes: ‘This is the point at which the ultimate origin is overturned into an absence of origin (in the always displaced circle of the eternal return). We oppose this displaced circle to the convergent circle of Leibniz’ (*DR*, p.283). But it is also a game which escapes representation completely: ‘The divine game is quite different - that of which Heraclitus, perhaps, speaks; that which Mallarme evokes with such religious fear and repentance, and Nietzsche with such decisiveness - for us it is the most difficult game to understand, impossible to deal with in the world of representation’ (*DR*, p.283).

Second, overturning Leibnizianism requires above all an affirmation of divergence.

Each series tells a story: not different points of view on the same story, like the different points of view on the town we find in Leibniz, but completely distinct stories which unfold simultaneously. The basic series are divergent: not relatively, in the sense that one could retrace one’s path and find a point of convergence, but absolutely divergent in the sense that the point or horizon of convergence lies in a chaos or is constantly displaced within that chaos. This chaos is itself the most positive, just as the divergence is the object of affirmation. (*DR*, p.123)

More often than not, Deleuze turns to art, and especially literature, in order to find instances of such an affirmation of divergence.7 This was especially evident in *The Fold*:

Divergent series trace in a same chaotic world always-bifurcating trails, it is a “chaosmos”, like we find in Joyce, but also in Maurice Leblanc, Borges or Gombrowicz. Even God ceases to be a Being who compares worlds and choses the richest composable; he becomes Process, a process which affirms simultaneously incompatibilities, and passes through them. The game of the world has singularly

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7In *Cinema 2*, which was written a few years before *The Fold*, Deleuze’s account of the ‘crystal image of time’ in cinema emphasizes how it allows the coexistence and communication of incompatible events. This is why Deleuze spends so much time discussing films like *Last Year at Marienbad*, which feature multiple, incompatible versions of the same event or story.
Deleuze and the History of Philosophy

*The Fold* is Deleuze's final and ultimate attempt to put Leibniz's philosophy to use in order to articulate a key point of his own philosophy. This continues a trend which was initiated with *Expressionism in Philosophy: Spinoza, and evident in *Difference and Repetition* and *Logic of Sense*. The result is that the Leibniz we find in Deleuze's work is not the same as the one to which history has accustomed us. Deleuze even seems to take especially seriously those parts of Leibniz's philosophy which, in general, have been treated with the most scepticism. Thus, where ideas such as pre-established harmony, the best possible world, or the monad 'without doors and windows' are often sidelined by Leibniz's much more respectable discoveries in logic, in Deleuze's hands they become the concepts which, when properly formulated, best express the hidden force of Leibniz's philosophy. The inevitable result of this reading is a version of Leibniz's philosophy which emphasises the tendencies to which Deleuze is most sympathetic. In other words, Deleuze presents us with what, for him, is the best of all possible Leibniz's. This is taken to such an extreme in *The Fold* that a Baroque blurring of lines begins to contaminate Deleuze's own reading: situated in a world of infinite depths populated by singular events, it is hard to tell where Leibniz's philosophy ends and Deleuze's begins.

In this sense, then, we would wish to grant Leibniz his rightful place amongst Deleuze's important historical influences. But Leibniz has a unique status, which assures a more ambiguous relationship than the one Deleuze has to Spinoza, Nietzsche and Bergson. In *Anti-Oedipus*, Deleuze cites his own lineage of 'minor' philosophical figures. But a central part of what unites these figures is their resistance to (or 'falling outside of') major, 'State' philosophy. By contrast, Leibniz stands firmly on the side of State philosophy, as someone motivated above all by the desire to maintain order and harmony. With Leibniz,

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8 In a footnote Deleuze makes 'special reference' to Gombrowicz's novel *Cosmos*. In fact, this is not the only time Deleuze turns to Gombrowicz in order to find the affirmation of divergence that Leibniz could never allow. In *Difference and Repetition* (p.123) and *Logic of Sense* (p.47) Gombrowicz is referenced as someone who allows a communication between divergent or 'heterogeneous' series.
then, we are faced with a kind of suppressed presence of the minor within the major.

We’ve seen again and again this tension between two opposed characterisations of Leibniz. On the one hand Deleuze admires this malleability of Leibniz’s philosophical system (and the ‘slipperiness’ of its concepts), but on the other hand he condemns the apparent cowardice in Leibniz’s motivation: his commitment to ‘never offend established sensibilities’. In chapter three of The Fold, Deleuze gives his own, final explanation of this tension in Leibniz’s philosophy (Le Pli, p.46). It is an explanation that requires, once again, properly situating Leibniz as the philosopher of the Baroque. Any ‘portrait of Leibniz’ is marked by the tension between an ‘open façade’ and a ‘closed interiority’, especially when it comes to the ways in which he presents his philosophy. Here, the façade is no longer a feature of architecture, but a feature of Leibniz’s character - he ‘hides behind a façade’. Deleuze is influenced by a passage from Nietzsche: ‘Leibniz is more interesting than Kant - typically German: good-humoured, full of noble words, sly, supple, pliant, a mediator, incredibly daring for himself, hidden behind a mask’.

Deleuze often refers to Leibniz’s ability to present his philosophy from a particular point of view, ‘in this or that mirror’, depending on the opinions and the apparent intelligence of his audience. What remains clear is that by following this strategy Leibniz is constructing a façade for himself, behind or above which his real system remains hidden, ‘turning about itself, and losing absolutely nothing to compromises below’. By emphasising certain themes in Leibniz’s philosophy, Deleuze is trying to express this ‘real’ system, which Leibniz himself was careful to keep confined in the chamber with closed doors and sealed windows, lest it disrupt the delicate harmony of the Baroque world.

But we’ve also seen that again and again, in one key respect, Leibniz always remains distanced from Deleuze, such that there is no question that they belong to two distinct, irreconcilable philosophical epochs. Deleuze develops a theory of disjunctive synthesis, or a communication between divergent series. But this is a position which Leibniz cannot be made to endorse, however much Deleuze radicalises him. As the Baroque philosopher par excellence, Leibniz stands at the moment before the world loses its principles: ‘the splendid moment where we
maintain something rather than nothing' (Le Pli, p.92). However far Deleuze carries Leibniz in The Fold, this still remains the point of divergence between them. This is the final expression of the same general point Deleuze returns to each time he approaches Leibniz. In Expressionism in Philosophy: Spinoza, Leibniz was the lesser half of the Spinoza-Leibniz anti-Cartesian reaction because he was too concerned with preserving the glory of God. In Difference and Repetition, instead of being justified as 'saving God', it was a way of 'taking the principle of identity particularly seriously', and was connected with Deleuze's critique of representation. In Logic of Sense it was a case of Leibniz's being 'hindered by theological exigencies'. Perhaps the most general way of characterizing these remarks is to say that Deleuze condemns Leibniz's conservatism. Leibniz is well known for his conciliatory maxim that new concepts should not 'overthrow established sentiments' and perhaps the harshest words Deleuze levels at Leibniz are reserved for this 'shameful declaration' (LS p.133).

But when Deleuze returns to this point in The Fold, there is one major difference: the earlier critical tone is now absent. Leibniz's commitment to a principle of harmony and convergence is no longer viewed by Deleuze as an unfortunate symptom of theological conservatism, or of remaining subordinate to the structure of representation. Instead, Leibniz's philosophy is completely appropriate to the Baroque world it expresses. Leibniz's philosophy is no longer inadequate on its own terms, it is only inadequate to the new, 'broken' world that Deleuze thinks has come to replace Leibniz's Baroque world. Henry Somers-Hall accounts for Deleuze's treatment of philosophical systems by comparing them to the conic sections obtained when we slice a three-dimensional cone. Depending on the angle of the slice, we end up with different sections of the same cone. And just like conic sections, 'Different philosophical systems are in the same manner objective presentations of the world that nonetheless are incommensurate with one another, each presenting a perspective on chaos while leaving open the possibility of other perspectives' (Somers-Hall, Introduction to The Cambridge Companion to Deleuze, p.7). Deleuze can thus maintain that Leibniz's philosophy is completely valid (as in consistent, complete, and 'true' insofar as it is a perspective on the chaos), while simultaneously incommensurable with his own philosophy.
With this, I think, we can detect in The Fold themes which will go on to be developed a few years later in What is Philosophy?. The Fold marks a change in the way Deleuze approaches Leibniz. Instead of a limited application of certain ideas, Deleuze creates a whole Leibnizian plane of immanence - a particular ‘slice of the chaos’ which characterises the Baroque period. Deleuze writes that philosophy is ‘the coexistence of planes, and not the succession of systems’ (WP, p.59). Leibniz’s philosophy is thus no longer an outdated system that can be straightforwardly rejected. Stengers writes that, rather than the ‘repulsive’ conceptual persona Leibniz represented in Logic of Sense, in The Fold ‘the conceptual persona has become a philosophical friend belonging to a time that is no more. At the end of The Fold, Deleuze comes back to his own concept of diverging series, but it now signals a change of what I would call, with Whitehead, an epoch. The world now is made up of diverging series, Deleuze writes, but we remain Leibnizians because thinking is still folding, enfolding, unfolding’ (Stengers, p.32).

Deleuze and Leibniz’s philosophy are thus two coexisting slices, each adequate to its own world. But, when faced with this divergence between philosophical systems, it is no longer a question of choosing the ‘best possible’, such that one or other must be excluded. To make Deleuze’s engagement with Leibniz productive requires affirming the divergence between the Leibnizian and Deleuzian series, until they begin to resonate and communicate.
Bibliography

Works by Deleuze


— *Cinema 2*. Continuum, 2005


Works by Leibniz


Other Works


BIBLIOGRAPHY


—— *Théorie de l’art moderne*, Folio essais.


Wilkins, Adam. Modes, Monads and Nomads: Individuals in Spinoza, Leibniz and Deleuze. State University of New York at Stony Brook.


