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# Trade Policy And General Equilibrium Under Different Market Regimes With Numerical Applications To Turkey 

by
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A Thesis
Submitted for the Qualification of Doctor of Philosophy

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Quando Io ebbi concluso quel corso di studi, al cui termine si era accolti nel numero dei dotti, io cominciai a pensare in modo del tutto opposto. Compresi infatti di trovarmi avviluppato in tanti dubbi e tanti errori da arrivare a credere che tutto il mio impegno per istruirmi non mi avesse dato altro vantaggio che quello di farmi scoprire sempre piu' profondamente la mia ignoranza.

Cartesio (Dissertatio de Methodo, pp 2-3)
to my wife Antonella and my daughter Martina

## Summary

This dissertation investigates issues concerning export quotas and tariffs within a general equilibrium (GE) framework, under assumptions of both perfect and imperfect competitive markets, when trade is all intraindustry. The dissertation addresses important, though relatively neglected, contemporary trade policy issues in the developing world, such as Voluntary Export Restraints (VERs) and optimal export taxes. Given the complexity of the GE analysis with increasing returns to scale and imperfect competition, I also employ computational techniques in order to better understand the economic implications of trade policies, especially with regard to the impact on welfare, which is often analytically ambiguous. The empirical analysis has been applied to Turkey, being a middle-income developing country which still applies high tariffs and export quotas. However, the empirical findings have a wider application. Firstly, I provide a different rationale from the standard literature as to why VERs are accepted by exporting firms. The essence of the argument is that a VER serves as an institution to prevent entry and, therefore, to protect the monopoly power of incumbent firms in both domestic and export markets. The impact on social welfare is indeterminate. However, numerical results for Turkey support the conjecture that with the elimination of a VER an exporting country is worse off, and that this welfare loss is larger, the smaller the country in question. Secondly, I argue that an export tax, considered to be optimal in a partial equilibrium (PE) framework, might be sub-optimal in a GE setting. In fact, all numerical simulations support the view that the PE export tax leads to a social welfare loss. I also demonstrate analytically that the PE formula is upwardly biased. Finally, a further issue has been analysed, which refers to the impact of regional agreements on income distribution and employment, which are two of the most contentious issues among economists and policy-makers, in the areas of tariffs and quotas. Given the complexity of the analysis in a multi-household and multi-factor framework, I apply a GE model with constant returns to scale and perfect competition to study the impact on welfare, income distribution and employment of the recent customs union (CU) agreement between Turkey and the European Union (EU) on the Turkish economy. The numerical results indicate that the CU is not trade diverting. Most importantly, this agreement might substantially raise income inequality between urban and rural household members, suggesting that analysis based only on assumptions, which characterise the Stolper-Samuelson theorem, might te misleading. In addition, the CU favour the creation of 148 thousands new jobs, mainly with basic skills. So, in conclusion, I argue that (i) VERs are agreed to protect the monopoly power of incumbent firms and to enhance possibly the welfare of the exporting country; (ii) export taxes are upwardly biased and non-optimal; (iii) the regional agreement with the EU raises Turkish employment and might raise income inequality among household members.

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## CHAPTER 1

## Introduction and Outline

The aim of this thesis is to analysis a set of trade policy issues within a GE framework. Although tariffs and quotas are often used as a source of government revenues, especially by developing countries, issues such as the economic impact of optimal export taxes and export quota have been relatively neglected by the contemporary economic literature. In fact, the "new trade theory" and, to a certain extent, the "strategic trade theory" concentrated their analysis on import tariffs and subsidies. ${ }^{1}$ For example, in a seminal paper by Krugman (1979), he argues that there are mutual gains from trade as, by enlarging markets, international trade would allow both a greater varicty of goods and a greater scale of production. ${ }^{2}$ Whereas, in a strategic duopoly Cournot game, Brander and Spencer (1985) show that governments could enhance the welfare of their nations by subsidising the exporting firm. In contrast, Eaton and Grossman (1986) find that the Brander-Spencer policy conclusion would be the

[^0]opposite, if the domestic firm and the foreign firm behave in a Bertrand fashion. In this case, they argue that an export tax is required for the profit-shifting motive to exist. However, if domestic consumption is introduced in this modelling framework, the impact of an export tax on welfare is no longer unambiguous, depending upon the precise forms of the demand and cost functions (Eaton and Grossman, 1986). It must be stressed that the analyses of Brander-Spencer and Eaton-Grossman focused only on the profit-shifting motive, and neglected the effects of trade policies on terms of trade (Rodrik, 1989). In addition, their analyses are based upon a strategic game among two firms, the domestic firm and the foreign firm. By so doing, they exclude a priori the effects of trade policies on the degree of competition among domestic firms and on firms' domestic production.

Similarly, Harris (1985) and Krishna (1989) use a duopoly model with Bertrand competition and differentiated products to show that a VER induces the domestic firm of the importing country to become an industry price leader, and therefore obtain the profits of a Stackelberg leader, as the foreign firm makes the credible commitment that it will not increase the level of exports when the domestic firm increases its price. Hence, the imposition of a VER at or close to the free trade level increases prices and profits to both the domestic and the foreign firms. However, their models examine the VER effects on an importing economy and limit the analysis of the exporting country simply to the firm's profits.

I examine the impact of export quota (Chapter 2) and optimal export taxes (Chapter 3) in a GE setting when firms produce for the export market as well as for the domestic market. Three key assumptions are postulated: (i) imperfect competition and increasing returns to scale; (ii) trade policies have a direct influence on firms' domestic production decisions; (iii) foreign trade is all intraindustry. If the first assumption has been adopted in order to derive the number of firms in equilibrium, the second assumption has been introduced in order to analyse VERs in a context of a strategic trade policy (Chapter 2) and to examine optimal export taxes when markets are
segmented (Chapter 3). The third assumption has been required in order to distinguish the price vector of domestic goods from the price vectors of exports and imports. Within this modelling framework, I examine the economic impact of export taxes, which are believed to be optimal in a PE framework, and export quotas in the form of VER agreements, the former under the assumption of constant conjectures, the latter under both Cournot and Bertrand competition. It is important to stress that Eaton and Grossman (1986) show that the form of optimal trade policies depends critically on the nature of the competition between firms; whereas Venables (1994), by using a numerical multi-regional PE model, shows that the impact of trade policics is not significantly important to the different equilibrium concepts employed.

Given the complexity of the GE analysis, under the assumptions that markets are segmented, technology exhibits internal economies of scale, and trade is intraindustry, I also employ numerical GE models to verify if the qualitative effects lead to quantitative aspects of significant magnitude; and if the analytical ambiguity of the policy effects on some of the variables, such as welfare and firm size, can be numerically resolved. The empirical analysis has been applied to Turkey firstly, because it is a middle income developing country, which periodically renews VER agreements on textiles and apparel with the EU (GATT, 1994) and within the Multifibre Arrangement (MFA) scheme; secondly, because of a long tradition of planning, the State Institute of Statistics of Turkey periodically estimates reliable Input-Output tables for the nation as a whole, which are a fundamental data set for the compilation of a benchmark needed for the calibration of Applied Gencral Equilibrium (AGE) models. ${ }^{3}$

A third issue, which is a hot topic among economists and policy-makers, has been examined: that is, the impact of regional agreements on income distribution and

[^1]employment. Given the complexity of the GE analysis in a multi-household, multilabour, multi-sectoral framework, I follow the traditional computational GE methodology to numerically quantify the economic impact of the recent CU agreement between Turkey and the European Union (EU) on income distribution and employment in Turkey. The technique employed follows the Arrow-Debreu GE framework, elaborated in Arrow and Hahn (1971), where each consumer has an initial endowment and a set of preferences; producers maximise profits with constant returns to scale technology; and where the standard features of excess demand functions (i.e. continuity, non-negativity and homogeneity of degree zero) and the Walras law (i.e. total value of all expenditures of households and firms is equal to total sales) apply.

It is vital to stress that both the analytical models in Chapter 2 and Chapter 3, and the three AGE models in the three chapters, are static single country open economy models, where dynamic features and retaliation issues are neglected.

The motivation behind each of these studies is simple. The first model is motivated by the fact that a clear answer is still not given as to why small exporting countries agree to voluntary restrain their exports. It is generally accepted that exporting countries receive quota rents, and they are fearful about other forms of protection by the competing importing country (Rosendorff, 1996). However, this argument cannot explain the MFA scheme, where a large number of small exporting countries periodically renew the level of export quotas for each individual country. In addition, numerical results based on multiregional AGE models indicate that several developing countries suffer welfare losses from the MFA scheme (Trela and Whalley, 1990; Francois, et al., 1995; Yang, et al., 1997). I show that incumbent firms keep renewing VERs agreements because these are an instrument to protect these firms from domestic competition, and therefore to protect their monopoly power in both domestic and export markets. In addition, the numerical findings indicate that, as a consequence of the elimination of VERs in Turkish textiles and apparel, there is a
modest welfare loss under both quantity setting and price setting oligopolies, and this loss is larger, the smaller the country.

The second model concerns export taxes. The standard PE literature with imperfect competition (Rodrik, 1989; Helpman and Krugman, 1989; RHK, henceforth) argues that a positive optimal export tax policy can be pursued. However, the estimated optimum tax rates are generally very high, normally around 30-40\%. Policy suggestions of this kind are obviously not welcome among policy-makers and industry associations. In addition, export taxes are not typically adopted to raise the welfare of a nation. I show that the RHK export tax in a GE framework has an ambiguous impact on welfare and that the Rodrik's formula is upwardly biased. Numerical estimates for Turkey indicate that the introduction of the RHK export tax leads to a social welfare loss, which is much larger if part of firms' costs is sunk.

The third model has been constructed to analyse the impact of the recent CU agreement between Turkey and the EU on income distribution and employment in Turkey. ${ }^{4}$ Trade and income distribution, and trade and employment are now two hot topics among trade theorists (Krugman, 1995, 1997; Wood, 1994)). Thus, I build a multi-household model to quantify the impact of this regional policy on income distribution and employment in Turkey, by employing two alternative assumptions on real wages, one fixed and one flexible, as also suggested by Krugman (1995). The numerical results indicate that despite the validity of the Stolper-Samuelson theorem, overall income inequality rises in the scenario with fixed wages, suggesting that an analysis based only on the functional distribution of income and under the assumption of flexible wages might be misleading. In addition, the computed estimates indicate that 148000 new jobs would be created, as a result of the CU.

[^2]The thesis consists of five chapters in all. Chapter 1 introduces the general aim of the thesis. Chapter 2 studies the economic implications of the elimination of a VER for an exporting country. Chapter 3 examines the economic implications of what is believed to be a PE optimal export tax in a GE framework. Chapter 4 analysis the economic implications, the income distribution effects, and the impact on employment of the 1996 CU agreement between Turkey and the EU, applying a multi-household, multi-labour GE model to the Turkish economy, and Chapter 5 provides a summary, some conclusions and the perspectives for future research. The appendices related to each chapter are reported in the last section of the thesis.

## CHAPTER 2

## Why Exporting Countries Agree to Voluntary Export Restraints: The Oligopolistic Power of the Foreign Supplier

## [2.1] Introduction

The economic literature on VERs was developed in the eighties, when such agreements started to be used internationally as an instrument to protect the domestic economy from international competition, without breaking the GATT rules. The standard analysis of a VER, in the context of perfectly competitive markets, identifies three effects: the higher price paid by consumers of the importing country, the transfer of rents associated with artificially high prices from the importing to the exporting country, and the lower supply price for exports, as the marginal revenue product decreases. ${ }^{5}$ It can be shown that the global welfare loss for a two-country economy as a whole is represented by the loss in the consumer surplus faced by the importing country, plus the loss in the producer surplus faced by the exporting country. In an imperfectly competitive market Harris (1985), Krishna (1989) and Rosendorff (1996)

[^3]show that a further effect arises since quantitative restrictions may increase the market power of some firms. However, their models examine the VER effects on an importing economy and limit the analysis of the exporting country simply to the firm's profits. Harris (1985) and Krishna (1989) use a duopoly model with Bertrand competition and differentiated products in a partial equilibrium setting to show that a VER induces the domestic firm of the importing country to become an industry price leader (assumed in Harris, but derived endogenously by Krishna), and therefore obtain the profits of a Stackelberg leader, as the foreign firm makes the credible commitment that it will not increase the level of exports when the domestic firm increases its price. Hence, the imposition of a VER at or close to the free trade level increases prices and profits to both the domestic and the foreign firms. ${ }^{6}$ Rosendorff claims that an exporting country agrees a VER for fear of antidumping actions or other forms of administered protection by the importing country. ${ }^{7}$ Suzumura and Ishikawa (1997) extend the Harris's result to the welfare implications of a VER. They show that, whether the duopolists compete in prices or quantities, a VER set equal to the frec-trade level of exports enhances the welfare of the importing country if, and only if, it reduces the profits of the exporting firm. Kemp, et al. (1997) show that the Suzumura-Ishikawa proposition survives in a general equilibrium setting if, and only if, the two goods are substitutes, the own price elasticities are larger than the cross price clasticities, and the price effects outweigh the income effects of the trade policy.

Most of the literature on VERs focuses upon the effect of a VER on an importing economy. The implication for an exporting country have been mainly analysed with empirical models. de Melo and Winters (1993), for example, argue that with a VER the contraction in the restrained industry is associated with spillovers of

[^4]exports to unrestricted markets. ${ }^{8}$ Applying a partial equilibrium econometric model to the Taiwan footwear industry, they also found that this country suffered a welfare loss as a consequence of a VER. Trela and Whalley (1990) report estimates of national and global welfare costs of both developed country tariffs and bilateral quotas on textiles and apparel using an AGE model with constant returns to scale. When bilateral quotas alone are removed, results clearly show that the developed countries and the vast majority of developing countries gain. Based on 1986 data, the total gain has been estimated to be of around $\$ 22$ billion. On aggregate, developing countries gain around $\$ 3$ billion. ${ }^{9}$ Similar results for developing countries are found by Yang (1994) and Yang, et al. (1997).

Francois, et al. (1995), by using various types of multiregional AGE models characterised by perfect competition, or imperfect competition, or endogenous capital stock, found that the elimination of the MFA would result in welfare gains for most of developing countries, and for developing countries as a whole. ${ }^{10}$ In contrast, Harrison, et al. (1997), by using a similar modelling approach, found that the elimination of the MFA would result in welfare gains for few countrics, and in losses for developing countries as a whole. They argue that this aggregate welfare loss is due to the transfer of MFA quota rents from developing to industrialised countries. Only in the long run, after capital stock has optimally adjusted, do they estimate an aggregate welfare gain for developing countries as a whole. Similar results have been also obtained by Hertel,

[^5]et al. (1995). These empirical findings support the dominant view that several exporting countries, especially small countries, are forced, rather than agree voluntarily, to export restraints.

This paper explores the economic effects of a VER on a foreign supplier when the VER also modifies the degree of competition in the exporting country's domestic market, under both Bertrand and Cournot conjectures. I show that the elimination of a VER certainly leads to a more efficient allocation of resources, favouring the expansion of the previously restrained industry. However, the elimination of an export quota causes an increase in the producer price of exports, which brings about a rise in the composite producer price. The export expansion and the higher average cost allow less efficient firms to break even. As the number of the competing symmetric firms within the industry increases, the firms' perceived elasticity of export demand rises. As a result, the power of incumbent firms declines regardless of the firms' conjectures. However, the smaller the country, the larger the possibility that the monopoly power in the domestic market declines more than in the export market. With regard to the impact on firm size, it positively depends upon the size of export growth for the industry as a whole, and on the impact on firms' domestic production, and negatively on the extent of new entry.

From the social point of view, I show that the elimination of a VER has two positive, two negative and two indeterminate effects on the welfare of the exporting country. The positive effects are due to the increase in the producer price of exports, as foreign consumers are more sensitive to price changes, rather than to quota premium variation (export producer price effect); ${ }^{11}$ and to increased product diversity, as domestic brands enter in pursuit of positive profits (variety effect). The negative effects on welfare are due to the loss of the economic rent (rent loss effect), and the greater cost of purchasing intermediate inputs (increased intermediate inputs cost

[^6]effect). In fact, I show that the impact on the costs of intermediate inputs might be substantial and might be larger than the rise in the producer price of exports. The impact on the consumer price index (consumer price effect) and on total production (global efficiency effect) cannot be classified. Thus, the welfare implications of VERs on an exporting economy are analytically indeterminate.

In order to comprehend the significance of the analytical results, to understand better the uncertain outcome on welfare and firm size, and to examine how sensitive the results are to alternative equilibrium concepts, an AGE model with the restrained sectors facing increasing returns to scale, identical firms, and free entry/exit has been built. This model studies the main effects of the elimination of VERs on welfare, output, resource allocation, average cost, firm size, concentration of the industry and price cost margin, under both Bertrand and Cournot conjectures. The model has been applied to the Turkish textiles and apparel industries, which have been subject to VERs in relation to the European market since 1982 for textiles and 1986 for apparel, and since then periodically renewed and now broken as a consequence of the recent customs union agreement (GATT, 1994). The numerical results clearly indicate that regardless of market conjectures, as a consequence of the elimination of VERs, the contraction of industry concentration is substantial, whilst it is modest regarding the negative impact on price cost margins. In addition, it supports the hypothesis that the negative welfare effects dominate the positive effects with trade, thus decreasing the aggregate welfare of a nation, although by a small amount. It also confirms the analytical result that the smaller the country the larger the negative economic implications of the abrogation of VERs for incumbent firms. Similarly, there is a larger welfare loss for the nation as a whole. The quantitative results are less sensitive to equilibrium concepts. However, incumbent firms would be worse off in terms of new entry, size and average cost under Bertrand conjectures. as they are inherently more competitive. Hence, it seems that industry associations, with the consent of
policy-makers of exporting countries, reach agreements about VERs for rational economic reasons.

## [2.2] A model with imperfect competition and symmetric firms

A VER is an entry barrier in the market for exports. It favours the concentration of the industry, and allows established firms, especially those which receive the export licence, to better exploit economies of scale by producing at lower average cost. Since the break-even price for potential entrants is the average cost, a VER can also be regarded as an effective entry barrier in the domestic market. Thus, the voluntary acceptance of export restraints not only generates forms of oligopoly in the market for exports, but also modifies the degree of competition in the foreign supplier's domestic market. I model the oligopolistic behaviour of firms as a noncooperative game, where the stable solution is represented by a Nash equilibrium in prices or quantities. To justify that, it can be argued that a VER may facilitate the leaming process of each established firm with regard to the reaction functions of other competing firms, such that each incumbent firm chooses the amount of output (exported and sold in the domestic market) in order to maximise its own profit, given the output or the price choice of other competing firms. So a VER may serve as an institution to protect an established domestic oligopoly of an exporting country, which behaves in a Cournot or Bertrand fashion.

The model presented in this section is an intraindustry GE model with increasing returns to scale, segmented markets and symmetric firms used to study the impact of the elimination of a VER on the average cost, the number of firms, firm size, industrial output, price cost margin and welfare, under both Bertrand and Cournot conjectures. I also assume the existence of sectors not subject to VERs, which face perfect competition and constant returns to scale. The latter sectors are
indexed with crs, whilst the sectors subject to VERs are indexed with $i$. To represent all sectors of the economy, I use $j=i \cup c r s$.

To model domestic and foreign trade, I assume that each firm in sector $i$ and each industry crs employ factors and intermediate inputs to produce two imperfect substitute goods, one sold in the domestic market and the other exported. The representative consumer gains utility from the consumption of domestic goods produced by the industry crs and their imperfect substitute imports, and from the consumption of a variety of domestic goods produced by the sectors of differentiated products and a variety of imperfect substitute imports. Also the sectoral intermediate demand, which is defined as a Leontief specification of sectoral output, is satisfied with the supply of domestic goods and imports.

## [2.2.1] Technology and cost function

The production function of a single representative firm, $\Theta$, is additively separable in $\Phi_{1}$ and $\Phi_{2}$, and such that $\partial^{2} \Theta /\left(\partial \Phi_{1} \partial \Phi_{2}\right)>0$ :

$$
\begin{align*}
y_{t} & =\Theta\left[\Phi_{1}\left(x_{11}\right), \Phi_{2}\left(l_{1}, k_{t}\right)\right]  \tag{2.1}\\
& =0 \text { if } l_{1}<l_{t}^{f} \text { or } k_{1}<k_{t}^{f}
\end{align*}
$$

where $y_{\text {, }}$ represents composite production of domestic goods and exports; $x_{\text {, }}$ denote intermediate inputs, assumed to be net complements; $l_{1}$ and $k_{1}$ represent labour and capital inputs; and $l_{1}^{\prime}$ and $k_{1}^{\prime}$ the fixed factor inputs needed to start the production process. Due to the presence of fixed setup costs, the production sets are not-convex. $\Phi_{2}$ is locally assumed to be twice differentiable, so that $\Phi_{2}^{\prime}>0$ and $\Phi_{2}^{\prime \prime}<0$.

The production possibility frontier of each firm is represented by

$$
\begin{equation*}
y_{1}=\Omega\left(d_{1}, e_{t}\right) \tag{2.2}
\end{equation*}
$$

$$
\Omega_{d}>0, \Omega_{e}>0, \partial^{2} \Omega /\left(\partial d_{1} \partial e_{1}\right)<0
$$

which locally is a separable, differentiable transformation curve of domestic goods ( $d_{i}$ ) and exports ( $e_{i}$ ). The transformation curve is locally assumed to be twice differentiable with respect to $d_{i}$ and $e_{i}$, such that $\Omega^{\prime \prime}\left(d_{i}\right)<0$ and $\Omega^{\prime \prime}\left(e_{i}\right)<0$.

The fixed factor inputs, $l_{i}^{f}$ and $k_{i}^{f}$, multiplied by their respective returns, determine the firm's fixed cost. It is important to emphasise the benefits for each firm of raising production, as each firm would bear a reduced fixed cost element per unit of output. The total cost faced by each firm is the sum of variable and fixed costs, hence the average cost $\left(a c_{i}\right)$ to produce one unit of output is

$$
\begin{equation*}
a c_{i}=\left(w l_{i}+r k_{i}+\sum_{j} p_{j} x_{j i}\right) / y_{i}, \tag{2.3}
\end{equation*}
$$

where $p_{j}$ denotes the price vector of final and intermediate goods. The factor demands of each firm and the marginal cost equation can be derived by solving a standard dual problem. The marginal cost is independent of output, and is a function of factor prices and sector specific parameters.

The production function and the transformation curve for sectors facing perfect competition and constant returns to scale take respectively the following form:

$$
\begin{align*}
& Y_{c r s}=\Theta^{c r s}\left[\Phi_{1}^{c r s}\left(x_{j c r s}\right), \Phi_{2}^{c r s}\left(L_{c r s}, K_{c r s}\right)\right]  \tag{2.4}\\
& Y_{c r s}=\Omega^{c r s}\left(D_{c r s}, E_{c r s}\right), \tag{2.5}
\end{align*}
$$

where $Y_{c r s}$ denotes composite output, $D_{c r s}$ domestic output, $E_{c r s}$ exports, $L_{c r s}$ labour, and $K_{c r r}$ capital for the industry as a whole. $\Theta^{c r r}$ is globally linear homogenous, additively separable in $\Phi_{1}^{c r s}$ and $\Phi_{2}^{c r s}$, and such that $\partial^{2} \Theta^{c r /} /\left(\partial \Phi_{1}^{c r \boldsymbol{r r}} \partial \Phi_{2}^{c r}\right)>0 . \Phi_{2}^{c r s}$ is twice differentiable. $\Omega^{c r s}$ is globally linear homogenous, separable, differentiable and concave.

### 12.2.2 ] Number of firms

The model is characterised by free entry/exit. One key feature of the model is the definition of the profit function:

$$
\begin{equation*}
\pi_{i}=p d_{1} d_{i}+p e_{i} e_{i}-c_{i}\left(d_{i}+e_{i}\right)-f_{i}, \tag{2.6}
\end{equation*}
$$

where $\pi_{i}$ denotes pure profits net of rents from VERs, $p d_{1}$ the domestic price, $p e_{i}$ the producer price of exports, $c_{i}$ the marginal cost and $f_{i}$ the fixed cost. It does not include rents from VERs, because entry in the export market is restricted to those owning the licence to export. So economic rents can be still made by firms with the licence to export. In summary, the number of firms is endogenously determined by the zero profit condition: $\boldsymbol{\pi}_{\boldsymbol{i}}=\mathbf{0}$.

### 12.2.3] Domestic and foreign demand functions

Armington (1969) argues that goods produced by industries located in different countries, but which compete in the same market, are imperfect substitute. The Armington specification is typically a CES function of domestically produced goods and imports. This approach is very useful to derive the demand for domestic goods ( $D_{i}$ ) and the demand for imports ( $M_{i}$ ) by solving the Armington-dual problem:

$$
\begin{align*}
& D_{i}=\varphi_{i}^{\varepsilon_{i}} p d_{i}^{-\varepsilon_{i}} p_{i}^{\varepsilon_{i}} Q_{i}  \tag{2.7}\\
& M_{i}=\left(1-\varphi_{i}\right)^{\varepsilon_{i}} \overline{p w m_{i}^{-\varepsilon_{i}}} p_{i}^{\varepsilon_{i}} Q_{i}  \tag{2.8}\\
& Q_{i}=f\left(H R, p_{i}\right)+X_{i}
\end{align*}
$$

where $Q_{i}$ is the sum in quantities of final demand ( $f$ ) and intermediate demand ( $X_{i}$ ), $H R$ denotes the representative consumer income, $\overline{p w m_{i}}$ the fixed world price of imports, $\varphi$, a share parameter of the Armington function, $\varepsilon$, the elasticity of
substitution between imports and domestic goods, $p_{i}=\left[\varphi_{i}^{t_{i}} p d_{i}^{1-e_{i}}+\left(1-\varphi_{i}\right)^{\varepsilon_{i}} \overline{p w m_{i}-\varepsilon_{i}}\right]^{1 /\left(1-e_{i}\right)}$, $X_{t}=\sum_{j} a_{n} Y_{j}$. (2.9) is the equilibrium condition in the goods market. The Marshallian demand functions, $f$, are derived by solving a three stages utility maximisation problem, with the representative consumer facing a convex indifference curve a la Dixit-Stiglitz (Dixit and Stiglitz, 1977). In the first stage, consumers allocate income between goods which are produced by the differentiated industries; in the second stage, they allocate income between imports and domestic competing goods; and, in the third stage, they allocate income between the differentiated domestic products and the differentiated imports.

An oligopolistic profit maximising firm is characterised by a decreasing marginal revenue curve in the domestic market as well as in the market for exports. This implies that domestic demand and export demand ought to be downward sloping. The solution of the Armington-dual problem leads to the desired downward sloping domestic demand curve [see (2.7)], whilst the industry export demand function $\left(E_{1}\right)$ is assumed negative and iso-elastic:

$$
\begin{equation*}
E_{i}=A_{i} p w e_{i}^{-\eta_{1}}, \tag{2.10}
\end{equation*}
$$

where $p w e_{\text {, }}$ is the price paid by foreign consumers for goods under VER, $\eta$, the absolute value of the foreign price elasticity and $A_{i}$ a positive constant. ${ }^{12}$

The Armington specification and an infinitely elastic export demand function are postulated for sectors facing perfect competition and constant returns to scale.

[^7]
### 12.2.4| Price mark-ups and firms' perceived elasticities

The fact that the domestic market and the export market are segmented implies that firms maximise (2.6) with respect to both $d_{i}$ and $e_{1}$. The profit maximising conditions result in the Lerner mark-ups formula:

$$
\begin{align*}
& p d_{i}\left(1-\frac{1}{\left|\tau_{i}\right|}\right)=c_{i},  \tag{2.11}\\
& p e_{i}\left(1-\frac{1}{\left|\delta_{i}\right|}\right)=c_{i}, \tag{2.12}
\end{align*}
$$

where $\tau_{i}$ and $\delta_{i}$ represent the firm's perceived price elasticities of domestic demand and export demand, respectively.
$\tau_{\mathrm{i}}$ can be derived by considering the consumer three-stage budgeting procedure. To derive $\delta_{i}, I$ also assume that a hypothetical foreign consumer purchases different brands of the industry under VER.

In the third stage of the budgeting procedure, the representative domestic consumer maximises the following subutility function subject to the budget devoted to the purchase of domestic goods:

$$
\max _{\tilde{d}_{s s}}\left\{D_{i}=\left[\sum_{s=1}^{n} \tilde{\beta}_{i s} \tilde{d}_{i s}^{\left(s_{s i}-1\right) c_{i}}\right]^{s_{i s}\left(s_{i}-1\right)}\right\} \quad \text { s.t. } \quad \sum_{s=1}^{n} \tilde{p d}_{i s} \tilde{d}_{i s}=p d_{i} D_{i}, \quad \sum_{s=1}^{n} \tilde{\beta}_{i s}=1,
$$

where $\varsigma_{i}$, which is greater than one, is the elasticity of substitution among $n$ domestic varieties; $\tilde{\boldsymbol{\beta}}_{i s}$ are demand parameters describing the consumer preferences for a brand $s$ produced by a sector $i, \tilde{d}_{i s}$, which are priced at $\tilde{p} d_{i s} ;$ and $p d_{i}=\left[\sum_{i=1}^{n} \tilde{\beta}_{i s} \tilde{s}_{i} \tilde{p}_{i s}^{\left(1-s_{i s}\right.}\right]^{1 /\left(1-s_{i}\right)}$ represents the price index (or unit expenditure function).

Similarly, the foreign consumer in the purchase of brands subject to a VER faces the following problem

$$
\max _{e_{s}}\left\{E_{i}=\left[\sum_{s=1}^{n} \tilde{\gamma}_{i s} e_{i s}^{-\left(\xi_{i}-1\right) / \varepsilon_{i}}\right]^{\xi_{1} /\left(\xi_{i}-1\right)}\right\} \quad \text { s.t. } \quad \sum_{s=1}^{n} \tilde{p w e_{i s}} \tilde{e}_{i s}=p w e_{i} E_{i}, \quad \sum_{s=1}^{n} \tilde{\gamma}_{i s}=1 .
$$

where $\xi_{i}$, which is greater than one, is the elasticity of substitution among $n$ exported brands; $\tilde{\gamma}_{i s}$ are demand parameters describing the preferences of the foreign consumer for a brand $s$ exported by sector $i, \tilde{e}_{i s} ; \tilde{p w e} e_{i s}$ denote their price, and $p w e_{i}=\left[\sum_{s=1}^{s} \tilde{\gamma}_{i s}^{s_{s}} \tilde{p w e_{i s}^{\left(1-\xi_{i}\right)}}\right]^{1 /\left(1-\xi_{i}\right)}$ is the price of the aggregate, $E_{i}$.

Utility maximisation implies that the demand for product varieties is a negative function of the price of the varieties and a positive function of the aggregate price index. In fact, the first order conditions yield:

$$
\begin{align*}
& \tilde{d}_{i s}=\tilde{\beta}_{i s}^{s_{i}} D_{i} p d_{i}^{\xi_{i}} \tilde{p d_{i s}-\xi_{i}},  \tag{2.13}\\
& \tilde{e}_{i s}=\tilde{\gamma}_{i s}^{\xi_{i}} E_{i} p w e_{i}^{\xi_{i}} \tilde{p w e_{i s}} \tilde{z}^{-\xi_{i}} . \tag{2.14}
\end{align*}
$$

As a result, (2.10) and (2.14) imply that $\boldsymbol{\xi}_{i}>\boldsymbol{\eta}_{i}$.
As already described in section [2.2.3], domestic demand and export demand have different characteristics. Domestic demand is derived by solving a dual problem, whilst export demand is assumed to be iso-elastic. So two different approaches have been employed to derive $\tau_{i}$ and $\delta_{i}$ under both Cournot and Bertrand competition. $\tau_{i}$ has been obtained following Harrison, et al. (1994), who in their model employ the Armington specification; ${ }^{13}$ whereas $\delta$, has been obtained following Smith and Venables (1988), where a iso-elastic demand function is postulated. Under both Bertrand and Cournot conjectures, the profit maximising conditions take the form of (2.11) and (2.12). However, if firms maximise profits given rivals' prices (i.e. Bertrand competition), then $\tau_{i}$ and $\delta_{i}$ take the form,

[^8]\[

$$
\begin{align*}
& \tau_{i}=-\frac{1}{n_{i}}\left[\left(1-\Psi_{i}\right) \varepsilon_{i}+\Psi_{i} \chi_{i}\right]-\left(1-\frac{1}{n_{i}}\right) \zeta_{i}  \tag{2.15}\\
& \delta_{i}=-\xi_{i}\left(1-\frac{1}{n_{i}}\right)-\frac{\eta_{i}}{n_{i}} \tag{2.16}
\end{align*}
$$
\]

where $\Psi_{i}=p d_{i} D_{i} /\left(p d_{i} D_{i}+\overline{p w m}_{i} M_{i}\right)$ denotes the consumption share for domestic goods and $\chi_{i}$ the absolute value of the price elasticity of aggregate demand. ${ }^{14}$ If, in contrast, firms maximise profits given rivals' output (i.e. Cournot competition), then $\tau_{i}$ and $\delta_{i}$ take the form,

$$
\begin{align*}
& \frac{1}{\tau_{i}}=-\frac{1}{\zeta_{i}}-\frac{1}{n_{i}}\left[\frac{\left(\zeta_{i}-\varepsilon_{i}\right)}{\zeta_{i} \varepsilon_{i}}+\Psi_{i}\left(\frac{\varepsilon_{i}-\chi_{i}}{\chi_{i} \varepsilon_{i}}\right)\right]  \tag{2.17}\\
& \frac{1}{\delta_{i}}=-\frac{1}{\xi_{i}}-\frac{1}{n_{i}} \frac{\left(\xi_{i}-\eta_{i}\right)}{\xi_{i} \eta_{i}} \tag{2.18}
\end{align*}
$$

(2.15)-(2.18) show that the larger the price elasticities of domestic (foreign) demand, or the larger the elasticities of substitution among domestic (export) varieties, the larger the absolute value of the price elasticity perceived by firms in the domestic (export) market and, as a result, the lower the price cost margin in the domestic (export) market. In addition, (2.15) and (2.17), and (2.16) and (2.18) provide a formal demonstration that the individual producer faces a more elastic demand curves with entry, if $\zeta_{i}>\varepsilon_{i}>\chi_{i}$ and $\xi_{i}>\eta_{i}$, respectively. It is also interesting to note that as the number of firms rises, the absolute value of both price elasticities converges towards the elasticity of substitution among brands under both Cournot and Bertrand competition. This implies that the impact of trade policies on the main variables would vary under Cournot and Bertrand conjectures only with respect to the magnitude of the

[^9]change. Whereas the direction of the change of the variables would remain substantially similar. ${ }^{15}$

### 12.2.5 | Rents and the supply price of exports

The policy experiment performed in this study is the evaluation of the impact of the elimination of a VER, when rents accrue to firms. So I assume that the industry associations of an exporting country already agreed with an importing country to restrain their level of exports. This implies that the government does not intervene in allocating export licenses and is not the recipient of the rents. The rents accruc to the private sector, and each firm receives a rent (ver ${ }_{i}$ ) which is equal to the ad valorem quota premium parameter ( $q r_{i}$ ) times exports, evaluated at $p e_{i}$ :

$$
\begin{equation*}
\text { ver }_{i}=q r_{i} p e_{i} e_{i} \tag{2.19}
\end{equation*}
$$

The producer price of exports ( $p e_{1}$ ) is equal to the agreed price adjusted by $q r_{i}:$

$$
\begin{equation*}
p e_{i}=\frac{p w e_{i}}{1+q r_{i}} \tag{2.20}
\end{equation*}
$$

As I am interested in examining the economic implications of the elimination of VERs, $q r_{i}$ is assumed to be exogenous. When $q r_{i}$ is zero, the rent disappears and $p e_{1}=p w e_{1}$.

[^10]The sources of household income are value added, pure profits, plus the economic rents which originate from sales on foreign markets:

$$
\begin{equation*}
H R=\sum_{i}\left(p d_{j} D_{j}+p e_{j} E_{j}-p_{j} X_{j}\right)+\sum_{i} n_{i} \pi_{i}+\sum_{i} n_{i} v e r_{i}, \tag{2.21}
\end{equation*}
$$

where the first term represents the value added, that is the value of production minus the cost of intermediate inputs. In order to study the impact of VERs alone, it is assumed free entry/exit, so that the number of firms adjusts until pure profits are zero.

## [2.3] Analytical results

### 12.3.1 | The impact on the export producer price and the average cost

If the VER agreement is broken and the country can have an impact on its terms of trade, the immediate effect is a lower level of pwe, and an increase of the demand for exports (2.10). However, the producer price of exports rises if foreign consumers are more sensitive to price changes, rather than to ad valorem quota premium variation. In fact, by using (2.10) and (2.20), pe can be written as

$$
\begin{equation*}
p e_{i}=A_{i}^{1 / n_{1}} E_{i}^{-1 / n_{i}}\left(1+q r_{i}\right)^{-1} . \tag{2.22}
\end{equation*}
$$

By differentiating the latter expression with respect to $q r_{i}$, then

$$
\begin{equation*}
\frac{d p e_{i}}{d q r_{i}}=-A_{i}^{1 / n_{i}} E_{i}^{-1 / \eta_{i}}\left(1+q r_{i}\right)^{-2}\left(1-\frac{\psi_{i}}{\eta_{i}}\right), \tag{2.23}
\end{equation*}
$$

where $\psi_{1}=-\left[\left(1+q r_{i}\right) / E_{i}\right] d E_{i} / d q r_{i}$. Then, $d p e_{1} / d q r_{i}<0$ if, and only if, $\eta_{1}>\psi_{1}$. Since consumers are more sensitive to changes of prices gross of equivalent taxes, rather than to the variation of the equivalent tax rate itself, 1 argue that the elimination
of a VER raises the producer price of exports. Obviously, the smaller the country (that is the larger $\eta_{1}$ ), the greater the negative impact on $p e_{1}$. In summary, $p e_{\text {, under free }}$ trade is greater than its value under VER, but smaller than pwe, under VER.

The composite producer price ( $p y_{i}$ ) is equal to

$$
\begin{equation*}
p y_{1}=\frac{D_{1}}{Y_{1}} p d_{1}+\frac{E_{i}}{Y_{1}} p e_{1} . \tag{2.24}
\end{equation*}
$$

 of the VER abrogation. Given the zero profit condition, then, $d a c_{1} / d q r_{1}<0$. In summary:

PROPOSITION 2.1: The elimination of a VER increases the producer price of exports. The liberalisation process is thus associated with a rise in the average cost, which is larger, the smaller the country.

## [2.3.2] The impact on the number of firms

The profit maximisation conditions can be also written as:

$$
\begin{align*}
& p d_{i}\left[1-\left(1+\lambda_{i}\right)\left(n_{i} \omega_{i}\right)^{-1}\right]=c_{i},  \tag{2.25}\\
& p e_{i}\left[1-\left(1+\lambda_{i}\right)\left(n_{i} \eta_{i}\right)^{-1}\right]=c_{i}, \tag{2.26}
\end{align*}
$$

where $\omega$, is the absolute value of the price elasticity of domestic demand and $\lambda_{\text {, }}$ the firms' conjectural variation parameter, which for simplicity is assumed to be equal in both markets. ${ }^{16}$ By multiplying (2.25) by $D_{1}$ and (2.26) by $E_{1}$, and rearranging, the

[^11]zero profit condition and the assumption that the marginal cost is independent of output yield
\[

$$
\begin{equation*}
n_{i}=\left\{\frac{1+\lambda_{i}}{f_{i}}\left[\frac{p d_{i} D_{i}}{\omega_{i}}+\frac{p e_{i} E_{i}}{\eta_{i}}\right]\right\}^{1 / 2} . \tag{2.27}
\end{equation*}
$$

\]

The reduced form for $n_{t}$ is very simple to interpret. Firstly, an expansion of domestic sales or export sales invites entry; secondly, markets, which are characterised by a greater price elasticity, fear more competition, than those characterised by a smaller price elasticity; thirdly, the larger the fixed cost to produce one unit of output, the smaller the number of firms in equilibrium; finally, markets, which are characterised by a lower degree of competition (i.e. a larger $\lambda_{1}$ ), allow a larger number of firms in equilibrium, which cooperate to a certain extent.

The total differential of (2.27) with respect to $q r_{i}$ yields

$$
\begin{equation*}
\frac{d n_{i}}{d q r_{i}}=\frac{1}{2}\left\{\frac{f_{i}}{1+\lambda_{i}}\left[\frac{p d_{i} D_{i}}{\omega_{i}}+\frac{p e_{i} E_{i}}{\eta_{i}}\right]\right\}^{-1 / 2}\left[\frac{1}{\omega_{i}} \frac{d\left(p d_{i} D_{i}\right)}{d q r_{i}}-\frac{p d_{i} D_{i}}{\omega_{i}^{2}} \frac{d \omega_{i}}{d q r_{i}}+\frac{1}{\eta_{i}} \frac{d\left(p e_{i} E_{i}\right)}{d q r_{i}}\right] . \tag{2.28}
\end{equation*}
$$

Given the secondary impact of $q r_{i}$ on the variables related to domestic production and domestic consumption, the elimination of a VER, by raising export sales, determines the entry of new firms: $d n_{i} / d q r_{i}<0$. So,

PROPOSITION 2.2: The elimination of a VER raises the number of firms in equilibrium.

It is important to stress that markets characterised by an infinite demand elasticity do not determine the number of firms in equilibrium. This feature is important to explain the empirical finding in section [2.4.2.1], where a third unrestricted export market is introduced.

### 12.3.3] The impact on the price-cost margin

(2.16) and (2.18) clearly show that, with the elimination of a VER, as the number of firms rises, each producer faces a more elastic export demand curve, under both Cournot and Bertrand competition. This implies that with the elimination of a VER, the price cost margin in the export market declines. In contrast, the impact on $\tau_{1}$ also depends upon the impact on $\Psi_{i}$ and $\chi_{i}$. However, by differentiating (2.15)-(2.18) by $q r_{i}$, the incumbent firms' power in the domestic market would also fall, and at a larger rate than the drop in the export market, if

$$
\begin{equation*}
\left[s_{i}-\left(1-\Psi_{i}\right) \varepsilon_{i}-\Psi_{i} \chi_{i}\right] \frac{d n_{i}}{d q r_{i}}+n_{i}\left[\left(x_{1}-\varepsilon_{i}\right) \frac{d \Psi_{i}}{d q r_{i}}+\Psi \frac{d x_{i}}{d q r_{i}}\right]>\left(\xi_{i}-\eta_{i}\right) \frac{d n_{i}}{d q r_{i}} \tag{2.29}
\end{equation*}
$$

under Bertrand conjectures, and if

$$
\begin{equation*}
\left[\frac{\left(\varsigma_{i}-\varepsilon_{i}\right)}{\xi_{i} \varepsilon_{i}}+\Psi_{i}\left(\frac{1}{\chi_{i}}-\frac{1}{\varepsilon_{i}}\right)\right] \frac{d n_{1}}{d q r_{i}}-n_{i}\left[\left(\frac{1}{x_{1}}-\frac{1}{\varepsilon_{i}}\right) \frac{d \Psi_{i}}{d q r_{i}}-\frac{\Psi_{i}}{\chi_{i}^{2}} \frac{d x_{i}}{d q r_{i}}\right]>\frac{\left(\xi_{i}-\eta_{i}\right)}{\xi_{i} \eta_{i}} \frac{d n_{i}}{d q r_{i}} \tag{2.30}
\end{equation*}
$$

under Cournot conjectures. It is clear that, given the curvature of the forcign consumer's preferences ( $\xi_{i}$ ), the smaller the country (that is, the larger $\boldsymbol{\eta}_{i}$ ) the greater the possibility that the price cost margin would fall more in the domestic market as a result of a VER abrogation.

PROPOSITION 2.3: The elimination of a VER leads to a fall of incumbent firms' monopoly power in the export market. The impact on the monopoly power in the domestic market is ambiguous. However, the smaller the country, the greater the possibility that the price cost margin would decline more in the domestic market than in the export market.

The impact on firm size is ambiguous. Since $d Y_{t} / d q r_{1}=y_{1}\left(d n_{t} / d q r_{1}\right)+n_{1}\left(d y_{i} / d q r_{1}\right)$, where $Y_{t}=n_{t} y_{i}$; and since, by aggregating firms' domestic output and exports, the total derivative of production for the industry as a whole with respect to $q r_{1}$ is $d Y_{I} / d q r_{1}=\Omega_{D}\left(d D_{I} / d q r_{i}\right)+\Omega_{E}\left(d E_{1} / d q r_{I}\right)$, where $\Omega_{D}$ and $\Omega_{E}$ respectively denote the partial derivative of composite production with respect to domestic output and exports for the industry as a whole, the latter two expressions can be rearranged as

$$
\begin{equation*}
\frac{d y_{1}}{d q r_{1}}=\frac{\Omega_{E}}{n_{1}} \frac{d E_{1}}{d q r_{1}}-\frac{1}{n_{1}}\left(y_{1}-\Omega_{i} d_{1}\right) \frac{d n_{1}}{d q r_{1}}+\Omega_{D} \frac{d d_{1}}{d q r_{1}} . \tag{2.31}
\end{equation*}
$$

With the elimination of the quota premium, the first term represents the positive impact of an export expansion for the industry as a whole. The second term denotes the negative impact of returns to scale, as a larger number of firms results in the less efficient exploitation of fixed inputs (note that $\Omega_{D} d_{t}<y_{i}$, if $\phi_{y d}<1$, where $\phi_{v t}$ denotes the elasticity of composite production with respect to domestic output.). ${ }^{17}$ Finally, the third term denotes the capability of firms to sell in the domestic market after new entry has occurred. I expect it to be negative, since given the domestic demand, a larger number of firms implies a fall in per firm domestic production. Hence, despite the benefits from export expansion, the size of incumbent firms might not expand.

PROPOSITION 2.4: The elimination of a VER raises the size of incumbent firms if, and only if, export expansion outweighs the negative effects of both inefficiently exploiting economies of scale and of trading in the domestic market.

[^12]On the basis of the results on average cost, number of firms, price cost margin and firm size, which are summarised by the first four propositions, incumbent firms will lobby the govemment or industry associations to keep signing VERs agreements. ${ }^{18}$

## [2.3.5] The impact on the cost of primary and intermediate inputs

The lower price cost margin in the export market is obtainable only if the marginal cost increase is larger than the rise in the producer price of exports (2.12). Since the model assumes the factor inputs to be homogenous among sectors, the impact on factor returns should not be large. This implies that the rise in the marginal cost is mainly due to the substantial rise in the intermediate inputs costs. This finding is very important when I will analyse the VER implication on welfare in section [2.3.7].

PROPOSITION 2.5: The elimination of a VER raises slightly the cost of primary factor inputs, and substantially the cost of intermediate inputs. The intermediate inputs cost rise might be larger than the rise in the export producer price.

To prove Proposition 2.5 , it is necessary to subgroup the marginal cost into two components: the marginal cost related to the primary factor inputs $\left(v_{1}\right)$ and the marginal cost related to intermediate inputs (int, ). Rearranging (2.10),

$$
\begin{equation*}
v_{1}+\text { int }_{1}=p e_{1}\left\{1-1 /\left|\delta_{1}\right|\right\} . \tag{2.32}
\end{equation*}
$$

From Proposition 2.6, $d Y_{i} / d q r_{1}<0$, which implies that $d L_{1} / d q r_{1}<0$ and $d K_{1} / d q r_{1}<0$, where $L_{1}=n_{1} l_{1}$, and $K_{1}=n_{1} k_{1}$. Consequently, $d v_{1} / d q r_{1}<0$. By using the chain rule, $d \delta_{1} / d q r_{1}<\left(d \delta_{1} / d n_{1}\right)\left(d n_{1} / d q r_{1}\right)$. Since $d n_{1} / d q r_{1}<0$ (from Proposition

[^13]2.2) and $d \delta_{1} / d n_{1}<0$, then $d \delta_{1} / d q r_{1}>0$. The latter finding, plus the fact that $d p e_{1} / d q r_{1}<0$, imply that $d c_{1} / d q r_{1}<0$. Consequently, if primary factor inputs are homogenous among sectors and the reduction of $q r_{1}$ just slightly varies $v_{1}$, then $d$ int,$/ d q r_{1}<0$. In addition, the total differential of (2.32) with respect to $q r_{r}$ is
\[

$$
\begin{equation*}
\frac{d v_{i}}{d q r_{1}}+\frac{d \text { int }_{i}}{d q r_{i}}=\left\{1-1 /\left|\delta_{i}\right|\right\} \frac{d p e_{i}}{d q r_{i}}+\left\{p e_{i}\left|\delta_{i}\right|^{-2}\right\} \frac{d\left|\delta_{i}\right|}{d q r_{i}} . \tag{2.33}
\end{equation*}
$$

\]

The latter expression can be rearranged as

$$
\begin{equation*}
\frac{d v_{1}}{d q r_{1}}+\frac{d \mathrm{int}_{1}}{d q r_{1}}=\frac{\left(p e_{1}-c_{1}\right)}{q r_{1}}\left[\frac{q r_{1}}{\left|\delta_{i}\right|} \frac{d\left|\delta_{i}\right|}{d q r_{1}}-\frac{q r_{1}}{p e_{1}} \frac{d p e_{t}}{d q r_{1}}\right]+\frac{d p e_{i}}{d q r_{1}} . \tag{2.34}
\end{equation*}
$$

Since $d p e_{1} / d q r_{1}<0$ and $d\left|\delta_{1}\right| / d q r_{1}<0$, then the first term on the right is positive, if the export producer price elasticity with respect to $q r_{1}$ is in absolute value larger that the elasticity of the inverse of the price cost margin in the export market with respect to $q r_{1}$. If $\frac{d v_{1}}{d q r_{2}}<\frac{\left(p e_{i}-c_{i}\right)}{q r_{1}}\left[\frac{q r_{1}}{\left|\delta_{i}\right|} \frac{d \delta_{i} \mid}{d q r_{1}}-\frac{q r_{i}}{p e_{i}} \frac{d p e_{1}}{d q r_{1}}\right]$, then $d$ int $/ d q r_{1}>d p e_{i} / d q r_{1}$. In other words, if the cost of primary factor inputs is just slightly affected, and the fall in the price cost margin in the export market is smaller than the rise in the producer price of exports, the rise in the intermediate inputs cost would be larger than the rise in the producer price of exports.
[2.3.6] The impact on output and trade volume

Given the characteristics of the transformation function (2.2), at industry level

$$
\begin{equation*}
\frac{d Y_{1}}{d q r_{1}}=\Omega_{D} \frac{d D_{1}}{d q r_{1}}+\Omega_{E} \frac{d E_{1}}{d q r_{1}} \tag{2.35}
\end{equation*}
$$

The first term represents the effect on domestic demand, and the second term the effect on exports. Given the secondary effect on $D_{1}$, and since $d E_{1} / d q r_{1}<0$, then $d Y_{،} / d q r_{i}<0$.

The trade balance can be written as

$$
\begin{equation*}
\sum_{i} p w e_{i} E_{i}+\sum_{c r s} \overline{p e}_{c r s} E_{c r s}=\sum_{j} \overline{p w m}_{j} M_{j} \tag{2.36}
\end{equation*}
$$

The derivative of (2.36) with respect to $q r_{i}$ yields

$$
\begin{equation*}
\sum_{i} p w e_{i} d E_{i} / d q r_{i}+\sum_{i} E_{i} d p w e_{i} / d q r_{i}+\sum_{c r} \overline{p e}_{c r} d E_{c r} / d q r_{i}=\sum_{j} \overline{p w m}_{j} d M_{i} / d q r_{i}, \tag{2.37}
\end{equation*}
$$

where, with the climination of VERs, the first term denotes the positive quantity effect due to export expansion, the second term denotes the negative terms of trade effect, the third term represents the negative effect of other sectoral exports, as resources are reallocated, and the last term denotes the impact on imports.

PROPOSITION 2.6: The elimination of a VER leads to the growth of a previously restrained industry. The impact on trade volume is positive if, and only if, the quantity effect dominates the negative terms of trade effect and the negative effects on other industrial exports.

These latter two results, easily obtainable with models facing constant returns to scale, are consistent with the general thinking about the effects of the elimination of a VER on an exporting country.

### 12.3.71 The impact on welfare

The sign of the welfare change can be measured by the ratio between the change in indirect utility function and the marginal utility of income, which is equal to the
difference between the change in income $(d H R)$ and the change in the consumer price index $\left(\sum_{j} Q_{J} d p_{J}\right) .^{19}$

If the numeraire of the model is the Laspeyre's price index of domestic goods, the total differential of household income, under the zero profit condition, yields:

$$
\begin{align*}
d H R= & \sum_{c s}\left(p d_{c s} d D_{c s}+\overline{p e}_{c s} d E_{c s}-\sum_{j} p_{j} d x_{j c s s}\right)+\sum_{i} n_{i}\left(p d_{i} d d_{i}+p e_{i} d e_{i}-\sum_{j} p_{j} d x_{j}\right)+  \tag{2.38}\\
& \sum_{i}\left(p d_{i} d_{i}+p e_{i} e_{i}-\sum_{j} p_{j} x_{j}\right) d n_{i}+\sum_{i} E_{i} d p e_{i}-\sum_{j} X_{j} d p_{i}+\sum_{i} n_{i} d v e r_{i}+\sum_{i} v e r_{i} d n_{i}
\end{align*}
$$

The sum of the first three terms yields the global efficiency effect. The first term denotes the negative production effect in the unrestricted sectors, as resources are reallocated to their detriment; the second term denotes the firm's value added effect. This is indeterminate, since, from Proposition 2.4, the impact on firm output is ambiguous. The third term denotes the market structure effect, which has a twofold effect on welfare: (i) a negative effect arises if economies of scale are exploited less efficiently; (ii) a positive effect arises if a firm, by perceiving a more elastic domestic demand curve, decreases the price of the $i$ th domestic commodities, resulting in an expansion of domestic consumer surplus. Hence, the global efficiency effect is indeterminate. The fourth term represents the gain from an increase in the producer price of exports, as described by Proposition 2.1 , which generates a positive income effect (export producer price effect). The fifth term represents the loss from an increase in the cost of intermediate inputs, as described by Proposition 2.5 (increased intermediate inputs cost effect). The sixth term represents the loss from the annulment of the economic rent (rent loss effect). The last term represents the gains from variety,

[^14]as domestic firms enter in pursuit of positive profits, in accordance with Proposition 2.2 (variety effect). Hence, the net gain on aggregate welfare is analytically indeterminate. It is important to stress that the literature on VERs focuses only on the rent loss effect and, to a certain extent, on the export producer price effect. The variety effect, the increased intermediate inputs cost effect and the indeterminate global efficiency effect have been neglected. The consumer price effect is negligible, as the Laspeyre's price index of domestic goods is assumed constant and the world price of imports is not affected by the trade policy. In summary, the impact of the elimination of VERs on welfare is indeterminate, regardless of the size of the country.

## [2.4] An AGE model for Turkey

This section seeks to answer three main questions: Do the qualitative effects identified in the previous section [2.3] lead to quantitative aspects of significant magnitude? Can the analytical ambiguity of the policy effect on some of the variables, in particular welfare and firm size, be numerically resolved? Is the impact of the elimination of a VER sensitive to the type of competition employed? To answer these fundamental questions, I use an AGE model with the same features of the analytical model applied to Turkey. This country is a good test case for two main reasons. Firstly, as a consequence of the recent customs union agreement with the EU, VERs on Turkish textiles and apparel have been abolished. Secondly, since the Turkish government does not officially recognise any quota restriction, VER agreements could only be made with Turkish industry associations (GATT, 1994). Thus, the rents from VERs accrued to the exporting firms which were able to obtain the export quota documents for deliveries to the EU.

The model contains two categories of industries: those where perfect competition and constant return to scale are assumed to prevail (18 sectors), and those
which are characterised by increasing returns to scale (textiles and appare). ${ }^{20}$ The production function has a two stage nested CES structure. At the first stage, I assume a Leontief function among primary factors of production and intermediate inputs, which are in turn assumed to be complements. At the second stage, the value added is characterised by constant returns variable costs with nonsunk setup costs. The elasticity of substitution among the mobile labour and the mobile capital is assumed to be positive and to vary across industries. The production possibility frontier has a two stage constant elasticity of transformation (CET) specification. At the first stage, producers allocate their production in the domestic market and abroad. ${ }^{21}$ At the second stage, exports are allocated in the restricted EU market and in the unrestricted rest of the world (RoW) market. On the demand side, at the first stage, the representative household's demand and the intermediate demand are satisfied by composite commodities. ${ }^{22}$ At the second stage, buyers choose among imports and domestic goods. At the third and fourth stages, buyers first choose among a variety of domestically produced goods and a variety of composite imports, and then among imports from the EU and imports from the RoW, according to the Armington specification, which states that goods competing in the same market are imperfect substitutes. The small country assumption is postulated for all traded commodities, with the exception of textiles and apparel exports to the EU for which an iso-elastic demand curve is supposed.

## [2.4.1] Benchmark and calibration

The theoretical model outlined above and applied to Turkey requires a benchmark data set to calibrate unknown parameters, such that the observed value of endogenous

[^15]variables constitutes an equilibrium of the numerical model. The main bulk of the data comes from a 1990 Social Accounting Matrix (SAM) for Turkey (De Santis and Ozhan, 1995 and 1997), which has been compiled by using the official 1990 InputOutput Table for Turkey (SIS, 1994). ${ }^{23}$ The SAM has been adjusted in order to extract the rents on exports subject to VERs accruing to the companies and, then, to households. The activities and commodities are disaggregated into 20 different types and classified according to the I-O table classification. Table 2.1 shows the statistics related to Turkish production, cost structure and composition of the demand. According to these official data, the value of production of Turkish textiles and apparel is $5.5 \%$ of total output value, whilst textiles and apparel export sales comprise $18.5 \%$ of total exports. These two sectors are relatively efficient in Turkey, as the average productivity of labour and capital is almost double than that recorded by the economy as a whole.

As far as the demand side is concerned, textiles and apparel intermediate demand comprises $4.6 \%$ of total intermediate demand, whilst the budget share of the representative consumer is equal to $5.6 \%$ of his disposable income.

The accounts for imports and exports are disaggregated to model the relations with the EU and the RoW. The share of imports and exports have been derived from a recent unpublished statistical source of the Turkish State Institute of Statistics (Table 2.2). ${ }^{24}$ The export volume of textiles and apparel to the European market is estimated to be $16.4 \%$ of total exports. These summary statistics indicate that the elimination of VERs in textiles and apparel might have an important impact on the reallocation of resources within the economy.

[^16]Table 2.1: Production, cost structure and composition of demand in Turkey, 1990

| Sectors | $D_{j}$ | $E_{j}$ | $M_{j}$ | $\frac{L_{j}}{D_{j}+E_{j}}$ | $\frac{K_{j}}{D_{j}+E_{j}}$ | $\frac{X_{j}}{D_{j}+E_{j}}$ | $\frac{X_{j}}{D_{j}+M_{j}}$ | $\frac{C_{j}}{D_{j}+M_{j}}$ | $\frac{E_{j}}{D_{j}+E_{j}}$ | $\frac{M_{j}}{D_{j}+M_{j}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Agriculture, | 93760 | 2513 | 3079 | 0.069 | 0.609 | 0.322 | 0.413 | 0.553 | 0.026 | 0.032 |
| Mining | 7005 | 510 | 11276 | 0.266 | 0.504 | 0.230 | 0.843 | 0.063 | 0.068 | 0.603 |
| Food processed products | 31663 | 4561 | 3264 | 0.073 | 0.142 | 0.785 | 0.358 | 0.596 | 0.126 | 0.093 |
| Beverages and tobacco | 8009 | 526 | 2068 | 0.223 | 0.328 | 0.449 | 0.110 | 0.856 | 0.062 | 0.204 |
| Textiles | 20798 | 6214 | 2414 | 0.071 | 0.240 | 0.689 | 0.547 | 0.401 | 0.230 | 0.100 |
| Wearing apparel | 5706 | 4814 | 587 | 0.062 | 0.225 | 0.713 | 0.028 | 0.809 | 0.458 | 0.090 |
| Leather and fur products | 1941 | 399 | 501 | 0.022 | 0.339 | 0.639 | 0.761 | 0.130 | 0.171 | 0.200 |
| Footwear | 1569 | 87 | 65 | 0.075 | 0.197 | 0.728 | 0.057 | 0.709 | 0.053 | 0.038 |
| Wood and wood products | 18060 | 295 | 1374 | 0.075 | 0.255 | 0.670 | 0.628 | 0.338 | 0.016 | 0.069 |
| Chemical products | 16658 | 1592 | 10524 | 0.100 | 0.262 | 0.638 | 0.599 | 0.398 | 0.087 | 0.385 |
| Petroleum and coal products | 16769 | 763 | 3652 | 0.021 | 0.263 | 0.716 | 0.895 | 0.228 | 0.044 | 0.135 |
| Non-metallic mineral products | 17117 | 1047 | 1960 | 0.127 | 0.294 | 0.579 | 0.761 | 0.252 | 0.058 | 0.101 |
| Metal products | 17221 | 3304 | 10313 | 0.096 | 0.124 | 0.780 | 0.907 | 0.000 | 0.161 | 0.369 |
| Machinery | 26146 | 1656 | 17850 | 0.107 | 0.272 | 0.622 | 0.285 | 0.282 | 0.060 | 0.400 |
| Transport equipment | 15660 | 939 | 9403 | 0.158 | 0.164 | 0.678 | 0.309 | 0.317 | 0.057 | 0.369 |
| Electricity, gas and waterworks | 11920 | 115 | 15 | 0.267 | 0.427 | 0.306 | 0.762 | 0.175 | 0.010 | 0.001 |
| Construction | 56015 | 0 | 0 | 0.229 | 0.187 | 0.584 | 0.000 | 0.000 | 0.000 | 0.000 |
| Trade, restaurants and hotels | 84208 | 8938 | 1220 | 0.175 | 0.544 | 0.281 | 0.320 | 0.573 | 0.096 | 0.014 |
| Transport and communication | 69366 | 12534 | 2205 | 0.079 | 0.548 | 0.372 | 0.396 | 0.522 | 0.153 | 0.030 |
| Other services | 76610 | 1255 | 662 | 0.500 | 0.336 | 0.164 | 0.325 | 0.271 | 0.016 | 0.008 |
| Total or Average | 596201 | 52062 | 82432 | 0.165 | 0.386 | 0.449 | 0.417 | 0.375 | 0.080 | 0.118 |

$D_{j}, E_{j}$ and $M_{j}$ are evaluated in billions of Turkish lira. So, in this Table, they indicate the volumes of domestic sales, exports and imports gross of tariffs, respectively.
Table 2.2: Share of Turkish imports and exports with the EU, elasticities' values

| Sectors | $\frac{M_{j}^{E V}}{M_{j}^{E V}+M_{j}^{\text {Eow }}}$ <br> (\%) | $\frac{E_{j}^{E U}}{E_{j}^{E U}+E_{j}^{R o W}}$ <br> (\%) | $\sigma_{i}$ | $\varepsilon_{j}$ | $\mu_{j}$ | $\rho_{j}$ | $\bar{\omega}_{j}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Agriculture, | 0.265 | 0.464 | 0.945 | 2.000 | 5 | 2.9 | 5 |
| Mining | 0.016 | 0.871 | 0.426 | 0.500 | 5 | 2.9 | 5 |
| Food processed products | 0.465 | 0.534 | 0.945 | 1.050 | 5 | 2.9 | 5 |
| Beverages and tobacco | 0.069 | 0.032 | 0.886 | 1.840 | 5 | 2.9 | 5 |
| Textiles | 0.401 | 0.963 | 0.927 | 2.000 | 5 | 2.9 | 5 |
| Wearing apparel | 0.033 | 0.831 | 0.927 | 3.400 | 5 | 2.9 | 5 |
| Leather and fur products | 0.524 | 0.243 | 0.927 | 3.400 | 5 | 2.9 | 5 |
| Footwear | 0.369 | 0.287 | 0.927 | 3.400 | 5 | 2.9 | 5 |
| Wood and wood products | 0.641 | 0.193 | 0.899 | 2.000 | 5 | 2.9 | 5 |
| Chemical products | 0.644 | 0.434 | 1.009 | 1.762 | 5 | 2.9 | 5 |
| Petroleum and coal products | 0.240 | 0.700 | 0.374 | 0.400 | 5 | 2.9 | 5 |
| Non-metallic mineral products | 0.642 | 0.792 | 0.964 | 1.169 | 5 | 2.9 | 5 |
| Metal products | 0.312 | 0.330 | 0.911 | 0.762 | 5 | 2.9 | 5 |
| Machinery | 0.688 | 0.758 | 1.105 | 0.839 | 5 | 2.9 | 5 |
| Transport equipment | 0.598 | 0.321 | 1.670 | 1.511 | 5 | 2.9 | 5 |
| Electricity, gas and waterworks | 0.467 | 0.017 | 1.884 | 2.000 | 5 | 2.9 | 5 |
| Construction | 0.000 | 0.000 | 1.988 | - | - | - | - |
| Trade, restaurants and hotels | 0.486 | 0.440 | 1.557 | 2.000 | 5 | 2.9 | 5 |
| Transport and communication | 0.487 | 0.440 | 1.890 | 2.000 | 5 | 2.9 | 5 |
| Other services | 0.486 | 0.440 | 2.010 | 2.000 | 5 | 2.9 | 5 |

$\sigma$, : elasticity of substitution among primary factors of production; $\varepsilon,:$ elasticity of substitution between imported and domestically produced goods; $\mu_{j}$ : elasticity of substitution among imports from different regions; $\rho_{j}$ : elasticity of transformation between production for exports and the domestic market: $\sigma$, elasticity of transformation among exports to different regions.

Most of the elasticity values have been selected from the existing literature: the factor substitution elasticities, the Armington trade elasticities, the elasticities of substitution between imports coming from different regions and the production possibility frontier's elasticities have been selected from Harrison, et al. (1992), and some of them in relation to the sectors facing constant returns to scale have been adjusted for differences in the aggregation of sectoral output; whereas the smaller export demand elasticities for the sectors facing increasing returns to scale (see Table 2.3) have been chosen from Dervis, et al. (1982). The elasticity of substitution between domestic brands and brands to be exported have been chosen exogenously, such that they are respectively larger than the elasticity of substitution between domestic goods and imports, and the export demand elasticity. The fact that the calibrated price elasticity of aggregate demand are less than one in both sectors implies that $\zeta_{i}>\varepsilon_{i}>\chi_{i}$. As a result, the individual producer will face a more elastic demand curve with entry. The ad valorem quota premium have been selected from Trela and Whalley (1990). The economic rents from VERs are equal to $0.5 \%$ of total household's revenues.

In order to calibrate the variables of sectors facing increasing returns to scale, the algebraic structure of the model required further information on price-cost margins, fixed costs and the number of symmetric firms at sectoral level. These data are not casily collectable. However, the 1990 SAM for Turkey classifies labour in 8 different labour categories. I assume that three categories, represented by "professional workers", "administrative and managerial workers", and "clerical workers" comprise the fixed amount of labour required to have the plant open. According to the SAM's estimates, the fixed labour cost in textiles and apparel is almost $20 \%$ of total labour force. With regard to the capital stock, the Istanbul Chamber of Industry (1991) published some statistical information on the largest 50() industries in Turkey.

Table 2.3 Data for the imperfectly competitive sectors

| SECTORS | Textiles | Apparel |
| :--- | :---: | :---: |
| Elasticity of substitutions among domestic brands |  |  |
| Elasticity of substitutions among export brands | 8 | 8 |
| Export demand elasticity (small) | 8 | 8 |
| Export demand elasticity (high) | 2 | 2 |
| Price elasticity of aggregate demand | 5 | 5 |
| Number of firms | 0.401 | 0.809 |
| Ad valurem quota premium | 20 | 20 |
| Fixed labour cost ( $)$ | 0.150 | 0.300 |
| Fixed capital cost (2) | 0.197 | 0.196 |
| Price cost margin for domestic goods $($ Bertrand $)$ | 0.150 | 0.150 |
| Price cost margin for exports (Bertrand $-\eta_{i}=2$ ) | 0.131 | 0.131 |
| Price cost margin for exports (Bertrand $\left.-\eta_{i}=5\right)$ | 0.130 | 0.130 |
| Price cost margin for domestic goods $($ Cournot $)$ | 0.127 | 0.127 |
| Price cost margin for exports (Cournot $-\eta_{i}=2$ ) | 0.230 | 0.175 |
| Price cost margin for exports (Cournot $\left.-\eta_{i}=5\right)$ | 0.144 | 0.144 |

(1) The fixed labour cost is a share of the total labour cost.
(2) The fixed capital cost is a share of total sales.

Using this statistical source, the fixed capital stock, represented by capital depreciation, interest payments and rents, has been estimated to be equal to $15 \%$ of total sales in both textiles and apparel. The number of firms has been chosen exogenously; whereas the price cost margins in both domestic and foreign markets have been calibrated within the model, with their value depending upon the adopted coniectures. The price cost margin in the Bertrand case is smaller, because Bertrand conjectures are inherently more competitive (see Table 2.3).

Table 2.3 shows that the additional data needed to calibrate equations with imperfect competitive features are assumed to be similar in both sectors. This assumption is not a fallacy of the numerical model. On the contrary, since the ad valorem quota premium in apparel is double that in textiles, the empirical findings will help us in understanding the relation between the impact on sectoral variables and the size of the binding quota.

As the analytical model, the AGE model assumes free entry/exit. Hence, the benchmark generates a long run reference equilibrium by setting pure profits to zero. This reference equilibrium is then the basis for comparison in counterfactual trade policy analysis. ${ }^{25}$

## [2.4.2] The elimination of VERs scenarios

12.4.2.1] The impact on Turkish industry and incumbent firms' variables

The equilibrium concepts employed in this chapter are Nash equilibria in prices (i.e. Bertrand competition) or quantities (i.e. Cournot competition). Tables 2.4-2.5 report the numerical results of the elimination of VERs on Turkish textiles and apparel respectively under Cournot and Bertrand conjectures in two different cases, assuming the price elasticity of the export demand in these two sectors to be equal to 2 and 5. In this way, the sectoral results of the policy scenarios can be compared under alternative Nash equilibria, and under different hypothesis regarding the size of the country and the size of the quota premium.

[^17]Table 2.4: Elimination of VERs in textiles and apparel (Cournot)
$($ Base year $=100)$

|  | $\eta_{i}=2$ |  | $\eta_{i}=5$ |  |
| :---: | :---: | :---: | :---: | :---: |
| Turkey's social welfare | 99.4 |  | 98.9 |  |
| Aggregate output in real terms | 100.7 |  | 101.4 |  |
| Trade volume | 100.4 |  | 100.7 |  |
| Consumer price index | 100.0 |  | 100.0 |  |
| Intermediate inputs cost index | 100.8 |  | 103.3 |  |
|  | Textiles | Apparel | Textiles | Apparel |
| - At sectoral level |  |  |  |  |
| Exports to the EU | 124.3 | 148.4 | 135.0 | 193.6 |
| Output | 107.1 | 112.2 | 119.5 | 124.6 |
| Number of firms | 107.3 | 106.0 | 113.1 | 104.1 |
| Domestic sales | 106.2 | 99.6 | 111.9 | 99.0 |
| Export sales to the EU | 128.2 | 158.4 | 146.2 | 220.5 |
| Export sales to the RoW | 91.8 | 96.2 | 63.4 | 91.9 |
| Price elasticity of domestic demand | 94.3 | 100.0 | 89.6 | 100.2 |
| - At firm level |  |  |  |  |
| Output | 99.9 | 105.8 | 96.8 | 119.7 |
| Domestic output | 95.9 | 88.2 | 91.4 | 83.7 |
| Exports to the EU | 115.9 | 140.0 | 119.4 | 186.0 |
| Exports to the RoW | 85.6 | 90.8 | 56.0 | 88.3 |
| - Prices and costs |  |  |  |  |
| Producer price of exports to the EU | 103.2 | 106.7 | 108.3 | 113.9 |
| Average cost | 102.7 | 104.9 | 107.4 | 109.1 |
| Marginal cost | 103.3 | 106.9 | 108.3 | 113.9 |
| Primary factor inputs cost | 100.5 | 100.6 | 100.5 | 100.7 |
| Intermediate inputs cost | 103.8 | 107.3 | 109.7 | 114.9 |
| Price cost margin in the domestic market (1) | 99.6 | 98.4 | 99.7 | 98.8 |
| Price cost margin in the EU market (2) | 99.1 | 99.3 | 99.7 | 99.9 |
| Price cost margin ratio: (1)/(2) | 100.5 | 99.1 | 100.0 | 98.9 |

Table 2.5: Elimination of VERs in textiles and apparel (Bertrand)
$($ Base year $=100)$

|  | $\eta_{1}=2$ |  | $\eta_{t}=5$ |  |
| :---: | :---: | :---: | :---: | :---: |
| Turkey's social welfare | 99.4 |  | 99.0 |  |
| Aggregate output in real terms | 100.6 |  | 101.4 |  |
| Trade volume | 100.9 |  | 101.0 |  |
| Consumer price index | 100.0 |  | 100.0 |  |
| Intermediate inputs cost index | 101.0 |  | 102.0 |  |
|  | Textiles | Apparel | Textiles | Apparel |
| - At sectoral level |  |  |  |  |
| Exports to the EU | 123.5 | 144.8 | 136.6 | 195.0 |
| Output | 106.7 | 111.8 | 110.5 | 125.9 |
| Number of firms | 108.3 | 107.1 | 115.2 | 106.0 |
| Domestic sales | 106.1 | 99.8 | 112.2 | 99.1 |
| Export sales to the EU | 127.8 | 158.0 | 147.6 | 221.8 |
| Export sales to the RoW | 94.3 | 96.3 | 87.9 | 90.0 |
| Price elasticity of domestic demand | 97.1 | 102.5 | 94.7 | 105.0 |
| - At firm level |  |  |  |  |
| Output | 98.5 | 104.4 | 95.9 | 117.9 |
| Domestic output | 94.7 | 87.0 | 90.2 | 82.2 |
| Exports to the EU | 114.0 | 138.0 | 118.6 | 184.0 |
| Exports to the RoW | 87.6 | 89.9 | 76.3 | 85.0 |
| - Prices and costs |  |  |  |  |
| Producer price of exports to the EU | 103.5 | 106.9 | 108.0 | 113.7 |
| Average cost | 103.3 | 105.6 | 107.7 | 110.1 |
| Marginal cost | 103.5 | 107.0 | 108.1 | 113.8 |
| Primary factor inputs cost | 100.4 | 100.3 | 100.4 | 100.2 |
| Intermediate inputs cost | 104.1 | 107.5 | 109.4 | 114.7 |
| Price cost margin in the domestic market (1) | 99.6 | 99.6 | 99.3 | 99.6 |
| Price cost margin in the EU market (2) | 99.7 | 99.7 | 99.7 | 99.9 |
| Price cost margin ratio: (1)/(2) | 99.9 | 99.8 | 99.6 | 99.7 |

It is clear that the numerical results are fully consistent with those analytical findings which are unambiguous. The elimination of VERs brings about a large increase of sectoral exports to the EU, both in terms of total exports and exports per firm. The large impact on textiles and apparel exports to the EU raises output in both industries quite remarkably in accordance with Proposition 2.6, and expands trade volume under both forms of competition. The producer price of exports to the EU is also positively affected in accordance with Proposition 2.1. The possibility of making profits allows less efficient firms to break even in accordance with Proposition 2.2. The number of firms increases by $7.3 \%$ ( $13.1 \%$ ) in textiles and $6 \%(4.1 \%)$ in apparel in the Cournot case, and by $8.3 \%$ ( $15.2 \%$ ) in textiles and $7.1 \%$ ( $6 \%$ ) in apparel in the Bertrand case. The zero profit condition is once again restored if the average cost rises in accordance with Proposition 2.1. In the Cournot case, the average cost rises by $2.7 \%(7.4 \%)$ in textiles and $4.9 \%(9.1 \%)$ in apparel. Whereas in the Bertrand case, it rises by $3.3 \%(7.7 \%)$ in textiles and $5.6 \%(10.1 \%)$ in apparel.

It is interesting to note that although, in accordance with Proposition 2.1, there is a unique positive relation between size of quota premium, or size of the country, and average cost, a similar relation between size of quota premium, or size of the country, and number of firms does not occur. This is because the impact on the number of firms is also a function of domestic sales and of the price elasticity of domestic demand [(see (2.28)]. In fact, Tables 2.4 and 2.5 show that although the quota premium in textiles is half that in apparel, new entry is larger in textiles, because the VERs abrogation reduces the price elasticity of domestic demand and has a positive impact on domestic sales. I should stress that the impact on the export sales to the RoW does not affect the number of firms, because the RoW faces an infinitely elastic demand function. A similar conclusion can be drawn with respect to the size of the country.

As far as the form of competition is concemed, the impact on both average cost and new entry is larger under Bertrand conjectures, as they are inherently more
competitive. Similarly, the ex-post size of firms is smaller under Bertrand competition. This implies that incumbent firms will prefer the status quo especially under a price setting oligopoly. However, it must be stressed that the difference between the numerical results obtained under Bertrand and Cournot conjectures is small. So despite the significance of the quantitative results, they are less sensitive to equilibrium concepts, as already described by Venables (1994) for the case of an import tariff and an export tax. This is because as the number of firms rises, the price cost margins in the domestic and export markets converge towards the same value (that is, the inverse of the elasticity of substitution among brands) under both conjectures.

Entry leads to a modest decline of the price cost margin in both markets. Another important empirical result is in relation to the ratio between the price cost margins in the domestic and export markets. Given the elasticity of substitution among exported brands, the smaller the country, the greater the loss of monopoly power in the domestic market with respect to the export market [see (2.29) and (2.30)] in accordance with Proposition 2.3.

The full employment assumption of factor inputs implies a reallocation of resources among sectors. Thus, despite the increase of factor inputs demand in textiles and apparel, wage and rental rates characterising the whole of the economy are only slightly affected in accordance with Proposition 2.5. Hence, if the cost of primary factor inputs rises slightly, and the fall in the price cost margin in the export market is smaller that the rise in the producer price of exports, then the cost of intermediate inputs has to increase substantially, and at a higher rate than the rise in the producer price of exports to the EU, for the price cost margin in the export market to decline [see (2.34)] in accordance with Proposition 2.5.

Despite output growth, output per firm might expand or decline in accordance with Proposition 2.4, depending positively on the size of export expansion, which is
obviously larger in apparel, and negatively on both the number of new entrants, which is larger in textiles, and the domestic output fall, which is larger in apparel.

A further important empirical result is in relation to the impact on firms' domestic output. All scenarios show that despite the large spillovers of exports from the RoW, firms record a domestic output contraction, which is larger, the smaller the country.

These numerical results support the hypothesis that a VER is a good instrument to prevent entry and to protect the monopoly power of incumbent firms in both the domestic and the export markets, either in a quantity-setting or in a pricesetting oligopoly.

## [2.4.2.2] The impact on Turkey's social welfare

The measure of the welfare change in AGE literature is the Hicksian equivalent variation. To be consistent with the analytical model, the representative household faces a convex indifference curve a la Dixit-Stiglitz, which is taken to be CobbDouglas at the first stage, and CES form at the second, third and fourth stages. Income distribution issues are neglected, hence the representative consumer's utility function can be regarded as representing the Samuelsonian social indifference curves, which takes the following form:

$$
\begin{equation*}
W=\prod_{c r r}\left[C_{c r s} \theta_{c r}\right] \prod_{1}\left[I_{1}^{\theta_{1}}\right], \quad \sum_{c r} \theta_{c r r}+\sum_{1} \theta_{1}=1 \tag{2.39}
\end{equation*}
$$

where $\vartheta$, represents the household's consumption shares, $C_{c r r}$ denotes the individual's consumption of commodities produced by industries facing constant returns to scale, and $I_{\text {, }}$ can be regarded as the Dixit-Stiglitz quantity index of aggregate consumption of the industry output of differentiated products. $C_{c r s}$ is derived by maximising the subutility function subject to the money income spent on commodities produced by the industries facing constant returns to scale.

Given the assumption that domestic production and imports satisfies both household consumption and the intermediate demand of the industry [see (2.9)], $I$, takes the form,

$$
\begin{equation*}
I_{i}=\chi_{i}\left[\varphi_{i} D_{i}^{\left(\varepsilon_{i}-1\right) / \varepsilon_{i}}+\left(1-\varphi_{i}\right) M_{i}^{\left(\varepsilon_{i}-1\right) / \varepsilon_{i}}\right]^{\varepsilon_{i} /\left(\varepsilon_{i}-1\right)}, \tag{2.40}
\end{equation*}
$$

where $\chi_{i}$, the price elasticity of aggregate demand, is equal to the share of household consumption in the total demand of goods produced by industries facing increasing returns to scale.

Given the symmetry assumption among firms, the utility gained from the consumption of domestic goods and imported products can be written as:

$$
\begin{align*}
& D_{i}=n_{i}^{\varsigma_{i} /\left(s_{i}-1\right)} d_{i}  \tag{2.41}\\
& M_{i}=\bar{n}_{i}^{m \bar{s}_{i}\left(\bar{s}_{i}-1\right)}\left[\mathrm{l}_{i} m_{i}^{E U\left(\mu_{i}-1\right) / \mu_{i}}+\left(1-\mathrm{t}_{i}\right) m_{i}^{R o w\left(\mu_{i}-1\right) / \mu_{i}}\right]^{]_{1} /\left(\mu_{i}-1\right)}, \tag{2.42}
\end{align*}
$$

where $\bar{n}_{i}^{m}$ represents the fixed number of competing foreign brands, $m_{i}^{E v}$ and $m_{i}^{R_{i} w}$ denote respectively the EU and the RoW representative firms' sale to the market of the exporting country, $\bar{\zeta}_{i}$ is the elasticity of substitution among imported varieties, $\mu_{i}$ is the elasticity of substitution among imports from different regions, and $\mathfrak{l}_{i}$ is a share parameter of the import aggregation function. $\bar{n}_{i}^{m}$ should properly be treated as an endogenous variable. However, the model presented in this study is a single country open economy model. It is therefore difficult to model the product selection process in foreign industries. ${ }^{26}$

[^18]Tables 2.4 and 2.5 show that, as a consequence of the elimination of VERs, the impact on welfare, though small, is negative. Social welfare decreases by a factor of 0.6 (1-1.1) as a percentage of consumer income in 1990. Given the fact that the consumer price index is not affected, the social welfare loss indicates that the rent loss effect and the increased intermediates input cost effect dominate the positive effects from trade. It also seems that the smaller the country, the larger the welfare loss of the elimination of VERs, although the efficiency gains (represented by the rise of aggregate output in real terms), the gains from variety, and from the rise in the export producer price, are much larger. Thus, since the loss of the economic rent and the consumer price index are equal in all scenarios, it is reasonable to suggest that the increased intermediate inputs cost effect is an important negative effect, which might determine the size of the welfare loss in the exporting country. In fact, the computed estimates show that the intermediate inputs cost index rises quite remarkably, when the country faces a more elastic foreign demand curve.

In summary, if policy-makers of exporting countries might accept VERs agreements in order to improve the welfare of their nations, industry associations voluntarily agree to restrain their level of exports in order to limit entry of other potential firms. This allows incumbent firms to better exploit economies of scale, capture rents and protect their monopoly power in both domestic and export market.

[^19]
## [2.5] Conclusions

This paper analyses the possible consequences of VERs on an exporting country when firms facing increasing returns to scale behave either in a Cournot fashion or with Bertrand conjectures. I show that the elimination of a VER raises the average cost to produce one unit of output, and this effect is larger, the smaller the country. It decreases the concentration of the industry and the price cost margins in the export market. The impact on firm size is ambiguous. In addition, I show that the smaller the country, the greater the possibility of a relative lower price cost margin in the domestic market, as a result of a VER abrogation. This implies that incumbent firms have an interest in renewing VERs in order also to protect their monopoly power in the domestic market. The analytical effect on social welfare is indeterminate: the positive effect comes from the increased product diversity, as the number of symmetric firms rises (variety effect), and from the increase of the producer price of exports, as foreign consumers are more sensitive to price changes rather than to ad valorem quota premium variation (export producer price effect); the negative effect comes from the loss of the economic rent (rent loss effect), and from the rise in the intermediate inputs cost (increased intermediate inputs cost effect); whilst the indeterminate effect comes from the impact on production (global efficiency effect) and on the cost of living (consumer price effect). The increased intermediate inputs cost effect is very important, as a fall in the price cost margin in the export market can be achieved only if the cost of purchasing intermediate inputs rises substantially.

An AGE model with increasing returns to scale, segmented markets and free entry/exit, applied to the Turkish textiles and apparel industries, indicates that the analytical results are quantitatively interesting, under both Bertrand and Cournot competition, and seems to support the hypothesis that an exporting country is better off under a VER, as the rent loss effect and the increased intermediate inputs cost effect dominate the positive effects from trade and the global efficiency effect, which
the numerical analysis has shown to be positive. The numerical model indicates that the smaller the exporting country, the larger the welfare loss. Given the facts that the consumer price index is not affected, and the loss of economic rents is equal in both scenarios, and since the export producer price effect, the variety effect and the global efficiency effect are negatively related to the size of the exporting country, it is reasonable to suggest that the increased intermediate inputs cost effect explains much of the welfare loss in an exporting country.

The numerical results also indicate that the contraction of firms' domestic output is large, whilst the impact on price cost margins is modest. In addition, they show that the rise in both the average cost and the number of new entrants is larger under Bertrand conjectures, as they are inherently more competitive. Similarly, the size of the firms is smaller. This implies that industries, especially characterised by more competitive conjectures, will lobby the government or industry associations to keep renewing VERs agreements. However, the quantitative difference of the impact of the elimination of VERs under Bertrand and Cournot conjectures is small, which implies that the impact of this policy is less sensitive to equilibrium concepts.

A possible loss in social welfare and the fall of monopoly power of incumbent firms, in both domestic and export markets, are the key elements to understanding why exporting countries voluntarily agree to restrain their level of exports.

## CHAPTER 3

## Optimal Export Taxes, Welfare, Industry Concentration and Firm Size: A General Equilibrium Analysis

## [3.1] Introduction

After the seminal papers by Bickerdike $(1906,1907)$ on the optimal degree of trade restriction, the literature on optimal tariff, which developed in the nineteen thirties and forties, (Lerner, 1934; Kaldor, 1940; Scitovsky, 1941; Kahn, 1948-49; Graaff, 194950 ) argues that an optimal export tax is equal to the absolute value of the inverse elasticity of foreign export demand, if perfect competition prevails among domestic firms and foreign countries do not retaliate. More recently, this basic insight has been further elaborated in a PE framework in a context of an imperfect competitive domestic market, where an optimal export tax is positive and adjusted by firm size (Rodrik, 1989; Helpman and Krugman, 1989). The larger the firm's share, or the greater the conjectural variation parameter, the smaller the firm's specific optimal export tax. In the case of monopoly or collusion, the optimal export tax is nil. So RHK argue that an export tax is welfare improving in a context of a non-collusive oligopoly, which has international market power.

I use a GE model, with fixed (or sunk) costs and segmented markets, to show that an export tax does not necessarily have a positive impact on social welfare, as the
efficiency effect from trade restriction is negative, and might outweigh the terms of trade benefits. Moreover, the efficiency loss from trade restriction would be larger if costs are sunk (i.e. developing marketing channels overseas, obtaining export licenses, foreign promotion and advertising). Thus, it is inappropriate to assume that the RHK formula could yield the optimal size of an export tax.

In addition, I show analytically that the simple method suggested by Rodrik (1989) to compute the uniform export tax is upwardly biased. This is because the size of Rodrik's export tax is also a negative function of its impact on the absolute value of the foreign demand elasticity and industry concentration. I show analytically that an export tax implies a more elastic foreign demand curve and a fall in export sales, if a hypothetical foreign industry produces an imperfect substitute good for the own market. Both these results lead to the exit of some domestic firms. So, under constant conjectures, the Rodrik formula is upwardly biased.

This paper also attempts to understand the impact of an export tax on firm size. I find that it is ambiguous, as it is negatively related to the effect of the trade policy on foreign demand, and positively to both the ability of firms to trade export excess supply in the domestic market, and to the capability of exploiting economies of scale.

I use an AGE model, which has the same features of the analytical model applied to Turkish textiles and apparel industries, to investigate how large and significant the above described findings are; and, in particular, to examine the impact of RHK export tax on welfare, as this is analytically ambiguous. I find that the computed RHK export tax is smaller than the rate calculated using the PE formula suggested by Rodrik (1989), where all variables are set exogenously. Under constant conjectures, the ratio between the PE estimate and the computed optimal export tax ranges between 1.034 and 1.089 . So, as far as the Rodrik formula is concerned, despite the importance of the analytical result, the bias seems to be numerically small.

The numerical model also shows that the impact on firm size varies according to different scenarios.

The most important numerical result is related to social welfare. Despite the analytical indeterminacy, all numerical scenarios show that moving from free trade to the RHK export tax has a negative impact on the exporting country's welfare, which implies that the RHK export tax is not an optimal policy in a GE framework. The estimated welfare loss varies among the alternative scenarios. It ranges between $0.3 \%$ and $-1.6 \%$ as a percentage of consumer income in the scenarios with fixed costs, and between - $1 \%$ and $-2.9 \%$ in the scenarios with sunk costs. The size of the welfare loss is also an interesting empirical finding, when it is compared to the static welfare gains from multisectoral trade liberalisation, which, in the AGE literature, are usually estimated to be equal to $1-2 \%$ of a country's GDP. Whereas, in this study, trade restriction is only imposed on two sectors, whose output comprised $5.8 \%$ of total Turkish production in the benchmark year.

The remaining sections of this Chapter have been organised as follows: Section 2 analyses the relation between optimal export tax, industry concentration, foreign demand elasticity and conjectural variation; Section 3 describes a GE model with increasing returns to scale, segmented markets, intraindustry trade and identical firms; Section 4 analyses the impact of the RHK export tax on firm size, industry concentration, foreign demand elasticity and welfare; Section 5 reports the numerical results obtained applying a GE model to the Turkish textiles and apparel industries; and the final section presents a summary and some conclusion.

## [3.2] Optimal export tax and industry concentration

Assume that within an oligopolistic industry ( $i$ ) there are firms $(k)$ of different sizes. They export homogenous goods at price level, pwe. . The industry has international
market power. So, according to the PE literature, the government of an exporting country could enhance social welfare by restricting exports with differentiated export taxes ( $t e_{i k}^{*}$ ). More precisely, the government has to choose a vector $t e_{i k}^{*}$, such that when a firm $k$ maximises its profit function, the total amount of exports for the industry as a whole has to be equal to the export level $E_{t}^{M}$, which would have been chosen by a monopolist: $\sum_{k} e_{i k}=E_{i}^{M}$, where $e_{i k}$ denotes the amount of the firm $k$ 's exports.

Fig. 3.1 The optimal export tax in a PE framework


Figure 3.1 shows a PE graphical representation, used by Helpman and Krugman (1989, pg. 87), to determine the optimal size of an export tax. $E^{d}$ denotes
the export demand schedule, $M R$ the marginal revenue curve faced by a monopolist, $M R$ the firm $k$ 's perceived marginal revenue curve, and $c_{i k}$ the constant marginal cost curve. The equilibrium in autarchy is represented by the equilibrium price $p w e_{i}^{m}$ and quantity $E_{l}^{m}$. The introduction of an export tax of a given size, $t e_{/ k}^{e}$, would shift the marginal cost curve upwardly, such that the intersection between the new cost curve (gross of the export tax) and $\tilde{M} R$ would allow firms to set prices and quantities at their optimal level, $p w e_{i}^{M}$ and $E_{i}^{M}$, respectively.

The diagrammatic analysis suggests that the optimal export tax vector can be calculated as a difference between the firm's perceived marginal revenue and the profit-maximising cartel marginal revenue, evaluated at the export level chosen by the domestic firms acting as a profit-maximising cartel ( $E_{i}^{\mathrm{Nf}}$ ). Using this definition, it can be shown that

$$
\begin{equation*}
t e_{i k}^{*}=p w e_{i}\left\{\left[1-s_{i k}\left(1+\lambda_{i k}\right)\right] / \eta_{i}^{e}\right\}, \tag{3.1}
\end{equation*}
$$

where $s_{i k}$ denotes the $k$ th firm's share in total exports, $\lambda_{i k}$ the conjectural variation of firm $k$ about the other firms in the export market, and $\eta_{i}^{e}$ the absolute value of the export demand elasticity. ${ }^{27}$ This is the same expression proposed by Rodrik (1989), to whom I refer for a complete analytical argument. $t e_{t k}^{*}$ ought necessarily be no negative. It is evident that a uniform optimal export tax is applicable only if firms are symmetric or if perfect competition prevails ( $\lambda_{1 k}=-1$ ). Typically, the optimal export tax is firm specific and is negatively related to firm size (Rodrik, 1989). In the limiting case of monopoly (or collusion), the optimal export tax is nil, since a profitmaximising monopolist (or cartel) already sets $p w e_{1}$ at its optimal level, $p w e_{1}\left(E_{l}^{\Lambda_{t}}\right)$.

[^20]Conversely, as the kth firm's export share becomes smaller, the optimal export tax converges towards the upper bound limit $p w e_{i} / \eta_{i}^{e} .{ }^{28}$

However, as the policy-maker chooses the vector $t e_{i k}^{*}$, all variables in equation (3.1) would be affected. Thus, the method suggested by Rodrik (1989) for calculating an optimal export tax by adjusting $\eta^{e}$ for the Herfindahl index of concentration $\left(H_{i}\right)$, when traders are symmetric and behave in a Cournot fashion, is only a simple approximation, because both $\eta_{1}^{e}$ and $H_{i}$ are treated exogenously. ${ }^{29}$

To better emphasise the point, let us make the simplifying assumption that firms are symmetric. In this case, the uniform ad valorem optimal export tax ( $t_{1}$ ) in equilibrium is

$$
\begin{equation*}
\left.t_{i}^{*}\right|_{E_{i}=E_{i}^{u}}=\frac{1}{\eta_{i}^{e}}\left(1-\frac{1+\lambda_{i}}{n_{i}}\right), \tag{3.2}
\end{equation*}
$$

where $n$ denotes the number of identical firms. It is important to emphasise that all variables in (3.2) are endogenously determined. Thus, moving from free trade to an optimal export tax would hardly likely result in $\eta_{i}^{e}, \lambda_{\text {, }}$, and $n_{1}$ equating their initial values. This implies that the argument that an optimal export tax is negatively related to the ex-ante industry concentration ratio does not automatically hold in a GE framework. In fact, the total derivative of $t_{;}^{*}$ yields

[^21]\[

$$
\begin{equation*}
\left.d t_{i}^{*}\right|_{E_{i}=E_{i}^{M}}=\frac{1}{\eta_{i}^{c} n_{t}^{2}}\left[\left(1+\lambda_{i}\right) d n_{i}-n_{i} d \lambda_{i}\right]-\left(\frac{n_{,}-1-\lambda_{i}}{n_{i} \eta_{1}^{e^{2}}}\right) d \eta_{i}^{e} . \tag{3.3}
\end{equation*}
$$

\]

This expression shows that the ad valorem optimal export tax depends not only on the ex-ante $\eta_{1}^{e}, \lambda_{1}$ and $n_{1}$, but also on its impact upon these variables, as it is also recognised by Rodrik (1989, note 4). In section 3.4, I will show that under constant conjectures, the Rodrik formula, which I have reported in footnote 30, is upwardly biased because the impact of an export tax raises $\eta_{1}^{e}$ and decreases $\boldsymbol{n}_{1}{ }^{30}$

## [3.3] A GE model with fixed (or sunk) costs and segmented markets

The model presented in this section is a GE model with fixed (or sunk) costs, segmented markets and identical firms used to study the impact of moving from free trade to the RHK export tax on the number of firms, firm size, foreign demand elasticity and welfare. Given the difficulty of modelling firms conjectures endogenously, I assume them constant. In order to study the impact of the RHK export tax on firm size, I assume that each firm produces two imperfect substitute goods, one traded within the domestic market and the other exported. An export tax leads to export contraction, but not necessarily to the decline of the firm size, as the remaining firms can increase their supply in the domestic market. So to model domestic and foreign trade, I assume that each firm employs factors and intermediate inputs to produce two imperfect substitute goods, one sold in the domestic market and the other exported; whereas the representative consumer gains utility from the consumption of domestically produced goods and their imperfect substitute imports. Also the sectoral intermediate demand is satisfied with the supply of domestic goods and imports.

[^22]
## [3.3.1] Mark-up pricing

Assume that within an industry (i) firms face fixed (or sunk) costs, produce two differentiated commodities, one supplied in the domestic market and the other exported, and have constant conjectures, in the sense that the firms' choice on how to react to its rivals' choices is given a priori and is independent of the impact of trade policies.

The profit function of a representative firm ( $\pi_{i}$ ) takes the following form:

$$
\begin{equation*}
\pi_{i}=p d_{i} d_{i}+\left(p w e_{i}-t e_{i}\right) e_{i}-c_{i}\left(d_{i}+e_{i}\right)-f_{i}, \tag{3.4}
\end{equation*}
$$

where $d_{i}$ and $e_{i}$ denote domestic output and export, respectively; $p d_{\text {, }}$ the price of
 indipendent of output. The first order conditions yield

$$
\begin{array}{ll}
p d_{i}+d_{i} \frac{\partial p d_{i}}{\partial D_{i}} \frac{\partial D_{i}}{\partial d_{i}}=c_{i}, & \frac{\partial p d_{i}}{\partial D_{i}}<0 \\
p w e_{i}+e_{i} \frac{\partial p w e_{i}}{\partial E_{i}} \frac{\partial E_{i}}{\partial e_{i}}=c_{i}+t e_{i}, & \frac{\partial p w e_{i}}{\partial E_{i}}<0
\end{array}
$$

where $D_{i}$ denotes domestic demand and $E_{i}$ export demand.

## [3.3.2] Technology and number of firms

The production function of a single representative firm, $\Theta$, is additively separable in $\Phi_{1}$ and $\Phi_{2}$, and such that $\partial^{2} \Theta /\left(\partial \Phi_{1} \partial \Phi_{2}\right)>0$ :

$$
\begin{align*}
y_{i} & =\Theta\left[\Phi_{1}\left(x_{j i}\right), \Phi_{2}\left(l_{i}, k_{i}\right)\right]  \tag{3.7}\\
& =0 \text { if } l_{i}<l_{i}^{\prime} \text { or } k_{i}<k_{i}^{\prime}
\end{align*}
$$

where $y_{i}$ represents composite production of domestic goods and exports; $x_{n}$ denote intermediate inputs, assumed for simplicity to be net complements ( $j=i \cup c r s$, where
crs indicates the sectors facing perfect competition and constant returns to scale); $l_{\text {, }}$ and $k_{\text {, }}$ represent labour and capital inputs; and $l_{i}^{f}$ and $k_{i}^{f}$ the factor inputs employed in fixed proportion. This implies that the production sets are not convex. $\Phi_{2}$ is locally assumed to be twice differentiable, so that $\Phi_{2}^{\prime}>0$ and $\Phi_{2}^{\prime \prime}<0$.

The production possibility frontier of the representative firm is represented by

$$
\begin{equation*}
y_{i}=\Omega\left(d_{t}, e_{t}\right), \quad \Omega_{d}>0, \Omega_{e}>0, \partial^{2} \Omega /\left(\partial d_{i} \partial e_{t}\right)<0 \tag{3.8}
\end{equation*}
$$

which locally is a linear homogenous, separable, differentiable transformation curve of domestic goods and exports. The transformation curve is locally assumed to be twice differentiable with respect to $d_{i}$ and $e_{i}$, such that $\partial^{2} \Omega / \partial d_{i}^{2}<0$ and $\partial^{2} \Omega / \partial e_{i}^{2}<0$.

The fixed factor inputs, multiplied by their respective returns, determine the firm's fixed (or sunk) cost. It is important to emphasise the benefits for each firm of raising production, as each firm would bear a reduced fixed cost element per unit of output. The total cost faced by each firm is the sum of variable and fixed (or sunk) costs. So the average cost to produce one unit of output net of export taxes ( $a c_{i}$ ) takes the following form:

$$
\begin{equation*}
a c_{i}=\left(w l_{i}+r k_{i}+\sum_{j} p_{j} x_{j i}\right) / y_{i}, \tag{3.9}
\end{equation*}
$$

where $p$, represents the price vector of final and intermediate goods. The factor demands of each firm and the marginal cost equation can be derived by solving a standard dual problem.

The number of firms is endogenously determined by the long run zero profit condition:

$$
\begin{equation*}
p y_{i}=a c_{i}=\left[p d_{i} d_{i}+\left(p w e_{i}-t e_{i}\right) e_{i}\right] / y_{i}, \tag{3.10}
\end{equation*}
$$

where $p y_{t}$ is the composite producer price.

The tax-free sectors are assumed to face perfect competition and constant returns to scale. This allows me to restrict the analysis of the impact of the RHK tax on these industries only on their production level, as it is relevant for welfare analysis. So the production function and the transformation curve of the tax-free sectors take respectively the following form:

$$
\begin{align*}
& Y_{c r s}=\Theta^{c r s}\left[\Phi_{1}^{c r s}\left(x_{j c r}\right), \Phi_{2}^{c r}\left(L_{c r s}, K_{c r s}\right)\right]  \tag{3.11}\\
& Y_{c r s}=\Omega^{c r s}\left(D_{c r s}, E_{c r s}\right)
\end{align*}
$$

where $Y_{r r s}$ denotes composite output, $D_{c r s}$ domestic output, $E_{r r s}$ exports, $L_{\text {rrs }}$ labour, and $K_{c r s}$ capital for the industry as a whole. $\Theta^{c r s}$ is globally linear homogenous, additively separable in $\Phi_{1}^{c r s}$ and $\Phi_{2}^{c r s}$, and such that $\partial^{2} \Theta^{c r s} /\left(\partial \Phi_{1}^{c r s} \partial \Phi_{2}^{c r s}\right)>0 . \Phi_{2}^{c r s}$ is twice differentiable. $\Omega^{\text {crs }}$ is globally linear homogenous, separable, differentiable and concave.

## [3.3.3] Domestic and foreign demand functions

The demand for domestic goods ( $D_{i}$ ) and imports ( $M_{i}$ ) is a function of a consumer's final demand and industries' intermediate demand ( $X_{1}$ ):

$$
\begin{array}{ll}
D_{i}=f\left(H R, p d_{i}, \overline{p w m_{i}}, X_{i}\right), & D_{H R}>0, D_{X}>0, D_{p d / \overline{p m m}}<0, \\
M_{i}=f\left(H R, p d_{i}, \overline{p w m_{i}}, X_{i}\right), & D_{H R}>0, D_{X}>0, D_{p d / \overline{p w m}}>0,
\end{array}
$$

where $H R$ denotes the representative consumer income, $\overline{p w m}$, the exogenous world price of imports treated as substitutes for domestic goods, and $X_{i}=\sum_{j} a_{\mu I} Y_{j}$.

The export demand function of the taxed industry $\left(E_{1}\right)$ is derived by assuming that a hypothetical foreign consumer gains utility by purchasing their own domestic goods ( $D_{i}^{*}$ ) priced at $p d_{i}^{*}$, and their imperfect substitute imports, which are exported
by the country under analysis. The two-stage utility maximisation problem faced by the foreign consumer takes the following form

$$
\begin{aligned}
& \max _{D_{i}, E_{i}}\left\{U^{*}=\Pi\left[Q_{i}^{*} \Gamma\left(D_{i}^{*}, E_{i}\right)\right]\right\} \\
& \text { s.t. } \sum_{i}\left(p d_{i}^{*} D_{i}^{*}+p w e_{i} E_{i}\right)=H R^{*},
\end{aligned}
$$

where $H R^{*}$ represents the income of the representative foreign consumer, $Q^{*}$ the vector of composite commodities, $\Pi$ and $\Gamma$ the upper level and the lower level utility functions, respectively. The solution of the problem yields

$$
\begin{equation*}
E_{1}=\Gamma\left(p d_{1}^{*}, p w e_{i}, H R^{*}\right), \quad \Gamma_{p d_{i}^{*}}^{*}>0, \Gamma_{p w e_{i}}<0, \Gamma_{H R^{*}}>0 \tag{3.15}
\end{equation*}
$$

For simplicity, the sectors which are not subject to an export tax (free-tax sectors) are assumed to face an infinitely elastic export demand function and an infinitely elastic import supply function. Domestic goods and imports are treated as imperfect substitutes.

The trade balance is always in equilibrium. Thus,

$$
\begin{equation*}
\sum_{i} p w e_{1} E_{1}+\sum_{c r s} \overline{p w e}_{c r s} E_{c r s}-\sum_{j} \overline{p w m}_{j} M_{j}=0 \tag{3.16}
\end{equation*}
$$

where $\overline{p w e}_{c r s}$ denotes the world price of exports produced by the free-tax sectors.

## [3.3.4] Representative household income

The sources of household domestic income are value added and export tax revenues received in the form of a lump-sum transfer:

$$
\begin{equation*}
H R=w L+r K+\sum_{1} t e_{1} E_{1} \tag{3.17}
\end{equation*}
$$

where $L$ and $K$ denote labour and capital endowments, respectively; while $w$ and $r$ their respective returns. $L$ and $K$ are fully employed, although if costs are sunk, their endowment would decline with firms' exit.

## [3.4] Analytical results

[3.4.1] The impact of RHK export tax on foreign demand elasticity and industry concentration
$\boldsymbol{\eta}^{e}$ can be obtained from (3.15). Assume that the upper level utility function of the hypothetical foreign consumer is a Cobb-Douglas and that $\Gamma$ is a function with constant elasticity of substitution, $\chi_{1}>1$. Then, (3.15) can be rewritten as

$$
\begin{equation*}
E_{t}=\theta_{i}^{*} H R^{*} \frac{\tau_{1}^{x_{1}} p w e_{1}^{-x_{1}}}{\tau_{1}^{x_{1}} p w e_{1}^{\left(1-x_{1}\right)}+\left(1-\tau_{1}\right)^{x_{2}} p d_{1}^{\left(1-x_{1}\right)}}, \tag{3.18}
\end{equation*}
$$

where $\tau_{1}$ is the CES share parameter and $\theta_{1}{ }^{\circ}$ the foreign household's constant budget share. Then, ${ }^{31}$

$$
\begin{equation*}
\eta_{i}^{e}=-\frac{\partial E_{i}}{\partial p w e_{i}} \frac{p w e_{i}}{E_{i}}=\chi_{t}+\frac{\left(1-\chi_{i}\right)}{\left(\tau_{i}^{-1}-1\right)^{x_{1} p d_{i}^{-\left(1-x_{i}\right)} p w e_{1}^{\left(x_{i}-1\right)}+1}} . \tag{3.19}
\end{equation*}
$$

By using the chain rule, then $\partial \eta_{i}^{i} / \partial t e_{1}=\left(\partial \eta_{i}^{i} / \partial p w e_{,}\right)\left(\partial p w e_{,} / \partial t e_{1}\right)$. The sign of this expression depends only on the sign of $\partial \eta_{i}^{e} / \partial \rho w e_{i}$, as moving from free trade to an export tax the world price of exports rises. The derivative of (3.19) with respect to the price of exports is

$$
\begin{equation*}
\frac{\partial \eta_{1}^{e}}{\partial p w e_{1}}=\frac{\left(1-\chi_{1}\right)^{2}\left(\tau_{1}^{-1}-1\right)^{x_{1}} p d_{1}^{*\left(1-x_{1}\right)} p w e_{1}^{\left(x_{1}-2\right)}}{\left[\left(\tau_{1}^{-1}-1\right)^{x_{1}} p d_{1}^{\left(1-x_{1}\right)} p w e_{1}^{\left(x_{1}-1\right)}+1\right]^{2}}>0 . \tag{3.20}
\end{equation*}
$$

Then, $d \eta_{i}^{e} / d t e,>0$.
An export tax does have an impact on industry concentration, as it affects sectoral aggregate output and demand price elasticities. Given (3.5), (3.6), (3.10) and

[^23]the symmetry assumption, the equality between the combined-market marginal revenue curve and marginal cost is
\[

$$
\begin{equation*}
p y_{i}+\theta_{i}^{D} d_{i} \frac{\partial p d_{i}}{\partial D_{i}} \frac{\partial D_{i}}{\partial d_{i}}+\theta_{i}^{E} e_{i} \frac{\partial p w e_{i}}{\partial E_{i}} \frac{\partial E_{i}}{\partial e_{i}}=c_{i}\left(\theta_{i}^{D}+\theta_{i}^{E}\right) \tag{3.21}
\end{equation*}
$$

\]

where $\theta_{i}^{D}=D_{i} / Y_{i}$ and $\theta_{i}^{E}=E_{i} / Y_{i}$. The latter expression can be rearranged as

$$
\begin{equation*}
n_{i}=\left[\frac{\left(1+\lambda_{i}\right)}{f_{i}}\left(\frac{p d_{i} D_{i}}{\eta_{i}^{d}}+\frac{p w e_{i} E_{i}}{\eta_{i}^{e}}\right)\right]^{1 / 2}, \tag{3.22}
\end{equation*}
$$

where $\eta_{i}^{d}$ is the price elasticity of domestic demand. For simplicity, the conjectural variation is assumed to be equal in both markets. ${ }^{32}$ The total derivative of $n_{i}$ with respect to an export tax is

$$
\begin{equation*}
\frac{d n_{i}}{d e_{i}}=\frac{1}{2}\left[\frac{f_{i}}{\left(1+\lambda_{i}\right)}\left(\frac{p d_{i} D_{i}}{\eta_{i}^{d}}+\frac{p w e_{i} E_{i}}{\eta_{i}^{d}}\right)\right]^{-1 / 2}\left[\frac{1}{\eta_{i}^{d}} \frac{d\left(p d_{i} D_{i}\right)}{d t e_{i}}-\frac{p d D_{i}}{\eta_{i}^{a^{2}}} \frac{d \eta_{i}^{d}}{d t e_{i}}+\frac{1}{\eta_{i}^{i}} \frac{d\left(p w e_{i} E_{i}\right)}{d t e_{i}}-\frac{p w e_{i} E_{i}}{\eta_{i}^{2 d}} \frac{d \eta_{i}}{d t e_{i}}\right] . \tag{3.23}
\end{equation*}
$$

Since an export tax has a secondary effect on sectoral domestic production and domestic consumption decisions, the analysis of the impact on $n$ can be confined to the analysis of the impact on $\eta_{i}^{e}$, which is shown to be positive, and on export sales. The impact of an export tax on export sales can be examined by using (3.18) and the chain rule as follows,

$$
\begin{equation*}
\frac{d\left(p w e_{i} E_{i}\right)}{d t e_{i}}=E_{i} \frac{\left(1-\chi_{i}\right)\left(1-\tau_{i}\right)^{x_{1}} p d_{i}^{*\left(1-x_{i}\right)}}{\tau_{i}^{x_{1}} p w e_{i}^{\left(1-x_{1}\right)}+\left(1-\tau_{i}\right)^{x_{1}} p d_{i}^{*\left(1-x_{1}\right)}} \frac{d p w e_{i}}{d t e_{i}} . \tag{3.24}
\end{equation*}
$$

Since $d p w e_{i} / d t e_{i}>0$ and $\chi_{i}>1$, then $d\left(p w e_{i} E_{1}\right) / d t e_{i}<0$. The lindings that $d\left(p w e_{i} E_{i}\right) / d t e_{i}<0$ and $d \eta_{i}^{e} / d t e_{i}>0$, plus the consideration that the trade policy has an indirect effect on domestic sales and domestic demand price elasticity, imply that an export tax leads to the exit of firms: $d n_{1} / d t e_{i}<0 .^{33}$ In summary:

[^24]PROPOSITION 3.1. Under constant conjectures, Rodrik's PE formula to compute an optimal export tax is upwardly biased; when moving from free trade, both the foreign demand elasticity (in absolute value) and industry concentration raise.

In fact, (3.3) unequivocally shows that, under constant conjectures, the lower the ex-post number of firms and the larger the ex-post absolute value of the foreign demand elasticity, the lower the optimal size of the export tax. This result might be easily extended, if we assume that $\lambda_{i}$ is a function of $n_{i}$. The existence of few firms may facilitate collusion among firms, which implies that $d \lambda_{i} / d n_{i}<0$ (Seade, 1980). Since an export tax raises the industry concentration ratio, the effect of increased collusion implies $d \lambda_{1} / d t e_{1}>0$ and, as a consequence, a further lower export tax rate in equilibrium.

### 13.4.2 ] The impact of RHK export tax on firm size

The impact on firm size is ambiguous. Since $d Y_{i} / d t e_{t}=y_{t}\left(d n_{1} / d t e_{i}\right)+n_{i}\left(d y_{i} / d t e_{i}\right)$, and since, by aggregating firms' domestic output and exports, the total differential of $Y_{i}$ with respect to $t e_{i}$ can be also written as $d Y_{i} / d t e_{t}=\Omega_{D}\left(d D_{1} / d t e_{1}\right)+\Omega_{E}\left(d E_{1} / d t e_{1}\right)$, where $\Omega_{D}$ and $\Omega_{E}$ denote the partial derivatives of the transformation curve with respect to $D_{1}$ and $E_{i}$, respectively; the latter two expressions can be rearranged as

$$
\begin{equation*}
\frac{d y_{i}}{d t e_{i}}=\frac{\Omega_{E}}{n_{i}} \frac{d E_{i}}{d t e_{i}}+\frac{1}{n_{i}}\left(\Omega_{D} d_{i}-y_{i}\right) \frac{d n_{i}}{d t e_{i}}+\Omega_{D} \frac{d d_{i}}{d t e_{i}} . \tag{3.25}
\end{equation*}
$$

The first term represents the negative impact of a fall in real exports for the industry as a whole. The second term denotes the positive impact of returns to scale, as a lower number of firms allows a better exploitation of fixed inputs (note that $\Omega_{D} d_{i}<y_{i}$, if $\phi_{\mathrm{vd}}<1$, where $\phi_{\mathrm{vd}}$ denotes the elasticity of composite production with respect to
domestic output.). ${ }^{34}$ Finally, the third term denotes the capability of firms to sell excess supply in the domestic market. I expect it to be positive, since given the domestic demand, a lower number of firms implies a rise in per firm domestic production. Hence, despite the benefits from better exploiting economies of scale, and despite the rise in domestic production, the impact of an export tax on $y$, is indeterminate.

PROPOSITION 3.2. Moving from free trade to RHK export tax has an ambiguous impact on firm size. It depends positively upon the firm's capability of exploiting economies of scale and of trading excess export supply in the domestic market, and negatively to the magnitude of export contraction.

## [3.4.3] The impact on welfare

Assume the indirect utility function of the representative consumer to be the measure of social welfare. As already shown in the previous chapter, the incremental welfare can be measured by the ratio between the change in the indirect utility function and the marginal utility of income. This ratio ( $v$ ) is equal to the difference between the total derivative of the consumer income and the consumer price change. Equation (3.17) can be also written as $H R=\sum_{1}\left[p d_{1} D_{1}+\left(p w e_{j}-t e_{1}\right) E_{1}-\sum_{j} a_{\mu} p_{j} Y_{j}\right]+\sum_{1} t e_{1} E_{1}$, where the first term in the bracket represents the value of production minus the cost of intermediate inputs, with $a_{\mu}$ representing the Leontief intermediate inputs coefficients, and the second term denotes export tax revenues. If the Laspeyre's price

[^25]index of domestic goods is the numeraire of the model, by total differentiating $H R, v$ can be written as
\[

$$
\begin{align*}
v= & \sum_{c r s}\left[p d_{c r s} d D_{c r s}+p w e_{c r s} d E_{c r s}-\sum_{j} a_{k r s} p, d Y_{c r s}\right]+\sum_{1}\left[p d_{1} d d_{1}+p w e_{1} d e_{1}-\sum_{j} a_{n \prime} p_{j} d y_{1}\right] n_{1}+  \tag{3.26}\\
& \sum_{1}\left[p d_{1} d_{1}+p w e_{1} e_{1}-\sum_{j} a_{\mu} p_{1} y_{1}\right] d n_{1}+\sum_{1} E_{1} d p w e_{1}-\sum_{j} \sum_{j} a_{j} Y_{j} d p_{J}-\sum_{j} Q_{j} d p_{j}
\end{align*}
$$
\]

where $Q_{j}$ denotes total sectoral demand of final and intermediate goods, which is a composite of domestically produced goods and imports.

Equation (3.26) is a general expression for the analysis of the impact on welfare, when export taxes are collected and devoted to households in the form of a lump-sum transfer. Here, I focus the analysis when an export tax is levied on sectors facing IRS. The sum of the first three terms yields the global efficiency effect. The first term denotes the production effect in the tax-free sectors, which is indeterminate as it depends upon: (i) the positive reallocation of primary factor inputs in their favour; (ii) the interdependency among sectors via the intermediate inputs flows (the greater the interdependency among the taxed sectors and the non-taxed sectors, the larger the negative impact on the non-taxed sectors). The second term denotes the firm's value added effect. It is indeterminate, since, from Proposition 3.2, the impact on firm output is ambiguous. The third term denotes the market structure effect, which has a twofold effect on welfare: (i) a positive effect originates if economies of scale are better exploited; (ii) a negative effect results if a firm, by perceiving a less elastic domestic demand curve [see (3.5)], raises the price of the ith domestic commodities and, as a result, a contraction of the domestic consumer surplus occurs. Since the first three terms are ambiguous, the global efficiency effect is indeterminate. Obviously, a possible efficiency loss would be larger in the presence of sunk costs, as a lower factor endowment would be available in the economy with firms' exit. The fourth term represents the positive terms of trade effect. The fifth and the last term indicate the intermediate inputs cost effect and the consumer price effect, respectively. Since the Laspeyre's price index of domestic goods is the numeraire of the model, and since the
world prices of imports are exogenous, the welfare impact of the latter two effects, in particular of the consumer price effect, should be negligible. Then,

PROPOSITION 3.3. The RHK export tax is not optimal in a GE framework if a possible efficiency loss outweighs the terms of trade benefits.

## [3.5] Numerical results

In order to understand quantitatively the relation among optimal export tax, firm size, industry concentration and welfare, an AGE model has been constructed having the same features of the analytical model presented in the previous two sections. It has been applied to Turkey because, as a consequence of the customs union agreement with the EU, the export restriction in the form of VERs on Turkish textiles and apparel have been abrogated. In addition, Turkey is one of the countries signing the MFA arrangement, which also might be abolished in the near future. If Turkish textiles and apparel industries have market power within the international markets, the regional agreement with the EU and the abrogation of the MFA scheme would imply a deterioration of the Turkey's terms of trade. Hence, the Turkish government might still wish to rely on the positive terms of trade effect by introducing an optimal export tax.

## [3.5.1] The AGE model for Turkey

As in the analytical model, the AGE model contains two categories of industries: those where perfect competition and constant return to scale are assumed to prevail ( 18 sectors), and those which are characterised by increasing returns to scale (textiles
and apparel). ${ }^{35}$ The production function has a two stage nested CES structure. At the first stage, I assume a Leontief function among primary factors of production and intermediate inputs, which are in turn assumed to be net complements. At the second stage, the elasticity of substitution among the mobile labour and the mobile capital is assumed to be positive and to vary across industries. The production possibility frontier of firms and of industries facing perfect competition and constant returns to scale is a CET specification of domestic products and exports, treated as imperfect substitutes. ${ }^{36}$ On the demand side, the representative household demand and the intermediate demand are satisfied by a composite of domestic and imported goods, according to the Armington specification, which states that goods competing in the same market are imperfect substitutes. For simplicity, the price elasticity of domestic demand is assumed constant. The country is assumed to be a price taker for the commodities traded internationally, with the exception of textiles and apparel exports, for which a downward sloping export demand curve has been derived by assuming that a hypothetical foreign consumer purchases both Turkish exports and their imperfect substitute domestically produced goods. The world price of imports in textiles and apparel is also assumed exogenous. The trade balance is always in equilibrium.

## [3.5.2] The benchmark data set

The benchmark data set employed to calibrate the relevant variables and parameters of the model is based on the benchmark used in the previous chapter. ${ }^{37}$

In order to calibrate the export demand function in textiles and apparel, I employed OECD data (OECD, 1995) for the year 1990. In particular, I use the value of production, exports and imports relative to 18 OECD countries to which Turkey

[^26]ships almost all textiles and apparel exports (see Appendix 3.C). The elasticities of substitution between Turkish exports and foreign production faced by the hypothetical foreign consumer have been chosen from Huff, et al. (1997): in their global GE trade model, the Armington elasticities are equal to 2.2 in textiles and 4.4 in apparel. Given that the share of Turkish textiles and apparel exports is small with respect to OECD production, $\boldsymbol{\eta}_{i}^{e}$ is computed to be very close to Huff's trade elasticities.

## [3.5.3] Scenarios

Tables 3.1-3.3 report the results of several policy scenarios, which differ in: (i) the initial value of the conjectural parameter; (ii) the initial value of the number of firms; (iii) the treatment of primary factor inputs as fixed or sunk costs. The conjectural parameter is assumed to be zero or two, in order to examine the impact of RHK export tax when firms compete a la Cournot, as in the Rodrik's study, or act in a more collusive behaviour. The benchmark value of the number of firms is hypothesised to equal 15,20 or 25 , in order to compare the results when alternative ex-ante industry concentration ratios are postulated. In all scenarios, labour is always assumed to be fully employed. So the proportion of labour employed by firms in fixed amount always constitutes a component of fixed costs. Consequently, the scenarios with sunk costs assume that only a proportion of capital is sunk. The simple reason behind this assumption is that labour can be reallocated, while capital easily depreciates.

The experiments consist of computing endogenously the RHK export tax vector for textiles and apparel in a GE setting, where all variables are directly or indirectly affected. It must be stressed that, with the exemption of aggregate output and welfare, the results produced under the alternative hypotheses of fixed and sunk costs are similar. In particular, the computed RHK export tax vector is equal in both categories of scenarios.

Table 3.1 Computation of the RHK export tax

SCENARIO 1: Cournot case (Benchmark value: $\lambda_{1}=0$ ).
SCENARIO 2: More collusive case (Benchmark value: $\lambda_{1}=2$ ).

|  | Sectors | Number of firms (Base year) | Ad valorem export tax <br> (1) | Rodrik's formula <br> (2) | (2) / (1) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| I | Textiles | $\mathrm{n}=15$ | 0.411 | 0.426 | 1.036 |
|  | Textiles | $\mathrm{n}=20$ | 0.419 | 0.434 | 1.034 |
|  | Textiles | $n=25$ | 0.424 | 0.438 | 1.034 |
| SCENARIO 1 |  |  |  |  |  |
| I | Apparel Apparel | $n=15$ $n=20$ | 0.198 0.202 | 0.214 0.217 | 1.077 |
| 1 | Apparel | $\mathrm{n}=25$ | 0.205 | 0.220 | 1.072 |
| 1 | Textiles | $\mathrm{n}=15$ | 0.348 | 0.365 | 1.050 |
| , | Textiles | $\mathrm{n}=20$ | 0.375 | 0.388 | 1.050 |
| - | Textiles | $\mathrm{n}=25$ | 0.395 | 0.411 | 1.039 |
| SCENARIO 2 |  |  |  |  |  |
| - | Apparel | $\mathrm{n}=15$ | 0.168 | 0.183 | 1.089 |
| 1 | Apparel | $\mathrm{n}=20$ | 0.178 | 0.195 | 1.089 |
| 1 | Apparel | $\mathrm{n}=25$ | 0.190 | 0.206 | 1.082 |

Table 3.1 shows the computed RHK export tax and the PE Rodrik's formula. This results suggest that the PE formula is upwardly biased, although by a small amount.

This bias is larger, the greater the benchmark value of $\lambda_{1}$. The Rodrik's formula is above the computed export tax by a factor ranging between 1.034 and 1.089. This is because the number of firms declines and the price elasticity of foreign demand rises (see Table 3.2). However, if the foreign demand elasticity is slightly affected, the number of firms contracts enormously. Hence, Proposition 3.1 is corroborated.
Table 3.2 The impact of the RHK export tax on production, number of firms and


[^27]67
Table 3.3 The impact of the RHK export tax on welfare (percentage variation)

|  |  | FIXED COSTS |  |  |  |  | SUNK COSTS |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| SCENARIO 1 |  | Welfare | Terms of Trade | Aggregate Output | Consumer price index | Interm. inputs cost index | Welfare | Terms of Trade | Aggregate Output | Consumer price index | Interm. inputs cost index |
|  | $\mathrm{n}=15$ | -0.6 | 8.8 | -1.3 | -0.4 | -1.4 | -2.0 | 8.9 | -2.3 | -0.6 | 0.3 |
|  | $\mathrm{n}=20$ | -1.1 | 8.6 | -1.7 | -0.6 | -0.7 | -2.2 | 9.0 | -2.5 | -0.6 | 0.1 |
|  | $\mathrm{n}=25$ | -1.6 | 8.5 | -1.7 | -0.7 | -0.1 | -2.9 | 9.0 | -2.7 | -0.7 | 1.0 |
| SCENARIO 2 | $\mathrm{n}=15$ | -0.4 | 8.2 | -13 | -0.3 | -1.1 | -1.1 | 8.3 | - 1.4 | -0.4 | -1.2 |
|  | $\mathrm{n}=20$ | -0.3 | 8.7 | -1.6 | -0.2 | -1.6 | -1.0 | 8.7 | -1.6 | -0.3 | -0.6 |
|  | $\mathrm{n}=25$ | -0.7 | 8.8 | -1.3 | -0.3 | -1.8 | -12 | 8.8 | -2.1 | -0.2 | -0.3 |

The numerical results support the conventional wisdom that the smaller the ex-ante concentration ratio, the larger the RHK export tax rate; and in addition, the smaller the bias. It is also interesting to note that when firms cooperate to a certain extent ( $\lambda_{1}=2$ ), exit is remarkably smaller.

The second finding is in relation to Proposition 3.2: the impact of an export tax on firm size is not predictable. In general, despite the possibility of better exploiting economies of scale and despite the greater amount of domestic production both due to firms' exit, output per firm might decline because of the large export fall for the industry as a whole [see (3.25)].

The last finding is in connection with social welfare (Table 3.3). Despite the impact on welfare being analytically ambiguous, the Hicksian equivalent variation index, which is widely used in AGE analysis as an aggregate measure of welfare, is found to be negative in all scenarios. This implies that the RHK formula is not optimal in a GE framework. The welfare loss is due to the negative impact of the tax on global efficiency. In fact, the global resource allocation effect, measured by real aggregate output, ranges between $-0.3 \%$ and $-1.6 \%$ in the scenarios with fixed costs, and between - $1 \%$ and $-2.9 \%$ in the scenarios with sunk costs. With regard to the other partial effects on welfare [(see (3.26)], the most important is the impact on terms of trade, which ranges between $8.2 \%$ and $9 \%$ in both categories of scenarios; whereas the impact on intermediate inputs cost index and on the consumer price index is generally small.

Table 3.3 shows that, although the impact on terms of trade is similar in both categories of scenarios, the negative impact of the RHK export tax on aggregate output in the scenarios with sunk costs is around $50 \%$ larger, than the negative impact in the scenarios with fixed costs. This is because, in the scenarios with sunk costs, as a consequence of trade restriction, firms' exit leads to a contraction of the capital endowment. Consequently, since the negative global efficiency effect is greater in absolute value, the welfare loss is much larger when a proportion of factor inputs is
sunk. In particular, when the benchmark is characterised by 25 homogenous firms, the welfare loss is estimated to be very large ( $-2.9 \%$ as a percentage of consumer income). It is also interesting to note that when firms cooperate to a certain extent ( $\lambda_{1}=2$ ), the welfare loss is smaller and this due to the fact that, as a consequence of the smaller exit, the negative impact on aggregate output is attenuated. So in conclusion, these results clearly indicate that the RHK formula to determine an optimal export tax in a PE framework is not optimal in a GE setting.

## [3.6] Conclusions

This chapter employs a GE model with increasing returns to scale and segmented markets to show that the positive optimal export tax, suggested by Rodrik (1989), Helpman and Krugman (1989) in a PE framework, might be sub-optimal in a GE setting. Under the symmetry assumption, I show that Rodrik's formula is upwardly biased, because the impact on industry concentration, foreign demand elasticity and conjectural variation is not taken into account. I show that the foreign demand elasticity (in absolute value) is positively related to the export price. Thus, an export tax, raising the export price, brings about a rise in the foreign demand elasticity. I also show that the number of competing firms is positively related to output and negatively to the foreign demand elasticity. Thus, as a result of export contraction and higher foreign demand elasticity, an export tax leads to firms' exit. Both these effects drive down the Rodrik's export tax. Obviously, this result would be larger if firms' conjectures about the reaction of other firms were a positive function of the industry concentration ratio. In addition, I show that the impact on firm size is indeterminate. It depends upon three factors: the size of the export contraction, the degree of exploiting fixed inputs and the capability of trading in the domestic market.

A GE model applied to Turkish textiles and apparel shows that Rodrik's export tax formula is upwardly biased by a small factor ranging between 1.034 and 1.089 under constant conjectures. It supports the view that the smaller the ex-ante industry concentration ratio, the larger the RHK export tax, and the smaller the bias. The numerical results also indicate that the impact on firm output is highly indeterminate. As far as social welfare is concerned, despite its analytical indeterminacy, all scenarios show that welfare decreases with the introduction of the RHK export tax. The welfare loss would be larger in the presence of sunk costs. This numerical finding is very important from the policy-makers point of view, as this can explain why developed countries do not impose positive export taxes. RHK suggests that an export tax should be positive in the presence of a large industry (within the international market), a domestic oligopoly and no retaliation. However, the numerical finding indicates that it is not optimal, because the negative impact on output causes a global efficiency loss, which offsets the welfare gains, mainly coming from incremental terms of trade.

## CHAPTER 4

## The Impact of a Customs Union with the EU on Turkey's Welfare, Employment and Income Distribution: An AGE Analysis

## [4.1] Introduction

In December 1995, the European Parliament ratified the customs union (CU) agreement with Turkey for mining and industrial products, with the exception of the commodities subject to the Common Agricultural Policy (CAP). This preferential trade arrangement came into force in January 1996. Despite this, very few attempts have been made to analyse the economic implications of this agreement on Turkey (Harrison, et al. 1993, 1997; ${ }^{38}$ Mercenier and Yeldan, $1997^{39}$ ), and none of them has examined the impact on employment, and the distribution of income.

[^28]Trade and income distribution, and trade and employment have become two important issues among economists, as some of the recent studies argue that trade with poor countries is the main source of both the decline in employment (Katz and Murphy, 1992; Sachs and Shatz, 1994; Wood, 1994) and the increase in wage inequality (MacPherson and Stewart, 1990; Borjas, Freeman and Katz, 1991; Murphy and Welch, 1991; Borjas and Ramey, 1994; Wood, 1994; Sachs and Shatz, 1996) in industrialised regions. ${ }^{40}$ The latter studies employ PE techniques to show that trade liberalisation widens the gap between the wage of the skilled worker (the abundant factor) and the wage of the unskilled worker (the scarce factor). ${ }^{41}$ Similar results are obtained by McDougall and Tyers (1997), who use a multiregional AGE model to explore the impact of world trade "opening up" on factor price inequality within the developed countries. They also found that the wage-rental ratio declines in the developed countries, in accordance with the Stolper-Samuelson theorem, which states that with trade, aggregate welfare gains are accompanied by an income redistribution effect in favour of the factor which is intensively used in the production of the exportable good. However, it is generally accepted that a trade policy satisfies the Pareto criterion of optimality, if those who gain from the policy can fully compensate those who lose.

[^29]Turkey is a middle income developing country abundant of both basic educated workers (basic skilled workers) and workers with virtually no schooling, who are unemployable in the manufacturing sector (no-skilled workers). ${ }^{42}$ Since Turkey levies very high sectoral tariffs on goods imported from both the EU and the non member states, and since the European CAP is not part of the CU protocol, this preferential trading arrangement with the EU might favour a wage rise of the basic skilled workers relative to both the skilled workers, who are richer, and the no-skilled workers, who are poorer. As a result, the impact on inequality is ambiguous. In addition, the StolperSamuelson theorem enables one to determine the relationship which may exist between foreign trade and functional income distribution, but it cannot predict the effects on the size distribution of income, which depend upon the combined ownership structure of primary factors of production. ${ }^{43}$ In a recent study on the theory of income distribution, Atkinson (1996, p. 20) says:
"Statements about the distribution of national income between wages and profits, or about the relative wages of skilled and unskilled workers, do not tell us directly how the share of the top 20 per cent or the bottom 20 per cent is likely to have changed. The factor distribution is certainly part of the story, but it is only part, and the other links in the chain need to receive more attention."

Nowadays, households receive their income from different sources, including capital, in the form of interest and dividends. In this study, each household income group engages its own members in eight different labour activities, owns two different shares of capital factor of production, and is a recipient of part of the quota rents which originate from the VER agreements with the EU. ${ }^{44}$ As a result, the finding that trade

[^30]widens (reduces) the wage gap between skilled and basic skilled workers in developed (developing) countries cannot be used to predict the impact on overall inequality. It seems that the issue of international trade and the size distribution of income has been neglected by trade theory mainly because it requires a general equilibrium framework where sectoral output, trade flows, prices, factor returns, factor inputs and households' income are all simultaneously determined. So I have built a single country AGE model which is able to trace such effects in a multi-sector, multi-labour, multi-household framework, to quantify in a GE setting the effects of the CU agreement with the EU upon the welfare of Turkish rural and urban households, and the functional and the size distribution of income in Turkey. ${ }^{45}$

As I have mentioned above, with regard to the issue of trade and employment, several studies show that the trade liberalisation process is the cause of the decline (increase) in manufacturing employment in industrialised (developing) countries (Wood, 1994). So it is important to examine what might be the impact of the CU agreement on Turkish employment. The technique employed follows Krugman's model of global trade, employment and wages (Krugman, 1995). Krugman uses a stylised numerical GE two-country model with two productive inputs, skilled labour and
1994). The elimination of the VER on Turkish textiles and apparel exports is an important issue of the preferential trade arrangement agreed with the EU. The Turkish production of textiles and apparel comprises $13 \%$ of Turkey's industrial production, and their exports represent $38 \%$ of merchandise exports. Most of them are exported to the European market. Hence, the elimination of the VERs could have an important impact on the Turkish economy. Certainly, the quota rents on textiles and apparel accruing to the exporting firms, and transfierred to houscholds, would be annulled; although the output of these sectors would expand, affecting sectoral factor mobility, welfare and, as a consequence, the distribution of income. Also Harrison, et al. (1997) assume that Turkish exporters obtain improved access in textiles and apparel, which consists of an exogenous increase of the prices received by Turkish exporters to the EU on these goods. However, the quota rents are not annulled. Hence, they over-estimate the computed welfare gains.
${ }^{45}$ The analysis of economic policies on income distribution with AGE models has a long tradition. Adelman and Robinson (1978) were pioncering in this regard, as they examined the impact of various policies affecting income distribution in Korea. Their model identifies 15 different categories of income recipients, classified according to their skills. However, the impact on the size distribution of income has been derived indirectly, by using the calculation on factor incomes and by assuming that the size distribution of income within each occupational group is represented by a lognormal distribution.
unskilled labour, and two goods, one exportable and one importable, to study the impact of trade on employment of an industrialised country in the case of rigid real wages. His model predicts a fairly large negative employment effect, in relation to the labour input used intensively in producing the importable good. Following Krugman (1995), the employment implications of the CU agreement on the Turkish economy have been examined under the assumption that real wages are constant. Since Turkish industries employ unskilled workers intensively in manufacturing exportable goods, the CU leads to a rise in Turkish employment, as one would expect from the Krugman model applied to a developing country. I estimate that the number of new jobs created is equal to almost 148000. As Turkish manufacturing industries expand, the demand of basic skilled production workers rises substantially, comprising $75 \%$ of the new jobs created.

The second important finding is that although, in terms of changes in real income, the owners of basic skilled labour (the abundant factor) are better off than both the owners of skilled labour and the owners of capital (the scarce factors), the impact on inequality in Turkey is ambiguous: it increases in the scenario with fixed wages and declines in the scenario with flexible wages. This is due to the fall (rise) in both agricultural capital income and farmers' earnings in the scenario with fixed (flexible) wages, which brings about a substantial rise (decline) of inequality between urban and rural household groups. This suggests that the analysis of trade impact on the distribution of income, only carried out with models which define household groups according to their functional role and under the full employment assumption, such as the Stolper-Samuelson model, might be misleading.

To measure the impact on welfare, I use the Hicksian equivalent variation, which is widely used in AGE literature. The results indicate that although Turkey's welfare gain is in aggregate equal to 1226-2750 billions of 1990 Turkish lira (4701054 million US dollars), the welfare impact on most of individual households
depends hugely on the assumption made for the labour market. In particular, several urban groups would suffer large welfare losses in the case of flexible wages.

The static single country AGE model for the Turkish economy presented in this study specifies 20 urban household groups and 19 rural household groups, disaggregated by income class. Factor inputs ( 8 different labour categories and 1 capital) are fully mobile among sectors. In addition, unlike the Krugman model where traded goods are homogenous, it is assumed that domestic products, imports and exports are imperfect substitutes, in order to capture the cross-hauling phenomenon. The model assumes perfect competition and constant returns to scale, and this is because the literature on trade liberalisation and income distribution, which I hope to contribute to, makes these assumptions. The intra-industry trade model used for this study adopts the consumption tax base definition of the VAT, as the effective VAT rates in Turkey are not uniform among commodities. The multiregional relations have been described in the form of two trade flows, one with the EU and one with the Rest of the World (RoW). To measure inequality, the income received by household members, adjusted by the households' "true" cost of living index, has been employed as a unit of measure.

The study also consists of a further four sections. Section 2 defines the algebraic specification of the model, and the measures of welfare and income inequality. Section 3 describes the benchmark. Section 4 explores the effects of the policy simulations, and the final section provides some conclusions.

## [4.2] Model Specification

The trade model presented in this study is a standard static multi-sector, multi-labour, multi-household AGE model for Turkey with perfect competition and constant returns to scale. It is characterised by intra-industry trade as each tradeable commodity is
exchanged in five different markets: the domestic market; the markets for imports from the EU, and the RoW; and the markets for export to the EU, and the RoW. This implies that although Turkey is assumed to be a price taker of international goods, domestic prices are endogenously determined. To simplify the presentation, the specification of the model is divided into five components: production technology and factor demand, treatment of traded goods and foreign sector closure, household revenues and consumption, government revenues and consumption, and treatment of savings and investment decisions. In addition, the welfare and the income distribution measures have been reported. The complete algebraic formulation of the model is shown in Appendix 4.A.

### 14.2.1] Technology and factor demand

The production technology is described by a three stage nested separable CES function. At the first stage, sectoral production is generated as a Leontief function between raw-material inputs, which are assumed to be strictly complementary, and the value added, which is, at the second stage, a CES combination of three factor inputs, such as composite skilled labour, composite unskilled labour and capital. At the final stage, composite skilled labour and composite unskilled labour are respectively a CES aggregation of different skilled occupational categories and of different unskilled occupational categories.

The demand for factor inputs is derived by solving a two stage dual problem. Firstly, the minimisation of the skilled (unskilled) labour cost function subject to the skilled (unskilled) labour aggregation function yields the demand of labour for different skilled (unskilled) occupational categorics. Secondly, the minimisation of the total cost function subject to the production technology yields the demand for composite skilled labour, for composite unskilled labour and for capital. In other words, producers behave competitively and the factor returns equal their marginal revenue product.

It is assumed that factor inputs are mobile between sectors. Total labour demand of each category is equal to exogenous labour supply of each category only when wages are flexible, whereas total capital demand always equates exogenous aggregate capital. In addition, since Turkish farmers are virtually without schooling, they are unemployable in manufacturing. Or to put it in another way, since $95 \%$ of employed persons in Turkish agriculture are self-employed or unpaid family labour (Bulutay, 1995), it is assumed that any effect of the trade policy is perceived on farmers' wages.

## [4.2.2] Treatment of traded goods and foreign sector closure

## /4.2.2.1/ Imports

As far as the imports are concerned, on the supply side, the small country assumption is postulated with respect to both regions. Hence, the import supply functions are represented by the import price equations for the EU ( $p m_{j}^{E U}$ ) and the RoW ( $p m_{j}^{\text {RoW }}$ ) commodities:

$$
\begin{align*}
& p m_{j}^{E U}=\overline{p w m}_{j}^{E U}\left(1+t m_{j}^{E U}\right),  \tag{4.1}\\
& p m_{j}^{R o W}=\overline{p w m}_{j}^{\text {RoW }}\left(1+t m_{j}^{\text {Row }}\right), \tag{4.2}
\end{align*}
$$

where $\overline{p w m}_{j}^{\text {El }}$ and $\overline{p w m}_{j}^{\text {Row }}$ are the fixed world prices of similar imports produced by the EU and the RoW, respectively; and $t m_{j}^{E U}$ and $t m_{j}^{R o W}$ are the effective ad valorem regional import tariff rates, gross of the effective ad valorem Mass Housing Fund levies on EU and RoW commodities evaluated in terms of tariff equivalent. ${ }^{46}$

[^31]On the import demand side, a two stage nested separable CES function is employed. Thus, it is assumed that buyers first decide between domestically produced goods and the composite imported commodities, and then choose between imports from the EU ( $M_{j}^{E U}$ ) and imports from the RoW ( $M_{j}^{\text {RoW }}$ ) with elasticity of substitution $\mu_{j}$, according to the Armington specification (Armington, 1969), which states that products of different countries competing in the same market are imperfect substitutes:

$$
\begin{align*}
& M_{j}^{E U}=\mathrm{A}_{j}^{\mu_{j}-1} \alpha_{j}^{\mu_{j}}\left(\frac{p m_{j}^{E U}}{p m_{j}^{C}}\right)^{-\mu_{j}} M_{j}^{c},  \tag{4.3}\\
& M_{j}^{R_{c} W}=\mathrm{A}_{j}^{\mu_{j}-1}\left(1-\alpha_{j}\right)^{\mu_{j}}\left(\frac{p m_{j}^{R_{o} W}}{p m_{j}^{C}}\right)^{-\mu_{j}} M_{j}^{c}, \tag{4.4}
\end{align*}
$$

where $M_{j}^{c}$ denotes the composite imports, $p m_{j}^{c}$ is the composite domestic price of imports, $\mathrm{A}_{j}$ and $\alpha_{j}$ are the shift and the share parameters of the CES import aggregation function.

### 14.2.2.2 Exports and VERs

With regard to exports, on the demand side, the small country assumption implies the export demand functions to both regions to be infinitely elastic. Hence, the Turkish export production is totally absorbed by foreign trade partners at world prices. However, for goods subject to VERs, the domestic supply price of exports ( $p e_{i}^{R U}$ ) is endogenously determined by the amount of output which is agreed to be exported. Hence,

$$
\begin{equation*}
p e_{i}^{E U}=\frac{\overline{p w e}_{i}^{E U}}{1+q r_{i}^{E U}}, \tag{4.5}
\end{equation*}
$$

where $\overline{p w e}{ }_{i}^{E U}$ is the fixed price of exports prevailing in the EU market, and $q r_{i}^{E U}$ represents the ad valorem export quota premium parameter on Turkish textiles and
apparel. When $q r_{i}^{E U}$ is zero, the domestic supply price of exports to the EU is equal to the price prevailing in the EU market.

On the supply side, the export supply functions to the EU ( $E_{\mathrm{t}}^{\mathrm{EU}}$ ) and the RoW ( $E_{t}^{\text {Row }}$ ) are derived by maximising total export sale revenues subject to the export possibility frontier ( $E_{i}^{c}$ ), which is defined by a constant elasticity of transformation (CET) function. Hence,

$$
\begin{align*}
& \left.E_{i}^{E U}=B_{i}^{-1}\left[\beta_{i}+\beta_{i}^{n_{i}+1}\left(1-\beta_{i}\right)^{-n_{i}}\left(\frac{p e_{i}^{E U}}{\overline{p w e_{i}}}\right)^{-\left(n_{i}+1\right)}\right]^{-\left(\frac{n_{i}}{n_{i}+1}\right.}\right) E_{i}^{C},  \tag{4.6}\\
& E_{i}^{R o W}=B_{i}^{-1}\left[\left(1-\beta_{i}\right)+\beta_{i}^{-n_{i}}\left(1-\beta_{i}\right)^{n_{i}+1}\left(\frac{\overline{p w e_{i}^{R o W}}}{p e_{i}^{E U}}\right)^{-\left(n_{n}+1\right)}\right]^{-\left(\frac{n_{i}}{n_{i}+1}\right)} E_{i}^{C}, \tag{4.7}
\end{align*}
$$

where $\overline{p w e}{ }_{i}^{R / W}$ is the fixed price of exports prevailing in the RoW market, $\eta_{i}$ the elasticity of transformation, $\mathrm{B}_{1}$ and $\beta_{i}$ the shift and the share parameters of the CET export aggregation function. The composite export, $E_{i}^{c}$, is in turn derived by maximising total sales (domestic sales, plus export sales) subject to the production possibility frontier, which is a transformation function of the domestic good and the composite export with constant elasticity.

The rents from VERs ( $V E R_{i}^{E U}$ ), which are allocated to the Turkish exporting sectors, ${ }^{47}$ and then transferred to households, are proportional to the agreed quota premium and the level of exports:

$$
\begin{equation*}
V E R_{i}^{E U}=q r_{i}^{E U} p e_{i}^{E U} E_{i}^{E U} . \tag{4.8}
\end{equation*}
$$

When $\boldsymbol{q r} r_{i}^{E U}$ is zero, quota rents disappear.

[^32]The current account deficit, $\overline{C A}$, is exogenously specified. Thus, the equilibrium in the balance of payments is:

$$
\begin{equation*}
\sum_{i} \overline{p w e}_{i}^{E U} E_{i}^{E U}+\sum_{i} \overline{p w e}_{i}^{R o w} E_{i}^{R o w}+\overline{C A}=\sum_{j} \overline{p w m}_{j}^{E U} M_{j}^{E U}+\sum_{i} \overline{p w m}_{j}^{R o w} M_{j}^{R o w} \tag{4.9}
\end{equation*}
$$

[4.2.3] Households' revenues and consumption

## [4.2.3.1/ Households' revenues

The household sector comprises 20 urban and 19 rural household groups classified according to their income size. This disaggregation allows one to identify the losers and the gainers of the CU agreement between Turkey and the EU. The source of private income ( $H R_{h}$ ) originates from wage payments, returns to capital, plus rents from VERs:

$$
\begin{equation*}
H R_{h}=\sum_{c} \zeta_{h c}^{L} \sum_{i} w_{c} L_{i c}+\zeta_{h}^{a g r} \sum_{a g r} r A K_{a g r}+\zeta_{h}^{n a g r}\left(\sum_{\text {nagr }} r A K_{n a g r}+\sum_{i} V E R_{i}^{E U}\right) \tag{4.10}
\end{equation*}
$$

where $i=a g r \cup n a g r, A K_{a g r}$ and $A K_{n a g r}$ denote the net capital factor in agricultural and non-agricultural activities, respectively; $L_{i c}$ represents the different labour categories employed in sector $i ; r$ and $w_{c}$ are the returns on capital and labours of different skills' categories, respectively; $\zeta_{h c}^{l}$ represents the distributive share parameters of labour income to households; and $\zeta_{h}^{a g r}$ and $\zeta_{h}^{\text {nagr }}$ represent the distributive share parameters of agricultural and non-agricultural capital incomes to households, respectively. Since the Turkish government did not take part in the VERs arrangements with the EU, the rents accrued directly to the private companies, which
then distributed them back to shareholders in the form of dividends, and therefore in proportion to $\zeta_{h}^{\text {nagr }}$.

### 14.2.3.2] Households' consumption

Since the model is static, the households' utility functions are defined only over composite commodities. The households' consumption behaviour is obtained by maximising their utility functions, subject to their disposable income after deduction of savings, which are simply measured by the product between the average propensity to save and households' disposable income. Because of lack of data on the values of the elasticity of substitution among commodities for each household group, consumers' preferences have been described simply by Cobb-Douglas utility functions. ${ }^{48}$
[4.2.4] Government revenues and expenditure

The government levies various taxes in order to finance its expenditures: a direct tax on household income; duties on imported goods; and indirect taxes on goods and services. Despite the VAT system only being introduced in Turkey in 1985, VAT has become the main component of indirect tax revenues. AGE modellers usually levy the VAT rates on wage payments, plus the return to capital net of depreciation, thus assuming a proportionate tax on the value added by the firm (income tax base definition of the VAT). ${ }^{49}$ However, by definition, VAT applies to commodities' sales net of all intermediate goods purchases (consumption tax base definition of the VAT). The consumption tax base definition of VAT is an equivalent concept of the income tax base definition only if the tax rate is uniform among commodities. However, the

[^33]effective VAT rates in Turkey are commodity specific. ${ }^{50}$ Hence, the consumption tax base definition of the indirect taxes has been employed as replacement tax to perform a revenue neutral tariif reform. A fuel consumption tax is also considered.

With regard to the apportionment of customs' revenues to Turkey, it is assumed that these revenues are distributed to the members of the EU in proportion to their imports from the RoW (Corden, 1984). Thus, the duties on RoW imports collected by Turkey continue to be considered revenues of the Turkish government after the CU agreement.

Public expenditure is simply treated as exogenous transfers to households and foreign institutions, and exogenous consumption of public goods and services in real terms. Thus, the government is a separate consuming agent; however its consumption decisions are not affected by price changes.

## [4.2.5] Savings and investment decisions

Since the purpose of the model is to measure the static effects of the preferential trade arrangements with the EU, savings and investment decisions have been treated in a simple fashion. Households' savings are a constant proportion of disposable income; foreign savings, given by the current account deficit, are set exogenously; the budget deficit is exogenously specilied as a difference between public revenues and exogenous public expenditure; capital depreciation is also assumed to be exogenous. Aggregate savings always equates aggregate investment, set exogenously in the model. Investment spending in each sector is held constant in real terms.

[^34]Two main indices are constructed to measure welfare changes in AGE literature: the equivalent variation and the compensating variation. Since they are very similar concepts, I use the Hicksian equivalent variation to study the impact of the partial trade liberalisation policy on each household income group. The welfare of urban and rural household income groups, and of the Turkish nation as a whole, is an additive aggregation of the welfare of each household income group. ${ }^{51}$

As far as the measurement of inequality is concerned, the study focuses on the inequality between urban and rural household members. The number of members within each household group varies substantially, and many of them are concentrated around the bottom and middle of the income distribution. This implies that considerable information would be lost if the income received by household income groups is used as a unit to measure inequality. ${ }^{52}$ Since the data source does not provide any additional information concerning the income redistribution among household members in each income class group, the arithmetic mean income across household members in each income class group ( $h r_{h}$ ) has been employed to examine the CU impact on the size distribution of income. However, income does not capture directly the price effect as tariffs fall. Thus, the ratio between $h r_{h}$ and the 'true' cost

[^35]of living index, $P_{h}=\Pi_{j}\left(p_{J} / \theta_{\mu h}\right)^{0 /}$ where $\theta_{\mu h}$ denotes the household budget share for good $j$, (that is, the indirect utility function) is used as a basis to measure inequality. ${ }^{53}$

A set of general entropy indices for discrete distributions ( $G E_{6}$ ) has been employed to measure inequality. Given the assumption that, within each income class group, members receive the same income, $G E_{\theta}$ can be written as:

$$
\begin{equation*}
G E_{\theta}=\frac{1}{\theta^{2}-\theta}\left[\frac{1}{K} \sum_{h=1}^{H}\left(\frac{k_{h} h r_{h} / P_{h}}{h r^{m}}\right)^{\theta}-1\right], \quad K=\sum_{h=1}^{H} k_{h}, \tag{4.11}
\end{equation*}
$$

where $k_{h}$ represents the number of household members in each household income group $h ; K$ the total number of members; $h r^{m}$ the arithmetic mean income across household members for the entire population in real terms; $H$ the number of households income groups, which is 39 (i.e. 20 urban and 19 rural household income groups); and $\theta$ an arbitrary parameter which in principle can assume any real value, although particular values generate known inequality measures as specific cases. The generalised entropy index measures the average distance between each person's real actual income and the real income he would receive in a perfectly equal society. The advantage of this is that one can derive the inequality measure directly, without postulating the existence of a social welfare function, and discussing its desired properties (Cowell, 1995). The generalised entropy index has also been chosen as an indicator of income inequality because it has three main important properties: it satisfies the strong principle of transfer, according to which the change in inequality depends only on the "distance" between individual income shares, no matter which individuals one chooses; it is additively decomposable by population subgroups; and it encompasses all other measures that are ordinally equivalent: the entire subfamily of Atkinson indices $(\theta<1)$, the Theil index $(\theta=1)$ and half of the square of the

[^36]coefficient of variation $(\theta=2){ }^{54}$ The additive decomposability property is very important for this study because one can compare the inter group income inequality among rural and urban areas and the inter group income inequalities among household members partitioned according to their geographical location. ${ }^{55}$

### 4.3. Features and properties of the benchmark

The benchmark for this study is mainly based upon the SAM for Turkey constructed for the year 1990 by the author in collaboration with Ozhan (De Santis and Ozhan, 1995). ${ }^{56}$ This SAM does not provide information regarding regional trade data disaggregation. Thus, further sources have been used, such as a recent unpublished document of the State Institute of Statistics of Turkey (SIS), which shows the Turkish trade flows with the EU for the year 1990), and a recent unpublished dissertation by Kose (1995), who reports the import duties and the Mass Housing Fund duties, both disaggregated at regional level and consistent with the aggregate data published in the official Input-Output table for Turkey (SIS, 1994).

The SAM defines the cost of labour in terms of wages and salaries in line with the official Input-Output table for Turkey. In other words, it includes only the cost of employees. This implies that sectors, such as agriculture, dominated by self-employed and unpaid family labour, would be characterised by an underestimated ratio between labour and capital. Since self-employed and unpaid family labour comprise almost $95 \%$ of the employed persons in Turkish agriculture (Bulutay, 1995), and since this might effect the computation of the impact of the CU agreement on the size and the functional distribution of income, I have calculated the total farmers' earnings in

[^37]Turkish agriculture for the year 1990, by using as a basis the average nominal wage in agriculture estimated by Bulutay for the year 1989 (Bulutay, 1995). ${ }^{57}$ According to my estimates for agriculture, the ratio between farmers' earnings and value added is $45.01 \%$, and the ratio between total labour cost and value added is $48.09 \%$. In the SAM, these two ratios are respectively equal to $7.06 \%$ and $10.13 \%$.

Table 4.1 shows a schematic representation of a SAM used for this study. Its main features are that firstly, the trade flows of Turkey are distinguished in two geographical directions: one with the EU and one with the RoW; and secondly, the rents on exports subject to the VERs are an income source of the factors of production accruing to the exporting firms. These aggregate accounts are disaggregated as follows: factor labour is disaggregated into 8 different types of labour categories; ${ }^{58}$ households are disaggregated according to their income size and to their geographical regions ( 20 rural and 19 urban households); activities and commodities are disaggregated into 20 different types and classified according to the I-O table classification. ${ }^{59}$ The accounts for imports and exports are disaggregated to model the relations with the EU and the RoW. ${ }^{60}$

Table 4.2 shows the source of income of urban and rural households, disaggregated by their income size and split in twentieth percentiles. Each income class group contains a large number of household members.

[^38]Table 4.1 Schematic representation of a SAM for Turkey 1990

|  | Factiors | Households | Govermment | Activities | Cmp-Com | $\begin{gathered} \text { Imports } \\ E U \end{gathered}$ | $\begin{aligned} & \text { Imponts } \\ & \text { RoW } \\ & \hline \end{aligned}$ | $\begin{gathered} \text { Expons } \\ E U \\ \hline \end{gathered}$ | $\begin{aligned} & \text { Exports } \\ & \text { RoW } \end{aligned}$ | Cap-Acc | Foreign Institutions | Total |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Faciors (1) |  |  |  |  |  |  |  | Rectitom <br> ver: |  |  |  | $\begin{gathered} \text { Grasy Factor } \\ \text { Ancimen } \end{gathered}$ |
| $\begin{gathered} \text { Howseholds } \\ \text { (2) } \\ \hline \end{gathered}$ | $\begin{aligned} & \text { Factor } \\ & \text { Lowns } \end{aligned}$ |  |  |  |  |  |  |  |  |  |  | Hownou |
| Government $\qquad$ |  | $\begin{aligned} & \text { Deat } \\ & \text { Tans } \end{aligned}$ |  |  |  | Inpurt Dotert | $\begin{aligned} & \text { Ixpeort } \\ & \text { Dousen } \end{aligned}$ |  |  |  |  |  |
| $\begin{gathered} \text { Activities } \\ (\text { (4) } \end{gathered}$ |  |  |  |  | $\begin{aligned} & \text { Dowerax } \\ & \text { sent } \\ & \hline \end{aligned}$ |  |  | Bears maxev | $\begin{gathered} \text { Eypors } \\ \text { mane fow } \\ \hline \end{gathered}$ |  |  | Proberinot |
| Cmp-Com (5) |  | comamon | commor |  |  |  |  |  |  | Imerner |  | Total Jacone |
| $\begin{gathered} \text { Imporst EU } \\ \text { \|6i } \\ \hline \end{gathered}$ |  |  |  |  |  |  |  |  |  |  |  | Suppity of inypris fromer |
| Impors ReW (7) $\qquad$ |  |  |  |  |  |  |  |  |  |  |  | Supply of Impors from lan Row |
| $\begin{gathered} \text { Expors EU } \\ \hline 181 \\ \hline \end{gathered}$ |  |  |  |  |  |  |  |  |  |  | Experts to be EU and retat fom VER | Supghy of Eyports wo the ED $\qquad$ |
| Exports Ro H (9) $\qquad$ |  |  |  |  |  |  |  |  |  |  | $\begin{gathered} \text { Eyparte } \\ \text { butr kow } \end{gathered}$ | Sulity of Expers 10 lhe foll |
| $\begin{gathered} C_{\text {cap-Ace }} \\ 1101 \\ \hline \end{gathered}$ |  | Smus | $\begin{aligned} & \text { Budgen } \\ & \text { Surinas } \end{aligned}$ |  |  |  |  |  |  |  | Curte Accata Defica | $\begin{array}{r} \text { Aerroner } \\ \text { spren } \\ \hline \end{array}$ |
|  |  |  |  |  |  | wituars from the ED | Nen Lrapars <br> from ofe Row |  |  |  |  | Curau Pnomestroum |
| Toual | ane Funar |  | conemena | Prountion coss | $\begin{aligned} & \text { Toase } \\ & \text { shampon } \end{aligned}$ | Epmadrurion mpons frum arsy | Epedaure on <br> Imporss frem <br> nan ROW |  |  | Atroutas <br> Inverymer | Naf Forran Exhente <br> Recergit |  |

Table 4.2 Household income in urban and rural areas (in billions of 1990 TL and \%)

| Geographical location | $\begin{aligned} & \hline \text { Income } \\ & \text { groups } \end{aligned}$ | Houschold members | Professional workers workers | Managerial workers | $\begin{aligned} & \text { Clerical } \\ & \text { workers } \end{aligned}$ | $\begin{gathered} \hline \text { Sales } \\ \text { workers } \end{gathered}$ | $\begin{aligned} & \hline \text { Service } \\ & \text { workers } \end{aligned}$ | Agricultural workers | Production workers | $\begin{aligned} & \hline \text { Other } \\ & \text { workers } \end{aligned}$ | $\begin{aligned} & \text { Agricultural } \\ & \text { Capital } \end{aligned}$ | Non-agricultural Capital |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Total income (Billions of TL) | ) 22,002 | 6,351 | 14,862 | 4,789 | 13,983 | 29,381 | 39,603 | 893 | 33,636 | 155,845 |
|  | $1 s t$ | 191,797 | 0.18 | - | 0.63 | 0.44 | 1.58 | 0.20 | 2.15 | 1.12 | 0.00 | 0.03 |
|  | ${ }^{2 n d}$ | 2,084,093 | 1.68 | 0.06 | 10.66 | 1.96 | 8.00 | 0.50 | 7.89 | 3.70 | 0.12 | 0.54 |
|  | 3 rd | 3,929,142 | 7.99 | 0.58 | 13.62 | 2.55 | 11.99 | 0.61 | 10.16 | 9.63 | 0.31 | 1.42 |
|  | 4th | 3,844,072 | 6.90 | 1.15 | 10.54 | 3.72 | 9.68 | 0.65 | 9.76 | 13.44 | 0.40 | 238 |
|  | 5th | 3,065584 | ${ }_{6}^{6.10}$ | 1.73 | 7.69 | 4.57 | 5.56 | 0.65 | 7.43 | 7.84 | 0.50 | 3.27 |
| U | ${ }^{6} 4$ | 2,368,164 | 5.54 | 2.24 | 6.04 | 3.90 | 3.50 | 0.54 | 5.67 | 10.75 | 0.49 | 3.34 |
| R | ${ }_{8}^{74}$ | 2,013,527 | 4.78 | 2.47 | 6.16 | 4.36 | 3.16 | 0.48 | 4.74 | 11.53 | 0.53 | 4.11 |
| B | ${ }^{814}$ | 1,324,046 | 4.16 | 2.52 | 4.04 | 3.51 | 2.54 | 0.48 | 3.38 | 8.96 | 0.41 | 3.78 |
| N | 9 h | 1,137946 | 3.57 | 2.47 | 3.42 | 4.61 | 1.58 | 0.33 | 2.68 | 5.94 | 0.42 | 3.60 |
|  | 10, | 795,868 | 3.65 | 2.31 | 2.17 | 3.34 | 1.20 | 0.17 | 2.01 | 5.60 | 0.17 | 2.78 |
|  | ${ }^{112}$ | 1,196,026 | 5.99 | 7.54 | 3.48 | 6.26 | 2.35 | 0.54 | 2.51 | 5.94 | 0.42 | 6.29 |
| A | 12 h | 837,296 | 5.04 | 5.09 | 2.11 | 4.76 | 2.40 | 0.50 | 1.90 | 1.90 | 0.64 | 5.35 |
| R | ${ }^{134}$ | 601.592 | 4.66 | 5.50 | 1.31 | 3.99 | 2.30 | 0.41 | 1.14 |  | 0.49 | 4.27 |
| E | 14 th | 373,861 | 4.45 | 4.61 | 0.11 | 3.28 | 0.82 | 0.39 | 1.22 | - | 0.23 | 3.43 |
| s | ${ }^{154}$ | 249945 | 3.39 | 2.03 | 0.74 | 234 | 1.49 | 0.07 | 0.55 | 1.90 | 0.14 | 2.50 |
|  | ${ }^{164}$ | 598,479 | 7.90 | 11.48 | 1.71 | 6.37 | 1.39 | 0.69 | 2.07 | . | 0.81 | 8.07 |
|  | 174 | ${ }^{193} 3939$ | ${ }^{2} 880$ | 5.78 | - | 3.34 | 0.53 | 0.15 | 0.64 | - | 0.31 | 4.11 |
|  | ${ }^{184}$ | 185,608 | 5.66 | 13.89 | - | 5.18 | 1.92 | 0.15 | 0.73 | - | 0.39 | 9.00 |
|  | 194 | ${ }^{30,698}$ | . | 11.45 | - | 1.23 | . | 0.20 | 0.41 | - | 0.19 | 3.12 |
|  | ${ }^{20 \mathrm{H}}$ | 10,733 25031840 | S4 | 2.00 | - | 0.75 | - | 78 | - | 2 |  | 1.95 |
|  | Sub-Total | 25,031,840 | 84.43 | 84.90 | 74.42 | 70.47 | 61.98 | 7.70 | 67.05 | 88.24 | 6.98 | 73.32 |
|  | 1 st | 891.853 | 0.30 | 0.03 | 0.28 | 0.29 | 1.44 | 1.78 | 1.60 | 0.34 | 0.53 | 0.07 |
|  | 2nd | 2,927,443 | 1.45 <br> 83 | 0.09 | 3.42 <br> 4.4 <br> 1 | ${ }^{0.63}$ | ${ }^{6.38}$ | 5.42 | 4.39 | 1.12 | 290 | 0.56 |
|  | 3 rd | 4,289,044 | ${ }^{2.83}$ | 0.88 | 4.39 | 1.90 | 7.09 | 7.09 | 5.70 | 0.34 | 5.01 | 1.70 |
|  | $4{ }^{4}$ | 4,195913 | 2.89 | ${ }^{0.888}$ | ${ }^{6.16}$ | ${ }^{2.63}$ | 5.85 | 8.71 | 4.69 | - | 7.69 | 2.03 |
|  | Sth | 3,444,371 | 2.33 | 0.94 | 3.42 | 3.38 | 6.52 | 8.45 | 3.28 | 3.70 | 8.48 | 2.27 |
| $\mathrm{U}_{\mathbf{R}}$ | ${ }_{7}^{64}$ | 2,469,112 | 1.03 | ${ }^{0.71}$ | 3.88 | 1.59 | 3.98 | 7.07 | 3.26 | 1.46 | 8.26 | 1.75 |
| U | 74 | 1.950.201 | 0.85 | 1.43 | 1.14 | 1.27 | 1.29 | 6.72 | 3.21 | , | 8.00 | 1.48 |
| R | ${ }^{\text {84h }}$ | ${ }_{1}^{1,508911}$ | 0.47 | 0.71 | 1.25 | 1.00 | 0.62 | 754 | 1.36 | - | 6.93 | 1.77 |
| A | 9 ht | 1,306,443 | 0.30 | 0.94 | 0.40 | 2.09 | 0.34 | 6.61 | 1.51 | - | 6.78 | 1.45 |
| L | ${ }^{104}$ | ${ }^{867,520}$ | 0.15 | 0.27 | 1.08 | 0.96 | 0.29 | 2.69 | 0.67 | - | 5.04 | 0.68 |
|  | 114 | 1,512.805 | 0.20 | 1.09 | 0.17 | 1.34 | 1.54 | 9.45 | 1.43 | 1.12 | 11.00 | 2.01 |
| ${ }^{\text {A }}$ | ${ }^{12 \mathrm{th}}$ | 764,382 | ${ }^{0.26}$ | 0.79 | - | 1.84 | 1.82 | 5.72 | 0.52 | 3.70 | 6.25 | 1.43 |
| R | 134 | 448.989 | 0.30 | 0.27 | - | 2.23 | 0.62 | 2.51 | 0.29 |  | 2.75 | 1.35 |
| E | ${ }^{144}$ | 358,242 | ${ }^{0.71}$ | 1.70 | - | 2.21 | . | 0.87 | 0.46 | - | 2.58 | 1.92 |
| A | 15th | 216,019 | 0.35 | 0.50 | - | 1.55 | - | 1.08 | 0.32 | - | 1.55 | 0.85 |
| s | ${ }^{16 \mathrm{ch}}$ | 3388.024 | 1.15 | 0.91 | - | 2.28 | 0.24 | 1.89 | 0.28 | . | 2.74 | 2.09 |
|  | 174 | 175,218 150188 | - | 2.20 | - | 1.42 |  | 3.69 |  | . | 4.18 | 1.28 |
|  | ${ }^{184}$ | 150,188 | - | 0.74 | - | 0.92 | - | 4.29 | - | . | 2.32 | 1.53 |
|  | 19h | 7.380 | - 5 | - | 5 | - | . | 0.72 | . | - | 0.05 | 0.47 |
|  | Sub - Total | 27,822,058 | 15.57 | 15.10 | 25.58 | 29.53 | 38.02 | 92.30 | 32.95 | 11.76 | 93.02 | 26.68 |

In aggregate, the geographical subgroups are composed of about 25 million urban household members and almost 28 million rural household members. It is evident that much of the urban and rural population is concentrated in the bottom-middle of the income distribution. In fact, $87.7 \%$ of urban household members (almost 22 millions) and $91.2 \%$ or rural household members (almost 25 millions) earn an income level below the eleventh percentile. In addition, $69.8 \%$ of labour income and $55.2 \%$ of capital income is allocated among urban household members, which represent only $47.4 \%$ of the population. This implies that intra group income inequality as well as inter group income inequality are important features of Turkey. It is also interesting to note, for the subsequent numerical analysis on income inequality, that the main income source of rural households is agricultural labour and capital incomes. A contraction (expansion) in agriculture would imply a fall (rise) in rural welfare and a rise (fall) in inter group income inequality.

Table 4.3 shows the ad valorem effective indirect tax rates on goods and services, the ad valorem effective duties levied on foreign imports, the quota premium and the European common external tariff. It is evident that the sectors which are much more protected by an effective tariff are beverages and tobacco, wearing apparel, footwear, wood and wood products, petroleum and coal products, non metallic mineral products and transport equipment. One might expect that these sectors are those which would be much more affected by the CU with the EU. The ad valorem effective net indirect tax rates ( $t_{j}$ ) have been derived from De Santis and Ozhan (1995). The duties levied by the EU on Turkish commodities and the European common external tariff are published by the Commission of the European Communities on an annual base (CEC, 1990). The duties levied by the EU on Turkish goods are zero. Since the EU imports a large number of differentiated commodities from nonmember countries, which are subject to a large range of different duties, the mode has been employed in this study as the average European common external tariff (cet ${ }^{\text {Row }}$ ).

Table 4.3 Indirect tax rate, tariff, quota premium, and common external tariff (\%)

| SECTORS | $t_{j}$ | $t m_{j}^{\mathrm{EU}}$ | $t m_{j}^{\text {Row }}$ | $\underline{9 r}{ }_{J}^{E U}$ | cet ${ }_{j}^{\text {Row }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Agriculture | 0.3 | 18.3 | 17.9 | 0.0 | 12.0 |
| Mining | 17.1 | 1.0 | 0.9 | 0.0 | 2.4 |
| Food processed products | 1.0 | 14.8 | 14.2 | 0.0 | 12.0 |
| Beverages and tobacco | 0.8 | 145.0 | 91.9 | 0.0 | 24.0 |
| Textiles | 8.4 | 14.5 | 16.5 | 5.0 | 9.0 |
| Wearing apparel | 4.0 | 61.2 | 0.7 | 15.0 | 13.0 |
| Leather and fur products | 12.4 | 4.3 | 3.2 | 0.0 | 3.1 |
| Footwear | 4.0 | 166.6 | 32.3 | 0.0 | 11.7 |
| Wood and wood products | 6.7 | 19.1 | 67.9 | 0.0 | 5.7 |
| Chemical products | 1.1 | 21.9 | 35.0 | 0.0 | 7.3 |
| Petroleum and coal products | 32.8 | 112.1 | 94.6 | 0.0 | 3.1 |
| Non-metallic mineral products | 7.6 | 35.8 | 56.1 | 0.0 | 5.2 |
| Metal products | 18.9 | 9.6 | 2.9 | 0.0 | 5.1 |
| Machinery | 2.1 | 17.4 | 29.8 | 0.0 | 5.0 |
| Transport equipment | 2.6 | 34.2 | 40.6 | 0.0 | 7.0 |
| Electricity, gas and waterworks | 0.5 | 0.0 | 14.3 | 0.0 | 0.0 |
| Construction | 2.7 | . | . | . | . |
| Trade, restaurants and hotels | 0.6 | - | - | - | - |
| Transport and communication | 3.5 | - | - | - | - |
| Other services | 11.8 | - | - | - | - |

With regard to the quota restriction on Turkish textiles and wearing apparel exports to the EU, the exogenous increase on the export price of these goods, used by Harrison, et al. (1997), is assumed to be the ad valorem quota premium on VERs ( $q r_{j}^{E V}$ ).

It is important to note for the subsequent analysis on welfare that the European common external tariff rates are lower than the tariff rates levied on Turkish imports from the RoW, with the only exemption of mining, wearing apparel and metal products. This implies that the CU should not be trade diverting.

With regard to the elasticity values, the factor substitution elasticities, the Armington trade elasticities, and the elasticities of transformation have been selected from Harrison, et al. (1992), and some of them have been adjusted for differences in sectoral aggregation (see Table 2.2). In addition, because of the lack of data, the elasticities of substitution among skilled and unskilled labour categories are assumed to be equal to 2 and 5, respectively.

With regard to the calibration of all other parameter values, such as initial prices, direct tax rates on household income, marginal propensities to save, factor income distribution shares, shift and share parameters of different functional forms, the standard techniques widely used in AGE literature are employed (Mansur and Whalley, 1984). ${ }^{61}$

### 4.4. The revenue-neutral tariff reform scenarios

The preferential trading arrangement between Turkey and the EU is a regional economic integration agreement, signed in respect of the GATT's rules, according to which the member countries remove tariffs and quotas on mining and manufacturing commoditics which circulate within the CU, and apply a common external tariff on these commodities from outside the CU . As a result, nominal protection rates on goods subject to the European CAP (that is, agricultural and food processed commodities) remain unchanged.

The indirect tax rate has been used as a policy instrument manocuvrable by policy-makers to perform a revenue-neutral tariff reform. This experiment has been carried out under two different assumptions: firstly, real wages are assumed to be rigid (with the exception of farmers' wages), which implies that the effects of trade are

[^39]manifested in changes in employment; and, secondly, real wages are assumed to be flexible and full employment is maintained.

Tables 4.4-4.6 report the economic impact of policy scenarios upon sectoral output, value added, and trade flows in Turkey. Tables 4.7-4.9 show the consequences on welfare and the distribution of income among Turkish urban and rural households. Finally, Table 4.10 shows the impact on Turkish employment.

Table 4.4 The impact on output and exports $($ Base year $=10)$ )

|  | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sectors | Output | Exports EU | Exports RoW | Output | Expors $E U$ | Exports Row |
| Agriculture | 97.8 | 84.6 | 84.6 | 102.6 | 110.1 | 110.1 |
| Mining | 99.7 | 126.6 | 126.6 | 99.1 | 128.3 | 128.3 |
| Food processed products | 103.6 | 110.4 | 110.4 | 103.6 | 109.9 | 109.9 |
| Beverages and tobacco | 107.0 | 154.1 | 154.1 | 105.3 | 150.7 | 150.7 |
| Textiles | 115.0 | 148.2 | 116.1 | 98.8 | 102.6 | 80.4 |
| Wearing apparel | 94.3 | 108.7 | 54.0 | 121.5 | 162.7 | 80.9 |
| Leather and fur products | 138.1 | 222.3 | 222.3 | 175.6 | 317.2 | 317.2 |
| Footwear | 107.8 | 186.1 | 186.1 | 106.2 | 182.2 | 182.1 |
| Wood and wood products | 101.0 | 137.1 | 137.1 | 99.2 | 130.5 | 130.5 |
| Chemical products | 103.3 | 136.4 | 136.4 | 105.8 | 146.1 | 146.1 |
| Petroleum and coal products | 89.3 | 44.4 | 44.4 | 88.3 | 41.7 | 41.7 |
| Non-metallic mineral products | 103.9 | 146.1 | 146.1 | 101.8 | 135.2 | 135.2 |
| Metal products | 108.8 | 129.0 | 129.0 | 107.7 | 126.4 | 126.4 |
| Machinery | 101.3 | 122.5 | 122.5 | 100.6 | 121.4 | 121.4 |
| Transport equipment | 101.6 | 149.2 | 149.2 | 100.8 | 148.3 | 148.3 |
| electricity gas | 99.2 | 55.9 | 55.9 | 96.6 | 48.9 | 48.9 |
| Construction | 100.0 | 5 | 5 | 100.0 | - | - |
| Trade, restaurants and hotels | 100.2 | 98.1 | 98.1 | 97.3 | 89.2 | 89.2 |
| Transport and communication | 101.2 | 104.2 | 104.2 | 100.3 | 103.3 | 103.3 |
| Other services | 99.1 | 96.2 | 96.2 | 97.4 | 90.5 | 90.5 |
| Leysperes Quantity Index | 101.7 | 116.6 | 108.4 | 100.7 | 114.2 | 109.1 |

It is evident from Table 4.4 that the partial trade liberalisation policy favours a positive re-allocation of resources in Turkey: aggregate output, measured by the Leysperes quantity index, increases by $0.7 \%-1.7 \%$. The major growing sectors are food processed products, beverages and tobacco, textiles (in the scenario with fixed wages), apparel (in the scenario with flexible wages), leather and fur products, footwear, chemical and non-metallic mineral products. These are the sectors where Turkey faces a comparative advantage and is in a position to compete with foreign countries, in particular with the European member states. ${ }^{62}$ Despite the elimination of the VER in textiles towards the EU market, this sector might contract (i.e. scenario with flexible wages), if it is easy to switch sales from markets which are not constrained from VERs; and this has been postulated in this model by assuming a large elasticity of transformation among goods exported towards the EU and the RoW. In contrast, apparel rises in the flexible wages case, and contracts in the fixed wage case. The explanation used for textiles is also valid for apparel. However, apparel exports towards the previously restricted EU market expand to the detriment of exports to non EU countries for two further reasons: firstly, the European common external tariff rate in apparel is larger than the tariff rate levied on Turkish apparel imports from the non member states; and secondly, the domestic demand in apparel is now satisfied by a large increase of apparel imports from the EU, which were previously protected by a huge effective tariff. The commodities which are favoured by the trade policy are industrial products to the detriment of services. Agriculture might contract as it is still heavily protected. ${ }^{63}$ In fact, the value added in industry increases by $4.1 \%-5.4 \%$; whilst the value added in agriculture increases by $2.5 \%$ in the scenario with flexible wages, but decreases by $5.4 \%$ in the scenario with fixed wages (see Table 4.5). In aggregate,

[^40]GDP rises by $0.5 \%-0.9 \%$ in real terms. Hence, as a first finding, despite the aggregate impact on GDP being modest, the value added breakdown clearly shows that resources are reallocated favouring a remarkable expansion of the Turkish industrial sectors.

Table 4.5 The impact on the value added (Base year $=100$ )

|  | Fixed wages | Flexible wages |
| :--- | :---: | :---: |
| GDP in real terms | 100.9 | 100.5 |
| - Agriculture | 94.6 | 102.5 |
| - Industry | 105.4 | 104.1 |
| - Services | 99.1 | 96.8 |

Table 4.6 reports the impact on trade flows. The partial trade liberalisation policy in favour of the EU increases the trade budget deficit with the EU by $5.1 \%$ $38 \%$, and raises the aggregate trade volume with respect to the GDP by almost $10 \%$. The impact of the CU on the import volume from the EU and the RoW is an indicator of the Vinerian trade creation and trade diversion effects. The volume of imports from both regions rises, and this implies that the CU agreement is not trade diverting. The latter outcome is due to the fact that Turkish tariffs levied on goods imported from non-member states are bigger than the European common external tariffs in most commodities (see Table 4.3).

Table 4.6 The impact on the trade flows $($ Base year $=100)$

|  |  |  |
| :--- | :---: | :---: |
|  | Fixed wages | Flexible wages |
| Trade balance deficit | 100.0 | 100.0 |
| Trade balance deficit with the EU | 105.1 | 138.0 |
| Trade balance deficit with the RoW | 99.5 | 95.9 |
| Trade volume/GDP | 110.2 | 109.7 |
| Volume of exports |  |  |
| Volume of exports to the EU | 113.0 | 111.9 |
| Volume of exports to the RoW | 116.6 | 114.2 |
|  | 108.4 | 109.1 |
| Volume of imports | 109.8 |  |
| Volume of imports from the EU | 116.0 | 109.0 |
| Volume of imports from the RoW | 104.8 | 115.5 |
|  |  | 103.8 |
| Volume of exports in agriculture | 84.6 | 110.1 |
| Volume of exports in industry | 125.8 | 125.1 |
| Volume of exports in services | 101.1 | 96.8 |
| Volume of imports in agriculture | 108.7 | 97.3 |
| Volume of impors in industry | 110.5 | 110.0 |
| Volume of imports in services | 100.1 | 100.7 |

Also the volume of exports is positively affected by the trade policy rising by $11.9 \%$ 13\%. In particular, industrial exports increase by almost $25 \%$, especially toward the EU, thanks to the elimination of VERs in textiles and wearing apparel. So, in summary, Tables 4.4-4.6 indicate that the regional agreement with the EU leads to an enormous re-allocation of resources in favour of manufacturing industries, expands trade volume and is not trade diverting.

Table 4.7 The impact on welfare

| Region | Income class | Fixed wages |  | Flexible wages |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Billions of 1990 TL | Base year 100 | Billions of 1990 TL | $\begin{gathered} \text { Base year } \\ 100 \end{gathered}$ |
|  | 1st group | 16.3 | 101.3 | 2.8 | 100.2 |
|  | 2nd group | 215.5 | 102.9 | 103.0 | 101.4 |
|  | 3 rd group | 180.5 | 101.4 | -0.2 | 100.0 |
|  | 4th group | 185.8 | 101.4 | - 33.0 | 99.8 |
| U | 5 th group | 166.3 | 101.3 | - 66.6 | 99.5 |
| r | 6th group | 145.0 | 101.2 | - 79.0 | 99.3 |
| $b$ | 7th group | 114.2 | 100.9 | - 142.5 | 98.8 |
| a | 8th group | 61.7 | 100.6 | -163.3 | 98.4 |
| $n$ | 9 th group | 106.0 | 101.1 | - 107.8 | 98.8 |
|  | 10th group | 84.5 | 101.1 | -91.9 | 98.8 |
| E | 11th group | 111.8 | 100.7 | - 278.8 | 98.1 |
| r | 12th group | 127.7 | 101.0 | - 176.1 | 98.6 |
| o | 13th group | 13.2 | 100.1 | - 242.6 | 97.5 |
| u | 14th group | 38.1 | 100.5 | - 187.9 | 97.6 |
| p | 15th group | 33.1 | 100.6 | - 132.9 | 97.7 |
| s | 16th group | 189.2 | 101.1 | - 317.3 | 98.2 |
|  | 17th group | 161.7 | 101.9 | -95.7 | 98.9 |
|  | 18th group | 635.7 | 103.6 | 24.1 | 100.1 |
|  | 19th group | 31.4 | 100.5 | - 155.7 | 97.4 |
|  | 20th group | 141.7 | 104.4 | 6.2 | 100.2 |
|  | Urban Areas | 2759.3 | 101.4 | - 2135.2 | 99.1 |
|  | 1 st group | 3.2 | 100.2 | 31.6 | 102.1 |
|  | 2nd group | - 1.8 | 100.0 | 127.7 | 102.0 |
|  | 3rd group | 58.1 | 100.5 | 222.6 | 102.1 |
|  | 4th group | 29.7 | 100.2 | 311.2 | 102.4 |
| R | 5th group | - 32.1 | 99.8 | 285.2 | 102.2 |
| u | 6th group | - 22.7 | 99.8 | 302.2 | 102.7 |
| r | 7th group | - 4.0 | 100.0 | 301.0 | 103.1 |
| , | 8 th group | - 38.1 | 99.5 | 232.7 | 102.8 |
| 1 | 9th group | - 58.8 | 99.2 | 214.6 | 102.8 |
|  | 10th group | - 38.7 | 99.2 | 162.0 | 103.4 |
| ! | 11 th group | - 113.0 | 99.0 | 346.1 | 103.1 |
| r | 12th group | -43.8 | 99.4 | 206.9 | 102.9 |
| - | 13 th group | 31.3 | 100.7 | 102.0 | 102.4 |
| u | 14ih group | 76.0 | 101.5 | 98.5 | 101.9 |
| $p$ | 15 th group | 25.5 | 101.0 | 60.5 | 102.3 |
| s | 16 th group | 38.6 | 100.6 | 98.6 | 101.6 |
|  | 17th group | 16.0 | 100.3 | 168.1 | 103.5 |
|  | 18th group | 50.8 | 101.1 | 97.3 | 102.0 |
|  | 19th group | 14.8 | 101.9 | . 7.3 | 99.1 |
|  | Rural Areas | -9.1 | 100.0 | 3361.4 | 102.5 |
|  | Turkey | 2750.3 | 100.8 | 1226.3 | 100.4 |

Table 4.7 reports the Hicksian equivalent variation for urban and rural household income groups and the aggregate measures of welfare. The positive sign indicates an improvement for the household in question. The Hicksian equivalent variation indices are measured as a percentage of household income. It is clear that as a consequence of the CU agreement, aggregate welfare for the nation as a whole rises, supporting the view that the preferential trading agreement with the EU is not trade diverting. In aggregate, the static welfare gains in Turkey are modest, as are typically found in most of AGE models with perfect competition and constant returns to scale, dealing with trade liberalisation issues. As a percentage of household income, they range between $0.4 \%$ in the case of flexible wages and $0.8 \%$ in the case of fixed wages. Namely, they range between 1226 and 2750 billions of 1990 Turkish lira (470-1054 million US dollars). ${ }^{64}$

The results on welfare become more interesting when the welfare impact is decomposed among urban and rural household income groups. In the scenario with flexible wages, the urban household groups suffer an aggregate welfare loss of 2135 billions of 1990 Turkish lira, whereas rural households gain 3361 billions of 1990 Turkish lira. The opposite outcome is obtained in the scenario with fixed wages. However, in this case, rural household groups suffer a negligible welfare loss in aggregate. In summary, although the preferential trading agreement with the EU is not trade diverting, the welfare effects vary across the household groups, and according to the assumptions postulated for the labour market; the CU is potentially Pareto superior; and the welfare gains would be larger, and would benefit a greater number of household groups, if policy-makers encourage institutions to bargain a wage rate such that the real wages remain constant.

The impact on the size distribution of income, and the impact on the functional distribution of income, are shown in Tables 4.8 and 4.9. The first important finding is

[^41]that the impact on overall inequality decreases in the full employment case in line with the Stolper-Samuelson theorem, but increases in the scenario with fixed wages. The second striking result is that that main source of inequality worsening (improving) is a large negative (positive) impact on the inter-group inequality among urban and rural household groups. It rises (decreases) by $6.5 \%-7.5 \%(10.3 \%-17.7 \%)$. These two different outcomes depend upon the performance of agricultural activities. In the scenario with fixed (flexible) wages, agriculture contracts (expands), thus reducing (increasing) agricultural capital and labour incomes (see Table 4.9), which are the main components of the private income in rural areas (see Table 4.2).

Table 4.8 The impact on the size distribution of income (Base year $=1(0)$ )

|  |  |  |  |
| :---: | :---: | :---: | :---: |
| Gencralised <br> Entropy Index | Inequality | Fixed wages | Flexible wages |
|  |  |  |  |
| -1 | Overall inequality | 100.5 | 98.0 |
|  | Within urban areas | 99.9 | 98.2 |
|  | Within rural areas | 99.7 | 100.7 |
|  | Between rural-urban areas | 107.5 | 82.3 |
|  | Overall inequality | 100.7 | 98.2 |
|  | Within urban areas | 100.3 | 98.8 |
|  | Within rural areas | 100.1 | 100.4 |
|  | Between rural-urban areas | 107.4 | 82.5 |
|  | Overall inequality | 101.5 | 98.2 |
|  | Within urban areas | 101.0 | 99.5 |
|  | Within rural areas | 100.7 | 99.9 |
|  | Between rural urban areas | 106.5 | 89.7 |
|  | Overall inequality | 103.6 | 97.8 |
|  | Within urban areas | 102.7 | 100.4 |
|  | Within rural areas | 101.7 | 98.8 |
|  | Between rural-urban areas | 107.3 | 82.7 |

It is important to emphasise the robustness of these results, which are independent of the choice upon the parameter $\theta$ used to estimate the generalised entropy indices. It must be stressed that measures with positive value of $\theta$ are particular sensitive to income differences at the top end of the income distribution, whilst measures with negative value of $\theta$ are more sensitive to very low income. This explains why the inequality within groups varies with $\theta$.

Table 4.9 The impact on the functional distribution of income (Base year =100)

|  |  |  |
| :--- | :---: | :---: |
|  | Fixed wages | Flexible wages |
| A -Capital income |  |  |
| - Agricultural income | 100.7 | 99.1 |
| - Non-agricultural income | 97.2 | 103.7 |
| B - Labour income | 101.5 | 98.1 |
| B.1 - Skilled labour income | 100.4 | 99.9 |
| - Professional workers | 100.6 | 98.2 |
| - Managerial workers | 100.3 | 97.9 |
| - Clerical workers | 101.5 | 99.0 |
| B.2 - Basic skilled labour income | 100.6 | 98.2 |
| - Sales workers | 101.8 | 99.5 |
| - Service workers | 101.2 | 98.5 |
| - Non agricultural workers | 100.2 | 99.0 |
| - Other workers | 102.4 | 99.7 |
| B.3 - No-skilled labour income | 102.1 | 99.4 |
| - Agricultural workers | 97.4 | 103.2 |
| Basic skilled / Skilled labour income | 97.4 | 103.2 |
| No-skilled/Skilled labour income | 101.2 | 101.3 |
| Basic skilled labour/ Capital income | 96.8 | 105.2 |
| No-skilled labour / Capilal income | 101.1 | 100.4 |

When the analysis on the income distribution effect is carried out by examining the impact on the functional distribution of income, the results clearly indicate that in the scenario with flexible wages, the four ratios between (i) basic skilled and skilled labour incomes, (ii) no-skilled and skilled labour incomes, (iii) basic skilled labour and capital incomes, (iv) no-skilled labour and capital incomes, increase in line with the Stolper-Samuelson theorem, thus favouring a more equal distribution of income (see Table 4.9). In contrast, in the scenario with fixed wages, agricultural workers are worse off, thus leading to a rise in inequality. From the policy making point of view, it is very important to know what the effects of trade policies on income distribution are. The computed data for Turkey indicate that, despite the validity of the StolperSamuelson theorem, overall income inequality might increase with trade. As a result, the analysis of the trade impact on income distribution based on simplified two-sector, two-factors models, which define household groups according to their functional role, and under the assumption of full employment, might be misleading.

Table 4.10 reports the results concerning the impact of the CU agreement on Turkish employment, when real wages are constant. The only exception is the treatment of the agricultural category. Since agriculture in Turkey is a family-based activity, it is assumed that any effect of the trade policy is perceived on wages. The rigid real wages lead to an expansion of the aggregate labour demand by $1 \%$, which implies that almost 148000 new jobs are created, as a consequence of the CU agreement. In the rigid real wage case, efficiency gains are not absorbed by wage increases but rather by employment creation. ${ }^{65}$ It is interesting to note that, as a consequence of the trade policy, $75 \%$ of new jobs concern basic skilled nonagricultural workers, who are demanded by the growing manufacturing industries.

[^42]Table 4.10 The impact on employment

|  | Relative change <br> (Base year = 100) | Number of new <br> workers | Share |
| :--- | :---: | :---: | :---: |
| Labour Input | 101.0 | 147505 | 1.000 |
| - Professional workers | 100.3 | 2827 | 0.019 |
| - Managerial workers | 101.5 | 4901 | 0.033 |
| - Clerical workers | 100.6 | 5255 | 0.036 |
| - Sales workers | 101.2 | 18606 | 0.126 |
| - Service workers | 100.2 | 3050 | 0.021 |
| - Agricultural workers | 100.0 | 0 | 0.000 |
| - Non agricultural workers | 102.4 | 110251 | 0.747 |
| - Other workers | 102.1 | 2615 | 0.018 |

This finding is in line with the Krugman (1995) model if applied to a developing country, and with Wood's results, according to which the cumulative demand for labour in manufacturing from 1985 to 1990 is increased by about 23 million in developing countries (Wood, 1994).

It is important to stress that, given the ex-ante large tariff rates (see Table 4.3), these results are obtained if the VAT rates used to perform a revenue-neutral tariff reform are uniformly increased by $55.8 \%$ in the case of fixed real wages, and by $57.6 \%$ in the case of flexible real wages. In other words, the standard VAT rate should rise from $12 \%$ (the prevailing rate in Turkey in 1990) to $18.7 \%-18.9 \%$, which is reasonably close to the standard VAT rate applied in most of the European member states.

To evaluate the robustness of the above results, sensitivity analysis on the elasticity values has been carried out. All elasticities employed in this study have been divided by a factor of two in order to simulate the effects of the CU on a more rigid
economy, and multiplied by a factor of two in order to consider the case of a more flexible economy. The results reported in Appendix 4.D clearly show that the direction of the variable changes is robust, however their precise size depends upon the value of the elasticities. Some variation in the individual sectoral impact also exists. In the case of flexible wages, Turkey's welfare gains range between 75 (less flexible economy) and 4124 (more flexible economy) billions of 1990 Turkish lira, and the change in income inequality between rural and urban groups measured by the Theil index $(\theta=1)$ ranges between $-8.5 \%$ (less flexible economy) and $0.6 \%$ (more flexible economy). In the case of fixed real wages, Turkey's welfare gains range between 1406 (less flexible economy) and 8433 (more flexible economy) billions of 1990 Turkish lira, and the change in inequality between groups ranges between $7.9 \%$ (less flexible economy) and $15.3 \%$ (more flexible economy). The impact on employment ranges between 86000 (less flexible economy) and 432000 (more flexible economy) new jobs. Similar gaps exist for all other statistics estimated in the previous tables.

In conclusion, the numerical results suggest that the CU agreement is not trade diverting; it raises welfare, output, GDP and trade volume in Turkey. Despite the higher demand of basic skilled labour, in line with the Stolper-Samuelson model, this trade agreement causes an increase in overall income inequality in the scenario with fixed wages, mainly due to the rising gap between rural and urban incomes as a consequence of the contraction of the agricultural sector still heavily protected by trade barriers. In addition, it seems that this trade policy, accompanied by a fixed real wage policy allowing the creation of new jobs, raises Turkey's welfare, GDP, and output greater than in the case of flexible wages.

## [4.5] Conclusions

The aim of this study is to analyse the impact of the CU agreement between Turkey and the EU on the welfare and the size distribution of income among urban and rural Turkish households; and on Turkey's employment, sectoral output, GDP and trade flows. In order to examine the impact of the CU upon employment in Turkey, two main cases have been considered for the labour market: the standard case of flexible real wages with full employment, and the case of fixed real wages.

The numerical simulations show that the CU agreement with the EU is not trade diverting, raises the trade volume-GDP ratio and that resources are reallocated towards the industrial sector, which expands by $4.1 \%-5.4 \%$. With regard to welfare, although aggregate gains are equal to 1226-2750 billions of 1990 Turkish lira, the impact on urban and rural households' welfare highly depends upon the assumption postulated for the labour market. In the scenario with fixed wages, urban households are better off and rural households are worse off; in the scenario with flexible wages, urban household are worse off and rural households are better off. However, in the fixed wage case, a large welfare gain in urban areas is accompanied by a negligible welfare loss among rural households.

The second important result is related to the issue of international trade and income inequality. Despite the owners of basic skilled labour being better off than both the owners of skilled labour and the owners of capital, in line with the StolperSamuelson theorem (as Turkey is a middle income developing country and, therefore, abundant of the basic skilled labour factor), overall income inequality measured by the size distribution of income might rise. In the scenario with fixed wages, the main source of income inequality is the inter-income inequality between urban and rural areas, which rises by almost 7\%, due to an output fall in agriculture, a sector still protected and the principal income source of rural households. This result suggests that theoretical and applied analysis of trade impact on the distribution of income,
carried out only with models which define household groups according to their functional role and under the full employment assumption, might be misleading.

As far as the issue of international trade and employment is concerned, if real wages are rigid, the preferential trading agreement with the EU leads to a rise in employment, as one would expect from the Krugman model applied to a developing country. The efficiency gains with trade, not being absorbed by a wage increase, generate the creation of $14800(0)$ new jobs ( 432000$)$ in the case of a more flexible economy), mainly basic skilled non-agricultural workers.

Finally, the welfare gains and the incremental GDP would be larger, if policymakers encourage institutions to bargain a wage rate, such that real wages remain constant. The sensitivity analysis on elasticities values confirm the overall conclusion that the preferential trading agreement with the EU, accompanied by a fixed real wage policy, creates new jobs in Turkey, raises Turkey's welfare, output and GDP far greater than in the case of flexible wages, but also increases income inequality.

## CHAPTER 5

## Summary and Concluding Remarks

Three trade policy issues have been examined in this thesis: export quotas in the form of VERs, endogenous export taxation and customs union. The CU between Turkey and the EU has been studied, applying a multi-labour, multi-household, multi-sector general equilibrium model with constant returns to scale and perfect competition to the Turkish economy; whereas export taxes and VERs have been analysed firstly, with an analytical model facing increasing returns to scale and imperfect competition, and secondly, with an AGE model applied to Turkey in order to examine the quantitative relevance of the analytical findings.

With regard to VERs, this study analytically shows that a VER serves as an institution to protect incumbent firms of an exporting country. A VER is an entry barrier in the export market. It favours the concentration of industry, and allows established firms to better exploit economies of scale by producing output at lower average cost. Since the break-even price for potential firms is the average cost, entry in the domestic market is also inhibited. A VER also allows the raising of the price cost margin in the export market. However, it is important to recognise that the smaller the country, the greater is the possibility of a larger monopoly power in the domestic market. From the social point of view, two conventional effects from the elimination of a VER are usually considered: the rent loss effect and the export supply price effect.

In this study, three further effects on welfare are examined: the global efficiency effect, the increased intermediate inputs cost effect and the variety effect. The global effect on welfare on an exporting country is analytically indeterminate. A general equilibrium model applied to Turkey supports the conjecture that with the elimination of a VER, a possible loss in social welfare, the higher average cost and the fall of monopoly power of incumbent firms, are the key elements in understanding the rationale behind VERs.

As far as the export tax issue is concerned, Rodrik (1989), Helpman and Krugman (1989) employ a PE framework to show that under Coumot conjectures an optimal export tax is positive and negatively related to both the foreign demand elasticity (in absolute value) and industry concentration. I show that the PE formula is upwardly biased and may not be optimal in a GE setting. In addition, I show that the RHK export tax has an ambiguous impact on firm size. I use an AGE model for the Turkish economy to numerically explore the empirical relevance of these findings. In the model, the export tax estimated with the PE formula is larger than the computed export tax by a small factor ranging between 1.034 and 1.112 . Most importantly, the numerical results support the view that the RHK export tax leads to a social welfare loss, which is larger in a context of sunk costs.

The numerical results regarding the CU agreement between Turkey and the EU show that, as a result of this regional agreement, Turkish trade with the RoW would not be diverted, and that the aggregate welfare gains to Turkey are around 1226-2750 billions of 1990 Turkish lira. Most importantly, urban (rural) Turkish groups benefit from the trade policy in the scenario with fixed (flexible) wages, and this substantially raises (decrease) income inequality between urban and rural household members. Despite the owners of basic skilled labour (abundant factor) being better off than the owners of skilled labour and capital (scarce factors), overall income inequality rises in the scenario with fixed wages, as the returns to capital and labour in agriculture fall. This finding suggests that an analysis only based on the functional distribution of
income and under the typical full employment assumption might be misleading. In the case of fixed real wages, the model predicts the creation of 148000 new jobs, as the efficiency gains due to the trade policy are not absorbed by a wage rise but rather by employment creation. Sensitivity analysis seems to support this overall conclusion.

The results from all three studies inevitably have some limitations and provide insights for future research. In fact, the numerical model employed to study the CU agreement between Turkey and the EU can be extended by introducing imperfect competition and increasing returns to scale. These modelling features might substantially affect the numerical results described in Chapter 4, especially with regard to the welfare impact of VERs described in Chapter 2. However, an AGE model, with imperfect competition and increasing returns to scale, which has the target of quantifying regional agreements, needs reliable data to calibrate variables and parameters of several imperfect competitive industries, and these are not yet available for the Turkish economy. This research might be extended by examining export taxes and quotas issues in a multi-regional framework, in order to allow the number of foreign firms to be treated endogenously and other countries to retaliate if they are worse off as a consequence of the trade policy adopted by the exporting country. In addition, one key assumption of Chapter 2 is represented by the fact that govermments do not intervene in allocating export quota. An interesting extension might be the study of the economic implications of the elimination of VERs, when quota rents are allocated by governments, and firms are obliged to pay a premium in order to receive the documents for deliveries to the restrained markets.

Appendices

## Appendix 2.A: Price elasticities in Bertrand and Cournot

## [2.A.I] Derivation of firms' perceived elasticity of domestic demand

An industry $i$ faces an aggregate demand function which is represented by (2.7). If domestic goods are produced by symmetric firms, they can be treated as imperfect substitutes. Thus, the aggregate domestic demand at the third stage of the demand tree can be written as

$$
\begin{equation*}
D_{i}=\left[\sum_{s=1}^{n} \tilde{\beta}_{i s} \tilde{d}_{i s}^{\left(s_{i}-1\right) / s_{i}}\right]^{s_{i} /\left(s_{i}-1\right)} \tag{2.A1}
\end{equation*}
$$

$$
\zeta_{i}>1, \quad \sum_{s=1}^{n} \tilde{\boldsymbol{\beta}}_{i s}=1
$$

where $\zeta_{i}$, is the elasticity of substitution among $n$ domestic varieties, $\tilde{d}_{\Delta}$; and $\tilde{\beta}_{i s}$ are demand parameters describing the consumer preferences for a brand $s$ produced by sector $i$.

The solution of the dual problem yields

$$
\begin{equation*}
\tilde{d}_{i s}=\tilde{\beta}_{i s}{ }^{\varsigma_{t}} D_{i} p d_{i}^{\varsigma_{i}} \tilde{p} d_{i s}{ }^{-\varsigma_{1}}, \tag{2.A2}
\end{equation*}
$$

where $p d_{i}=\left[\sum_{s=1}^{n} \tilde{\beta}_{i s} \varsigma_{i} \tilde{p d}_{i s}^{\left(1-\varsigma_{i}\right)}\right]^{1 /\left(1-\varsigma_{i}\right)}$.
[2.A.1.1| Derivation of (2.15)
(2.A2) can be log-linearised as

$$
\begin{equation*}
\ln \tilde{d}_{i s}=\varsigma_{i} \ln \tilde{\beta}_{i s}+\ln D_{i}+\varsigma_{i} \ln p d_{i}-\varsigma_{i} \ln \tilde{p} d_{i s} . \tag{2.A3}
\end{equation*}
$$

By definition the derivative of (2.A3) with respect to $\ln \tilde{p} d_{i s}$ yields the firms' perceived price elasticity of domestic demand ( $\tau_{i}$ ):

$$
\begin{equation*}
\tau_{i}=\frac{d \ln D_{i}}{d \ln \tilde{p} d_{i s}}+\varsigma_{i} \frac{d \ln p d_{i}}{d \ln \tilde{p} d_{i s}}-\varsigma_{i} . \tag{2.A4}
\end{equation*}
$$

Since under Bertrand conjectures $\frac{\partial p d_{i}}{\partial \tilde{p d_{i s}}}=\tilde{\beta}_{i s}{ }^{s_{i}} p d_{i}^{5_{1}} \tilde{p d_{i s}}$, and since from
(2.A2) $\tilde{\beta}_{i s}{ }^{s_{1}} p d_{i}^{\xi_{i}} \tilde{p d_{i s}}=\tilde{d}_{i s} / D_{i}$, then by using the chain rule

$$
\begin{equation*}
\frac{d \ln D_{i}}{d \ln \tilde{p d_{i s}}}=\frac{\tilde{p d} d_{i s}}{D_{i}} \frac{\partial D_{i}}{\partial p d_{i}} \frac{\partial p d_{i}}{\partial \tilde{p d_{i s}}}=\frac{\tilde{p d_{i s}}}{p d_{i} D_{i s}} \frac{p d_{i}}{D_{i}} \frac{\partial D_{i}}{\partial p d_{i}} \tag{2.A5}
\end{equation*}
$$

and

$$
\begin{equation*}
\frac{d \ln p d_{i}}{d \ln \tilde{p} d_{i s}}=\frac{\tilde{p d} d_{i s} \tilde{d}_{i s}}{p d_{i} D_{i}} \tag{2.A6}
\end{equation*}
$$

Given the symmetry assumption, (2.A6) and (2.A5) into (2.A4) yield

$$
\begin{equation*}
\tau_{i}=\left[\varsigma_{i}+\frac{p d_{i}}{D_{i}} \frac{\partial D_{i}}{\partial p d_{i}}\right] \frac{1}{n_{i}}-\varsigma_{i} . \tag{2.A7}
\end{equation*}
$$

By applying similar steps at the second stage of the demand tree, then

$$
\begin{equation*}
\frac{p d_{i}}{D_{i}} \frac{\partial D_{i}}{\partial p d_{i}}=\left[\varepsilon_{i}-\chi_{i}\right] \Psi_{i}-\varepsilon_{i} . \tag{2.A8}
\end{equation*}
$$

where $\Psi_{i}$ denotes the consumption share for domestic goods and $\chi_{i}$ the absolute value of the price elasticity of aggregate demand.
(2.A8) into (2.A7) yields (2.15).

## [2.A.1.2] Derivation of (2.17)

The inverse demand function of (2.A2) is

$$
\begin{equation*}
\ln \tilde{p} d_{i s}=\ln \tilde{\beta}_{i s}+\frac{1}{\zeta_{i}} \ln D_{i}-\frac{1}{\zeta_{i}} \ln \tilde{d}_{i s}+\ln p d_{i} \tag{2.A9}
\end{equation*}
$$

By definition the derivative of (2.A9) with respect to $\ln \tilde{d}_{i s}$ yields the inverse of $\tau_{i}$ :
(2.A10)

$$
\frac{1}{\tau_{i}}=\frac{1}{\varsigma_{i}} \frac{d \ln D_{i}}{d \ln \tilde{d}_{i s}}-\frac{1}{\varsigma_{i}}+\frac{d \ln p d_{i}}{d \ln \tilde{d}_{i s}} .
$$

Since under Cournot conjectures $\frac{\partial D_{i}}{\partial \tilde{d}_{i s}}=\tilde{\beta}_{i s} D_{i}^{1 / 5{ }^{s}} \tilde{d}_{i s}^{-1 / s,}$, and since from (2.A2) $\tilde{\beta}_{t s} D_{i}^{1 / s_{i}} d_{i s}^{-1 / s_{i}}=\tilde{p} d_{i s} / p d_{i}$, then by using the chain rule

$$
\begin{equation*}
\frac{d \ln D_{i}}{d \ln \tilde{d}_{i s}}=\frac{\tilde{p d}_{i s} \tilde{d}_{i s}}{p d_{i} D_{i}} . \tag{2.A11}
\end{equation*}
$$

Since, by using the chain rule, $\frac{\partial p d_{i}}{\partial \tilde{d}_{i s}}=\frac{\partial p d_{i}}{\partial D_{i}} \frac{\partial D_{i}}{\partial \tilde{d}_{i s}}$, then

$$
\begin{equation*}
\frac{d \ln p d_{i}}{d \ln \tilde{d}_{i s}}=\frac{\tilde{p d}_{i s} \tilde{d}_{i s}}{p d_{i} D_{i}} \frac{D_{i}}{p d_{i}} \frac{\partial p d_{i}}{\partial D_{i}} . \tag{2.A12}
\end{equation*}
$$

Given the symmetry assumption, (2.A12) and (2.A11) into (2.A10) yield

$$
\begin{equation*}
\frac{1}{\tau_{i}}=-\frac{1}{\varsigma_{i}}+\frac{1}{n_{i}}\left(\frac{1}{\varsigma_{i}}+\frac{D_{i}}{p d_{i}} \frac{\partial p d_{i}}{\partial D_{i}}\right) . \tag{2.Al3}
\end{equation*}
$$

By applying similar steps at the second stage of the demand tree, then

$$
\begin{equation*}
\frac{D_{i}}{p d_{i}} \frac{\partial p d_{i}}{\partial D_{i}}=-\frac{1}{\varepsilon_{i}}+\Psi_{i}\left(\frac{1}{\varepsilon_{i}}-\frac{1}{\chi_{i}}\right) . \tag{2.A14}
\end{equation*}
$$

(2.A14) into (2.A13) yields (2.17).

## [2.A.2 Derivation of firms' perceived elasticity of foreign demand

Assume that a representative foreign consumer gains utility by the following two stages utility function $U^{*}=g^{*}\left(E_{i}\right)$, where

$$
\begin{equation*}
E_{i}=\left[\sum_{i=1}^{n} \tilde{\gamma}_{i s} \tilde{e}_{i s}^{\left(\xi_{i}-1\right) / \xi_{i}}\right]^{\xi_{i s} /\left(\xi_{i}-1\right)}, \quad \xi_{i}>1, \sum_{s=1}^{n} \tilde{\gamma}_{i s}=1 \tag{2.A15}
\end{equation*}
$$

$\xi_{i}$ is the elasticity of substitution among $n$ exported brands, $\tilde{e}_{i s}$; and $\tilde{\gamma}_{i s}$ are demand parameters describing the preferences of the foreign consumer for a brand $s$ exported by sector $i$.

The first order conditions yield the lower level demand:

$$
\begin{equation*}
e_{i s}=\tilde{\gamma}_{i s}^{\xi_{i}} E_{i} p w e_{i}^{\xi_{i}} \tilde{p w}_{i s}{ }^{-\xi_{1}}, \tag{2.A16}
\end{equation*}
$$

where $p w e_{i}=\left[\sum_{i=1}^{n} \tilde{\gamma}_{i s}^{\xi_{i}} p \tilde{w} e_{i s}^{\left(1-\xi_{i}\right)}\right]^{1 /\left(1-\xi_{i}\right)}$.
[2.A.2.1] Derivation of (2.16)

By using (2.10), (2.A16) can be log-linearised as

$$
\begin{equation*}
\ln \tilde{e}_{i s}=\xi_{i} \ln \tilde{\gamma}_{i s}+\ln A_{i}+\left(\xi_{i}-\eta_{i}\right) \ln p w e_{i}-\xi_{i} \ln p \tilde{w} e_{i s}, \quad \xi_{i}>\eta_{i} \tag{2.A17}
\end{equation*}
$$

By definition the derivative of (2.A17) with respect to $\ln p w e_{i s}$ yields the firms' perceived price elasticity of foreign demand ( $\boldsymbol{\delta}_{i}$ ):

$$
\begin{equation*}
\delta_{i}=\left(\xi_{i}-\eta_{i}\right) \frac{d \ln p w e_{i}}{d \ln p w e_{i s}}-\xi_{i} . \tag{2.A|8}
\end{equation*}
$$

Since under Bertrand conjectures $\partial p w e_{i} / \partial \tilde{w}^{2} e_{i s}=\left(\tilde{\gamma}_{i s} p w e_{i} / p \tilde{w} e_{i s}\right)^{\xi_{i}}$, then

$$
\begin{equation*}
\frac{d \ln p w e_{i}}{d \ln p w e_{i s}}=\tilde{\gamma}_{i s}^{\xi}\left(\frac{p w e_{i s}}{p w e_{i}}\right)^{1-\xi_{1}} \tag{2.A19}
\end{equation*}
$$

In addition, by using (2.10) and (2.A16), since $p \tilde{w} e_{i s} \tilde{e}_{i s}=\tilde{\gamma}_{i s}^{\xi_{i}} A_{i} p w e_{i}^{\xi_{i}-\eta_{i}} \tilde{p}_{w e_{i s}}{ }^{1-\xi_{i}}$, then
(2.A20)

$$
\left(\frac{p \tilde{w} e_{i s}}{p w e_{i}}\right)^{1-\xi_{i}}=\frac{\tilde{p w e_{i s}} \tilde{e}_{i s}}{\sum_{s} \tilde{p} \tilde{e}_{i s} \tilde{e}_{i s}}
$$

Given the symmetry assumption (2.A20) and (2.A19) into (2.A18) yields (2.16).

## [2.A.2.2] Derivation of (2.18)

By using (2.10), (2.A16) can be log-linearised as

$$
\begin{equation*}
\ln \tilde{w} e_{i s}=\ln \tilde{\gamma}_{i s}+\left(\frac{1}{\xi_{i}}-\frac{1}{\eta_{i}}\right) \ln E_{i}-\frac{1}{\xi_{i}} \ln \tilde{e}_{i s} \tag{2.A21}
\end{equation*}
$$

By definition, the derivative of (2.A21) with respect to $\ln \tilde{e}_{\text {is }}$ yields the inverse of $\delta_{i}$ :
(2.A22)

$$
\frac{1}{\delta_{i}}=\left(\frac{1}{\xi_{i}}-\frac{1}{\eta_{i}}\right) \frac{d \ln E_{i}}{d \ln \tilde{e}_{i s}}-\frac{1}{\xi_{i}}
$$

Since under Cournot conjectures $\partial E_{i} / \partial \tilde{e}_{i s}=\tilde{\gamma}_{i s}\left(E_{i} / \tilde{e}_{i s}\right)^{1 / \varepsilon_{i}}$, then
(2.A23)

$$
\frac{d \ln E_{i}}{d \ln \tilde{e}_{i s}}=\tilde{\gamma}_{i t}\left(\frac{\tilde{e}_{i}}{E_{i}}\right)^{1-1 / \xi_{1}}
$$



Given the symmetry assumption, (2.A24) and (2.A23) into (2.A22) yields (2.18).

## Appendix 2.B: Numerical model: the case of VERs

This appendix reports the algebraic formulation of the numerical model employed to study the economic impact of the elimination of the VERs in Turkish textiles and apparel. The appendix has been split into six sections: (i) equations related to prices and costs; (ii) equations related to production and factor demand; (iii) equations related to domestic and foreign trade; (iv) equations related to income; (v) equations related to final demand and intermediate demand; (vi) equations related to the market clearing conditions.
12.B.1] Price and cost equations

$$
\begin{equation*}
p_{j}=\Delta_{j}^{-1}\left[\varphi_{j}^{\varepsilon_{j}} p m_{j}^{1-\varepsilon_{j}}+\left(1-\varphi_{j}\right)^{\varepsilon_{j}} p d_{j}^{1-\varepsilon_{j}}\right]^{1 /\left(1-\varepsilon_{j}\right)} \tag{2.B1}
\end{equation*}
$$

$$
\begin{equation*}
p y_{i} y_{i}=p d_{i} D_{i} / n_{i}+p e_{i} E_{i} / n_{i} \tag{2.B2}
\end{equation*}
$$

$$
\begin{equation*}
p y_{c r s}=\Omega_{c r s}^{-1}\left[\beta_{c r s}^{\rho_{c r s}} p d_{c r s}^{1-\rho_{c r s}}+\left(1-\beta_{c r s}\right)^{\rho_{c r \prime}} p e_{c r s}^{1-\rho_{c r \prime}}\right]^{1 /\left(1-\rho_{c r s}\right)} \tag{2.B3}
\end{equation*}
$$

$$
\begin{equation*}
p m_{j} M_{j}=\overline{p w m_{j}^{E U}} M_{j}^{E U}+\overline{p w m_{j}^{R o W}} M_{j}^{R o W} \tag{2.B4}
\end{equation*}
$$

$$
\begin{equation*}
p e_{i} E_{i}=p e_{i}^{E U} E_{i}^{E U}+\overline{p w e} \bar{e}_{i}^{R o W} E_{i}^{R o W} \tag{2.B5}
\end{equation*}
$$

$$
\begin{equation*}
p e_{c r s} E_{c r s}=\overline{p w e} \overline{e r s}_{c r}^{E V} E_{c r s}^{E U}+\overline{p W e}_{c r s}^{R o W} E_{c r s}^{R o W} \tag{2.B6}
\end{equation*}
$$

$$
\begin{equation*}
p e_{i}^{E v}\left(1-\frac{1}{\left|\delta_{i}\right|}\right)=c_{i} \tag{2.B7}
\end{equation*}
$$

$$
\begin{equation*}
p w e_{i}^{E U}=p e_{i}^{E U}\left(1+q r_{i}\right) \tag{2.B8}
\end{equation*}
$$

(2.B9)

$$
p d_{i}\left(1-\frac{1}{\left|\tau_{i}\right|}\right)=c_{i}
$$

$$
\begin{equation*}
p v_{j}=\Theta_{j}^{-1}\left[\gamma_{j}^{\sigma_{j}} w^{1-\sigma_{j}}+\left(1-\gamma_{j}\right)^{\sigma_{i}} r^{1-\sigma_{j}}\right]^{\nu_{1}\left(1-\sigma_{j}\right)} \tag{2.B10}
\end{equation*}
$$

$$
\begin{equation*}
c_{i}=p v_{i}+\sum_{j} a_{j i} p_{j} \tag{2.B11}
\end{equation*}
$$

(2.B12)

$$
a c_{1}=\left[w\left(l_{i}+l_{i}^{f}\right)+r\left(k_{i}+k_{i}^{f}\right)+\sum_{i} p_{j} a_{j i} y_{i}\right] / y_{i}
$$

$$
\begin{equation*}
\tau_{i}=-\frac{1}{n_{i}}\left[\left(1-\Psi_{i}\right) \varepsilon_{i}+\Psi_{i} \chi_{i}\right]-\left(1-\frac{1}{n_{i}}\right) \zeta_{i} \tag{2.B13}
\end{equation*}
$$

under Bertrand
(2.B13a) $\frac{1}{\tau_{i}}=-\frac{1}{\varsigma_{i}}-\frac{1}{n_{i}}\left[\frac{\left(\varsigma_{i}-\varepsilon_{i}\right)}{\varsigma_{i} \varepsilon_{i}}+\Psi_{i}\left(\frac{\varepsilon_{i}-\chi_{i}}{\chi_{i} \varepsilon_{i}}\right)\right]$
(2.B14)

$$
\delta_{i}=-\xi_{i}\left(1-\frac{1}{n_{i}}\right)-\frac{\eta_{i}}{n_{i}}
$$

under Cournot

$$
\frac{1}{\delta_{i}}=-\frac{1}{\xi_{i}}-\frac{1}{n_{i}} \frac{\left(\xi_{i}-\eta_{i}\right)}{\xi_{i} n_{i}}
$$

under Cournot
(2.B14a) $\quad \frac{1}{\delta_{i}}=-\frac{1}{\xi_{i}}-\frac{1}{n_{i}} \frac{\left(\xi_{i}-\eta_{i}\right)}{\xi_{i} \eta_{i}}$
under Bertrand
(2.B15)

$$
\bar{\Lambda}=\frac{\sum_{i} p d_{j} \bar{D}_{j}}{\sum_{j} \overline{p d}_{j} \bar{D}_{j}}
$$

12.B.2| Production and factor demand equations
(2.B16)

$$
\boldsymbol{Y}_{c r s}=\Theta_{c r s}\left[\gamma_{c r s} A L_{c r s}{\left(\sigma_{c r m}-1\right) / \sigma_{c r}}+\left(1-\gamma_{c r s}\right) A K_{c r s}{ }^{\left(\sigma_{m r}-1\right) \sigma_{m r}}\right]^{\sigma_{c r \prime}\left(\sigma_{c r}-1\right)}
$$

$$
\begin{equation*}
A L_{c r s}=\Theta_{c r s}^{\left(\epsilon_{c m}-1\right)} \boldsymbol{\gamma}_{c r s}^{\boldsymbol{\sigma}_{c r}} w^{-\sigma_{c r}} p \nu_{c r r}^{\sigma_{c r}} Y_{c r s} \tag{2.B17}
\end{equation*}
$$

(2.B18)

$$
A K_{c r s}=\Theta_{c r t}^{\left(\sigma_{m r}-1\right)}\left(1-\gamma_{c r s}\right)^{\sigma_{c m}} r^{-\sigma_{c r}} p \nu_{c r}^{\sigma_{c r}} Y_{c r s}
$$

(2.B19)

$$
l_{i}=\Theta_{i}^{\left(\sigma_{i}-1\right)} \gamma_{i}^{\sigma_{i}} w^{-\sigma_{i}} p v_{i}^{\sigma_{i}} y_{i}
$$

(2.B20)

$$
k_{i}=\Theta_{i}^{\left(\sigma_{i}-1\right)}\left(1-\gamma_{i}\right)^{\sigma_{i}} r^{-\sigma_{i}} p v_{i}^{\sigma_{i}} y_{i}
$$

12.B.3] Trade equations
(2.B21)

$$
Q_{j}=\Delta_{j}\left[\varphi_{j} M_{j}^{\left(\varepsilon_{j}-1\right)}+\left(1-\varphi_{j}\right) D_{j}^{\left(\varepsilon_{j}-1\right)}\right]^{\varepsilon_{j} /\left(\varepsilon_{j}-1\right)}
$$

(2.B22)

$$
\frac{M_{j}}{D_{j}}=\left(\frac{1-\varphi_{j}}{\varphi_{j}}\right)^{-\varepsilon_{j}}\left(\frac{p d_{j}}{\overline{p w m_{j}}}\right)^{\varepsilon_{j}}
$$

(2.B23)
$M_{j}^{E U}=\mathrm{A}_{j}^{\mu_{j}-1} \imath_{j}^{\mu_{j}}\left(\frac{\overline{p w m_{j}^{E U}}}{p m_{j}}\right)^{-\mu_{j}} M_{j}$
(2.B24)

$$
M_{j}^{\text {Row }}=\mathrm{A}_{j}^{\mu_{j}-1}\left(1-v_{j}\right)^{\mu_{j}}\left(\frac{{\overline{p w m_{j}}}_{\mathrm{RoW}}^{p m_{j}}}{)^{-\mu_{j}} M_{j}, ~}\right.
$$

(2.B25)

$$
Y_{c r s}=\Omega_{c r s}\left[\beta_{c r s} D_{c r s}^{\left(\rho_{c r s}+1\right) / \rho_{c r r}}+\left(1-\beta_{c r s}\right) E_{c r s}^{\left(\rho_{c r s}+1\right) / \rho_{c r s}}\right]^{\rho_{c r s} /\left(\rho_{c r s}+1\right)}
$$

(2.B26)

$$
y_{i}=\frac{\Omega_{i}}{n_{i}}\left[\beta_{i} D_{i}^{\left(p_{i}+1\right) / p_{i}}+\left(1-\beta_{i}\right) E_{i}^{\left(p_{i}+1\right) / p_{i}}\right]^{\rho_{1} /\left(p_{1}+1\right)}
$$

(2.B27)

$$
\frac{D_{c r s}}{E_{c r s}}=\left(\frac{\beta_{c r s}}{1-\beta_{c r s}}\right)^{-\rho_{c r s}}\left(\frac{p d_{c r s}}{\overline{p w e}}\right)^{\boldsymbol{\rho}_{c r s}}
$$

(2.B28)
$E_{j}=\Gamma_{j}\left[\alpha_{j} E_{j}^{E u\left(\sigma_{c n}+1\right) / \omega_{c r n}}+\left(1-\alpha_{j}\right) E_{j}^{R o W\left(\sigma_{c o n}+1\right) / \sigma_{c r n}}\right]^{\sigma_{c n} /\left(\omega_{c r n}+1\right)}$
(2.B29)

$$
\frac{E_{c m}^{E U}}{E_{c r}^{R W}}=\left(\frac{\alpha_{c r s}}{1-\alpha_{c r}}\right)^{-\sigma_{m r}}\left(\frac{\overline{p w e}_{\underline{p}}^{E v}}{\overline{p w e} e_{c r s}}{ }^{E W W}\right)^{\sigma_{c m}}
$$

(2.B30)

$$
E_{i}^{E U}=\bar{E}_{i}^{E U}\left(\frac{\bar{\chi}_{1}}{p w e_{i}}\right)^{\eta_{i}}
$$

|2.B.4| Income equations
(2.B31)

$$
\pi_{i}=\left(p y_{i}-a c_{i}\right) y_{i}
$$

(2.B32)

$$
v e r_{i}^{E U}=q r_{i} p e_{i}^{E U} E_{i}^{E U}
$$

$$
\begin{equation*}
H R=w \bar{L} \overline{A B}+r \overline{C \overline{A P}}+\sum_{i} n_{i} \pi_{i}+\sum_{i} v e r_{i}^{E U} \tag{2.B33}
\end{equation*}
$$

[2.B.5] Intermediate and final demand equations

$$
\begin{align*}
& X_{j}=\sum_{c r s} a_{j c r s} Y_{c r s}+\sum_{i} a_{j i} n_{i} y_{i}  \tag{2.B34}\\
& C_{j}=\vartheta_{j} \frac{H R}{p_{j}}
\end{align*}
$$

12.B.6| Market clearing conditions
(2.B36)

$$
Q_{j}=C_{j}+X_{j}
$$

(2.B37)

$$
\sum_{j} \overline{p w e}_{j}^{R o W} E_{j}^{R o w}+\sum_{j} p w e_{j}^{E U} E_{j}^{E U}=\sum_{j} \overline{p w m}_{j}^{E U} M_{j}^{E U}+\sum_{j} \overline{p w m}_{j}^{R o W} M_{j}^{\bar{N} o \bar{W}}
$$

(2.B38)

$$
\overline{L A} \bar{A}=\sum_{c r} A L_{c s}+\sum_{i} n_{i}\left(l_{i}+l_{i}^{\prime}\right)
$$

(2.B39)

$$
\overline{C A P}=\sum_{c r:} A K_{c r s}+\sum_{i} n_{1}\left(k_{i}+k_{i}^{f}\right)
$$

(2.B40)

$$
p y_{i}=a c_{i}
$$

## Variables (*):

| $a c_{i}$ | Average cost |
| :---: | :---: |
| $A L_{\text {crs }}$ | Labour |
| $A K_{c r s}$ | Capital |
| $c_{i}$ | Marginal cost |
| C, | Private demand of goods |
| $\overline{C A P}$ | Aggregate capital stock |
| $D_{j}$ | Demand for domestic commodity |
| $\bar{D}_{j}$ | Domestic commodities demanded in the base year |
| $E_{j}$ | Exports |
| $E_{j}^{E t}$ | Exports to the EU |
| $\bar{E}_{i}^{E U}$ | Exports to the EU in the base year |
| $E_{i}^{\text {RoW }}$ | Exports to the RoW |
| $H R$ | Houschold revenues |
| $k_{i}$ | Capital per firm |
| 1 | Labour per firm |
| $\overline{L A B}$ | Aggregate labour |
| M, | Imports |
| $M_{j}^{E U}$ | Imports from the EU |
| $M_{j}^{R o w}$ | Imports from the RoW |
| $n$, | Number of firms |
| $p_{j}$ | Price of the final and the intermediate good |
| $\bar{p} \bar{d}_{j}$ | Price of the domestic good in the base year |


| $p d_{j}$ | Price of domestically produced commodity |
| :---: | :---: |
| $p v_{j}$ | Value added price |
| $p y^{\prime}$ | Aggregate producer price |
| $\overline{p w e}^{\text {E }}$ U | Price of exports to the EU |
| $p w e_{i}^{E U}$ | Price of exports to the EU |
| $\overline{p w e}_{j}^{\text {Row }}$ | Price of exports to the RoW |
| $\overline{p w m}^{\text {E }}$, | Price of imports from the EU |
| $\overline{p w m}_{j}^{\text {Row }}$ | Price of imports from the RoW |
| $Q_{j}$ | Composite commodity |
| $r$ | Return to capital |
| X ${ }_{\text {j }}$ | Intermediate demand |
| $y_{i}$ | Output per domestic firm |
| $Y_{c r}$ | Output by the industry |
| $w$ | Wage |
| $\chi_{i}$ | Price elasticity of aggregate demand |
| $\bar{\chi}_{1}$ | World price of similar exported goods |
| $\pi_{i}$ | Profit per firm |
| $\bar{\Lambda}$ | Numeraire |
| $\Psi_{i}$ | Share of consumption of domestic goods in total consumption |
|  | Parameters (*): |
| $a_{i j}$ | Leontief input-output coefficients. |
| $k_{i}^{\prime}$ | Fixed amount of capital per firm |


| $l_{i}^{\prime}$ | Fixed amount of labour per firm |
| :--- | :--- |
| $\nu_{i}$ | Conjectural variation shift parameter |
| $\alpha_{j}$ | Share parameter in the second nest CET function |
| $\beta_{j}$ | Share parameter in the CET aggregation function |
| $\delta_{i}$ | Firm perceived elasticity in the export market |
| $\varepsilon_{j}$ | Elasticity of substitution between imported and domestic goods |
| $\varphi_{j}$ | Share parameter in the Armington trade aggregation function |
| $\gamma_{j}$ | Share parameter in the CES production function |
| $\boldsymbol{l}_{j}$ | Share parameter in the second nest Armington function |
| $\eta_{i}$ | Price elasticity of export demand |
| $\omega_{j}$ | Elasticity in the second nest CET function |
| $\vartheta_{j}$ | Household budget shares |
| $\rho_{j}$ | Elasticity in the CET aggregation function |
| $\sigma_{j}$ | Elasticity of substitution among primary factors of production |
| $\tau_{i}$ | Firm perceived elasticity in the domestic market |
| $\xi_{i}$ | Elasticity of substitution among exported brands |
| $\zeta_{i}$ | Elasticity of substitution among domestic brands |
| $A_{j}$ | Shift parameter in the second nest Armington function |
| $\Delta_{j}$ | Shift parameter in the Armington trade aggregation function |
| $\Gamma_{j}$ | Shift parameter in the second nest CET function |
| $\Theta_{j}$ | Shift parameter in the CES production function |
| $\Omega_{j}$ | Shift parameter in the CET aggregation function |

[^43]
## Appendix 2.C: A Social Accounting Matrix for Turkey

## [2.C.1] Introduction ${ }^{66}$

A SAM is an economy-wide data system in the form of a matrix, which describes, on the one hand, data on production and income generation, and on the other hand, the flows between the accounts of a nation at a specific point in time. The construction of a SAM is based on the following two features, as well as other fundamental properties: (i) the payments for a transaction by one account represent the receipts for the same transaction by another account; (ii) total income is always equal to total expenditure. Hence, as an accounting system, a SAM is fully articulated and its estimates are internally consistent. For these reasons, a SAM provides a useful statistical framework for addressing many development issues and to help assemble and calibrate AGE models.

Although Turkey has a long tradition of planning, no official attempt has been made to compile a SAM for Turkey. To my knowledge, there have been three main previous attempts to construct a SAM for Turkey. Senesen (1991) presented a SAM for 1973. Her study, which was actually carried out some years prior to eventual publication, is a straightforward enlargement of the 1973 I-O table. Dervis, et al. (1982) compiled a 1973 SAM for Turkey, which was designed to reflect an open cconomy general equilibrium model to study the resource allocation effects of some trade policy in Turkey. However, this SAM does not have a income distribution dimension. In a subsequent study, Ozhan (1988) constructed a SAM for 1983 using a framework developed by Richard Stone in the early 1960s. This SAM was also published in detail by the Turkish State Planning Organisation (O7han, 1989) and has

[^44]already proved to be very useful for analysing the income distribution effects of stabilisation policies employed in Turkey during the 1980s (De Santis, 1996). However, the SAM constructed by Ozhan classifies imports and indirect taxes by users, rather than by type. This classification, conforming to the structure of the I-O tables, is not consistent with SAMs. In addition, some data sets have been constructed by modellers to study particular aspects of the Turkish economy (Adelman, et al. 1989; Celasun, 1986; Harrison, et al. 1993; Yeldan 1989) and these may be regarded as "implicit" SAMs. However, none of the SAMs, explicit or implicit, have yet incorporated household survey information and hence have an income distribution dimension.

This study represents the first comprehensive and detailed 1990 SAM for Turkey. The design of this SAM is conditioned by AGE modelling perspectives. Hence, in the production accounts, a distinction is made between "activities" and "commodities". This permits the domestic demand to be considered as a composite demand of imported and domestically-produced goods, and the supply to be a composite of domestic supply and export supply. This treatment of imported and domestically-produced commodities enables one to adopt the widely used Armington specification in AGE modelling literature, which assumes that products of different countries competing in the same market are imperfect substitutes. Whereas the treatment of domestic and exported goods as imperfect substitutes allows modellers to employ the constant elasticity of transformation specification. ${ }^{67}$

The first stage to compile this SAM is to construct a macro SAM using available published macroeconomic data. The main statistical sources used to achieve this task are the Input-Output (I-O) table for 1990, the Statistical Yearbook of Turkey, the Balance of Payments Statistics and the Annual Program published by the State Planning Organisation. The main statistical sources to compile the disaggregated SAM

[^45]are the Household Income and Consumption Expenditures Survey for 1987, the Manufacturing Industry Statistics, the Household Labour Survey and the Census of Population for 1990 . Thanks to a good deal of compatibility between the different official statistical sources, a highly disaggregated SAM has been compiled containing 226 accounts: (i) factors are disaggregated into 8 different types of labour categories and 5 different types of capital (i.e. operating surplus); (ii) households are disaggregated according to their income size ( 20 classes) and to their geographical regions (rural/urban); (iii) companies are disaggregated into State Economic Enterprises and three private enterprises (i.e. non-agricultural production, trade and services); (iv) activities and commodities are each disaggregated according to the I-O table 1990) classification, hence comprising 54 accounts in each case; (v) the capital account is disaggregated into private gross fixed capital formation, public gross fixed capital formation and changes in stocks.

Households have been disaggregated according to income classes because it may allow modellers to analyse the effects on the personal distribution of income through income inequality indices. In contrast, if modellers are interested in examining the effects of their policy scenarios on the functional distribution of income, the analysis of income changes of the eight different labour categories may be more appropriate.

Most of the sub-matrices of the SAM, such as the disaggregation of gross value added to factors of production, the distribution of factor incomes to households, the disaggregation of private consumption, the disaggregation of net factor income from the rest of the world, the disaggregation of tariffs and direct taxes, and the inputoutput structure, have all been compiled with precision using official published data.

In general, the disaggregated SAM has been compiled using rational criteria and by comparing the actual estimates with those produced by different official statistical sources.

A first major area of difficulty concerned the disaggregation of the household consumption matrix. Since the private final consumption vector reported in the 1990 IO table is obtained residually, the household consumption survey for 1987 has been employed to disaggregate private expenditures among households. Unfortunately, although the data are collected by income and commodity groups, the coverage of the commodity groups does not conform to the I-O classification. Sometimes the definition of commodities is not clear at all. Hence, firstly, the original 64 production sectors of the 1990 I-O table have been reduced to 54 , and secondly, for some commodities personal judgements have been exercised to complete the estimates of this matrix. At a final stage, RAS has been applied to the household consumption expenditure matrix before inclusion in the disaggregated SAM.

A second area of difficulty concerned the disaggregation of net indirect taxes by type of domestic commodities. I-O tables usually report the net indirect taxes collected from domestic sectors. This classification by users is not appropriate if the main source of indirect tax revenues is VAT, as it is in the case of Turkey. Hence, the I-O classification by user has been transformed to a classification by type of commodities. An unpublished document of the Turkish Ministry of Finance and Custom has been used for this purpose.

A third area of difficulty regarded the allocation of the value added to the eight different labour categories. The Household Labour Survey, the Census of Population and the Manufacturing Industry Statistics have been employed in a such way that the estimates for the wage and the labour force matrices would be consistent too. The RAS method has been employed to adjust the labour revenue matrix to accord with the data reported in the I-O table.

A fourth area of difficulty concerned the computation of the dividends and retained carnings of the private enterprises. This distinction is very important as retained earnings constitute a component of the capital account. Given the level of investment, an under- or overestimation of the retained earnings would directly affect
other forms of savings, in particular private and foreign savings. A Capital Market Board rule has been adopted for this purpose, which states that at least $50 \%$, and no more than $70 \%$ of the super normal profits, has to be distributed between shareholders.

Finally, household savings have been calculated as residuals after allowing for consumer expenditure and direct taxes. Our estimates indicate that the marginal propensity to save is $17.08 \%$ for Turkey as a whole, $10.12 \%$ for the urban areas and $\mathbf{2 7 . 4 4 \%}$ for the rural areas. It is important to note that according to the income distribution survey, the marginal propensity to save is $21.57 \%$ for Turkey as a whole, $13.78 \%$ for the urban areas and $32.86 \%$ for the rural areas. Several Turkish economists and statisticians are not completely satisfied by the official estimates. They argue that the consumption level, in particular in the rural areas, has been underestimated. In addition, the State Institute of Statistics (SIS) of Turkey has re-estimated private final consumption for Turkey. The new computation clearly implies that a lower marginal propensity to save with respect to that estimated by the household survey is likely to be more appropriate for the Turkish economy.

In summary, most of the transaction values have been estimated using different official statistical sources. The data employed, especially those published by the SIS, are qualitatively good and comprehensive. Only in the case of the Household Consumption Expenditures Survey was there a need for extensive effort to adapt it to SAM, and as a consequence of that a contraction of the production activity classification from the I-O table's 64 sectors to the SAM's 54 sectors has been deemed necessary. The RAS method has been used only to compute a sequence of residual balance entries, and it has been applied only to the household consumption matrix and the labour revenue matrix.
12.C.2 | The aggregate SAM

The aggregate SAM for Turkey for 1990 is shown in Table 2.CI.
Table 2．C1 An Aggregate SAM for Turkey 1990 （Billions of TL）

|  | 否 |  |  | $\begin{aligned} & n \\ & \stackrel{n}{\circ} \\ & \stackrel{\circ}{\circ} \end{aligned}$ | $\stackrel{\theta}{0}$ |  | 皆 | 茳 | $\begin{aligned} & \text { W } \\ & \text { O} \\ & \text { O} \end{aligned}$ | 樞 | $\underset{\sim}{\text {－}}$ |  |
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| 응 |  |  |  |  |  |  |  |  | $\underset{\underline{\theta}}{\underline{0}}$ |  |  | $\underset{\sim}{\square}$ |
| a |  |  | $\underset{\infty}{\infty}$ | $\stackrel{\infty}{\infty}$ |  | Nờ |  |  |  |  | $\begin{aligned} & \infty \\ & \underset{\sim}{\infty} \\ & \hline \end{aligned}$ | 号 |
| $\infty$ | 高惑 |  |  |  |  |  | \|ois |  |  |  | $\begin{aligned} & \text { m } \\ & \hline \mathbf{m} \end{aligned}$ | \＄ |
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| ＊ | 苛 |  |  | $\begin{aligned} & \text { - } \\ & \underset{\sim}{\infty} \end{aligned}$ |  |  | $\underset{\sim}{\infty}$ |  | $\frac{n}{7}$ | No |  | 笭 |
| m |  |  |  |  | \|a |  |  |  | $\frac{N}{N}$ | $\underset{\sim}{N}$ |  | － |
| $\sim$ | $\begin{array}{\|l} \frac{\pi}{2} \\ \frac{y}{6} \\ \frac{y}{y} \\ \frac{y}{y} \\ \frac{0}{4} \end{array}$ |  |  |  | $\begin{array}{\|l\|l\|} \hline \underset{\sim}{\circ} \\ \hline \end{array}$ |  | \|্ֻN |  | N্ত্ণ |  |  | 㐌 |
| － | C |  | $$ | $\underset{\substack{\infty \\ \\ \\ \hline}}{ }$ |  |  |  |  | $\begin{array}{\|c} \underset{\sim}{\text { an }} \\ \hline \end{array}$ |  |  | － |
|  |  |  | 管 |  | \％ | 豪 |  | $\begin{aligned} & 8 \\ & 8 \\ & \frac{2}{2} \begin{array}{l} 8 \\ 8 \end{array} \\ & =0 \end{aligned}$ | 震 |  |  | E |
|  |  | － | $\cdots$ | m | ${ }^{*}$ | $n$ | $\bullet$ | － | $\infty$ | a | 응 |  |

The value added ( 357014 billions of TL) is allocated to various factors of production. However, in the aggregate SAM these factors are consolidated into a single account.

The factor income to households ( 174486 billions of TL) comprises the total compensation of employees ( 107103 billions of TL ) • and the operating surplus originating from the primary sector, that is agriculture, animal husbandry, forestry and fisheries, and from the ownership of dwellings ( 67383 billions of TL). The rationale behind the allocation of the operating surplus of the primary sector to households is that according to the 1991 General Agricultural Census, $99 \%$ of agricultural holdings holds $83 \%$ of the agricultural land, whose size is less than 50 hectares. Thus, most of the agricultural output is produced by small household-based farms. Similarly, animal husbandry and fisheries are household-based activities. We also distribute the forestry operating surplus to households in order to treat all the primary sectors in the same way.

As far as the ownership of dwellings is concerned, this activity consists mainly of actual and imputed rents on houses, which are usually collected directly by households.

The dividends distributed by companies to households ( 146866 billions of TL) are calculated by subtracting the corporation tax, the interest paid by the SEE, the retained earnings and the dividends paid abroad from the total enterprise income. However, this will be explained in detail when the criteria used to estimate the retained carnings in the private sector are discussed.

The government transfers to households ( 4699 billions of TL) are calculated as residuals. The transfers from the ROW to households ( 8786 billions of TL) are estimated using the data reported by the Central Bank of the Republic of Turkey. According to this official data source, the net remittances are equal to 3325 million of US dollars in 1990. The exchange rate used to convert into Turkish lira the transactions expressed in dollars has been calculated by dividing the net factor income
from ROW expressed in TL ( 4117 billions of TL) to that expressed in US dollars ( 1558 million US dollars). So 1 US dollar is on average exchanged for 2642.5 TL. This estimate is approximately equal to the official average value which is equal to 2607.6 TL for 1990.

The factor income to companies ( 156287 billions of TL) consists of the operating surplus originating from mining, manufacturing activities and services net of the ownership of dwellings.

The government transfers to private enterprises ( 16990 billions of TL) are calculated as residuals, while those to SEE are equal to 1257 billions of TL.

The transfers from the ROW to enterprises comprise profits ( 741 million US dollars) and payments of interest ( 917 million of US dollars) converted into domestic currency.

The taxes on income paid by households are equal to 18609 billions of TL. The corporation tax is equal to 4637 billions of TL, while the interest payment of the SEE to the government ( $\mathbf{3 1 9 2}$ billions of TL) are calculated as residuals.

The indirect taxes on composite commodities ( 20514 billions of TL), the import duties ( 13397 billions of TL), the consumption of fixed capital ( 26241 billions of TL) and all transactions relating to the activity and the commodity accounts are derived from the I-O table for 199).

Household savings ( 54022 billions of TL) are calculated as residuals after allowing for consumer expenditure and direct taxes.

The retained earnings of the SEE (7902 billions of TL) are calculated as residuals, while those of the private enterprises ( 13543 billions of TL) are estimated using a survey published by the Istanbul Chamber of Industry for 1990. The sum of the private retained carnings, plus those of the SEE, is reported in Table C.I.

The government budget deficit ( 11955 billions of TL) has been calculated as the sum of the consolidated budget deficit (11782 billions of TL) and the municipalities deficit (50) billions of TL), minus the local government surplus ( 328 billions of TL).

The capital transfers net of reserves ( 16311 billions of TL) are calculated by summing up the change in official reserves and the current account of transactions with the ROW.

The sources of income for the rest of the world current account comprise dividends ( 161 million US dollars) and interest payments ( 890 million US dollars) from enterprises paid overseas, government transfers in the form of interest payments of the foreign debt ( 2375 million US dollars) and net imports, converted into domestic currency.

The change in official reserves is derived by converting the actual change (1308 million US dollars) in domestic currency, while the current account deficit is derived residually. Unfortunately, the current account deficit is over-estimated. This is because the trade transactions evaluated with the national accounting system are quite different from the exports and imports which characterise the balance of payments. As a consequence, this estimate also affects the transaction value of the net capital activities.

According to the Turkish Ministry of Finance and Customs, the total government transfers are equal to 25020 billions of TL in 1990. 13966 billions of TL are used to pay the interest on the domestic ( 9613 billions of TL) and foreign (4353 billions of TL) debts, while the remaining part is distributed to the SEE and to other accounts which cannot be classified by institutions. Once the public transfers to the SEE and to the ROW current account have been allocated, the remaining transfers are allocated to private enterprises and households as residuals. Also the SPO provides an estimate for the government transfers equal to 27126 billions of TL. However, it does not collect data concerning the distribution of public transfers to institutions.

It is important to stress that most of the transaction values estimated as residuals, such as the government transfers to households and private companies, the interest payment and the retained earnings of the SEE, are usually considered exogeneously to the system of the equations in a modelling context. Hence, these ad hoc estimations will not materially affect the policy simulations.

The aggregated accounts have been disaggregated in the following way:

1 factors are disaggregated into 8 different types of labour and 5 different types of capital (i.e. operating surplus);
2 households are disaggregated according to their income size ( 20 classes) and to their geographical regions (rural/urban);
3 companies are disaggregated into SEE and three private enterprises (i.e. nonagricultural production, trade and services);

4 activities and commodities are each disaggregated according to the I-O table 1990 classification, hence comprising 54 accounts in each case;
5 the capital account is disaggregated into private gross fixed capital formation, public gross fixed capital formation and changes in stocks.

The disaggregation of the gross value added to factors of production has been achieved by employing the I-O table for 1990, the Household Labour Surveys for 1990 and 1992, the Census of Population and the Manufacturing Industry Statistics for 1990.

The capital factor has been defined as operating surplus. Hence, the I-O table is an ample statistical source.

As far as the labour force is concerned, the Household Labour Survey distinguishes eight types of labour employed by nine main economic activities, such as agriculture, mining, manufacturing, trade and services. As the definition of occupational placement of workers has been changed in 1992, the Household Labour Survey for 1992 has been employed to disaggregate the relevant data for 1990. To further disaggregate the labour force by activities, the Census of Population and the Manufacturing Industry Statistics data sets have been employed. The Census of

Population provides data on the population according to occupation and economic activity, while the Manufacturing Industry Statistics indicates the number of people engaged in each manufacturing sector. The labour revenue matrix has been obtained by multiplying each element of the labour force matrix to the wage vector given by the Household Income Distribution Survey. The RAS method has been employed to adjust the matrix to accord with the data reported in the I-O table.

The income distribution survey for 1987 has been employed in order to disaggregate labour and capital income, government transfers and foreign remittances paid to households.

Factor income to enterprises is allocated to the SEE and three private companies. According to the Prime Ministry High Control Committee, $8.2 \%$ of the Turkish GDP at factor costs is produced by the SEE in 1990. In order to obtain the SEE operating surplus related to the non-agricultural activity ( 6176 billions of TL), trade ( 2163 billions of TL) and services ( 2482 billions of TL), the compensation of employees has been subtracted from the value added in each sector.

As far as the private enterprises are concerned, their operating surplus in each sector is calculated by subtracting the SEE operating surplus from the aggregate reported into the I-O table.

The government transfers to private enterprises are disaggregated according to the share of the operating surplus of each company.

The transfers of the rest of the world current account to private and public enterprises are composed of 2423 billions of TL in the form of interest and 1958 billions of TL in the form of capital income. The interest has been disaggregated according to the credit volume of the private ( 31639 billions of TL) and public ( 36120 billions of TL) banks, while the capital income has been disaggregated according to the share of the operating surplus of each company.

The income tax paid by households is disaggregated using the direct tax rates for 199(). The taxable income comprises rent, labour and entrepreneurial incomes, with
the exclusion of agricultural income, which is tax-exempt. It is assumed that the average income of each household group is equal to the midpoint of the income class interval. Since the tax rates were unchanged between 1987 and 1990, and the class interval width for the households income classes increased by a scale factor equal to the inflation rate, the households income classes for 1990 have been calculated by multiplying those for 1987 by the scale factor 2.667. The tax burden on urban and rural household taxable incomes is $7.22 \%$ and $6.71 \%$, respectively. While the tax burden on urban and rural household total incomes is $6.73 \%$ and $3.85 \%$, respectively.

The corporation tax paid by the SEE is equal to 1196 billions of TL. The corporation tax paid by the private enterprises is disaggregated according to the magnitude of the enterprise income net of the interest payments abroad.

As far as indirect taxes net of subsidies are concerned, the I-O table 1990 reports the net indirect taxes collected from domestic sectors. This classification is not appropriate within a modelling context. Hence, the I-O classification by user has been transformed to a classification by type in order to allow modellers to apply the Armington specification. Unfortunately, the only official source which shows any disaggregation of the value added tax by type of commodities is an unpublished document of the Turkish Ministry of Finance and Custom.

The disaggregation of the import dutics, the consumption of the fixed capital and all the transactions relating to the activity and the commodity accounts are obtained from the I-O table 1990 .

In order to disaggregate the private consumption vector between households, the Household Income and Consumption Expenditures survey for 1987 has been employed. A matrix with dimensions 35 commodities by 40 households can be easily derived from the survey. Twelve of the remaining 19 commodities are zero entries in the I-O table. Therefore, expenditures on 7 commodities have been estimated by assuming that some commodities of the survey incorporate more than one commodity of the I-O table. For instance, the commodity 'cultural expenditures' reported in the
survey has been disaggregated between manufacture of paper and paper products (code 135) and printing, publishing and allied industries (code 136).

At a final stage, RAS has been applied to the household consumption expenditure matrix before inclusion in the disaggregated SAM.

The capital account is employed as a dummy account in order to disaggregate aggregate investment between private investment, public investment and changes in stocks.

Household savings are disaggregated between the different income classes according to the income distribution survey for 1987. Our estimates indicate that the marginal propensity to save is $17.08 \%$ for Turkey as a whole, $10.12 \%$ for the urban areas and $27.44 \%$ for the rural areas. It is important to note that according to the income distribution survey, the marginal propensity to save is $21.57 \%$ for Turkey as a whole, $13.78 \%$ for the urban areas and $32.86 \%$ for the rural areas. Several Turkish economists and statisticians are not completely satisfied by these estimates. They argue that the consumption level in the rural areas has been under-estimated. Furthermore, the SIS has re-estimated private final consumption for Turkey. The new estimates for 1987 show that this figure is equal to 51018 billions of TL rather than 31892 billions of TL as reported in the income distribution survey. Thus, it seems that a lower marginal propensity to save than the one estimated for 1987 by the survey is likely to be more appropriate for the Turkish economy.

The retained earnings of the private enterprises are estimated using a survey published by the Istanbul Chamber of Industry for 1990. This survey publishes all relevant data of the 500 largest industrial establishments in Turkey, 409 of which are private and 91 are public. The gross value added of the private enterprises comprises the $\mathbf{2 3 \%}$ of the GDP produced by the private industrial sector in Turkey. In addition, the share of the value added of the industrial sector in the aggregate GDP at current producer prices is $25.3 \%$ in 1990 . Thus, this survey is a good representation of Turkish private industrial enterprises. According to a Capital Market Board rule at least 50\%,
and no more than $70 \%$ of the super normal profit, has to be distributed between shareholders. It is assumed that the $48.82 \%$ of the super normal profit is retained by private enterprises in the form of savings, while the $51.18 \%$ of it is distributed to shareholders. Hence, using this assumption and the already mentioned survey, we arrive at the conclusion that 13543 billions of TL can be treated as retained earnings of the private enterprises. It is important to emphasise that even if the dividends distributed to households are calculated as residuals, the underlying assumption behind this estimate can be summarised as follows: (i) all the operating surplus generated by services net of the ownership of dwellings is allocated to households; (ii) the rent, the interest payments and the $51.18 \%$ of the super normal profit of the industrial sector are distributed to households.

With regard to services, the official statistics regarding trade, hotels, restaurants and other services show that the average number of employees for each establishment, and the ratio of the total persons engaged relative to employees. Both ratios indicate clearly that the service activity, with the exception of the financial institutions (i.e. banks, stockbrokers and foreign exchange offices), is mainly household-based. Unfortunately, similar data are not collected for construction, transport and communication. However, it is believed that many of these activities are also carried out by small enterprises. In conclusion, since the value added of the financial institutions is relatively small, relative to the value added in the "Financial Institutions and Insurance" account as a whole, the operating surplus generated from services can be entirely allocated to households.

With regard to the industrial sector, rent and interest payments are allocated directly to households as we do not have any data concerning transactions between enterprises.

The transfers of the SEE to the rest of the world current account are equal to 1080 billions of TL. The transfers of the private companies paid overseas (1695 billions of TL) are composed of 1270 billions of TL in the form of interest payments
and 425 billions of TL in the form of capital income. The interest has been disaggregated according to the share of the operating surplus of each company, while the capital income has been disaggregated according to the share of the foreign investment in each sector.

Since the disaggregated SAM for Turkey is quite large and comprises many zero entries, seven tables have been constructed to show the transactions between the disaggregated accounts.

Table 2.C2 shows the disaggregation of the gross value added to factors of production. ${ }^{68}$ Table $2 . C 3$ shows the source of income received by households and enterprises, and their current payments. Tables 2.C4 and 2.C5 show the urban and the rural household consumption expenditure on commodities, respectively. Table 2.C6 shows the inter-industry transactions. Table 2.C7 shows the disaggregation of government consumption expenditure, private and public investment and changes in stocks, respectively. With regard to Table 2.C8, columns 1 and 2 show the disaggregation of domestic commodities and exports; columns 3 and 4 show the disaggregation of indirect taxes on composite commodities and duties on imports paid to government, respectively; and column 5 shows the imports net of taxes coming from the rest of the world.
[2.C.4] Definition of accounts

The disaggregated SAM for Turkey comprises 226 accounts. The code numbers used to identify the accounts have been organised as follows:

[^46]I - factors of production
Labour:

1. Scientific, technical, professional and related workers.
2. Administrative, executive and managerial workers.
3. Clerical and related workers.
4. Sales workers.
5. Service workers.
6. Agricultural, animal husbandry and forestry workers, fishermen and hunters.
7. Non-agricultural production and related workers, transport equipment operators and labourers.
8. Workers not classifiable by occupation.

## Capital:

9. Rent.
10. Operating surplus in agriculture.
11. Operating surplus in non-agriculture.
12. Operating surplus in trade.
13. Operating surplus in services.

II - HOUSEHOLDS

| Urban | and | Rural household |  |
| :--- | :--- | :--- | :--- |
| 14 |  |  |  |
| (monthly disposable income groups - thousands of TL): |  |  |  |
| 15. | 34 | $0-133$ |  |
| 16. | 35 | $133-267$ |  |
| 17 | 36 | $267-400$ |  |
| 18. | 37 | $400-533$ |  |
| 19. | 38 | $533-667$ |  |
| 20. | 39 | $667-800$ |  |
| 21. | 40 | $800-933$ |  |
| 22. | 41 | $933-1067$ |  |
| 23. | 42 | $1067-1200$ |  |
| 24. | 43 | $1300-1333-1600$ |  |
| 25. | 44 | $1600-1867$ |  |
| 26. | 45 | $1867-2133$ |  |
| 27. | 46 | $2133-2400$ |  |
| 28. | 47 | $260-2667$ |  |
| 29. | 48 | $4000-5333$ |  |
| 30. | 49 | $5333-13333$ |  |
| 31. | 50 | $13333-26667$ |  |
| 32. | 51 | $26667-66667$ |  |

## III - COMPANIES

Private enterprises:
54. Enterprises in non-agricultural sectors.
55. Enterprises in trade sectors
56. Enterprises in services.

Public enterprises:
57. State economic enterprises.

IV - GOVERNMENT
58. Govemment.

V-VI-VII ACTIVITIES
Activities Composite

| 59. | 113 | 167 | Agriculture and animal husbandry. |
| :--- | :--- | :--- | :--- |
| 60. | 114 | 168 | Forestry. |
| 61. | 115 | 169 | Fisheries. |
| 62. | 116 | 170 | Coal mining. |
| 63. | 117 | 171 | Crude petroleum and natural gas production. |
| 64. | 118 | 172 | Iron ore mining. |
| 65. | 119 | 173 | Non-ferrous ore mining, non-metallic mineral mining, |
|  |  |  | stone quarrying. |
| 66. | 120 | 174 | Slaughtering. preparing and preserved meat. |
| 67. | 121 | 175 | Canning and preserving of fruits and vegetables. |
| 68. | 122 | 176 | Manufacture of vegetable and animal oils and fats. |
| 69. | 123 | 177 | Grain mill products. |
| 70. | 124 | 178 | Sugar. |
| 71. | 125 | 179 | Manufacture of other food products. |
| 72. | 126 | 180 | Alcoholic beverages. |
| 73. | 127 | 181 | Soft drinks and carbonated water industries. |
| 74. | 128 | 182 | Tobacco manufactures. |
| 75. | 129 | 183 | Manufacture of textiles (inc. ginning). |
| 76. | 130 | 184 | Manufacture of wearing apparel. |
| 77. | 131 | 185 | Manufacture of leather and fur products. |
| 78. | 132 | 186 | Manufacture of footwear. |
| 79. | 133 | 187 | Manufacture of wood and wood products. |
| 80. | 134 | 188 | Manufacture of wood furniture and fixtures. |
| 81. | 135 | 189 | Manufacture of paper and paper products. |
| 82. | 136 | 190 | Printing, publishing and allied industries. |
| 83. | 137 | 191 | Manufacture of fertilisers. |
| 84. | 138 | 192 | Manufacture of drugs and medicines. |
| 85. | 139 | 193 | Manufacture of other chemical products. |


| 86. | 140 | 194 | Petroleum refineries. |
| :--- | :--- | :--- | :--- |
| 87. | 141 | 195 | Manufacture of petroleum and coal products. |
| 88. | 142 | 196 | Manufacture of rubber products. |
| 89. | 143 | 197 | Manufacture of plastic products. |
| 90. | 144 | 198 | Manufacture of glass and glass products. |
| 91. | 145 | 199 | Manufacture of cement. |
| 92. | 146 | 200 | Manufacture of other non-metallic mineral products. |
| 93. | 147 | 201 | Manufacture of iron and steel. |
| 94. | 148 | 202 | Manufacture of non-ferrous metal. |
| 95. | 149 | 203 | Manufacture of fabricated metal products. |
| 96. | 150 | 204 | Manufacture of machinery except electrical. |
| 97. | 151 | 205 | Manufacture of agricultural machinery and equipment. |
| 98. | 152 | 206 | Manufacture of electrical machinery. |
| 99. | 153 | 207 | Manufacture of shipbuilding and repairing. |
| 100. | 154 | 208 | Manufacture of railroad equipment. |
| 101. | 155 | 209 | Manufacture of land transport vehicles and equipment. |
| 102. | 156 | 210 | Manufacture of other transport equipment. |
| 103. | 157 | 211 | Other manufacturing industries. |
| 104. | 158 | 212 | Electricity. |
| 105. | 159 | 213 | Gas manufacture and waterworks. |
| 106. | 160 | 214 | Building construction, other construction. |
| 107. | 161 | 215 | Wholesale and retail trade. |
| 108. | 162 | 216 | Restaurants and hotels. |
| 109. | 163 | 217 | Railway transport, other land transport, water transport, |
| 110. |  |  | air transport. |
| 111. | 164 | 218 | Communications. |
| 112. | 165 | 219 | Financial institutions and insurance. |
| 1166 | 220 | Personal and professional services, public services, |  |
|  |  |  |  |

VIII-CAPITAL ACCOUNT
221. Gross capital formation.
222. Private gross fixed capital formation.
223. Public gross fixed capital formation.
224. Changes in stocks.

IX - REST OF THE WORLD CURRENT ACCOUNT
225. Rest of the world current account.

X - REST OF THE WORLD CAPITAL ACCOUNT
226. Rest of the world capital account.




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Table 2.C7 Disaggregation of public consumption and gross capital formation (Billions of 1990 TL )

| Code | 58 | 277 | 278 | 279 |
| :---: | :---: | :---: | :---: | :---: |
| 113 | 330 | 87 | 18 | 3109 |
| 114 | 183 | 0 | 0 | -387 |
| 115 | 0 | 0 | 0 | -13 |
| 116 | 293 | 0 | 0 | 119 |
| 117 | 0 | 0 | 0 | 573 |
| 118 | 0 | 0 | 0 | -6 |
| 119 | 0 | 0 | 0 | 780 |
| 120 | 563 | 0 | 0 | 58 |
| 121 | 99 | 0 | 0 | 103 |
| 122 | 51 | 0 | 0 | -261 |
| 123 | 59 | 0 | 0 | -587 |
| 124 | 43 | 0 | 0 | 662 |
| 125 | 299 | 0 | 0 | 522 |
| 126 | 0 | 0 | 0 | 27 |
| 127 | 7 | 0 | 0 | 134 |
| 128 | 0 | 0 | 0 | 171 |
| 129 | 71 | 36 | 52 | 1092 |
| 130 | 407 | 7 | 2 | 648 |
| 131 | 1 | 0 | 0 | 271 |
| 132 | 175 | 0 | 0 | 222 |
| 133 | 17 | 0 | 0 | -140 |
| 134 | 0 | 166 | 109 | 137 |
| 135 | 133 | 0 | 0 | 182 |
| 136 | 30 | 0 | 0 | 48 |
| 137 | 0 | 0 | 0 | -10 |
| 138 | 73 | 0 | 0 | 13 |
| 139 | 103 | 0 | 0 | -101 |
| 140 | 1371 | 0 | 0 | -4232 |
| 141 | 123 | 0 | 0 | -581 |
| 142 | 36 | 0 | 0 | -23 |
| 143 | 8 | 0 | 0 | 43 |
| 144 | 36 | 0 | 0 | -12 |
| 145 | 28 | 0 | 0 | -33 |
| 146 | 41 | 0 | 0 | -366 |
| 147 | 24 | 0 | 0 | 940 |
| 148 | 1 | 0 | 0 | 1649 |
| 149 | 73 | 681 | 333 | 403 |
| 150 | 585 | 7189 | 3533 | 445 |
| 151 | 0 | 1189 | 18 | 269 |
| 152 | 205 | 2176 | 1031 | 1192 |
| 153 | 0 | 365 | 197 | 104 |
| 154 | 0 | 45 | 345 | -128 |
| 155 | 35 | 4827 | 604 | 408 |
| 156 | 0 | 838 | 73 | -34 |
| 157 | 98 | 1194 | 547 | 11 |
| 158 | 408 | 0 | 0 | 0 |
| 159 | 342 | 0 | 0 | 0 |
| 160 | 223 | 37582 | 19696 | 0 |
| 161 | 1068 | 4040 | 1632 | 2146 |
| 162 | 283 | 0 | 0 | 0 |
| 163 | 1109 | 1242 | 373 | 2813 |
| 164 | 452 | 0 | 0 | 0 |
| 165 | 637 | 0 | 0 | 0 |
| 166 | 32956 | 0 | 0 | 0 |

Table 2.c8 Domestic goods, exports, indirect taxes and duties (Billions of 1990 TL)

| code | DOM-COM | 225 | Code | 58 | Code | 58 | 225 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) |  | (3) |  | (4) | (5) |
| 59 | 87907 | 2394 | 113 | 139 | 167 | 421 | 2167 |
| 60 | 3324 | 26 | 114 | 25 | 168 | 47 | 431 |
| 61 | 2530 | 93 | 115 | 3 | 169 | 2 | 12 |
| 62 | 2741 | 1 | 116 | 142 | 170 | 36 | 808 |
| 63 | 1655 | 4 | 117 | 198 | 171 | 17 | 9916 |
| 64 | 174 | 0 | 118 | 7 | 172 | 9 | 182 |
| 65 | 2435 | 504 | 119 | 81 | 173 | 37 | 271 |
| 66 | 3028 | 260 | 120 | 5 | 174 | 54 | 476 |
| 67 | 594 | 1472 | 121 | 12 | 175 | 9 | 46 |
| 68 | 3496 | 437 | 122 | 27 | 176 | 92 | 722 |
| 69 | 5813 | 166 | 123 | 93 | 177 | 45 | 167 |
| 70 | 3126 | 8 | 124 | 0 | 178 | 69 | 801 |
| 71 | 15606 | 2217 | 125 | 98 | 179 | 143 | 639 |
| 72 | 1940 | 315 | 126 | 33 | 180 | 32 | 110 |
| 73 | 1161 | 98 | 127 | 39 | 181 | 6 | 30 |
| 74 | 4909 | 114 | 128 | 2 | 182 | 968 | 922 |
| 75 | 20798 | 6214 | 129 | 844 | 183 | 327 | 2086 |
| 76 | 5706 | 4814 | 130 | 243 | 184 | 11 | 576 |
| 77 | 1941 | 399 | 131 | 67 | 185 | 18 | 484 |
| 78 | 1569 | 87 | 132 | 62 | 186 | 25 | 40 |
| 79 | 8099 | 66 | 133 | 64 | 187 | 43 | 121 |
| 80 | 2189 | 60 | 134 | 161 | 188 | 16 | 39 |
| 81 | 4783 | 120 | 135 | 78 | 189 | 258 | 763 |
| 82 | 2990 | 49 | 136 | 164 | 190 | 24 | 109 |
| 83 | 1817 | 164 | 137 | 0 | 191 | 126 | 658 |
| 84 | 3559 | 166 | 138 | 56 | 192 | 81 | 815 |
| 85 | 11281 | 1262 | 139 | 63 | 193 | 1984 | 6860 |
| 86 | 14631 | 749 | 140 | 6693 | 194 | 1779 | 1639 |
| 87 | 2138 | 14 | 141 | 3 | 195 | 33 | 201 |
| 88 | 4750 | 158 | 142 | 13 | 196 | 203 | 417 |
| 89 | 2635 | 115 | 143 | 95 | 197 | 112 | 262 |
| 90 | 1870 | 410 | 144 | 57 | 198 | 84 | 164 |
| 91 | 4470 | 158 | 145 | 62 | 199 | 10 | 118 |
| 92 | 3392 | 207 | 146 | 102 | 200 | 175 | 415 |
| 93 | 13050 | 2746 | 147 | 371 | 201 | 340 | 4524 |
| 94 | 4172 | 558 | 148 | 43 | 202 | 136 | 5313 |
| 95 | 9120 | 391 | 149 | 172 | 203 | 382 | 1037 |
| 96 | 6974 | 410 | 150 | 108 | 204 | 1404 | 9218 |
| 97 | 1906 | 24 | 151 | 62 | 205 | 43 | 123 |
| 98 | 8147 | 832 | 152 | 300 | 206 | 1267 | 4375 |
| 99 | 344 | 130 | 153 | 9 | 207 | 67 | 508 |
| 100 | 310 | 0 | 154 | 0 | 208 | 5 | 61 |
| 101 | 10469 | 439 | 155 | 167 | 209 | 1961 | 3446 |
| 102 | 91 | 4 | 156 | 1 | 210 | 32 | 844 |
| 103 | 4446 | 366 | 157 | 269 | 211 | 461 | 2018 |
| 104 | 9532 | 85 | 158 | 0 | 212 | 1 | 13 |
| 105 | 2387 | 29 | 159 | 14 | 213 | 0 | 1 |
| 106 | 56015 | 0 | 160 | 1485 | 214 | 0 | 0 |
| 107 | 67090 | 5411 | 161 | 0 | 215 | 0 | 0 |
| 108 | 17118 | 3527 | 162 | 376 | 216 | 0 | 1220 |
| 109 | 63569 | 12476 | 163 | 1160 | 217 | 0 | 2128 |
| 110 | 5797 | 58 | 164 | 338 | 218 | 0 | 78 |
| 111 | 14169 | 128 | 165 | 426 | 219 | 0 | 5 |
| 112 | 62441 | 1126 | 166 | 5488 | 220 | 0 | 656 |

## Appendix 2.D The GAMS code: the case of VERs

\$TITLE TURKEYSAM: DISAGGREGATED TRADE MODEL WITH THE EC - 1990
\$OFFSYMLIST OFFSYMXREF OFFUPPER
SSTITLE DEFINITION OF ACCOUNT SET
SETS
I SECTORS

| Agr | Agriculture |
| :--- | :--- |
| Min | Mining |
| Food | Foodproducts |
| Drink | Beverages tobacco |
| Text | Textiles |
| Wear | Wearing apparel |
| Leat | Leather and fur products |
| Foot | Footwear |
| Wood | Wood and wood products |
| Chem | Chemical products |
| Petr | Petroleum and coal products |
| Nmet | Non-metallic mineral products |
| Met | Iron steel and non-ferrous metal |
| Mach | Machinery |
| Mtran | Transport equipment and other |
| Elgas | Electricity Gas and waterworks |
| Cons | Construction |
| Whol | Wholesale retail trade restaurant and hotels |
| Tran | Transport and communications |
| Oser | Other services / |

Agriculture
Mining
ood products
Textiles
Leather and fur products
Footwear
wood and wood products
Chemical products
etroleum and coal products
Non-metallic mineral products
Machinery
Transport equipment and other

Wholesale retail trade restaurant and hotels
other services

IRS (I) SECTORS WITH IRS / Text, Wear /
CRS(I) SECTORS WITH CRS / Agr, Min, Food, Drink. Leat, Foot, Wood, Chem, Petr, Nmet, Met, Mach. Mtran, Elgas, Cons, Whol, Tran, osar /

T(I) TRADABLES / Agr, Min, Food, Drink, Text, Wear, Leat, Foot, Wood, Chem, Petr, Nmet, Met, Mach, Mtran, Elgas, Whol, Tran, Oser /

NT (CRS) NONTRADABLES / Cons /
TCRS (I) TRADABLES WITH CRS / Agr, Min, Food, Drink, Leat, Foot, Wood, Chem, Petr, Nmet, Met, Mach, Mtran, Elgas, Whol, Tran, Oser /

HCG (I) HOUSECONSGOODS / Agr, Min, Food, Drink, Text, Wear, Leat, Foot, Wood, Chem, Petr, Nmet, Mach, Mtran, Elgas, Whol, Tran, Oser /

C LABOURFORCE
Prof Professional labour
Mana
White
Sale
Serv
Farm
Nfarm
other
Professional labour
Managers
White collars
Sale workers
Service workers
Agricultural workers
Non agricultural workers
others /
HH HOUSEHOLDS /

| U14 | Urban 1 |
| :--- | :--- |
| U15 | Urban 2 |
| U16 | Urban 3 |
| U17 | Urban 4 |
| U18 | Urban 5 |
| U19 | Urban 6 |
| U20 | Urban 7 |
| $U 21$ | Urban 8 |
| $U 22$ | Urban 9 |
| $U 23$ | Urban 10 |
| $U 24$ | Urban 11 |
| $U 25$ | Urban 12 |
| $U 26$ | Urban 13 |
| U27 | Urban 14 |
| U28 |  |


| U29 | Urban 16 |
| :--- | :--- |
| U30 | Urban 17 |
| U31 | Urban 18 |
| U32 | Urban 19 |
| U33 | Urban 20 |
| R34 | Rural 1 |
| R35 | Rural 2 |
| R36 | Rural 3 |
| R37 | Rural 4 |
| R38 | Rural 5 |
| R39 | Rural |
| R40 | Rural |
| R41 | Rural 8 |
| R42 | Rural 9 |
| R43 | Rural 10 |
| R44 | Rural 11 |
| R45 | Rural 12 |
| R46 | Rural 13 |
| R47 | Rural 14 |
| R48 | Rural 15 |
| R49 | Rural 16 |
| R50 | Rural 17 |
| R51 | Rural 18 |
| R52 | Rural 19 |

UH (HH) URBAN HOUSEHOLDS / U14, U15, U16, U17, U18, U19, U20, U21, U22, U23, U24, U25, U26, U27, U28, U29, U30, U31, v32, U33/

RH (HH) RURAL HOUSEHOLDS / R34, R35, R36, R37, R38, R39, R40, R41, R42, R43. R44 R45, R46, R47, R48, R49, R50, R51, R52 /

ALIAS (I,J);
\$STITLE DEFINITION OF SOCIAL ACCOUNTING MATRIX FOR TURKEY - 1990
TABLE VARIE(I,*) MISCELLANEOUS PARAMETERS


| Who1 | 2.000 | 1 | 1 | 1.557 | 593 | 3931 | 0 |
| :--- | ---: | :--- | :--- | :--- | ---: | ---: | ---: |
| Tran | 2.000 | 1 | 1 | 1.890 | 1073 | 5513 | 0 |
| Oser | 2.000 | 1 | 1 | 2.010 | 322 | 552 | 0 |

TABLE IO(J,I) INPUT OUTPUT 1990


TABLE LABINC(*, I) Labour INCOME Activity Matrix

|  | AGR | MIN | FOOD | DRINK | TEXT | WEAR | LEAT | FOOT | WOOD | CHEM |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| PROF | 0 | 247 | 149 | 108 | 109 | 37 | 3 | 7 | 78 | 103 |
| MANA | 226 | 31 | 220 | 158 | 160 | 54 | 4 | 10 | 114 | 152 |
| WHITE | 681 | 170 | 152 | 109 | 111 | 37 | 3 | 7 | 78 | 105 |
| SALE | 16 | 0 | 5 | 4 | 4 | 1 | 0 | 0 | 3 | 3 |
| SERV | 691 | 91 | 85 | 62 | 62 | 21 | 2 | 4 | 44 | 59 |
| FARM | 4606 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| NFARM | 393 | 1458 | 1985 | 1434 | 1449 | 491 | 38 | 95 | 1032 | 1370 |
| OTHER | 0 | 0 | 42 | 31 | 31 | 11 | 1 | 2 | 23 | 30 |
| CAPITAL | 58645 | 3787 | 5159 | 2798 | 6483 | 2371 | 794 | 326 | 4681 | 4781 |


|  | PETR | NMET | MET | MACH | MTRAN | ELGAS | CONS | WHOL | TRAN | OSER |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| PROF | 21 | 131 | 111 | 167 | 148 | 675 | 782 | 1175 | 365 | 17585 |
| MANA | 31 | 193 | 164 | 247 | 218 | 109 | 1247 | 200 | 301 | 2516 |
| WHITE | 21 | 133 | 113 | 170 | 151 | 1012 | 406 | 2066 | 1210 | 8128 |
| SALE | 0 | 4 | 4 | 6 | 5 | 1 | 4639 | 3 | 85 |  |
| SERV | 12 | 75 | 64 | 96 | 84 | 244 | 294 | 6550 | 195 | 5248 |
| FARM | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 2 | 0 | 5 |
| NFARM | 274 | 1740 | 1481 | 2231 | 1970 | 1141 | 10074 | 1592 | 4356 | 5002 |
| OTHER | 5 | 37 | 32 | 49 | 44 | 22 | 15 | 55 | 68 | 395 |
| CAPITAL | 4607 | 5339 | 2544 | 7554 | 2726 | 5140 | 10466 | 50668 | 44895 | 26147 |

TABLE HHINCOME(HH,*) Household Income

U14
PROF MANA WHITE SALE SERV FARM NFARM OTHER
GOV ROW CAPIT
$39 \quad 0 \quad 93 \quad 21 \quad 221$ 851 APIT

|  |  |  |  |  |  |  |  |  |  |  |  |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| U15 |  | 370 | 4 | 1584 | 94 | 1119 | 23 | 3125 | 33 | 125 | 75 |
| U16 | 1758 | 37 | 2025 | 122 | 1676 | 28 | 4025 | 86 | 328 | 248 | 2999 |
| U17 | 1517 | 73 | 1567 | 177 | 1354 | 30 | 3867 | 120 | 435 | 298 | 3946 |
| U18 | 1343 | 110 | 1143 | 218 | 778 | 30 | 2944 | 70 | 372 | 476 | 5395 |
| U19 | 1219 | 142 | 898 | 187 | 489 | 25 | 2244 | 96 | 342 | 465 | 5499 |
| U20 | 1051 | 157 | 915 | 209 | 442 | 22 | 1877 | 103 | 308 | 392 | 6706 |
| U21 | 915 | 160 | 601 | 168 | 355 | 22 | 1339 | 80 | 232 | 353 | 6125 |
| U22 | 785 | 158 | 508 | 221 | 221 | 15 | 1062 | 53 | 243 | 210 | 5851 |
| U23 | 804 | 147 | 322 | 160 | 168 | 8 | 796 | 50 | 156 | 320 | 4435 |
| U24 | 1317 | 479 | 517 | 300 | 328 | 25 | 995 | 53 | 232 | 653 | 10044 |
| U25 | 1109 | 324 | 313 | 228 | 335 | 23 | 754 | 17 | 190 | 453 | 8707 |
| U26 | 1025 | 350 | 195 | 191 | 322 | 19 | 452 | 0 | 137 | 218 | 6938 |
| U27 | 979 | 293 | 17 | 157 | 114 | 18 | 483 | 0 | 100 | 109 | 5482 |
| U28 | 746 | 129 | 110 | 112 | 208 | 3 | 217 | 17 | 52 | 195 | 3977 |
| U29 | 1738 | 729 | 254 | 305 | 194 | 32 | 820 | 0 | 167 | 535 | 13053 |
| U30 | 616 | 367 | 0 | 160 | 74 | 7 | 253 | 0 | 47 | 525 | 6581 |
| U31 | 1245 | 883 | 0 | 248 | 268 | 7 | 290 | 0 | 35 | 464 | 14253 |
| U32 | 0 | 727 | 0 | 59 | 0 | 9 | 163 | 0 | 0 | 66 | 4973 |
| U33 | 0 | 127 | 0 | 36 | 0 | 0 | 0 | 0 | 0 | 0 | 3041 |
| R34 | 65 | 2 | 42 | 14 | 201 | 82 | 633 | 3 | 10 | 2 | 418 |
| R35 | 318 | 6 | 508 | 30 | 892 | 250 | 1737 | 10 | 87 | 2 | 2564 |
| R36 | 623 | 56 | 652 | 91 | 992 | 328 | 2256 | 3 | 156 | 11 | 5573 |
| R37 | 636 | 56 | 915 | 126 | 818 | 402 | 1858 | 0 | 205 | 53 | 7646 |
| R38 | 512 | 60 | 508 | 162 | 912 | 390 | 1297 | 33 | 199 | 281 | 8488 |
| R39 | 227 | 45 | 576 | 76 | 556 | 326 | 1292 | 13 | 148 | 216 | 7542 |
| R40 | 188 | 91 | 169 | 61 | 181 | 310 | 1273 | 0 | 99 | 204 | 6989 |
| R41 | 104 | 45 | 186 | 48 | 87 | 348 | 537 | 0 | 48 | 96 | 6807 |
| R42 | 65 | 60 | 59 | 100 | 47 | 305 | 597 | 0 | 66 | 81 | 6212 |
| R43 | 32 | 17 | 161 | 46 | 40 | 124 | 265 | 0 | 50 | 77 | 4009 |
| R44 | 45 | 69 | 25 | 64 | 215 | 436 | 567 | 10 | 40 | 192 | 9557 |
| R45 | 58 | 50 | 0 | 88 | 255 | 264 | 205 | 33 | 33 | 195 | 5878 |
| R46 | 65 | 17 | 0 | 107 | 87 | 116 | 115 | 0 | 16 | 0 | 3711 |
| R47 | 156 | 108 | 0 | 106 | 0 | 40 | 181 | 0 | 13 | 51 | 4498 |
| R48 | 78 | 32 | 0 | 74 | 0 | 50 | 127 | 0 | 3 | 0 | 2224 |
| R49 | 253 | 58 | 0 | 109 | 34 | 87 | 109 | 0 | 13 | 521 | 4850 |
| R50 | 0 | 140 | 0 | 68 | 0 | 170 | 0 | 0 | 7 | 0 | 4431 |
| R51 | 0 | 47 | 0 | 44 | 0 | 198 | 0 | 0 | 1 | 741 | 3738 |
| R52 | 0 | 0 | 0 | 0 | 0 | 33 | 0 | 0 | 0 | 0 | 762 |

TABLE HHCONSUM(*, HH) Household Consumption Expenditure
$\begin{array}{llllllllllllllll}18 & 415 & 126 & U 17 & U 18 & U 19 & U 20 & U 21 & U 22 & 023 & U 24 & U 25 & U 26 & \text { U27 }\end{array}$
 $\begin{array}{llllllllllllllllll}\text { Agr } & 480 & 2072 & 3199 & 2973 & 2459 & 2000 & 1941 & 1561 & 1223 & 991 & 1831 & 1467 & 1037 & 692\end{array}$ $\begin{array}{lrrrrrrrrrrrr}\text { Min } & 5 & 35 & 67 & 68 & 62 & 57 & 64 & 47 & 41 & 33 & 85 & 65 \\ \text { Food } & 259 & 974 & 1473 & 1187 & 1057 & 866 & 814 & 643 & 492 & 403 & 729 & 562 \\ 396 & 281\end{array}$ $\begin{array}{lrrrrrrrrrrrr}\text { Drink } & 63 & 713 & 486 & 462 & 427 & 334 & 314 & 643 & 492 & 403 & 729 & 562 \\ \text { Text } & 52 & 429 & 628 & 637 & 513 & 402 & 439 & 291 & 227 & 201 & 354 & 257 \\ 216 & 185 & 374 & 249 & 220 & 15\end{array}$ $\begin{array}{lrrrrrrrrrrrrr}\text { Text } & 52 & 429 & 628 & 637 & 513 & 402 & 439 & 291 & 211 & 185 & 374 & 249 & 220 \\ \text { Wear } & 20 & 119 & 223 & 252 & 228 & 210 & 223 & 188 & 160 & 132 & 254 & 215 & 151 \\ \text { Leat } & 1 & 7 & 14 & 16 & 14 & 13 & 14 & 12 & 10 & 8 & 16 & 13 & 9\end{array}$

Wood
$\begin{array}{lr}\text { Chem } & 21 \\ \text { Petr } & 203\end{array}$
$\begin{array}{rrrr}\text { Petr } & 20 & 68 & 15 \\ \text { Nmet } & 16 & 157 & 20\end{array}$
$\begin{array}{lrrrrrrrrrrrrrr}\text { Met } & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ \text { Mach } & 50 & 382 & 607 & 624 & 479 & 458 & 477 & 371 & 434 & 305 & 596 & 584 & 379 & 395 \\ \text { Mtran } & 6 & 291 & 281 & 261 & 167 & 203 & 163 & 92 & 230 & 223 & 359 & 361 & 177 & 90 \\ \text { Elgas } & 29 & 108 & 180 & 168 & 140 & 115 & 117 & 88 & 75 & 60 & 123 & 74 & 70 & 58 \\ \text { Cons } & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0\end{array}$ $\begin{array}{lllllllllllllllll}\text { Whol } & 244 & 1292 & 2104 & 2194 & 2060 & 1888 & 1900 & 1643 & 1463 & 1184 & 2600 & 2015 & 1497 & 1398\end{array}$


$\begin{array}{lrrrrrrrrrrrrrrr} & 408 & 1326 & 665 & 1623 & 630 & 370 & 69 & 279 & 462 & 481 & 447 & 358 & 290 & 265 & 228 \\ \text { HTAX } & 408\end{array}$
 $\begin{array}{llllllllllllllllllll}\text { Agr } & 528 & 1428 & 508 & 912 & 338 & 60 & 986 & 2311 & 3039 & 3153 & 2929 & 2266 & 1746 & 1552 & 1212\end{array}$
 $\begin{array}{lrlllrrr}\text { Drink } & 128 & 323 & 187 & 329 & 73 & 62 & 18\end{array}$
Text
Leat $\quad 98 \quad 35$
$\begin{array}{rrrrrrr}\text { Foot } & 22 & 80 & 32 & 58 & 21 & 7 \\ \text { Wood } & 165 & 341 & 212 & 413 & 70 & 11\end{array}$
$\begin{array}{lllllllllllllllllll}\text { Chom } & 171 & 595 & 300 & 563 & 131 & 29 & 121 & 112 & 202 & 261 & 284 & 179 & 223 & 129 & 131\end{array}$


LEONTIEF (J, I) INTERMEDIATE DEMAND MATRIX
INTERMEDIATE DEMAND
INDTAXO (J) INDIRECT TAXES
Dомо (J)
DOO (J)
TARIFO (J)
PECWO (I
PEO (I)
PERWO (I)
PWMO (J)
IMPO (J)
ICEEO (J)
IROWO (J)
PYO(I)
PO (J)
PVO (I)
WAGEO (I)
RENTO (I)
PDO (I)
PMO (I)
PCO (J)
PRO (J)
PECO (I)
PERWO (I)
YOO(I)
YO (I)
ALO (I)
AKO (I)
AKO (I)
Q0 (J)
EO (J)
TOTECEEO (J)
ECEEO (J)
EROWO (J)
HRO
HCO (J)
THCO
GCO (J)
TGCO
zo (J)
invo
THGO
THWO
THWO
LINCO (C,I)
ALABO (I)
aKAPO (I)
FKINCO
FLINCO
HRO
нсмо (J)
HHCO
htax 0
TDTHO
HSO
depreco
TGKO
TWKO
TKINCC
RENTVERO
GOODMKTEQ(J) EQUILIBRIUM IN THE GOODS MARKET

* dUMMIES TO hold initial data for oligopolistic firms

| PROFITO (IRS) | SECTORAL PROFITS |
| :---: | :---: |
| VERRENT0 (IRS) | RENT ON VER |
| MCO (IRS) | MARGINAL COST |
| AKFO(IRS) | FIXED AGGREGATE CAPITAL |
| ALFO(IRS) | FIXED AGGREGATE LABOUR |
| AVCO(IRS) | AVERAGE COSTS |
| no (i) | NUMBER OF SYMMETRIC DOMESTIC FIRMS |
| elas0 (IRS) | DEMAND ELASTICITY FACING FIRMS FOR DOMESTIC OUTPUT |
| alaseo (IRS) | DEMAND ELASTICITY FACING FIRMS FOR EXPORTS |
| FIXEDO (IRS) | FIXED COSTS |
| PCM (IRS) | PRICE COST MARGIN |
| fi(irs) | ELASTICITY OF SUBSTITUTION ANONG BRANDS |
| fie(irs) | CES AMONG BRANDS FACED BY A FOREIGN CONSUMER |

* VARIABLES PER FIRM

| yso(i) | output |
| :--- | :--- |
| $10(i)$ | labour |
| k0(i) | capital |
| $1 f 0(i r s)$ | fixed labour |
| kfo(irs) | fixed capital |
| fix0(irs) | fixed costs |
| f |  |

** CALIBRATION OF ALL SHIFT AND SHARE PARAMETERS **

* CALIBRATION OF ALL SHIFT AND SHARE PARAMETERS **
* GET TECO. RENTVERO
$\operatorname{TECO}(I)=\operatorname{VARIE}\left(I, \operatorname{EXPECDUTY}^{\prime}\right) ;$
TOTECEEO(I) = VARIE(I, 'EXPEC15"):
RENTVERO (I) $=\operatorname{TECO}(I) * T O T E C E E O(I) /(1+T E C O(I))$;
DISPLAY TECO. RENTVERO;
* Get A(I,J),

LEONTIEF $(J, I)=I O(J, I)$ :
LINCO $(C, I)=\operatorname{LABINC}(C, I)$
ALABO (I) = SUM(C, LINCO (C, I))
AKAPO(I) $=$ LABINC('CAPITAL", I) - PENTVERO(I);
$Y O(I)=A L A B O(I)+A K A P O(I)+\operatorname{SUM}(J, L E O N T I E F(J, I))$ :
$A(J, I)=$ LEONTIEF (J,I)/YO(I);
DISPLAY A:

SECTORS WITH COMPETITIVE MARKETS - CRS
-

SIGMA (CRS) = VARIE(CRS, "SIGMA")
ALO (CRS) $=$ SUM (C, LINCO (C, CRS) );
AKO (CRS) = AKAPO (CRS):
$A L A K(C R S)=(A L O(C R S) / A K O(C R S)) * *(1 / S I G M A(C R S)):$
GAMMA (CRS) = ALAK (CRS) / (1+ALAK (CRS)):
CESV (CRS) §GAMMA (CRS) $=($ GAMMA (CRS)*ALO (CRS)** $($ (SIGMA(CRS)-1)/SIGMA(CRS)) +
(1-GAMMA (CRS) ) AKO (CRS) ** (SIGMA (CRS) - 1 )/SIGMA (CRS)) )**(SIGMA (CRS)/(SIGMA (CRS) - 1 )) : (1-GAMMA (CRS)) *AKO (CRS) ** (SIGMA (CRS) -
AD(CRS) \$CESV (CRS) $=Y 0$ (CRS)/CESV(CRS):
$A D S(C R S)=A D(C R S) * *((S I G M A(C R S)-1) / S I G M A(C R S))$;


* SECTORS WITH MARKET STRUCTURE FACING FIXED COSTS - IRS

```
SIGMA(IRS) = VARIE(IRS,'SIGMA')
ALFO(IRS) = LABINC('PROF*,IRS) + LABINC(*MANA*,IRS) + LABINC('WHITE*,IRS):
LFSHARE (IRS) = ALFO(IRS); SUM(C,LINCO(C,IRS)): DISPLAY LFSHARE;
ALO(IRS) = SUM(C,LINCO(C,IRS)) - ALFO(IRS):
ALO(IRS) = SUM(C,LINCO(C,
ARFO(IRS) = 0.15*Y0(IRS);
ARO(IRS) = AKAPO(IRS) - AKFO(IRS)
ALAK(IRS) = (ALO(IRS)/AKO(IRS))**(1/SIGMA(IRS)):
GAMMA(IRS) = ALAK(IRS)/{1+ALAK(IRS));
CESV(IRS) §GAMMA(IRS) = {GAMMA(IRS)*ALO(IRS)**((SIGMA(IRS)-1)/SIGMA(IRS)) *
(1-GAMMA(IRS))*AKO(IRS)**((SIGMA(IRS)-1)/SIGMA(IRS))|**(SIGMA(IRS)/(SIGMA(IRS)-1))
AD(IRS) SCESV(IRS) = YO(IRS)/CESV(IRS)
ADS(IRS) = AD(IRS)**((SIGMA(IRS)-1)/SIGMA(IRS)):
DISPLAY AD, ADS, GAMMA, SIGMA, ALFO, ALO, AKFO, AKO;
```


## GET MAIN VARIABLES

INDTAXO(I) = VARIE(I, "IND-TAX")
TARIFO (J) = VARIE(J,"DUTY'):
DOMO $(J)=$ VARIE(J, $J O M-C O M \cdot) ;$
DOO (J) $=($ DOMO (J) - INDTAXO (J)):

QO (J) $=$ (IMPO(J) + DOO (J) ):
TOTECEEO(I) = VARIE(I, "EXPEC15");
ECEEO (I) = (TOTECEEO(I) - RENTVERO (I));
EO(I) = (VARIE(I, EXPORT') - RENTVERO (I)) :
EROWO (I) = EO (I)-ECEEO(I)
$\mathrm{YOO}(\mathrm{I})=\mathrm{EO}(\mathrm{I})+\mathrm{DOO}(\mathrm{I}):$

DISPLAY YO, YOO:

* GET TD. HCM
*TDO (J) $=\operatorname{INDTAXO(J)/(\operatorname {PMO}(J)*\operatorname {IMPO}(J)+\operatorname {PDO}(J)*DOO(J))~}$ $\operatorname{TDO}(J)=\operatorname{INDTAXO}(J) /(\operatorname{IMPO}(J)+\operatorname{DOO}(J))$ : DISPLAY TDO:
$\operatorname{HCMO}(J)=\operatorname{SUM}(H H, \operatorname{HHCONSUM}(J, H H)) /(1+\operatorname{TDO}(J)):$
* GET MURKUP VARIABLES

EPSI(J) = VARIE(J, 'EPSI*); ETAC(IRS) = VARIE(IRS, "ETAC");
fi(irs) $=8 ;$ fie(irs) $=8 ;$ no(irs) = 20:
*.


* COURNOT
elasO(irs) $=(1 / f i(i r s)+1$ 1/EPSI(IRS) - $1 / f i(i r s)) / n O(i r s)+$ ( QO (IRS)/HCMO (IRS) - $1 / E P S I(I R S) ~)$ DOO (IRS) /( no(irs)*QO(IRS)*(1+TDO(IRS))) )**(-1);
elase0(irs) $=(1 / f i e(i r s)+(1 / E T A C(I R S)-1 / f i e(i r s)) / n 0(i r s))_{* *(-1)}^{( }$
$* * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * *$

* BERTRAND * *
*elaso(irs) $=(1-1 / n 0(i r s))^{*} f i(i r s)+$
* $(11-\operatorname{DOO}(I R S) / Q O(I R S) *(1+T D O(I R S))) * E P S I(I R S)+$ (HCMO(IRS)/QO(IRS))*DOO(IRS)/QO(IRS)*(1+TDO(IRS)) / nO(irs)

************************************************************************
DTSPLAY elaso elase0
************:*******
* GET PRICES AND COST EQUATIONS

MCO(IRS) $=(((G A M M A(I R S) * * S I G M A(I R S))+((1-G A M M A(I R S)) * * S I G M A(I R S)))$

* (1/(1-SIGMA\{IRS))))/AD(IRS) $+\operatorname{SUM}(J, A(J, I R S)) ;$

PDO(IRS) $=\operatorname{MCO}(I R S) /(1-1 / e l a s 0(1 r s)):$
PECO(IRS) $=\operatorname{MCO}($ IRS $) /(1$ - $1 / e l a s e 0(i r s)) ;$
PDO (CRS) = 1: PECO(CRS) = $1:$ PERWO(CRS) = 1 :
PERWO (IRS) $=$ PDO (IRS):
$\operatorname{PEO}(I) \$ T(I)=(\operatorname{PECO}(\mathrm{I}) * E C E E O(I)+\operatorname{PERWO}(I) * E R O W O(I)) / E O(I):$
PYO (I) $=$ (PDO(I)*DOO(I) + PEO(I)*EO(I) ) / YO (I);
AVCO(IRS) = PYO(IRS):
PO(J) $=(1+T D O(J)) * P D O(J):$
PMO(J) $=$ PDO (J):
PCO (J) = PDO (J):
PRO (J) = PDO (J):
PECWO (I) $=\operatorname{PECO}(I) *(1 * T E C O(I))$;
PVO (I) $=(($ GAMMA(I)**SIGMA(I)) + (1-GAMMA(I))**SIGMA(I)))
**(1/(1-SIGMAII)))/AD(I) :
DISPLAY MCO AVCO PYO PVO PECWO:

* GET WAGE, RENT, FIXED AND AVERAGE COSTS, PROFITS

WAGEO (CRS) $=$ ADS (CRS) *GAMMA (CRS) *PVO (CRS)* (YO (CRS)/ALO (CRS))**(1/SIGMA(CRS)); RENTO (CRS) $=$ ADS (CRS)* (1-GAMMA (CRS))*PVO (CRS)*(YO (CRS)/AKO (CRS))**(1/SIGMA (CRS)):

WAGEO (IRS) $=$ ADS (IRS)*GAMMA (IRS) *PVO(IRS) * (YO(IRS)/ALO(IRS))**(1/SIGMA(IRS)):
RENTO (IRS) $=$ ADS(IRS)*(1-GANMA (IRS))*PVO(IRS)* (YO(IRS) /AKO(IRS))**(1/SIGMA(IRS)):

FIXEDO(IRS) $=$ AVCO(IRS)*YO(IRS) - WAGEO(IRS)*ALO(IRS) - RENTO(IRS)*AKO(IRS) SUM(J,A(J, IRS))*YO(IRS):

DISPLAY WAGEO, RENTO, FIXEDO.

* GET BETA FROM COSTMIN, QO FROM ABSORPTION, ARM FORM ARMINGTON
$\operatorname{IMPDOM}(T)=(\operatorname{IMPO}(T) / D O O(T)) * *(1 / E P S I(T)) ;$
$\operatorname{BETA}(T)=\operatorname{IMPDOM}(T) /(1+\operatorname{IMPDOM}(T)):$
$A R M(T)=Q 0(T) /(\{B E T A(T) * I M P O(T) * *((E P S I(T)-1) / E P S I(T))$ $+(1-\operatorname{BETA}(T)) * D O 0(T) * *((\operatorname{EPSI}(T)-1) / E P S I(T)))$
**(EPSI (T)/(EPSI (T)-1))) :
DISPLAY ARM
* GET TM
$\operatorname{TMO}(J) \$ T(J)=\operatorname{TARIFO}(J) /(\operatorname{PMO}(J) * \operatorname{IMPO}(J)-\operatorname{TARIFO}(J))$;
PWMO (J) = PMO (J)/\{1 + TMO (J)):
TCO (J) $=$ TMO (J):
TRO (J) = TMO (J):
DISPLAY TNO:
* GET ALFAE AND CETS FROM CET FUNCTION

ELA(I)ST(I) $=2.9$.
$\operatorname{EDOM}(I) \$ T(I)=(D O Q(I) / E O(I)) * *(I / E L A(I))$
$\operatorname{ALFAE}(I)$ ST(I) $=\operatorname{EDOM}(I) /(1+\operatorname{EDOM}(I))$

$(1-\operatorname{ALFAE}(I)) * D O O(I) * *((E L A(I)+1) / E L A(I))) * *(E L A(I) /(E L A(I)+1)) ;$
CETS(I) $\$ T(I)=Y O(I) / C E T A(I) ;$
DISPLAY ALFAE, CETS:

* GET SHARE AND SHIFT FROM CET FUNCTION

ELAE(I)\$T(I) = 5
EDOME (I)\$T(I) = (EROWO (I)/ECEEO(I))**(1/ELAE(I)):
$\operatorname{SHARE}(I) \$ T(I)=\operatorname{EDOME}(I) /(1+E \operatorname{EDOME}(I))$
SHARE (I) ST (I) = EDOME(I) (1+EDOME(I))
$\operatorname{CETAE}(I) S T(I)=(S H A R E(I) * E C E E O(I) * *(\operatorname{ELAE}(I)+1 \mid / E L A E(I))$ *
(1-SHARE (I) ) EROWO (I)** ( $(E L A E(I)+1) / E L A E(I))\} *(E L A E(I) /(E L A E(I)+1)):$
SHIFT(I)ST(I) =EO(I)/CETAE(I):
DISPLAY SHARE, SHIFT:

* GET ALFA AND ARMM BY INCLUNING TARIFFS IN ICEE AND IROW

ICEEO (J) = |VARIE(J.'IMPEC15*)*(1+TCO(J))):
IROWO (J) $=\{$ IMPO(J)-ICEEO (J)):
EPSIM(T) $=5$;
$\operatorname{ICEEIROW}(T)=\{\operatorname{ICEEO}(T) / \operatorname{IROWO}(T)) * *(1 / E P S I M(T)):$
ALFA $(T)=$ ICEEIROW(T)/(1+ICEEIROW(T)):
$A R M M(T)=\operatorname{IMPO}(T) /((A L F A(T) * \operatorname{ICEEO}(T) * *((E P S I M(T)-1) / E P S I M(T))$
$+(1-A L F A(T))$ IROWO(T) ** (EPSIM(T)-1)/EPSIM(T)))
** (EPSIM(T)/\{EPSIM(T)-1))\}:
DISPLAY ALFA, ARMM:

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*************ロ*****
VARIABLES PER FIRM
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* 

no(crs) $=1 ;$
$Y=0(i)=Y 0(I) / n 0(i) ;$
$10(i)=A L 0(I) / n 0(1) ;$
$\mathrm{KO}(i)=\mathrm{AKO}(\mathrm{I}) / \mathrm{nO}(\mathrm{i}):$
lfo(irs) = ALFO(IRS)/no(irs):
kfO(irs) = AKFO(IRS)/no(irs):
fix0(irs) $=$ FIXEDO(IRS)/no(irs);

- GET SHHK

TGKO $=10418$;
TWKO $=1606$;
DEPRECO $=47685$

* GET DTAX

THGO = SUM (HH, HHINCOME (HH, "GOV")):
THWO $=$ SUM (HH,HHINCOME (HH, -ROW ') )
PROFITO (IRS) $=\left(\right.$ PYO (IRS)-AVCO (IRS)) ${ }^{\prime}$ YO(IRS) :
VERRENTO (IRS) $=$ TECO (IRS) *ECEEO (IRS) :
FKINCO $=$ SUM(IRS, RENTO(IRS)*(AKO(IRS) + AKFO(IRS))) +
SUM (CRS, RENTO (CRS) *AKO (CRS)) + TGKO + TWKO - DEPRECO
FLINCO $=$ SUM (CRS. WAGEO (CRS)*ALO (CRS)) +
SUM (IRS, WAGEO (IRS)*(ALO(IRS) + ALFO(IRS))):
HRO $=334836$
HTAXO $=$ SUM (HH, HHCONSUM ("HTAX", HH)।
DTAX = HTAXO/HRO: DISPLAY DTAX:
******

* The absorption in the SAM contains VAT. This must be extracted to get an
- equilibrium in the goods market.
* Remember that (1, TDO (J)) =PO(J)/PDO(J)
* GET MPSH, HBS

HHCO $=\operatorname{SUM}(J,(1+\operatorname{TDO}(J)) * H C M O(J))$
HBS (J) \$HCMO (J) = (1 + TDO (J))*HCMO (J)/HHCO: DISPLAY HBS:
HSO $=$ SUM (HH, HHCONSUM(*SAV*, HH))
MPSH $=$ HSO / (HRO-HTAXO); DISPLAY MPSH;

* GET KSHR
$20(J)=V A R I E\{J$, CAP-ACC")/(1 + TDO (J)):
INVO $=\operatorname{SUM}(\mathrm{J}, 11+\operatorname{TDO}(\mathrm{J})) *$ ZO (J) $:$
$\operatorname{KSHR}(J)=(1+$ TDO $(J)) * \mathrm{ZO}(J) /$ TNVO: DISPLAY KSHR:
- GET GBS

GCO (J) $=\operatorname{VARIE}(J$, "GCON")/(1 + TDO (J)):
TGC0 $=\operatorname{SUM}(\mathrm{J}, 11$ + TDC (J)) *GC0(J)):
GBS (J) $=(1+T D O(J)) * G C O(J) / T G C O ; ~ D I S P L A Y ~ G B S: ~$

* GET XO
$\mathrm{XO}(\mathrm{J})=\operatorname{SUM}(I, \operatorname{LEONTIEF}(J, I)) /(1+\operatorname{TDO}(J)):$
* EQUILIBRIUM IN THE GOODS MARKET

GOODMKTEQ $(\mathrm{J})=Q 0(\mathrm{~J})-(\mathrm{HCMO}(\mathrm{J})+\operatorname{GCO}(\mathrm{J})+Z O(\mathrm{~J})+X O(\mathrm{~J}))$
DISPLAY GOODMKTEQ:


FREE VARIABLES

| THG | GOVERNMENT TRANSFERS TO HOUSEHOLDS |
| :--- | :--- |
| THW | REMITTANCES FROM ABROAD |
| HS | HOUSHOLD SAVINGS |
| GS | GOVERNMENT SAVINGS |
| WS | FOREIGN SAVINGS |
| Z (J) | INVESTMENT BY SECTOR OF ORIGIN |
| TWG | GOVERNMENT TRANSFERS ABROAD |
| AGLAB | EXCESS DEMAND FOR LABOUR |
| AGCAP | EXCESS DEMAND FOR CAPITAL |

-WELFARE INDICATOR FOR OBJECTIVE PUNCTION UTILITY OBJECTIVE FUNCTION VARIABLE

POSITIVE VARIABLE
MC(IRS)
MARGINAL COST
AVERAGE COSTS

| fix(irs) | FIXED COSTS |
| :---: | :---: |
| $n(1)$ | NUMBER OF SYMMETRIC FIRMS |
| E(I) | EXPORTS |
| elas (irs) | FIRM PERCEIVED PRICE ELASTICITY FOR DOMESTIC OUTPUT |
| elase(irs) | FIRM PRECEIVED PRICE ELASTICITY FOR EXPORTS |
| TD (I) | INDIRECT TAX ON DOMESTIC CONSUMPTION |
| TC (J) | TARIFF ON IMPORTS FROM CEE |
| TR (J) | TARIFF ON IMPORTS FROM ROW |
| TEC(J) | TARIFF ON EXPORTS IMPOSED BY CEE |
| PEC(I) | PRICE OF EXPORTS TO THE EC |
| PECW(IRS) | WORLD PRICE OF EXPORTS TO THE EC |
| PERW(I) | PRICE OF EXPORTS TO THE ROW |
| PV(I) | NET OR VALUE ADDED PRICE |
| P(J) | COMPOSITE PRICE OF COMMODITY J |
| PD(J) | DOMESTIC PRICE OF COMMODITY |
| PM(J) | DOMESTIC PRICE OF IMPORT |
| PC (J) | DOMESTIC PRICE OF IMPORT FROM CEE |
| PE(I) | DOMESTIC PRICE OF EXPORTS |
| PR(J) | DOMESTIC PRICE OF IMPORT FROM ROW |
| PY(I) | DONESTIC PRICE OF DOMESTIC OUTPUT |
| WAGE | WAGE |
| RENT | RENT |
| PWM (J) | WORLD PRICE OF COMMODITY M IMPORTED |
| CPI | LEYSPERES PRICE INDEX OF DOMESTIC GOODS |
| X(J) | INTERMEDIATE INPUTS DEMAND |
| ys (i) | DOMESTIC PRODUCTION OF COMPOSITE GOODS |
| 1 (i) | COMPENSATION OF EMPLOYEES |
| k(i) | OPERATING SURPLUS |
| D(J) | DOMESTIC DEMAND OF COMMODITIES |
| IMP (J) | IMPORTS |
| ICEE(J) | TMPORT FROM EC |
| IROW(J) | IMPORT FROM ROW |
| Q(J) | COMPOSITE COMMODITY |
| EEU(I) | EXPORTS TOWARDS CEE |
| EROW(I) | EXPORTS TOWARDS ROW |
| FKINC | FACTOR INCOME |
| FLINC | LABOUR INCOME |
| HR | HOUSEHOLD INCOME |
| HCM | HOUSEHOLD CONSUMPTION MATRIX |
| SAV | AGGREGATE SAVINGS |
| INV | AGGREGATE INVESTMENT ON J |
| INTAX | INDIRECT TAX ON VALUE ADDED NET OF EXPORTS |
| TDTH | DIRECT TAXES ON HOUSEHOLD INCOME |
| TARIF | TARIFFS ON IMPORTS |
| DEPREC | DEPRECIATION |
| TGK | NET GOVERNMENT TRANSFERS TO CAPITAL-FIRMS |
| TWK | NET ROW TRANSFERS TO CAPITAL-FIRMS |
| R | GOVERNMENT INCOME |
| GC (J) | GOVERNMENT CONSUMPTION |
| TGCON | TOTAL GOVERNMENT CONSUMPTION |
| HC (J) | HOUSEHOLD CONSUMPTION |
| PROFIT (IRS) | PROFITS RATE |
| VERRENT (IRS) | RENT ON VERs |


| ** | EQUATIONS |
| :---: | :---: |

EQUATIONS

* Price Equations

ABSORPT (J)
PMDEF(J)
PCDEF (J)
PRDEF (J)
PYDEF (I)
PEDEF(I)
PDDEF (IRS)
COURNOTD (IRS)
BERTRAND (IRS
PECDEF(IRS)
COURNOTE (IRS)
BERTRANE (IRS)

VALUE OF DOMESTIC SALES
DEFINITION OF DOMESTIC IMPORT PRICE
DEFINITION OF DOMESTIC IMPORT PRICE FROM EU
DEFINITION OF DOMESTIC IMPORT PRICE FROM ROW
DEFINITION OF FRODUCER PRICE
DEFINITION OF PRICE FOR EXPORTS
DEFINITION OF DOMESTIC PRICE
IRM PERCEIVED PRICE ELASTICITY FOR DONESTIC OUTPUT
FIRM PERCEIVED PRICE ELASTICITY FOR DOMESTIC OUTPUT
DEFINITION OF WORLD PRICE FOR EXPORTS TO THE EC
FIRM PERCEIVED PRICE ELASTICITY FOR EXPORTS
FIRM PERCEIVED PRICE ELASTICITY FOR EXPORTS

PECWDEF (IRS)
PVADEF (I)
CPINDEX

DEFINITION OF PRICE FOR EXPORTS TO THE EC DEFINITION OF ACTIVITY OR VALUE ADDED PRICE LEYSPERES PRICE INDEX OF DOMESTIC GOODS

* Production and Factor Inputs Equations

OUTPUTCR (CRS)
AGGLCRS (CRS)
AGGKCRS (CRS)
OUTPUTIR(IRS)
AGGLIRS (IRS) AGGKIRS (IRS)
MARGCOST \{IRS\}
AVCDEF (IRS)
FIXEDCOST (IRS)

GROSS DOMESTIC OUTPUT CRS
AGGREGATE LABOUR DEFINITION BY CATEGORY - CRS AGGREGATE CAPITAL DEFINITION BY CATEGORY - CRS GROSS DOMESTIC OUTPUT IRS
AGGREGATE LABOUR DEFINITION BY CATEGORY - IRS AGGREGATE CAPITAL DEFINITION BY CATEGORY - IRS MARGINAL COSTS
AVERAGE COSTS
FIXED COSTS

* TRADE EQUATIONS

ARMINGTON (T)
ARMINGTONT (NT)
COSTMIN (T)
ARMINGIMP (T)
COMIMP (T)
CET(I)
EXPCET (I)
CETNT (NT)
EXPORT (I)
ECDEMAND (IRS)
ARMINGTON CES SPECIFICATION TRADABLES ARMINGTON CES SPECIFICATION NONTRADABLES COST MINIMIZATION FOR COMPOSITE GOOD CES SPECIPICATION FOR IMPORTS
COST MINIMIZATION FOR COMPOSITE IMPORT
CET SPECIFICATION FOR TRADABLES
CET SPECIFICATION FOR EXPORTS
CET SPECIFICATION FOR NONTRADABLES EXPORT SALE MAXIMIZATION EXPORT DEMAND BY EC

* Income Equations

| VERRENTS (IRS) | RENT ON VERS |
| :--- | :--- |
| FACKINC | CAPITAL INCONE |
| FACLINC | LABOUR INCOME |
| HHINC | HOUSEHOLD INCOME |

* Tax equations

DIRTH DIRECT TAXES ON HOUSEHOLD INCOME
INDTAX
TARIFFS
GYDEF
INDIRECT TAXES ON VALUE ADDED
TARIFF ON IMPORTS
GOVERNMENT INCOME

* Savings and Investment Equations

| SAVDEF | AGGREGATE SAVINGS |
| :--- | :--- |
| HHSDEF | HOUSEHOLDS SAVINGS |
| GSDEF | GOVERNMENT SAVINGS |
| ZDEFC(CRS) | INVESTMENT BY SECTOR OF ORIGIN |
| ZDEFI(IRS) | INVESTMENT BY SECTOR OF ORIGIN |

* Expenditure Equations

INTDEF (J)
HHCDEFC (CRS)
HHCDEFI (IRS)
GOVCDEFC (CRS)
GOVCDEFI(IRS)

INTERMEDIATE DEMAND HOUSEHOLD CONSUMPTION HOUSEHOLD CONSUMPTION GOVERNMENT CONSUMPTION GOVERNMENT CONSUMPTION
** Market Clearing Conditions

LABMARKET
CAPMARKT
GOODEQC (CRS)
GOODEQI (IRS)
BOPEQ
SAVINVEQ
PROFEQ (IRS )

* Objective Function

OBJ

LABOUR MARKET EOUILIBRIUM CAPITAL MARKET EQUILIBRIUM CRS GOODS MARKET EQUILIBRIUM IRS GOODS MARKET EQUILIBRIUM BALANCE OF PAYMENT EQUILIBRIUM SAVINGS INVESTMENT EQUILIBRIUM PROCE EQUALS AVERAGE COST

OBJECTIVE FUNCTION :

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** EQUATION ASSIGNMENT
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* Price Equations

$\mathrm{Ys}(\mathrm{Crs})=\mathrm{E}=\mathrm{AD}(\mathrm{CRS}) *(G A M M A(C R S) * 1(C r s) * *((S I G M A(C R S)-1) / S I G M A(C R S))$ + (1-GAMMA (CRS)) $k(C r s) * *($ (SIGMA (CRS)-1)/SIGMA(CRS))) * (SIGMA (CRS)/(SIGMA (CRS) -1)):

AGGLCRS (CRS) . .
$1(c r a)=E=Y s(c r s) *\{A D S(C R S) * G A M M A(C R S) * P V(C R S) / W A G E) * * S I G M A(C R S):$

AGGKCRS (CRS) . .
$k(C r s)=E=Y S(C r s) *(A D S(C R S) *(1-G A M M A(C R S)) * P V(C R S) / R E N T) *$ SIGMA(CRS):

* IRS SECTORS

```
*OUTPUTIR(IRS).
* YS(irS) =E= AD(IRS)* (GAMMA(IRS)*l(irs)**((SIGMA(IRS)-1)/SIGMA(IRS)) +
    (1-GAMMA(IRS))*k(Irs)**((SIGMA(IRS)-1)/SIGMA(IRS)))
                                    **(SIGMA(IRS)/(SIGMA(IRS)-1)) + IfO(Ira) + kfO(irs):
AGGLIRS(IRS).
    l(irs) iEE= ys(Irs)*(ADS(IRS)*GAMMA(IRS)*
    PV(IRS)/WAGE) * SIGMA(IRS):
AGGKIRS(IRS)..
    k(Irs)=E= Ys(irg)*(ADS(IRS)*(1-GAMMA{IRS))*
        PV(IRS)/RENT) *SIGMA(IRS):
MARGCOST(IRS).. MC(IRS) =E= (((GAMMA(IRS)**SIGMA(IRS))*WAGE**(1-SIGMA(IRS))*
                    ({1-GAMMA(IRS))**SIGMA(IRS))*RENT**|1-SIGMA(IRS))|
    **(1/(I-SIGMA(IRS))))/AD(IRS) + SUM(J,A(J,IRS)*P(J)/PO(J)):
```

AVCDEF(IRS).. AVC(IRS) =E= (WAGE*l(irs) + RENT*k(irs))/Ys(irs) + $\operatorname{SUM}(J, A(J, I R S) * P(J) / P O(J))+\operatorname{Fix}(i r s) / Y s(i r s):$

FIXEDCOST(IRS).. fix(irs) =E= WAGE*lfO(irs) + RENT*kfo(irs):

* TRADE EQUATIONS
$\operatorname{ARMINGTON}(T) \ldots \quad$ Q(T) $=E=A R M(T) *(B E T A(T) * I M P(T) * *(\operatorname{EPSI}(T)-1) / E P S I(T))$ +
$(1-\operatorname{BETA}(T)) * D(T) * *((\operatorname{EPSI}(T)-1) / \operatorname{EPSI}(T))) * *(\operatorname{EPSI}(T) /(\operatorname{EPSI}(T)-1)):$
ARMINGTONT $\{N T$ ) .. $Q(N T)=E=D(N T)$;
$\operatorname{COSTMIN}(T) \ldots \operatorname{IMP}(T) / D(T)=E=(P D(T) / P M(T) * B E T A(T) /(1-B E T A(T))) * E E P S(T)$;
$A R M I N G I M P(T) \ldots \operatorname{IMP}(T)=E=\operatorname{ARMM}(T) *(A L F A(T) * I C E E(T) * *(E P S I M(T)-1) / E P S I M(T))+$ (1-ALFA $(T)) * \operatorname{IROW}(T) * *(\operatorname{EPSIM}(T)-1) / E P S I M(T))) * *(E P S I M(T) /(E P S I M(T)-1))$;
$\operatorname{COMIMP}(\mathrm{T}) . \mathrm{ICEE}(\mathrm{T}) / \mathrm{IROW}(T)=E=(P R(T) / P C(T) * A L F A(T) /(1-A L F A(T))) * E P S I M(T)$;
$\operatorname{CET}(I) \$ T(I) \ldots n(i) * Y S(i)=E=\operatorname{CETS}(I) *(A L F A E(I) * E(I) * *(E L A(I)+1) / E L A(I))+$ $(1-\operatorname{ALFAE}(I)) * D(I) * *(E L A(I)+1) / E L A(I))) * *(E L A(I) /(E L A(I)+1))$;
$\operatorname{EXPCET}(I) \$ T(I) \ldots \quad E(I)=E=\operatorname{SHIFT}(I) *(\operatorname{SHARE}(I) * E E U(I) * *(E L A E(I)+1) / E L A E(I))$ + (1-SHARE (I))*EROW(I)** ((ELAE(I) +1)/ELAE(I)))**(ELAE(I)/(ELAE(I)+1));

CETNT (NT) .. YS(NT) =E= D(NT):
EXPORT(I) §TCRS(I).. EEU(I)/EROW(I) =E=
(11-SHARE(I))*PEC(I)/(SHARE(I)*PERW(I)))**ELAE (I);
ECDEMAND (IRS).. EEU(IRS) =E= ECEE0(IRS)*(PECWO(IRS)/PECW(IRS))**ETAC(IRS);
** Income Equations
VERRENTS(IRS).. VERRENT(IRS) =E= PEC(IRS)*TEC(IRS)*EEU(IRS)/PECO(IRS);
FACKINC. FKINC =E $=$ SUM(IRS, RENT*n(irs) * (k(irs) * kfo(irs))) * SUM(CRS, RENT*n(crs)*k(crs)) + TGK + TWK - DEPREC :

FACLINC. FLINC =E= SUM(CRS, WAGE*n(crs)*1(crs)) + SUM(IRS, WAGE*n(irs) * (l(irs) + 1f0(irs)));
HHINC. $\quad H R=E=S U M(I R S, P R O F I T(I R S) * n(i r s) * y s(i r s))$ + SUM (IRS, VERRENT(IRS)) +FLINC + FKINC + THG + THW ;

* Tax equations

DIRTH.. TDTH $=E=$ DTAX* $H R$ :
INDTAX. . INTAX $=E=\operatorname{SUM}(J, T D(J) *(P M(J) * \operatorname{IMP}(J) / P M O(J) * P D(J) * D(J) / P D O(J)))$;
TARIFFS.. TARIF=E= SUM(J,TC(J)*PWM(J)*ICEE (J) + TR(J)*PWM(J)*IROW(J)):
GYDEF . . R =E = TDTH * INTAX + TARIF ;

* Savings and Investment Equations

SAVDEF.. $\quad S A V=E=D E P R E C+H S+G S ~+W S$;
HHSDEF. $\quad H S=E=M P S H *(1-D T A X) * H R$;
GSDEF . . GS =E= R - TGCON - THG - TWG - TGK;

## * Expenditure Equations



HHCDEFI(IRS).. HC(IRS) $=E=\operatorname{HBS}(I R S) *(1-M P S H) *(1-D T A K) * H R * P D 0(I R S) / P(I R S)$;
GOVCDEFC (CRS) .. (1*TDO (CRS))*GC(CRS) =E= GBS(CRS)*TGCON:
GOVCDEFI(IRS).
$(1+T D 0(I R S)) * G C(I R S)=E=G B S(I R S) * T G C O N$;
** Market Clearing Conditions


BOPEQ.. SUM(I, PEC(I)*EEU(I)/PECO(I)) + SUM(I, PERW(I)*EROW(I)/PERWO(I)) +
SUM(IRS, VERRENT(IRS)) + TWK + WS + THW =E= $\operatorname{SUM}(J, P C(J) * \operatorname{ICEE}(J) / P C O(J)+\operatorname{PR}(J) * \operatorname{IROW}(J) / P R O(J))$ - TARIF + TWG:

SAVINVEQ.
PROFEQ (IRS) . .

* objective Function

OBJ.. UTILITY =E= 1 ;
*MODEL SETUP - INITIALIZATION
n.L(crs) $=1$;
n.L(irs) $=$ no (irs)
n.L(irs
MC.L(IRS) $=$ no(irs)i
MC.L(IRS) $=$ MCO(IRS);
AVC.L(IRS) $=$ AVCO(IRS)

AVC.L(IRS) $=$ AVCO (IRS) :
VERRENT $L$ (IRS) $=$ VERPRR
VERRENT.L(IRS) $=$ VERRENTO (IRS) :
fix.L(irs) $=E i x 0(i x a):$
elas.l(irs) = elaso(irs):
elase. 1 (irs) $=$ elaseo(irs):
THG.L $=$ THGO
THW.L $=$ THWO:
TWG.L $=6273$;
TGK.L $=$ TGKO;
TWK.L = TWKO:
HS.L = HSO:
DEPREC.L = DEPREC0:
FKINC. L = FRINCO
FKINC.L $=$ FRINCO:
FLINC. $=$ FLINCO:
FLINC.L $=$
HR.L $=$ HRO
$\mathrm{HR} . L=$ HRO:
$\mathrm{HC} \cdot \mathrm{L}(\mathrm{J})=$ HCNO (J):
WS.L $=12859$
INV.L = INVO:
SAV.L = 102608 :
GC.L(J) $=$ GCO (J):
TGCON. L = TGCO:
$E . L(I)=E O(I):$
EEU.L(I) = ECEEO(I):
EROW.L(I) = EROWO(I);
GS.L $=-11955$
Z.L(J) $=20(\mathrm{~J})$.
X.L(J) $=$ XO (J):

Ya.L(i) $=Y \operatorname{so}(1)$ :
$1 . L(1)=10(1)$ :
$k . L(1)=k 0(1):$
D.L(J) $=\mathrm{DOO}(\mathrm{J}):$

IMP.L(J) = IMPQ(J):
ICEE.L(J) $=$ ICEEO (J):
IROW.L(J) $=$ IROWO (J):
Q.L(J) $=$ QO(J):

TDTH.L $=$ HTAXO:
INTAX.L $=\operatorname{SUM}(\mathrm{J}$, INDTAXO (J)):
TARIF.L $=$ SUM(J.TARIFO (J)):
TEC.L(I) = TECO(I):
TC.L(J) $=$ TMO (J)
TR.L(J) $=$ TMO (J)
TD.L(I) $=T D O(I):$
R.L $=52520$ :

AGLAB.L = SUM(CRS,ALO(CRS)) + SUM(IRS,ALO(IRS) + ALPO(IRS)):

AGCAP.L $=\operatorname{SUM}(C R S, A K O(C R S))+S U M(I R S, A K O(I R S)+A K F O(I R S))$
CPI.L = 1: PE.L(I) = PEO(I): PEC.L(I) = PECO(I): PECW.L(IRS) = PECWO(IRS): PERW.L(I) $=$ PERWO (I): P.L(J) $=P O(J) ; P D . L(J)=P D O(J) ; P M . L(J)=$ PMO $(J)$ : PY.L(I) $=$ PYO(I):PC.L(J) =PCO(J);PR.L(J) =PRO(J):PV.L(I) =PVO(I): PWM.L(J) = PWMO (J): WAGE.L = 1: PENT.L = 1; P.LO(J) = 0.01; PC.LO(J) = 0.01: PR.LO $(J)=0.01 ;$ PD.LO $(J)=0.01 ; P M . L O(J)=0.01: P Y . L O(I)=0.01$ PEC.LO(I) $=0.01 ;$ PECW.LO(IRS) $=0.01 ;$ PV.LO(I) $=0.01$; WAGE.LO $=0.01 ;$ RENT.LO $=0.01 ;$ CPI.LO $=0.01$; PECW.UP(IRS) = PECWO(IRS)
*CLOSURE RULES
CPI.FX $=$ CPI.L;
PWM.FX(J) $=$ PWM.L(J) :
PERW.FX(I) = PERW.L(I)
PEC.FX(CRS) $=$ PEC.L(CRS) ;
PROFIT.FX(IRS) $=0$ :
TR.FX(J) $=$ TR.L(J):
TEC.FX(I) $=$ TEC.L(I)
TD.FX(J) $=$ TD.L(J):
THG.FX = THG.L;
THW.FX $=$ THW.L;
TWG.FX $=$ TWG.L;
TGK. FX $=$ TGK. L;
TWK. FX = TWK.L;
DEPREC.FX $=$ DEPREC.L;
IMP.FX(NT) $=0$;
ICEE.FX(NT) $=0$
IROW.FX(NT) $=0$
E.FX(NT) $=0$;

EEU.FX(NT) $=0$ :
EROW.FX $(\mathrm{NT})=0$;
TGCON.FX = TGCON.L:
WS. FX $=$ WS.L
GS.FX $=$ GS.L:
INV.FX = INV.L
AGLAB.FX $=$ AGLAB.L;
AGCAP.FX $=$ AGCAP.L
n. FX(crs) $=$ n.L(crs)

MODEL TURKAG90 SQUARE BASE MODEL / ALL / ;
SOLVE TURKAG90 MAXIMIZING UTILITY USING NLP:

## Appendix 3.A Numerical model: the case of an export tax

This appendix reports the algebraic formulation of the numerical model employed to study the economic impact of the introduction of the RHK export tax in Turkish textiles and apparel. The appendix has been split into six sections: (i) equations related to prices and costs; (ii) equations related to production and factor demand; (iii) equations related to domestic and foreign trade; (iv) equations related to income; (v) equations related to final demand and intermediate demand; (vi) equations related to the market clearing conditions.
[3.A.1] Price and cost equations

$$
\begin{align*}
& p_{j}=\Delta_{j}^{-1}\left[\varphi_{j}^{\varepsilon_{j}} \overline{p w m}_{j}^{1-\varepsilon_{j}}+\left(1-\varphi_{j}\right)^{\varepsilon_{j}} p d_{j}^{1-\varepsilon_{j}}\right]^{1 /\left(1-\varepsilon_{j}\right)}  \tag{3.A1}\\
& p y_{i} y_{i}=p d_{i} D_{i} / n_{i}+\left(p w e_{i}-t e_{i}\right) E_{i} / n_{i} \tag{3.A2}
\end{align*}
$$

$$
\begin{equation*}
p y_{c r s}=\Lambda_{c r s}^{-1}\left[\beta_{c r s}^{\rho_{c r s}} p d_{c r s}^{1-\rho_{c r r}}+\left(1-\beta_{c r s}\right)^{\rho_{c r s}} \overline{p w e} e_{c r s}^{1-\rho_{c r}}\right]^{1 /\left(1-\rho_{c r s}\right)} \tag{3.A3}
\end{equation*}
$$

$$
\begin{equation*}
p d_{i}\left(1-\frac{1+\lambda_{i}}{n_{i} \eta_{i}^{d}}\right)=c_{i} \tag{3.A4}
\end{equation*}
$$

$$
\begin{equation*}
p w e_{i}\left(1-\frac{1+\lambda_{i}}{n_{i} \eta_{i}^{\prime}}\right)=c_{i} \tag{3.A5}
\end{equation*}
$$

$$
\begin{equation*}
p v_{j}=\Theta_{j}^{-1}\left[\gamma_{j}^{\sigma_{j}} w^{1-\sigma_{j}}+\left(1-\gamma_{j}\right)^{\sigma_{j}} r^{1-\sigma_{j}}\right]^{1 /\left(1-\sigma_{j}\right)} \tag{3.A6}
\end{equation*}
$$

$$
\begin{equation*}
c_{i}=p v_{i}+\sum_{j} a_{j i} p_{j} \tag{3.A7}
\end{equation*}
$$

$$
\begin{equation*}
a c_{i}=\left[w\left(l_{i}+l_{i}^{\prime}\right)+r\left(k_{i}+k_{i}^{\prime}\right)+\sum_{j} p_{i} a_{i j} y_{i}\right] / y_{i} \tag{3.A8}
\end{equation*}
$$

(3.A9)

$$
t e_{i}=p w e_{i}\left\{1-\frac{1+\lambda_{i}}{n_{i} \eta_{i}^{\prime}}\right\}-c_{i}
$$

(3.A10)

$$
\eta_{i}^{i}=\xi_{i}+\left(1-\xi_{i}\right) \frac{\zeta_{i}^{\xi_{i}^{i}} p w w_{i}^{\left(1-\xi_{i}\right)}}{\left(1-\zeta_{i}\right) x_{i}^{\left(1-\xi_{0}\right)}+\zeta_{i}^{5} p w e_{i}^{\left(1-\xi_{i}\right)}}
$$

(3.A11)

$$
\bar{\Lambda}=\frac{\sum_{i} p d_{j} \bar{D}_{j}}{\sum_{j} \overline{p d}_{j} \bar{D}_{j}}
$$

## [3.A.2] Production and factor demand equations

$$
\begin{equation*}
Y_{c r s}=\Theta_{c r s}\left[\gamma_{c r s} A L_{c r r}^{\left(\sigma_{c r}-1\right) / \sigma_{c r r}}+\left(1-\gamma_{c r s}\right) A K_{c r s}{ }^{\left(\sigma_{c r}-1\right) / \sigma_{c r r}}\right]^{\sigma_{m r}\left(\sigma_{c r r}-1\right)} \tag{3.A12}
\end{equation*}
$$

$$
\begin{equation*}
A L_{c r}=\Theta_{c r s}^{\left(\sigma_{c r}-1\right)} \boldsymbol{\gamma}_{c r n}^{\sigma_{c m}} \boldsymbol{w}^{-\sigma_{c r}} p v_{c r s}^{\sigma_{c r}} Y_{c r s} \tag{3.A13}
\end{equation*}
$$

(3.A14)

$$
A K_{c r s}=\Theta_{c r s}^{\left(\sigma_{c r}-1\right)}\left(1-\gamma_{c r s}\right)^{\sigma_{c r}} r^{-\sigma_{c r}} p \nu_{c s s}^{\sigma_{c r s}} Y_{c r s}
$$

(3.A15)

$$
l_{i}=\Theta_{i}^{\left(\sigma_{i}-1\right)} \gamma_{i}^{\sigma_{i}} w^{-\sigma_{i}} p v_{i}^{\sigma_{i}} y_{i}
$$

(3.A16)

$$
k_{i}=\Theta_{i}^{\left(\sigma_{i}-1\right)}\left(1-\gamma_{i}\right)^{\sigma_{i}} r^{-\sigma_{i}} p v_{i}^{\sigma_{i}} y_{i}
$$

13.A.3| Trade equations
(3.A17)

$$
Q_{j}=\Delta_{j}\left[\varphi_{j} M_{j}^{\left(\varepsilon_{j}-1\right)}+\left(1-\varphi_{j}\right) D_{j}^{\left(\varepsilon_{j}-1\right)}\right]^{\varepsilon_{,},\left(\varepsilon_{j}-1\right)}
$$

(3.A18)

$$
\frac{M_{j}}{D_{j}}=\left(\frac{1-\varphi_{j}}{\varphi_{j}}\right)^{-\varepsilon_{j}}\left(\frac{p d_{j}}{\overline{p w m_{j}}}\right)^{\varepsilon_{j}}
$$

(3.A19)

$$
Y_{c r s}=\Omega_{c r s}\left[\beta_{c r r} D_{c r s}^{\left(\rho_{c r s}+1\right) / \rho_{c r r}}+\left(1-\beta_{c r s}\right) E_{c r s}^{\left(\rho_{r s}+1\right) / /_{c r}}\right]^{\rho_{c r s} /\left(\rho_{m r}+1\right)}
$$

(3.A20)

$$
\left.\frac{D_{c r}}{E_{c r s}}=\left(\frac{\beta_{c r s}}{1-\beta_{c r s}}\right)^{-\rho_{c r}}\left(\frac{p d_{c r r}}{\overline{p W e}}\right)^{\rho_{c r s}}\right)^{\rho_{c r}}
$$

$$
\begin{equation*}
y_{i}=\frac{\Omega_{i}}{n_{i}}\left[\beta_{i} D_{i}^{\left(\rho_{r}+1\right) / \rho_{p}}+\left(1-\beta_{i}\right) E_{i}^{\left(\rho_{r}+1\right) / \rho_{p}}\right]^{\rho_{1} /\left(\rho_{i}+1\right)} \tag{3.A21}
\end{equation*}
$$

(3.A22)

$$
E_{i}=\left(\frac{\zeta_{i}}{1-\zeta_{i}}\right)^{-\xi_{i}}\left(\frac{\bar{\chi}_{i}}{p w e_{i}}\right)^{\xi_{i}} \bar{D}_{i}^{*}
$$

[3.A.4] Income equations
(3.A23)

$$
\pi_{i}=\left(p y_{i}-a c_{i}\right) y_{i}
$$

(3.A24)

$$
H R=w \overline{L A B}+r \overline{C A P}+\sum_{i} n_{i} \pi_{i}+\sum_{i} t t_{i} E_{i}
$$

[3.A.5] Intermediate and final demand equations
(3.A25)

$$
\begin{aligned}
& X_{j}=\sum_{c r s} a_{j c m} Y_{c r s}+\sum_{i} a_{j i} n_{i} y_{i} \\
& C_{j}=\vartheta_{j} \frac{H R}{p_{j}}
\end{aligned}
$$

(3.A26)
[3.A.6] Market clearing conditions

$$
\begin{equation*}
Q_{j}=C_{j}+X_{j} \tag{3.A27}
\end{equation*}
$$

$$
\begin{equation*}
\sum_{c r s} \overline{p w e}_{c r s} E_{c r s}+\sum_{i} p w e_{i} E_{i}=\sum_{j} \overline{p w m}_{j} M_{j} \tag{3.A28}
\end{equation*}
$$

$$
\begin{equation*}
\overline{L A B}=\sum_{c r s} A L_{c r s}+\sum_{i} n_{i}^{d}\left(l_{i}+l_{i}^{f}\right) \tag{3.A29}
\end{equation*}
$$

$$
\begin{equation*}
\overline{C A P}=\sum_{c r s} A K_{c r n}+\sum_{i} n_{i}^{d}\left(k_{i}+k_{i}^{f}\right) \tag{3.A30}
\end{equation*}
$$ with fixed costs

(3.A30a) $\quad \overline{C A P}=\sum_{c r s} A K_{c r s}+\sum_{i} n_{i}^{d} k_{i}$ with sunk costs
$p y_{i}=a c_{i}$

## Variables (*):

| $a c_{i}$ | Average cost |
| :--- | :--- |
| $A L_{c r r}$ | Labour |
| $A K_{c r s}$ | Capital |
| $c_{i}$ | Marginal cost |
| $C_{j}$ | Private demand of goods |
| $\overline{C A P}$ | Aggregate capital stock |
| $D_{j}$ | Demand for domestic commodity |
| $\bar{D}_{j}$ | Domestic commodities demanded in the base year |
| $\bar{D}_{i}^{*}$ | Foreign domestic goods |
| $E_{i}$ | Export demand |
| $H R$ | Household revenues |


| $k_{i}$ | Capital per domestic firm |
| :--- | :--- |
| $l_{i}$ | Labour per domestic firm |
| $\overline{L A B}$ | Aggregate labour |
| $M_{j}$ | Imports |
| $n_{i}$ | Number of firms |
| $p_{j}$ | Price of the final and the intermediate good |
| $\overline{p d} \bar{j}_{j}$ | Price of the domestic good in the base year |
| $p d_{j}$ | Price of domestically produced commodity |
| $p v_{j}$ | Value added price |
| $p y_{j}$ | Aggregate producer price |
| $\overline{p w e_{c r s}}$ | World price of exports |
| $p w e_{i}$ | World price of exports |
| $\overline{p w m_{j}}$ | World price of imports |
| $Q_{j}$ | Composite commodity |
| $r$ | Return to capital |
| $X_{j}$ | Intermediate demand |
| $y_{i}$ | Output per domestic firm |
| $Y_{c r s}$ | Output by the industry |
| $w$ | Wage |
| $\bar{\chi} \bar{x}_{i}$ | World price of similar exported goods |
| $\eta_{i}$ | Price elasticity of export demand |
| $\pi_{i}$ | Profit per domestic firm |
| $\bar{\Lambda}$ | Numeraire |

## Parameters (*):

| $a_{j j}$ | Leontief input-output coefficients. |
| :--- | :--- |
| $k_{i}^{\prime}$ | Fixed amount of capital per domestic firm |
| $l_{i}^{\prime}$ | Fixed amount of labour per domestic firm |
| $\nu_{i}$ | Conjectural variation shift parameter |
| $\beta_{j}$ | Share parameter in the CET aggregation function |
| $\varepsilon_{j}$ | Elasticity of substitution between imported and domestically produced |
| $\varphi_{j}$ | Share parameter in the Armington trade aggregation function |
| $\gamma_{j}$ | Share parameter in the CES production function |
| $\eta_{i}^{d}$ | Price elasticity of domestic demand |
| $\lambda_{i}$ | Conjectural variation parameter |
| $\vartheta_{j}$ | Household budget shares |
| $\rho_{j}$ | CET elasticity in the production possibility frontier |
| $\sigma_{j}$ | Elasticity of substitution among primary factors of production |
| $\xi_{i}$ | Elasticity of substitution among exports and foreign domestic goods |
| $\zeta_{i}$ | Share parameter in the foreign Armington trade aggregation function |
| $\Delta_{j}$ | Shift parameter in the first nest Armington trade aggregation function |
| $\Theta_{j}$ | Shift parameter in the CES production function |
| $\Omega$ | Shift parameter in the CET aggregation function |

(*) Parameter and variables with a bar are set exogenously. crs and $i$ denote sectors facing constant and increasing returns to scale, respectively ( $j=c r s \cup i$ ).

## Appendix 3.B The GAMS code: the case of an export tax

```
*(Sets, data set and calibration of some parameters can be found in Appendix 2.D)
$TITLE TURKEYSAM: DISAGGREGATED TRADE MODEL - 1990
PARAMETER
    lamdaO(irs) CONJECTURAL VARIATION
    EPSI1(IRS) ARMINGTON ELASTICITY IN THE FOREIGN REGION
    BETA1(IRS) ARMINGTON SHARE PARAMETER IN THE FOREIGN REGION
    EXPDOM1(IRS) USED FOR BETA1
*DUMMIES TO HOLD INITIAL DATA
    DOL(IRS) FOREIGN PRODUCTION
    ELASO(IRS) PRICE ELASTICITY OF DOMESTIC DEMAND
    ETACO(IRS) PRICE ELASTICITY OF FOREIGN DEMAND
    PECWO(J) WORLD PRICE FOR EXPORTS
```



```
** CAlIBRATION OF SOME SHIFT AND SHARE PARAMETERS **
* *
************************************************
* get elasticities and mark-up variables
EPSI1("TEXT') = 2.2:
EPSI1("WEAR") = 4.4;
DO1('TEXT') = 796236:
DO1('WEAR') = 543903;
EXPDOM1(IRS) = (E0(IRS)/DO1(IRS))**{1/EPSI1(IRS) ):
BETA1(IRS) = EXPDOM1(IRS)/(1+EXPDOM1(IRS)):
ETACO(IRS) = EPSI1(IRS) * (1-EPSI1(IRS))*BETAl(IRS)**EPSI1(IRS) /
    ( (1-BETA1(IRS))**EPSI1(IRS) + BETA1(IRS)**EPSI1(IRS) ) ;
ELASO(IRS) = ETACO(IRS):
lamda0(irs) = 2 ;
PECWO(IRS) = MCO(IRS) / ( 1 - (1 + lamdaO(irs))/(nO(irs)*ETACO(IRS)) );
* gET PRICES
PECWO(CRS) = 1;
AVCO(IRS) = PECWO(IRS):
PDO(I) = PECWO(I); PMO(J) = PECWO(J): PYO(I) = PECWO(I) :
```

| * |  |  |
| :---: | :---: | :---: |
| ** | VARIABLES | ** |
| * |  | . |
|  |  |  |
| free variables |  |  |
|  | THG | GOVERNMENT TRANSFERS TO HOUSEHOLDS |
|  | THW | REMITTANCES FROM ABROAD |
|  | HS | Houshold savings |
|  | GS | GOVERNMENT SAVINGS |
|  | WS | FOREIGN SAVINGS |
|  | 2 (J) | INVESTMENT BY SECTOR OF ORIGIN |
|  | TWG | GOVERNMENT TRANSFERS ABROAD |
|  | AGlab | EXCESS DEMAND FOR LABOUR |
|  | AGCAP | EXCESS DEMAND FOR CAPITAL |
| *WELFARE | INDICATOR FOR | Objective function |
|  | UTILIty | OBJECTIVE FUNCTION VARIABLE ; |
| Positive | VARIABLE |  |
|  | MC(IRS) | MARGINAL COST |
|  | AVC(IRS) | average costs |
|  | tc(irs) | TOTAL COST |
|  | $\mathrm{n}(\mathrm{i})$ | NUMBER OF SYMMETRIC FIRMS |
|  | RVER(IRS) | EXPORT TAX REVENUES |
|  | elas(irs) | DEMAND PRICE ELASTICITY |
|  | ETAC(irs) | EXPORT PRICE ELASTICITY |
|  | TD (I) | INDIRECT TAX ON DOMESTIC CONSUMPTION |
|  | TEC (I) | OPTIMAL QUOTA PREMIUM - TAX ON EXPORTS |
|  | PECW(I) | PRICE OF EXPORTS |
|  | PV(I) | NET OR VALUE ADDED PRICE |
|  | $P(J)$ | COMPOSITE PRICE OP COMMODITY J |
|  | PD(J) | DOMESTIC PRICE OF COMMODITY |
|  | PM (J) | DOMESTIC PRICE OF IMPORT |
|  | PY(I) | DOMESTIC PRICE OF DOMESTIC OUTPUT |
|  | WAGE | WAGE |
|  | RENT | RENT |
|  | PWM (J) | WORLD PRICE OF COMMODITY M IMPORTED |
|  | CPI | CONSUMER PRICE INDEX |
|  | X(J) | INTERMEDIATE INPUTS DEMAND |
|  | ys(i) | DOMESTIC PRODUCTION OF COMPOSITE GOODS |
|  | 1(1) | COMPENSATION OF EMPLOYEES |
|  | k(i) | OPERATING SURPLUS |
|  | DD(J) | DOMESTIC COMMODITIES |
|  | IMP(J) | COMPOSITE IMPORTS |
|  | profit(irs) | RETURN ON PROFITS |
|  | Q(J) | COMPOSITE COMMODITY |
|  | E(I) | EXPORTS |


| lamda (irs) | CONJECTURAL VARIATION |
| :--- | :--- |
| FKINC | FACTOR INCOME |
| FLINC | LABOUR INCOME |
| HR | HOUSEHOLD INCOME |
| SAV | AGGREGATE SAVINGS |
| INV | AGGREGATE INVESTMENT ON J |
| INTAX (J) | INDIRECT TAX ON VALUE ADDED - |
| TDTH | DIRECT TAXES ON HOUSEHOLD INCOME |
| TARIF | TARIFFS ON IMPORTS |
| DEPREC | DEPRECIATION |
| TGK | NET GOVERNMENT TRANSFERS TO CAPITAL-FIRMS |
| TWK | NET ROW TRANSFERS TO CAPITAL-FIRMS |
| R | GOVERNMENT INCOME |
| GC(J) | GOVERNMENT CONSUMPTION |
| TGCON | TOTAL GOVERNMENT CONSUMPTION |
| HC (J) | HOUSEHOLD CONSUMPTION; |



EQUATIONS

* Price and Cost Equations

ABSORPT (J)
PMDEF (J)
PYDEFCRS (CRS)
PYDEFIRS(IRS)
PVADEF (I)
MARKUPD (IRS)
MARKUPE (IRS
EXPDEMELA (IRS)
MARGCOST (IRS)
OPTEXTAX(IRS)
AVCDEF (IRS) TOTCOST (IRS CPINDEX

VALUE OF DOMESTIC SALES
DEFINITION OF DOMESTIC IMPORT PRICE DEFINITION OF PRODUCER PRICE IN CRS DEFINITION OF PRODUCER PRICE IN IRS DEFINITION OF ACTIVITY OR VALUE ADDED PRICE MARKUP RULE FOR DOMESTIC OUTPUT MARKUP RULE FOR EXPORTS PRICE ELASTICITY OF EXPORT DEMAND MARGINAL COSTS
OPTIMAL TAX ON EXPORTS
AVERAGE COSTS
FIXED COSTS
CONSUMER PRICE INDEX

* Production and Factor Inputs Equations

| OUTPUTCR (CRS) | GROSS DOMESTIC OUTPUT CRS |
| :--- | :--- |
| AGGLCRS (CRS) | AGGREGATE LABOUR DEFINITION BY CATEGORY - CRS |
| AGGKCRS (CRS) | AGGREGATE CAPITAL DEFINITION BY CATEGORY - CRS |
| AGGLIRS (IRS) | AGGREGATE LABOUR DEFINITION BY CATEGORY - IRS |
| AGGKIRS (IRS) | AGGREGATE CAPITAL DEFINITION BY CATEGORY - IRS |

* trade equations

ARMINGTON(T) ARMINGTON CES SPECIFICATION TRADABLES ARMINGTONT (NT) COSTMIN (T)
CETIRS(IRS) DOSUPPLY(TCRS) ESUPPLY(TCRS)
CETNT (NT) EDEMAND (IRS) ARMINGTON CES SPECIFICATION NONTRADABLES COST MINIMIZATION FOR COMPOSITE GOOD CET SPECIFICATION IRS SUPPLY OD DOMESTIC COMMODITIES SUPPLY OF EXPORTS
CET SPECIFICATION FOR NONTRADABLES EXPORT DEMAND

* Income Equations

RENTVERS(IRS)
FACKINC
FACLINC
HHINC
PROFITS
CAPITAL INCOME
LABOUR INCOME
HOUSEHOLD INCOME

* Tax equations

DIRTH
INDTAX(J)
TARIFFS
GYDEF
DIRECT TAXES ON HOUSEHOLD INCOME INDIRECT TAXES ON VALUE ADDED TARIFF ON IMPORTS GOVERNMENT INCOME

* Savings and Investment Equations

SAVDEF AgGREGATE SAVINGS
HHSDEF HOUSEHOLDS SAVINGS
GSDEF GOVERNMENT SAVINGS

* Expenditure Equations

ZDEF(J) INVESTMENT BY SECTOR OF ORIGIN
INTDEF(J)
HHCDEFC (CRS)
HHCDEFI(IRS)
GOVCDEF (J)
INTERMEDIATE DEMAND
HOUSEHOLD CONSUMPTION
HOUSEHOLD CONSUMPTION
GOVERNMENT CONSUMPTION

* Market Clearing Conditions

LABMARKET
CAPMARKT
GOODEQC (CRS)
GOODEQI(IRS)
BOPEQ
SAVINVEQ
PROFEQ(IRS)

LABOUR MARKET EQUILIBRIUM CAPITAL MARKET EQUILIBRIUM CRS GOODS MARKET EQUILIBRIUM IRS GOODS MARKET EQUILIBRIUM balance of payment equilibrium SAVINGS INVESTMENT EQUILIBRIUM PRICE EQUALS AVERAGE COST

```
** Objective Function
    OBJ
    OBJECTIVE FUNCTION:
** EQUATION ASSIGNMENT
* Price and Cost Equations
ABSORPT(J).. P(J)*Q(J) =E= (1 * TD(J))*(PM(J)*IMP(J) + PD(J)*DD(J));
PMDEF(J).. PM(J) =E= PWM(J)* ( 1+TMO(J) )
PYDEFCRS(CRS).. PY(CRS)*YS(CRS) =E= PD(CRS)*DD(CRS) + PECW(CRS)*E(CRS) ;
PYDEFIRS(IRS) .. PY(IRS)*n(irs)*YS(irs) =E= PD(IRS)*DD(IRS) +
                                    ( PECW(IRS) - TEC(IRS) )*E(IRS):
PVADEF{I).. PV(I) =E= (({GAMMA(I)**SIGMA(I))*WAGE**(1-SIGMA(I)) +
                                    ((1-GAMMA (I))**SIGMA (I))*RENT**(1-SIGMA(I)))
                                    **(1/(1-SIGMA(I))))/AD(I) ;
MARKUPD(IRS) .. PD(IRS) =E= MC(IRS) / (1 - (1 + lamda(irs))
                                    / (n(irs)*elas(irs)) );
MARKUPE(IRS) . PECW(IRS) =E= MC(IRS) / (1 - lamdapar(irs)/ETAC(irs) ):
EXPDEMELA (IRS).
    ETAC(IRS) = E= EPSII(IRS) + (1-EPSI1(IRS))*EETA1(IRS)**EPSI1(IRS)*
                PECW\IRS)**(1-EPSI1(IRS)) /
            ((1-BETA1 (IRS))**EPSI1(IRS)*PECWO(IRS)**(1-EPSI1(IRS)) +
                BETA1(IRS)**EPSI1(IRS) *PECW(IRS)**(1-EPSI1(IRS)) ) ;
MARGCOST(IRS) .. MC(IRS) = E= (((GAMMA|IRS)**SIGMA(IRS))*WAGE**(1-SIGMA|IRS)) +
                        ((1-GAMMA (IRS))**SIGMA (IRS))*RENT**(1-SIGMA(IRS)))
    **(1/(1-SIGMA(IRS))))/AD(IRS) + SUM(J,A(J,IRS)*P(J)/PO(J)) ;
OPTEXTAX(IRS).. TEC(IRS) =E= PECW(IRS)*
                            (1 - (1 + lamda(irs))/(n(irs)*ETAC(irs))) - MC(IRS):
AVCDEF(IRS).. AVC(IRS) =E= TC(IRS)/ys(irs);
TOTCOST(IRS).. TC(irs) =E= WAGE*1f0(1rs) * RENT*kf0(irs) +
                            WAGE*l(irs) + RENT*k(irs) +
                            SUM(J,A(J,IRS)*Ys(Irs)*P(J)/PO(J)) ;
CPINDEX.. CPI =E= SUM{J,PD(J)*DOO(J))/SUM(J,PDO(J)*DOO(J)):
```

** Production and Factor Inputs Equations

- CRS sECTORS

OUTPUTCR(CRS).
$y s(c r s)=E=A D(C R S) *(G A M M A(C R S) * 1(C r s) * *(S I G M A(C R S)-1) / S I G M A(C R S)) *$ (1-GAMMA (CRS))*k(crs)**((SIGMA (CRS)-1)/SIGMA(CRS)))
**(SIGMA(CRS)/(SIGMA(CRS)-1)):
AGGLCRS (CRS).

1 (Crs) $=\mathrm{E}=\mathrm{ys}(\mathrm{CrS}) *(\mathrm{ADS}(\mathrm{CRS}) * G A M M A(C R S) * P V(C R S) / W A G E) *$ SIGMA (CRS):

AGGKCRS (CRS).
$k(C r s)=E=Y S(C I S) *(A D S(C R S) *(1-G A M M A(C R S)) * P V(C R S) / R E N T) * * S I G M A(C R S):$

* IRS SECTORS

AGGLIRS (IRS) . .
l(irs) =E= Ys(irs)*(ADS (IRS)*GAMMA(IRS)* PV(IRS)/WAGE) *SIGMA (IRS):
AGGKIRS (IRS).
$k(i r s)=E=Y s(i r s) *(A D S(I R S) *(1-G A M M A \mid I R S)) *$ PV(IRS)/RENT) * SIGMA(IRS):
** TRADE EQUATIONS
$A R M I N G T O N(T) \ldots \quad Q(T)=E=A R M(T) *(B E T A(T) * \operatorname{IMP}(T) * *((E P S I(T)-1) / E P S I(T))+$
(1-BETA (T))*DD(t)** ((EPSI(T)-1)/EPSI(T)))**
(EPSI(T)/(EPSI(T)-1)):

ARMINGTONT $(N T) \ldots \quad Q(N T)=E=D D(N T)$;

COSTMIN\{T).. $\{\operatorname{IMP}(T) / \operatorname{DD}(T)\}=E=$
( (PD(T)/PM(T))*BETA(T)/(1-BETA(T)))**EPSI(T):
CETIRS(IRS).. $n(i r s) * y s(1 r s)=E=C E T S(I R S) *$
( ALFAE (IRS) *DD(IRS)**((ELA(IRS) +1)/ELA(IRS)) *
$(1-A L F A E(I R S)) * E(I R S) * *(E L A(I R S)+1) / E L A(I R S)))$
** (ELA (IRS) / (ELA (IRS) +1)):

DOSUPPLY(TCRS)..
$D D(T C R S)=E=Y S(T C R S) * C E T A D J(T C R S) *(A L F A E(T C R S) *(-E L A(T C R S))) *$
( PD(TCRS)/PY(TCRS) )**ELA(TCRS);

ESUPPLY (TCRS) .
$E(T C R S)=E=Y S(T C R S) * C E T A D J(T C R S) *(1-A L F A E(T C R S)) * *(-E L A(T C R S))) *$ ( PECW (TCRS)/PY(TCRS) )**ELA(TCRS);

```
CETNT(NT) .. YS(NT) =E= DD(NT);
EDEMAND(IRS).. E(IRS) =E= DO1(IRS)* (PECWO(IRS)/PECW(IRS) )**EPSI1(IRS)*
    ( BETA1(IRS)/(1-BETA1(IRS)) )**EPSI1(IRS):
```

```
** Income Equations
```

** Income Equations
RENTVERS(IRS) .. RVER(IRS) =E= TEC(IRS)*E(IRS):
RENTVERS(IRS) .. RVER(IRS) =E= TEC(IRS)*E(IRS):
FACKINC.. FKINC =E= SUM(IRS,RENT*n(1rs)* (k(irs) + kfO(irs))) *
FACKINC.. FKINC =E= SUM(IRS,RENT*n(1rs)* (k(irs) + kfO(irs))) *
SUM(CRS, RENT\n(crs)*k(crs)) + TGK + TWK - DEPREC ;
SUM(CRS, RENT\n(crs)*k(crs)) + TGK + TWK - DEPREC ;
FACLINC.. FLINC =E= SUM(CRS,WAGE*n(crs)*1(crs)) +
FACLINC.. FLINC =E= SUM(CRS,WAGE*n(crs)*1(crs)) +
SUM(IRS,WAGE*n(irs) * (l(irs) + lfo(irs))):
SUM(IRS,WAGE*n(irs) * (l(irs) + lfo(irs))):
HHINC.. HR =E= SUM(IRS,RVER(IRS)) + FLINC + FKINC + THG + THW +
HHINC.. HR =E= SUM(IRS,RVER(IRS)) + FLINC + FKINC + THG + THW +
SUM(IRS, PROFIT(IRS)*n(irs)*Ys(irs));

```
    SUM(IRS, PROFIT(IRS)*n(irs)*Ys(irs));
```

** Tax equations
DIRTH.. TDTH $=\mathrm{E}=\mathrm{DTAX} * H R$;
$\operatorname{INDTAX}(J) \ldots \operatorname{INTAX}(J)=E=\operatorname{TD}(J) *(\operatorname{PM}(J) * \operatorname{IMP}(J) / \operatorname{PMO}(J)+\operatorname{PD}(J) * D D(J) / \operatorname{PDO}(J)):$
TARIFFS. TARIF=E=SUM(J, TMO (J)*PWM(J)*IMP(J));
GYDEF.. $\quad R=E=T D T H+\operatorname{SUM}(J, \operatorname{INTAX}(J))+\operatorname{TARIF}$;

* Savings and Investment Equations
SAVDEF . SAV =E= DEPREC + HS + GS + WS;
HHSDEF. . HS =E= MPSH* $(1-D T A X) * H R$;
GSDEF. $\quad$ GS $=\mathbf{E}=\mathbf{R}$ - TGCON - THG - TWG - TGK ;
* Expendicure Equations
$\operatorname{ZDEF}(J) \ldots \quad(1+T D O(J)) * Z(J)=E=K S H R(J) * I N V:$
$\operatorname{INTDEF}(J) \ldots(1+T D O(J)) * X(J)=E=\operatorname{SUM}(I, A(J, I) * n(1) * Y s(i)):$

```
HHCDEFC (CRS).. HC(CRS) =E= HBS (CRS)*(1-MPSH)*(1-DTAX)*HR/P(CRS);
HHCDEFI(IRS).. HC(IRS) =E= HBS(IRS)*(1-MPSH)*(1-DTAX)*HR*PYO(IRS)/P(IRS);
GOVCDEF(J).. (1+TVO(J))*GC(J) =E= GBS(J)*TGCON;
** Market Clearing Conditions
LABMARKET.
    AGLAB =E= SUM(crs,n(crs)*1(crs)) +
    SUM(irs,n(irs)*(l(irs) + lf0(irs)|):
** with fixed costs
CAPMARKT.. AGCAP =E= SUM(crs,n(crs)*k(crs)) +
                        Sum(irs,n(irs)*(k(irs) + kfO(irs)|);
** With sunk costs
CAPMARKT.. AGCAP =E= SUM(crs,n(crs)*k(crs)) + SUM(irs,n(irs)*k(irs));
GOODEQC (CRS).. Q(CRS) =E= HC (CRS) + GC(CRS) + Z(CRS) + X(CRS):
GOODEQI(IRS) .. Q(IRS) =E= HC(IRS) + GC(IRS) + Z(IRS) + X(IRS);
BOPEQ.. SUM(I.PECW(I)*E(I)/PECWO(I)) * TWK + WS + THW
    =E= SUM(T, PM(T)*IMP(T)/PMO(T)) - TARIF + TWG;
SAVINVEQ.. SAV =E= INV:
PROFEQ(IRS).. PY(IRS) =E= AVC(IRS) + PROFIT(IRS):
** objective Function
OBJ.. UTILITY =E= 1:
*MODEL SETUP - INITIALIZATION
n.L(crs)=1;
n.L(1rs)= nO(1rs);
lamda.L(irs) = lamda0(irs);
MC.L(IRS) = MCO(IRS);
AVC.L(IRS) = AVCO(IRS);
RVER.L(IRS) = 0;
elas.l(1rs) = elaso(1rs);
ETAC.L(irs) = ETACO(irs):
THG.L = THGO;
THW.L = THWO;
TWG.L = 6273;
```

TGK.L $=$ TGKO:
TWK.L $=$ TWKO:
HS.L = HSO;
DEPREC.L = DEPRECO:
FKINC.L = FKINCO;
FLINC.L = FLINCO;
HR. L = HRO:
HC.L(J) $=$ HCMO(J);
WS.L = 12859 ;
INV.L = INVO:
SAV.L = 102608;
GC.L(J) $=$ GCO(J);
TGCON.L $=$ TGCO:
GS.L = -11955;
Z.L(J) $=20(\mathrm{~J}):$
$X . L(J)=X O(J)$
Ys.L(i) $=$ Yso(i);
1.L(i) $=10(i)$ :
$k . L(i)=k 0(i):$
DD.L(J) $=\mathrm{DOO}(\mathrm{J})$ :
$E . L(I)=E O(I) ;$
IMP.L(J) $=$ IMPO(J):
PROFIT.L(IRS) $=0$ :
Q.L(J) $=\mathrm{QO}(\mathrm{J}) ;$

TDTH.L $=$ HTAX0
INTAX.L(J) $=$ INDTAXO (J):
TARIF.L $=\operatorname{SUM}(J, \operatorname{TARIFO}(J)):$
TC.L(IRS) = AVC.L(IRS)*YS.L(Irs):
TEC.L(I) $=0$ :
TD.L(I) $=T D O(I)$;
R.L $=52520$;

AGLAB.L $=\operatorname{SUM}(C R S, A L O(C R S))+S U M(I R S, A L O(I R S)+A L F O(I R S)) ;$
AGCAP.L $=\operatorname{SUM}(C R S, A K O(C R S))+S U M(I R S, A K O(I R S)+A K F O(I R S)):$

CPI.L = 1: PECW.L(I) = PECWO\{I); P.L(J) =PO(J); PD.L(J)=PDO(J):PM.L(J)=PMO(J):
$Y . L(I)=P Y O(I): P V . L(I)=P V O(I) ; \operatorname{PWM}) L(J)=P W M O(J) ; W A G E . L=1 ; R E N T . L=1 ;$
P.LO(J) $=0.01 ; \mathrm{PD} . \mathrm{LO}(\mathrm{J})=0.01 ; \mathrm{PM} . \mathrm{LO}(\mathrm{J})=0.01 ; \mathrm{PY} . \mathrm{LO}(\mathrm{I})=0.01 ; \mathrm{PV} . \mathrm{LO}(\mathrm{I})=0.01$ :

WAGE.LO $=0.01 ;$ RENT.LO $=0.01 ;$ E.UP(IRS) $=E O(I R S) ;$ PECW.LO(IRS) = PECWO(IRS);
ETAC.LO(IRS) $=1.01$;

- Closure rules

ELAS.FX(irs) $=$ ELAS.L(irs);
CPI.FX $=$ CPI.L;
PROFIT.FX(IRS) $=$ PROFIT.L(IRS):
PWM.FX(J) = PWM.L(J):
PECW.FX(CRS) = PECW.L(CRS) :
TD.FX(J) = TD.L(J);
TEC.FX(CRS) $=$ TEC.L(CRS):
THG.FX $=$ THG.L;

THW.FX $=$ THW.L;
TWG. FX = TWG. L;
TGK.FX $=$ TGK.L;
TWK.FX = TWK.L:
DEPREC.FX = DEPREC.L;
IMP.FX(NT) $=0$;
E. $\mathrm{FX}(\mathrm{NT})=0$;

TGCON.FX $=$ TGCON.L;
WS.FX $=$ WS.L :
GS.FX $=$ GS.L:
INV. $\mathrm{FX}=\mathrm{INV} . \mathrm{L}$;
AGLAB.FX $=$ AGLAB.L;
AGCAP. FX $=$ AGCAP.L;
n. $\mathbf{F X}(\mathrm{crs})=\mathrm{n} . \mathrm{L}(\mathrm{crs})$;

MODEL TURKAG90 SQUARE BASE MODEL / ALL / :

SOLVE TURKAG90 MAXIMIZING UTILITY USING NLP:

## Appendix 3.C: Calibration of the foreign demand elasticity

Assume that a hypothetical foreign consumer purchases domestic goods and Turkish exports as their substitute. In addition, assume that the elasticity of substitution $\left(\xi_{1}\right)$ is constant. In this case, the foreign consumer faces the following problem:

$$
\begin{aligned}
& \max _{\xi_{1}, D_{i}}\left(p w e_{i} E_{i}+\chi_{i} D_{i}^{*}\right) \\
& \text { s.t. } Q_{i}^{*}=\left[\zeta_{i} E_{i}^{\left(\xi_{i}-1\right)}+\left(1-\zeta_{i}\right) D_{i}^{*\left(\xi_{i}-1\right)}\right]^{\xi_{i} /\left(\xi_{i}-1\right)},
\end{aligned}
$$

where $Q^{*}$ denotes foreign total sectoral demand.
The solution of this problem is $\frac{E_{i}}{D_{i}^{*}}=\left(\frac{1-\zeta_{i}}{\zeta_{i}}\right)^{-\xi_{i}}\left(\frac{\chi_{i}}{p w e_{i}}\right)^{\xi_{1}}$. By assuming that at the benchmark $\chi_{i}=p w e_{i}$, then $\zeta_{i}=\left[\left(\frac{E_{i}}{D_{i}^{+}}\right)^{-1 / \xi_{i}}+1\right]^{-1}$. Given $\xi_{i}$, the absolute value of the foreign demand elasticity can be calibrated as follows: $\eta_{i}^{e}=\xi_{i}+\left(1-\xi_{i}\right) \zeta_{i}^{\xi_{i}}\left[\left(1-\zeta_{i}\right)+\zeta_{i}^{\xi_{i}}\right]^{-1}$. In order to calibrate $\zeta_{i}$, I employed OECD data related to 18 countries to which Turkey ships almost all textiles and apparel exports (Table 3.C1). The amount of domestic goods consumed by the foreign consumer ( $D_{i}^{*}$ ) is given by domestic production plus imports, minus exports. By using the data below, and by converting these firstly, into US dollars and secondly, into Turkish lira (TL/ $1 \$=2607.6$ ), I estimate that the total 18 OECD countries consumption in textiles is 796236 million Turkish lira and in apparel 543902 million Turkish lira.

Table 3.C1: Value of production, exports and imports in 18 OECD countries, 1990 (million countries' respective currencies)

|  | Production |  | Exports |  | Imports |  | Exchange _rate <br> (1 \$) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Textiles | Apparel | Textiles | Apparel | Textiles | Apparel |  |
| Australia | 5052 | 3329 | 1531 | 80 | 1976 | 628 | 1.281 |
| Austria | 43044 | 18181 | 27009 | 8391 | 27904 | 19148 | 11.370 |
| Belgium | 240139 | 89994 | 219945 | 57410 | 130779 | 93747 | 33.418 |
| Canada | 6228 | 7063 | 661 | 272 | 3206 | 2645 | 1.167 |
| Denmark | 10404 | 4762 | 5575 | 3563 | 6657 | 4859 | 6.189 |
| Finland | 3693 | 3638 | 1055 | 1711 | 3670 | 1373 | 3.824 |
| France | 115718 | 74190 | 37651 | 20773 | 50036 | 32427 | 5.445 |
| Gernany | 47777 | 25011 | 20056 | 9011 | 25430 | 23375 | 1.616 |
| Greece | 641233 | 168162 | 184213 | 170523 | 217842 | 49337 | 158.510 |
| Italy | 63590000 | 33259000 | 15361000 | 9363000 | 8825000 | 2419000 | 1198.100 |
| Japan | 7561000 | 5480000 | 777000 | 59000 | 1194000 | 892000 | 144.790 |
| Netherlands | 5940 | 2290 | 7790 | 8070 | 7885 | 6588 | 1.821 |
| Norway | 3326 | 1050 | 1062 | 267 | 5050 | 5773 | 6.260 |
| Portugal | 885822 | 307959 | 343005 | 338169 | 28120 | 41229 | 142.550 |
| Spain | 976 | 637 | 164604 | 46603 | 236100 | 288264 | 101.930 |
| Sweden | 3979 | 1284 | 4201 | 1701 | 10392 | 11311 | 5.919 |
| UK | 8791 | 5052 | 3177 | 1222 | 4604 | 2901 | 0.563 |
| US | 84034 | 47269 | 7459 | 1829 | 12619 | 20129 | 1.000 |

[^47]
## Appendix 4.A Numerical model: the CU agreement

This appendix reports the algebraic formulation of the numerical model employed to study the economic impact and the income distribution effects of the CU agreement between Turkey and the EU on the Turkish economy. The appendix has been split into cight sections: (i) equations related to prices; (ii) equations related to production and factor demand; (iii) equations related to domestic and foreign trade; (iv) equations related to income; (v) equations related to taxes; (vi) equation related to savings and investment; (vii) equation related to final demand and intermediate demand; (viii) equations related to the market clearing conditions.
[4.A.1] Price equations

$$
\begin{equation*}
p_{j}=\Delta_{j}^{-1}\left(1+t_{j}\right)\left[\zeta_{j}^{\varepsilon_{j}} p m_{j}^{c 1-\varepsilon_{j}}+\left(1-\zeta_{j}\right)^{\varepsilon_{j}} p d_{j}^{1-\varepsilon_{j}}\right]^{1 /\left(1-\varepsilon_{j}\right)} \tag{4.A1}
\end{equation*}
$$

$p m_{j}^{c}=\mathrm{A}_{j}^{-1}\left[\alpha_{j}^{\mu_{j}} p m_{j}^{E U 1-\mu_{j}}+\left(1-\alpha_{j}\right)^{\mu_{j}} p m_{j}^{R o W 1-\mu_{j}}\right]^{1 /\left(1-\mu_{j}\right)}$

$$
\begin{equation*}
p m_{j}^{E U}=\overline{p w m}_{j}^{E U}\left(1+t m_{j}^{E U}\right) \tag{4.A2}
\end{equation*}
$$

$p m_{j}^{\text {Row }}=\overline{p w m}_{j}^{\text {RoW }}\left(1+t m_{j}^{\text {RoW }}\right)$

$$
\begin{equation*}
p y_{i}=\Phi_{i}^{-1}\left[\varphi_{i}^{\phi_{i}} p d_{i}^{1-\phi_{i}}+\left(1-\varphi_{i}\right)^{\phi_{i}} p e_{i}^{c 1-\phi_{i}}\right]^{1 /\left(1-\phi_{i}\right)} \tag{4.A4}
\end{equation*}
$$

$$
\begin{equation*}
p e_{i}^{c}=\mathrm{B}_{i}^{-1}\left[\beta_{i}^{\eta_{i}} p e_{i}^{E U^{1-\eta_{i}}}+\left(1-\beta_{i}\right)^{\eta_{i}} \overline{p w e}_{i}^{R o W_{1}-\eta_{i}}\right]^{1 /\left(1-\eta_{i}\right)} \tag{4.A5}
\end{equation*}
$$

$$
\begin{equation*}
p e_{i}^{E U}=\frac{\overline{p w e}_{i}^{E U}}{1+q r_{i}^{E U}} \tag{4.A6}
\end{equation*}
$$

$$
\begin{equation*}
p v_{i}=\mathbf{X}_{i}^{-1}\left[\gamma_{i}^{s \sigma_{i}} w_{i}^{s\left(1-\sigma_{i}\right)}+\gamma_{i}^{u \sigma_{i}} w_{i}^{u\left(1-\sigma_{i}\right)}+\left(1-\gamma_{i}^{s}-\gamma_{i}^{u}\right)^{\sigma_{i}} r^{\left(1-\sigma_{i}\right)}\right]^{1 /\left(1-\sigma_{i}\right)} \tag{4.A7}
\end{equation*}
$$

$$
\begin{equation*}
w_{i}^{s}=\mathrm{H}_{i}^{s^{-1}}\left[\sum_{s} \delta_{i s}^{\xi_{i}} w_{s}^{1-\xi_{i}}\right]^{1 /\left(1-\xi_{i}\right)} \tag{4.A8}
\end{equation*}
$$

(4.A10)

$$
w_{i}^{u}=\mathbf{H}_{i}^{u^{-1}}\left[\sum_{u} \delta_{i t u}^{\xi^{*}} w_{u}^{1-\xi^{*}}\right]^{1 /\left(1-\xi^{\prime \prime}\right)}
$$

(4.A11)

$$
\bar{\Omega}=\frac{\sum_{j} p d, \bar{D}_{j}}{\sum_{j} \overline{p d}, \bar{D},}
$$

[4.A.2] Production and factor inputs equations
(4.A12)

$$
Y_{i}=\min \left[\frac{x_{j i}}{a_{\mu}}, \frac{V_{i}}{a_{t}^{v}}\right]
$$

(4.A13)

$$
V_{i}=X_{i}\left[\gamma_{i}^{s} A L_{i}^{s\left(\sigma_{i}-1\right) / \sigma_{i}}+\gamma_{i}^{u} A L_{i}^{u\left(\sigma_{i}-1\right) / \sigma_{i}}+\left(1-\gamma_{i}^{s}-\gamma_{i}^{u}\right) A K_{i}^{\left(\sigma_{i}-1\right) / \sigma_{i}}\right]^{\sigma_{i} /\left(\sigma_{i}-1\right)}
$$

(4.A14)

$$
A L_{i}^{s}=\mathbf{X}_{i}^{\left(\sigma_{i}-1\right)}\left(\gamma_{i}^{\prime} \frac{p v_{i}}{w_{i}^{s}}\right)^{\sigma_{i}} V_{i}
$$

(4.A15)

$$
A L_{i}^{\mu}=X_{i}^{\left(\sigma_{i}-1\right)}\left(\gamma_{i}^{\mu} \frac{p v_{i}}{w_{i}^{u}}\right)^{\sigma_{i}} V_{i}
$$

(4.A16)

$$
A K_{1}=X_{i}^{\left(\sigma_{i}-1\right)}\left[\left(1-\gamma_{i}^{s}-\gamma_{i}^{u}\right) \frac{p v_{i}}{r}\right]^{\sigma_{i}} V_{i}
$$

$$
\begin{equation*}
L_{i s}=H_{i}^{s\left(\xi_{i}-1\right)}\left(\delta_{i s} \frac{w_{i}^{s}}{w_{s}}\right)^{\xi_{i}} A L_{i}^{s} \tag{4.A17}
\end{equation*}
$$

(4.A18)

$$
L_{t u}=H_{i}^{u\left(\xi_{i}^{*}-1\right)}\left(\delta_{t u} \frac{w_{i}^{u}}{w_{u}}\right)^{\xi^{*}} A L_{t}^{u}
$$

[4.A.3] Trade equations

$$
\begin{equation*}
Q_{1}=\Delta_{i}\left[\zeta_{i} M_{i}^{C\left(\varepsilon_{i}-1\right) / \varepsilon_{i}}+\left(1-\zeta_{i}\right) D_{i}^{\left(\varepsilon_{i}-1\right) / \varepsilon_{i}}\right]^{\varepsilon_{1},\left(e_{i}-1\right)} \tag{4.A19}
\end{equation*}
$$

(4.A20)

$$
\frac{M_{1}^{c}}{D_{1}}=\left(\frac{1-\varsigma_{i}}{\varsigma_{i}}\right)^{-\varepsilon_{j}}\left(\frac{p d_{1}}{p m_{j}^{c}}\right)^{c_{1}}
$$

$$
\begin{equation*}
M_{j}^{E U}=\mathrm{A}_{j}^{\mu_{j}-1} \alpha_{j}^{\mu_{j}}\left(\frac{p m_{j}^{E U}}{p m_{j}^{C}}\right)^{-\mu_{j}} M_{j}^{C} \tag{4.A21}
\end{equation*}
$$

$$
\begin{equation*}
M_{j}^{R_{j} W}=\mathrm{A}_{j}^{\mu_{j}-1}\left(1-\alpha_{j}\right)^{\mu_{j}}\left(\frac{p m_{j}^{R o W}}{p m_{j}^{C}}\right)^{-\mu_{j}} M_{j}^{c} \tag{4.A22}
\end{equation*}
$$

$$
\begin{equation*}
Y_{i}=\Phi_{i}\left[\varphi_{i} E_{i}^{C\left(\phi_{i}+1\right) / \phi_{i}}+\left(1-\varphi_{i}\right) D_{i}^{\left(\phi_{i}+1\right) \psi_{i}}\right]^{\phi_{i}\left(\phi_{i}+1\right)} \tag{4.A23}
\end{equation*}
$$

(4.A24)

$$
\frac{E_{i}}{D_{i}}=\left(\frac{1-\varphi_{i}}{\varphi_{i}}\right)^{-\phi_{i}}\left(\frac{p e_{i}^{c}}{p d_{i}}\right)^{\phi_{i}}
$$

(4.A25)

$$
E_{i}^{E U}=\mathrm{B}_{i}^{-1}\left[\beta_{i}+\beta_{i}^{\eta_{i}+1}\left(1-\beta_{i}\right)^{-\eta_{i}}\left(\frac{p e_{i}^{E U}}{\overline{p w e} e_{i}^{R o W}}\right)^{-\left(\eta_{1}+1\right)}\right]^{-\left(\frac{\eta_{i}}{n_{i}+1}\right)} E_{i}^{C}
$$

(4.A26)

$$
E_{i}^{R o W}=B_{i}^{-1}\left[\left(1-\beta_{i}\right)+\beta_{i}^{-n_{1}}\left(1-\beta_{i}\right)^{n_{i}+1}\left(\frac{\overline{p w e_{i}}}{p e_{i}^{E U}}\right)^{-\left(n_{i}+1\right)}\right]^{-\left(\frac{n_{i}}{\eta_{i}+1}\right)} E_{i}^{C}
$$

[4.A.4] Income equations

$$
\begin{align*}
& V E R_{i}^{E U}=q r_{i}^{E U} p e_{i}^{E U} E_{i}^{E U}  \tag{4.A27}\\
& H R_{h}=\sum_{s} \zeta_{h,}^{L} \sum_{i} w_{s} L_{i s}+\sum_{u} \zeta_{h x}^{L} \sum_{i} w_{u} L_{i u}+\zeta_{h}^{a g r}\left(r \tilde{A K}^{a g r}-\overline{D E P K}^{a g r}\right)+ \\
& \zeta_{h}^{\text {nasr }}\left(\sum_{\text {nagr }} r \tilde{A K}_{\text {nagr }}-\overline{D E P K}^{\text {nagr }}+\sum_{i} V E R_{r}^{E V}\right)
\end{align*}
$$

(4.A29)

$$
R=V A T T A X+C O N T A X+D T A X+T A R I F F
$$

[4.A.5] Tax equations
(4.A30)

$$
D T A X=\sum_{h} t d_{h}\left(1-\tau_{h}\right) H R_{h}
$$

(4.A31)

$$
V A T T A X=\sum_{n f} t_{n f}\left(p d_{n f} D_{n f}+p m_{n f}^{c} M_{n f}^{c}-p_{n f} X_{n f}\right) \quad \text { (non fuel goods) }
$$

$$
\begin{equation*}
\text { CONTAX }=\sum_{f} t_{f}\left(p d_{f} D_{f}+p m_{f}^{c} M_{f}^{c}\right) \tag{4.A32}
\end{equation*}
$$

$$
\text { (fuel) } j=n f \cup f
$$

(4.A33)

$$
\text { TARIFF }=\sum_{j} t m_{j}^{E U} \overline{p w m}_{j}^{E U} M_{j}^{E U}+\sum_{j} t m_{j}^{R o w} \overline{p w m}_{j}^{\text {RoW }} M_{j}^{R o W}
$$

14.A.6] Savings and investment equations
(4.A34) $\quad S_{h}=\tau_{h}\left(1-t d_{h}\right) H R_{h}$
(4.A35) $\quad \overline{B D}=\overline{T G C}-R$
(4.A36) $\quad S A V=\sum_{h} S_{h}+\overline{D E P K}+\overline{C A}-\overline{B D}$
(4.A37) $\quad I_{j}=\theta_{j} \overline{I N V}$
[4.A.7] Expenditure equations
(4.A38)

$$
X_{j}=\sum_{i} a_{j i} Y_{i}
$$

(4.A39) $C_{j}=\sum_{h} \vartheta_{j h}\left(1-\tau_{h}\right)\left(1-t d_{h}\right) \frac{H R_{h}}{P_{j}}$
(4.A40)

$$
G C_{j}=\omega_{j} \overline{T G C}
$$

[4.A.8] Market clearing conditions
(4.A41)

$$
Q_{j}=C_{j}+G C_{j}+X_{j}+I_{j}
$$


(4.A43) $\quad L A B_{s}=\sum_{i} L_{i s}$
(4.A44) $L A B_{u}=\sum_{i} L_{i u}$
(4.A45) $\quad \overline{C A P}=\sum_{i} A K_{i}$
(4.A46) $\quad S A V=\overline{I N V}$

## Variables (*):

| $A K$, | Aggregate capital |
| :---: | :---: |
| $\overline{B D}$ | Budget deficit |
| $C_{j}$ | Private demand of goods |
| $\bar{C} \bar{A}$ | Current account deficit |
| $\overline{C A P}$ | Aggregate capital stock |
| $D_{J}$ | Domestically produced commodities |
| $\bar{D}^{\prime}$ | Domestically produced commodities in the base year |
| $\overline{D E P K}^{\text {agr }}$ | Fixed capital depreciation in agriculture |
| $\overline{D E P K}^{\text {nagr }}$ | Fixed capital depreciation in non-agricultural activities |
| DTAX | Direct tax |
| $E_{i}^{C}$ | Aggregate exports |
| $E_{i}^{E U}$ | Exports to the EU |
| $E_{i}^{\text {Row }}$ | Exports to the RoW |
| GC, | Government spending on goods |
| $I_{j}$ | Investment by sector of destination |
| $\overline{I N V}$ | Aggregate investment |
| $L_{i 4}$ | Sectoral skilled labour |
| $L_{i u}$ | Sectoral unskilled labour |
| $L A B_{s}$ | Aggregate skilled labour |
| $L A B_{u}$ | Aggregate unskilled labour |
| $M_{j}^{c}$ | Aggregate imports |
| $M_{j}^{E U}$ | Imports from the EU |


| $M_{j}^{\text {Row }}$ | Imports from the Row |
| :---: | :---: |
| $p_{j}$ | Price of the Armington good |
| $p d_{j}$ | Price of domestically produced commodities |
| $\overline{p d}_{j}$ | Price of domestically produced commodities in the base year |
| $p e_{i}^{C}$ | Composite price of exports |
| $p e_{i}^{E U}$ | Supply price of exports to the EU |
| $p m_{j}^{c}$ | Composite price of imports |
| $p m_{j}^{E U}$ | Domestic price of imports from the EU |
| $p m_{j}^{\text {Row }}$ | Domestic price of imports from the RoW |
| $p y_{i}$ | Aggregate producer price |
| $\overline{p w e}_{i}^{E U}$ | Price of exports to the EU prevailing in the EU market |
| $\overline{p w e}_{i}^{\text {Row }}$ | Price of exports to the RoW prevailing in the RoW market |
| $\overline{p w m}_{j}^{E U}$ | Price of imports produced by the EU net of duties |
| $\overline{p w m}_{j}^{R o w}$ | Price of imports produced by the RoW net of duties |
| $R$ | Government revenues |
| $r$ | Rent on capital inputs |
| $S_{h}$ | Household savings |
| SAV | Aggregate savings |
| TARIFF | Tariffs |
| $\overline{T G C}$ | Aggregate government spending on goods |
| $V_{i}$ | Value added |
| VATTAX | Value added tax |
| $V E R_{i}^{\text {EU }}$ | Rents from voluntary export restraints agreements with the EU |
| $x_{j i}$ | Raw-material inputs |


| $X_{j}$ | Aggregate intermediate demand |
| :---: | :---: |
| $Y_{i}$ | Output by sectors |
| $w$, | Wage of skilled labours |
| $w_{u}$ | Wage of unskilled labours |
| $w_{i}^{s}$ | Average wage of skilled labour |
| $w_{i}^{*}$ | Average wage of unskilled labour |
| $\bar{\Omega}$ | Aggregate domestic price index - numeraire |
|  | Parameters |
| $a_{i}$ | Value added requirement per unit of sectoral output |
| $a_{i j}$ | Leontief input-output coefficients. |
| $q r_{i}^{\text {EU }}$ | Export quota premium on Turkish goods in terms of tariff equivalent |
| $t_{j}$ | Indirect tax rate |
| $t d_{n}$ | Direct tax rate on household income |
| $t m_{j}^{\text {EU }}$ | Effective import tariff rates on EU goods |
| $t m_{j}^{\text {Row }}$ | Effective import tariff rates on RoW goods |
| $\alpha_{j}$ | Share parameter in the second nest Armington function |
| $\beta_{j}$ | Share parameter in the second nest CET aggregation function |
| $\delta_{i s}$ | Share parameter of skilled labour function |
| $\delta_{i u}$ | Share parameter of unskilled labour function |
| $\gamma_{i}^{s}$ | Share parameter of the value added function |
| $\gamma_{i}^{\prime \prime}$ | Share parameter of the value added function |
| $\varepsilon_{i}$ | Elasticity of substitution between imported and domestic goods |


| $\varphi_{i}$ | Share parameter in the first nest CET aggregation function |
| :---: | :---: |
| $\phi_{i}$ | Elasticity of transformation between exports and domestic production |
| $\theta$, | Investment share on commodities. |
| $\eta_{1}$ | Elasticity of transformation among exports to different regions |
| $s^{\prime}$ | Share parameter in the first nest Armington trade aggregation function |
| $\tau_{h}$ | Household marginal propensity to save |
| $\sigma_{i}$ | Elasticity of substitution among primary factors of production |
| $\zeta_{h}^{a g r}$ | Share parameter of the agricultural capital income to households |
| $\zeta_{h s}^{L}$ | Share parameters of skilled labour income to households |
| $\zeta_{h u}^{L}$ | Share parameters of unskilled labour income to households |
| $\zeta_{h}^{\text {nagr }}$ | Share parameters of non-agricultural capital incomes to households |
| $\xi_{i}$ | Elasticity of substitution among skilled labours |
| $\xi_{i}^{\mu}$ | Elasticity of substitution among unskilled labours |
| $\omega^{\prime}$ | Fixed shares of government spending on goods |
| $\vartheta_{j h}$ | Fixed shares of household spending on goods |
| $\mu_{j}$ | Elasticity of substitution among imports from different regions |
| A, | Shift parameter in the second nest Armington function |
| $\mathrm{B}_{1}$ | Shift parameter in the second nest CET aggregation function |
| X | Shift parameter of the value added function |
| $\Delta_{j}$ | Shift parameter in the first nest Armington trade aggregation function |
| $\Phi_{1}$ | Shift parameter in the first nest CET aggregation function |
| $\mathrm{H}_{i}$ | Shift parameter in the aggregate skilled labour function |
| $\mathrm{H}_{i}$ | Shift parameter in the aggregate unskilled labour function |
| (*) Parameter and variables with a bar are set exogenously |  |

## Appendix 4.B The measurement of inequality

The study focuses on the inequality "within" and "between" urban and rural groups. The data source does not provide any additional information concerning the income redistribution within each income class group. Thus, complete equality between household members within each income class group is postulated and the income arithmetic mean for each representative household member of a given income class group, $h r_{h}$, divided by the so called "true" cost of living index, $P_{h}$, (Shoven and Whalley, 1992) is employed to measure income inequality.

Jenkins (1991) and Cowell (1995) investigate the properties of different measures of inequality widely used in the economics literature in a simple fashion. It can be shown that for $\theta$ approaching zero,

$$
\begin{equation*}
\lim _{\theta \rightarrow 0} G E_{\theta}=-\frac{1}{K} \sum_{h=1}^{H} k_{h} \log \left(\frac{h r_{h} / P_{h}}{h r^{m}}\right), \tag{4.B1}
\end{equation*}
$$

and that for $\theta$ approaching one,

$$
\begin{equation*}
\lim _{\theta \rightarrow 1} G E_{\theta}=\frac{1}{K} \sum_{h=1}^{H} k_{h}\left(\frac{h r_{h} / P_{h}}{h r^{m}}\right) \log \left(\frac{h r_{h} / P_{h}}{h r^{m}}\right) . \tag{4.B2}
\end{equation*}
$$

As reported by Cowell (1984), the disaggregated version of the generalised entropy measure is given by:

$$
\begin{equation*}
G E_{\theta}=\sum_{g=1}^{G} i_{g}^{\theta} m_{s}^{1-\theta} G E_{\theta w}+G E_{\theta b}, \tag{4.B3}
\end{equation*}
$$

where $G E_{\theta w}$ and $G E_{\theta b}$ represent the inequality measure "within" and "between" each group $g$, respectively; $i_{g}$ the share of total income held by $g$ 's household members; $m_{g}$ the $g$ 's population share; and $G$ the number of mutually exclusive groups, that is the urban and the rural groups.
$G E_{\theta w}$ is calculated as if each group were a separate population, whilst $G E_{\theta b}$ is derived by assuming that every household member within a given group receive the $g$ 's mean income (Jenkins, 1991):

$$
\begin{equation*}
G E_{\mathrm{\theta} h}=\frac{1}{\theta^{2}-\theta}\left[\sum_{g=1}^{G} m_{g}\left(\frac{h r_{s}^{m}}{h r^{m}}\right)^{\theta}-1\right] \tag{4.B4}
\end{equation*}
$$

where $h r_{g}^{m}$ is the mean income within the group in real terms.
Jenkins (1991) also shows that:
(4.B5)

$$
\lim _{\theta \rightarrow 0} G E_{\theta b}=-\sum_{g=1}^{G} m_{g} \log \left(h r_{g}^{m} / h r^{m}\right)
$$

and that
(4.B64) $\quad \lim _{\theta \rightarrow 1} G E_{\theta b}=\sum_{g=1}^{\vec{G}} i_{g} \log \left(h r_{g}^{m} / h r^{m}\right)$.

## Appendix 4.C The GAMS code: the CU agreement

```
* (Sets, data set and calibration of some parameters can be found in Appendix 2.D)
$TITLE TURKEYSAM: DISAGGREGATED TRADE MODEL WITH THE EC - 1990
NAGR(I) NON AGRICULTURE / Min, Food, Drink, Text, Wear, Leat, Foot, Wood, Chem,
    perr, Nmet, Met, Mach, Mtran, Elgas, Cons, Whol. Tran, Oser,
CU(I) CUSTOMGOODS / Min, Drink, Text, Wear, Leat, Foot, Wood, Chem, Petr,
    Nmet, Met, Mach, Mtran, Elgas /
IND(I) GOODS SUBJECT TO VAT / Agr, Min, Food, Drink, Text, Wear, Leat, Foot,
        Wood, Chem, Nmet, Mat, Mach, Mtran, Elgas, Cons, Whol, Tran, Osar /
    SK SKILLEDLABOUR /
    Prof Professional labour
    Mana Managers
    White White collars /
UN UNSKILLEDLABOUR /
    Sale Sale workers
    Serv Service workers
    Farm Agricultural workers
    Nfarm Non agricultural workers
    Other Others /
```

TABLE HHINCOME(HH, *) Household Income

|  | KAGR | KNAGR | KTRADE | KSERV |
| :---: | :---: | :---: | :---: | :---: |
| U14 | 3 | 11 | 6 | 25 |
| U15 | 70 | 187 | 247 | 405 |
| 016 | 181 | 599 | 571 | 1041 |
| U17 | 234 | 1000 | 1071 | 1641 |
| U18 | 293 | 1288 | 1500 | 2315 |
| U19 | 289 | 1393 | 1555 | 2262 |
| U20 | 309 | 1677 | 1902 | 2818 |
| U21 | 241 | 1726 | 1445 | 2716 |
| U22 | 244 | 1494 | 1906 | 2206 |
| U23 | 97 | 1389 | 1438 | 1511 |
| U24 | 243 | 2849 | 2811 | 4137 |
| U25 | 375 | 2126 | 2594 | 3611 |
| U26 | 285 | 1580 | 2360 | 2712 |
| U27 | 134 | 1467 | 1854 | 2027 |
| U28 | 82 | 752 | 1587 | 1557 |
| U29 | 474 | 4324 | 3292 | 4963 |
| 430 | 183 | 2040 | 1987 | 2372 |
| U31 | 229 | 5986 | 3087 | 4951 |
| U32 | 112 | 3025 | 682 | 1154 |
| U33 | 0 | 2489 | 539 | 12 |
| R34 | 310 | 24 | 4 | 79 |
| R35 | 1696 | 163 | 70 | 635 |
| R3 6 | 2925 | 643 | 528 | 1477 |
| R37 | 4490 | 668 | 869 | 1620 |
| R38 | 4952 | 650 | 1243 | 1643 |
| R39 | 4822 | 377 | 817 | 1525 |
| R40 | 4675 | 583 | 578 | 1152 |
| R41 | 4050 | 621 | 651 | 1486 |
| R42 | 3958 | 438 | 987 | 828 |
| R43 | 2941 | 199 | 405 | 463 |


| R44 | 6426 | 599 | 981 | 1552 |
| :--- | :--- | :--- | :--- | :--- |
| R45 | 3648 | 417 | 804 | 1009 |
| R46 | 1604 | 316 | 1102 | 690 |
| R47 | 1506 | 404 | 1055 | 1534 |
| R48 | 902 | 230 | 743 | 350 |
| R49 | 1598 | 338 | 1193 | 1721 |
| R50 | 2441 | 638 | 722 | 631 |
| R51 | 1354 | 489 | 434 | 1462 |
| R52 | 27 | 579 | 0 | 155 |

PARAMETER
TCO (J)
TRO (J)
CETO (J)
GAMMALSK (I)
GAMMALUN (I)
TETASK(I)
TETAUN(I)
CESV(I)
LPRSK (I)
DELTASK (SK, I)
LSKCES (I)
LFSK (I)
LFSSK(I)
LPRUN(I)
DELTAUN(UN, I)
LUNCES (I)
LFUN(I)
LFSUN (I)
SHHSKL (HH, SK)
SHHUNL (HH, UN)
SHHK (HH)
SHHKAGR (HH)

TARIFF RATE ON IMPORTS FROM EC TARIFF RATE ON IMPORTS FROM ROW COMMON EXTERNAL TARIF
PRODUCTION FUNCTION SHARE PARAMETER PRODUCTION FUNCTION SHARE PARAMETER CES ELASTICITY BETWEEN SKILLED CES ELASTICITY BETNEEN UNSKILLED USED FOR AD
USED FOR SKILLED LABOUR
SHARE PARAMETERS FOR SKILLED LABOUR USED FOR SKILLED LABOUR
SKILLED LABOUR FUNCTION SHIFT PARAMETER SKILLED LABOUR FUNCTION SHIFT PARAMETER ADJUSTED USED FOR UNSKILLED LABOUR
SHARE PARAMETERS FOR UNSKILLED LABOUR
USED FOR UNSKILLED LABOUR
UNSKILLED LABOUR FUNCTION SHIFT PARAMETER UNSKILLED LABOUR FUNCTION SHIFT PARAMETER ADJUSTED SHARE OF SKILLED LABOUR INCOME TO HOUSEHOLDS SHARE OF UNSKILLED LABOUR INCOME TO HOUSEHOLDS SHARE OF NON AGRICULTURAL CAPITAL INCOME TO HH SHARE OF AGRICULTURAL CAPITAL INCOME TO HH
*DUMMIES TO HOLD INITIAL DATA

| TARECO (J) | TARIFFS FROM EC IMPORTS |
| :--- | :--- |
| FUNDECO (J) | FUND FROM EC IMPORTS |
| TARRWO (J) | TARIFFS FROM ROW IMPORTS |
| FUNDRWO (J) | FUND FROM ROW IMPORTS |
| ICEENET (J) | NET IMPORT FROM CEE |
| IROWNET (J) | NET IMPORT FROM ROW |
| PWMCO (J) | WORLD PRICE OF IMPORTS FROM THE EC |
| PWMRO (J) | WORLD PRICE OF IMPORTS FROM THE ROW |
| PVO (I) | VALUE ADDED PRICE |
| WLSKIO | SKILLED WAGE |
| WLUNKO | UNSKILLED WAGE |
| SKLINCO (SK, I) | SKILLED LABOUR INCOME |
| UNLINCO (UN, I) | UNSKILLED LABOUR INCOME |
| LSKIO (I) | SKILLED LABOUR FORCE BY SECTOR |
| LUNKO(I) | UNSKILLED LABOUR FORCE BY SECTOR |
| TKINCO | CAPITAL INCOME |
| HSKLINO (HH, SK) SKILLED LABOUR INCOME MATRIX |  |
| HUNLINO (HH, UN) UNSKILLED LABOUR INCOME MATRIX |  |
| FSKLINCO (SK) | SKILLED LABOUR INCOME BY CATEGORY |
| FUNLINCO (UN) | UNSKILLED LABOUR INCOME BY CATEGORY |
| DEPRECO | CAPITAL DEPRECIATION PLUS FIRM SAVINGS IN NON AGRICUL |
| DEPAGRO | CAPITAL DEPRECIATION IN AGRICULTURE |

```
* CALIBRATION OF ALL SHIFT AND SHARE PARAMETERS **
*
```

* GET ELASTICITIES

TETASK $(I)=2: \operatorname{TETAUN}(I)=5 ;$

* GET GAMMA, AD
$\operatorname{SKLINCO}(S K, I)=\operatorname{LABINC}(S K, I):$
UNLINCO (UN, I) $=$ LABINC (UN, I)
LSKIO (I) = SUN(SK, SKLINCO\{SK,I))
LUNKO (I) = SUM(UN, UNLINCO(UN,I))
GAMMALSK(I) $=\{\operatorname{LSKIO}(I) * *(1 / S I G M A(I) \mid) /\{\operatorname{LSKIO}(I) * *(1 / S I G M A(I))$ + LUNKO (I)**(1/SIGMA(I) ) + AKO(I)**(1/SIGMA (I)) );
GAMMALUN(I) $=($ LUNKO $(I) * *(1 /$ SIGMA $(I))) /(\operatorname{LSKIO}(I) * *(1 / S I G M A\{I))+$ LUNKO (I)**(1/SIGMA(I)) + AKO(I)**(1/SIGMA(I)) ):
$\operatorname{CESV}(I) \$ G A M M A L U N(I)=1$ GAMMALSK(I)*LSKIO(I)**(\{SIGMA(I)-1)/SIGMA(I)) + GAMMALUN(I)*LUNKO(I)**((SIGMA(I)-1)/SIGMA(I)) +
- GAMMALUN(I) )*AKO(I)**((SIGMA(I)-1)/SIGMA(I)))
**(SIGMA(I)/(SIGMA(I)-1)):
$A D(I) \$ C E S V(I)=Y O(I) / C E S V(I) ;$
$\mathrm{ADS}(I)=A D(I) * *(\{S I G M A(I)-1) / S I G M A(I)):$
DISPLAY GAMMALSK, GAMMALUN:
- GET DELTASK

LPRSK (I) $=$ SUM (SK, SKLINCO (SK, I) **(1/TETASK (I)));
DELTASK $(S K, I)=\operatorname{SKLINCO}(S K, I) * *(1 /$ TETASK(I) $/ L P R S K(I) ;$ DISPLAY DELTASK;
LSKCES (I) $=\operatorname{SUM}(S K \$ D E L T A S K(S K, I), D E L T A S K(S K, I) * S K L I N C O(S K, I)$
** ( (TETASK (I)-1)/TETASK (I) ) ):
$\operatorname{LFSK}(I)=\operatorname{LSKIO}(I) * L S K C E S(I) * *(T E T A S K(I) /(1-T E T A S K(I))) ;$
LFSSK (I) $=\operatorname{LFSK}(I) * *(T E T A S K(I)-1) ;$

* GET DELTAUN
$\operatorname{LPRUN}(I)=\operatorname{SUM}(U N, \operatorname{UNLINCO}(U N, I) * *(1 /$ TETAUN $(I))) ;$
DELTAUN(UN, I) $=$ UNLINCO (UN, I)**(1/TETAUN(I))/LPRUN(I); DISPLAY DELTAUN:
LUNCES (I) $=$ SUM (UNSDELTAUN (UN, I), DELTAUN (UN, I) *UNLINCO (UN, I)
** ( (TETAUN (I) - 1)/TETAUN(I))) ;
$\operatorname{LFUN}(I)=\operatorname{LUNKO}(I)$ *LUNCES(I)**(TETAUN(I)/(1-TETAUN(I)));
$\operatorname{LFSUN}(I)=\operatorname{LFUN}(I) * *(T E T A U N(I)-1):$
* GET PVO

PVO (I) $=1$ (GAMMALSK(I)**SIGMA(I) + GAMMALUN(I)**SIGMA(I) +
(1-GAMMALSK(I)-GAMMALUN(I))**SIGMA(I))**(1/(1-SIGMA(I))) / /AD(I):

* GET WAGE. RENT

WLSKIO (I) $=\operatorname{ADS}(I) * G A M M A L S K(I) * P V O(I) *(Y O(I) / L S K I O(I)) * *(1 / S I G M A(I)) ;$
WLUNKO (I) $=\operatorname{ADS}(I) *$ GAMMALUN $(I) * P V O(I) *(Y O(I) / L U N K O(I)) * *(1 / S I G M A \mid I))$;
$\operatorname{RENTO}(I)=\operatorname{ADS}(I) *(1-G A M M A L S K(I)-G A M M A L S K(I)) * P V O(I) *(Y 0(I) / A K 0(I)) * *(1 / S I G M A(I)):$

- GET TC, TR, FUNDS

TARIFO (J) = VARIE (J, 'DUTY"):

IROWNET (J) $=$ IMPO (J) - ICEENET (J) - TARIFO (J):
TARECO (J) = VARIE(J,"TAREU')
FUNDECO (J) $=\operatorname{VARIE}\left(J,{ }^{\text {'FUNDEU' }}\right.$ )
TARRWO (J) = VARIE (J,'TARRW'):
FUNDRWO (J) $=\operatorname{TARIFO}(J)-1 \operatorname{TARECO}(J)+\operatorname{FUNDECO}(J)+$ TARRWO (J) ):
$\operatorname{TCO}(J) \$ T(J)=\{\operatorname{TARECO}(J) * \operatorname{FUNDECO}(J)) /(\operatorname{PCO}(J) * \operatorname{ICEENET}(J)):$
TRO (J) \$T (J) = |TARRWO (J) + PUNDRWO (J))/(PRO (J) * IROWNET (J)) ;
PWMCO (J) $=\operatorname{PCO}(J) /(1+\operatorname{TCO}(J)+\operatorname{PECO}(J)):$
$\operatorname{PWMRO}(J)=\operatorname{PRO}(J) /(1+\operatorname{TRO}(J)+\operatorname{FRWO}(J)):$

* GET CET

CETO(I) = VARIE(I,'CONEXTARIF'):

- GET SHHK

DEPAGRO $=241$;

DEPRECO = 476B5-DEPAGR0;
PROFITO (I) = TECO(I)*ECEEO(I)
TKINCO $=\operatorname{SUM}(I, A K O(I)+\operatorname{PROFITO}(I))+$ TGKO + TWKO - DEPRECO - AKO("AGR"):
KINCO $(H H)=$ HHINCOME (HH, 'CAPIT") - HHINCOME (HH, "KAGR");
SHHK (HH) $=$ KINCO (HH)/TKINCO; DISPLAY SHHK;
SHHKAGR (HH) = HHINCOME (HH, "KAGR")/(AKO ("AGR") - DEPAGRO ) ; DISPLAY SHHKAGR:

* GET SHHL, DTAX

HSKLINO (HH, SK) $=$ HHINCOME (HH, SK) :
HUNLINO (HH, UN) $=$ HHINCOME (HH, UN):
FSKLINCO(SK) $=$ SUM(I.SKLINCO(SK,I))
FUNLINCO (UN) $=\operatorname{SUM}(I$, UNLINCO (UN, I) ):
SHHSKL (HH, SK) SHSKLTNO(HH, SK) = HSKLINO (HH, SK)/FSKLINCO(SK) : DISPLAY SHHSKL
SHHUNL (HH, UN) §HUNLINO (HH, UN) = HUNLINO(HH, UN)/FUNLINCO(UN): DISPLAY SHHUNL:
THGO (HH) $=$ HHINCOME (HH, "GOV");
THWO (HH) $=$ HHINCOME (HH, "ROW'):
HRO $(H H)=\operatorname{SUM}(S K, H S K L I N O(H H, S K))+\operatorname{SUM}(U N, H U N L I N O(H H, U N))+K I N C O(H H) ~+~$ HHINCOME (HH, "RAGR") + THGO (HH) + THWO (HH):


FREE VARIABLES

| THG (HH) | GOVERNMENT TRANSFERS TO HOUSEHOLDS |
| :--- | :--- |
| THW (HH) | REMITTANCES FROM ABROAD |
| HS (HH) | HOUSHOLD SAVINGS |
| GS | GOVERNMENT SAVINGS |
| WS | FOREIGN SAVINGS |
| Z(J) | INVESTMENT BY SECTOR OF ORIGIN |
| TWG | GOVERNMENT TRANSFERS ABROAD |
| INTAX | INDIRECT TAX ON VALUE ADDED NET OF EXPORTS |
| SKLAB (SK) | AGGREGATE SUPPLY OF SKILLED LABOUR |
| UNLAB (UN) | AGGREGATE SUPPLY OF UNSKILLED LABOUR |
| AGCAP | AGGREGATE SUPPLY OF CAPITAL |

* INDICATOR FOR OBJECTIVE FUNCTION

UTILITY OBJECTIVE FUNCTION VARIABLE ;
POSITIVE VARIABLE

| PROFIT(J) | PROFITS |
| :---: | :---: |
| VAT | INCREASE IN VAT RATE |
| TD (I) | INDIRECT TAX ON DOMESTIC CONSUMPTION |
| TC (J) | TARIFF RATE ON IMPORTS FROM EC |
| TR (J) | TARIFF RATE ON IMPORTS FROM ROW |
| TEC (J) | TARIFF ON EXPORTS IMPOSED BY EC |
| PE (I) | PRICE OF EXPORTS |
| PEC(I) | PRICE OF EXPORTS TO THE EC |
| PECW (VER) | WORLD PRICE OF EXPORTS TO THE EC |
| PER(I) | PRICE OF EXPORTS TO THE ROW |
| PV(I) | NET OR VALUE ADDED PRICE |
| P(J) | COMPOSITE PRICE OF COMMODITY J |
| PD(J) | DOMESTIC PRICE OF COMMODITY |
| PM(J) | DOMESTIC PRICE OF IMPORT |
| PC(J) | DOMESTIC PRICE OF IMPORT FROM EC |
| PR (J) | DOHESTIC PRICE OF IMPORT FROM ROW |
| PY(I) | DOMESTIC PRICE OF DOMESTIC OUTPUT |
| WLSKI(I) | COMPOSITE WAGE - SXILLED |
| WLUNK (I) | COMPOSITE WAGE - UNSKILLED |
| WAGESK (SK) | WAGE BY SKILLED CATEGORY |
| WAGEUN (UN) | WAGE BY UNSKILLED CATEGORY |
| RENT | RENT |
| CPI | CONSUMER PRICE INDEX |
| X(J) | INTERMEDIATE INPUTS DEMAND |
| Y(I) | DOMESTIC PRODUCTION OF COMPOSITE GOODS |
| LSKI (I) | COMPOSITE SKILLED LABOUR |


| LUNK(I) | COMPOSITE UNSKILLED LABOUR |
| :--- | :--- |
| LSK (SK, I) | LABOUR FORCE BY SKILLED CATEGORY |
| LUN(UN, I) | LABOUR FORCE BY UNSKILLED CATEGORY |
| AK(I) | OPERATING SURPLUS |
| DO(I) | DOMESTIC DEMAND OF COMMODITIES |
| IMP(J) | IMPORTS |
| ICEE (J) | IMPORT FROM CEE |
| IROW(J) | TMPORT FROM ROW |
| Q(J) | COMPOSITE COMMODITY |
| ECEE(I) | EXPORTS TOWARDS CEE |
| EROW(I) | EXPORTS TOWARDS ROW |
| E(I) | TOTAL EXPORTS |
| FKINC | NON AGRICULTURAL CAPITAL INCOME |
| FSKLINC(SK) | SKILLED LABOUR INCOME |
| FUNLINC(UN) | UNSKILLED LABOUR INCOME |
| HR(HH) | HOUSEHOLD INCOME |
| HCM(HH) | HOUSEHOLD CONSUMPTION MATRIX |
| SAV | AGGREGATE SAVINGS |
| INV | AGGREGATE INVESTMENT ON J |
| TDTH | DIRECT TAXES ON HOUSEHOLD INCOME |
| TARIF | TARIFFS ON IMPORTS |
| DEPREC | DEPRECIATION |
| TGK | NET GOVERNMENT TRANSFERS TO CAPITAL-FIRMS |
| TWK | NET ROW TRANSFERS TO CAPITAL-FIRMS |
| $R$ | GOVERNMENT INCOME |
| GC(J) | GOVERNMENT CONSUMPTION |
| TGCON | TOTAL GOVERNMENT CONSUMPTION |
| HC (J) | HOUSEHOLD CONSUMPTION: |


equations

* Price Equations

| ABSORPTN (J) | VALUE OF DOMESTIC SALES |
| :--- | :--- |
| PMDEF (J) | DEFINITION OF DOMESTIC IMPORT PRICE |
| PCDEF (J) | DEFINITION OF DOMESTIC IMPORT PRICE FROM EU |
| PRDEF (J) | DEFINITION OF DOMESTIC IMPORT PRICE FROM ROW |
| PYDEF (I) | DEFINITION OF PRODUCER PRICE |
| PEDEF (I) | DEFINITION OF PRICE FOR EXPORTS |
| PECDEF (VER) | DEFINITION OF PRICE FOR EXPORTS TO THE EC |
| PERDEF (I) | DEFINITION OF PRICE FOR EXPORTS TO THE ROW |
| WAGESKDEF\{I) | SKILLED WAGE DEFINITION |
| WAGEUNDEF(I) | UNSKILLED WAGE DEFINITION |
| PVADEF (I) | DEFINITION OF ACTIVITY OR VALUE ADDED PRICE |
| CPINDEX | CONSUMER PRICE INDEX |

* Production and Factor Inputs Equations

OUTPUT(I)
AGSKLAB (I)
AGUNLAB\{I
AGGKAP (I)
SKLABDEM (SK,I)
UNLABDEM (UN, I)
GROSS DOMESTIC OUTPUT
AGGREGATE DEMAND FOR SKILLED LABOUR AGGREGATE DEMAND FOR UNSKILLED LABOUR AGGREGATE CAPITAL DEMAND
SKILLED LABOUR DEMAND FUNCTION UNSKILLED LABOUR DEMAND FUNCTION

* TRADE EQUATIONS
ARMINGTON(T)
ARMINGTONT (NT)
COSTMIN(T)
ARMINGIMP (T)
COMIMP (T)
CET(I)

ARHINGTON CES SPECIFICATION TRADABLES ARMINGTON CES SPECIFICATION NONTRADABLES COST MINIMIZATION FOR COMPOSITE GOOD CES SPECIFICATION FOR IMPORTS
COST MINIMIZATION FOR COMPOSITE IMPORT CET SPECIFICATION FOR TRADABLES

CETNT (NT) ESUPPLY(I) EXPORT (I) EXPCET (I)
** Income Equarions
PROFITS (I)
FACKINC
FACSKLINC (SK)
FACUNLINC (UN) HHINC (HH)

* Tax equations

| DIRTH | DIRECT TAXES ON HOUSEHOLD INCOME |
| :--- | :--- |
| VATTAX $(J)$ | INDIRECT TAXES ON VALUE ADDED (CONSUMPTION DEFINITION) |
| INDTAX | CONSUMPTION TAX ON PETROLEUM PRODUCTS |
| TARIFFS | TARIFF ON IMPORTS |
| GYDEF | GOVERNMENT INCOME |

* Savings and Investment Equations

SAVDEF
HHSDEF (HH)
GSDEF
ZDEF (J)

CET SPECIFICATION FOR NONTRADABLES
EXPORT SUPPLY FUNCTION
TOTAL EXPORTS
CET SPECIFICATION FOR EXPORTS

RENTS ON VERS
NON AGRICULTURAL CAPITAL INCOME
SKILLED LABOUR INCOME
UNSKILLED LABOUR INCOME
HOUSEHOLD INCOME

DIRECT TAXES ON HOUSEHOLD INCOME
(CONSUMPTION DEFINITION)

TARIFF ON IMPORTS
GOVERNMENT INCOME

AGGREGATE SAVINGS
HOUSEHOLDS SAVINGS
GOVERNMENT SAVINGS
INVESTMENT BY SECTOR OF ORIGIN
** Expenditure Equations

INTDEF(J)
INTPDEF
HHCDEF (J) GOVCDEF (J)
et Clearing Conditions

| SKLABMARKT | SKILLED LABOUR MARKET EQUILIBRIUM |
| :--- | :--- |
| UNLABMARKT | UNSKILLED LABOUR MARKET EQUILIBRIUM |
| CAPMARKT | CAPITAL MARKET EQUILIBRIUM |
| GOODEQ(J) | GOODS MARKET EQUILIBRIUM |
| BOPEQ | BALANCE OF PAYMENT EQUILIBRIUM |
| SAVINVEQ | SAVINGS INVESTMENT EQUILIBRIUM |

* Objective Function

OBJ
OBJECTIVE FUNCTION

* EQUATION ASSIGNHENT
** Price Equations
$A B S O R P T N(J) \ldots \quad P(J) * Q(J)=E=11+V A T * T D(J)) *(P M(J) * I M P(J)+P D(J) * D O(J)):$
$\operatorname{PMDEF}\{J) . \operatorname{PM}(J) * I M P(J)=E=P C(J) * \operatorname{ICEE}(J)+\operatorname{PR}(J) * \operatorname{IROW}(J):$
$\operatorname{PCDEF}(J) \ldots \quad \operatorname{PC}(J)=E=\operatorname{PWMCO}(J) *(1+\operatorname{TC}(J)):$
$\operatorname{PRDEF}(J) \ldots \quad \operatorname{PR}(J)=E=\operatorname{PWMRO}(J) *(1+\operatorname{TR}(J)):$
PYDEF(I).. $P Y(I) * Y(I)=E=P D(I) * D O(I)+P E(I) * E(I) ;$
$\operatorname{PEDEF}(I) \$ T(I) \ldots \operatorname{PE}(I)=E=(\operatorname{PEC}(I) * \operatorname{ECEE}(I)+\operatorname{PER}(I) * E R O W(I)) / E(I)$;
$\operatorname{PECDEF}(V E R) . . \operatorname{PEC}(V E R)=E=\operatorname{PECW}(V E R) /(1+T E C(V E R)) ;$
PERDEF(I)ST(I).. PER(I) =E= PERWO(I):

```
PVADEF(I).. PV(I) =E= (|GAMMALSK(I)**SIGMA(I))*WLSKI(I)**(1-SIGMA(I)) *
                    (GAMMALUN(I)**SIGMA(I))*WLUNK(I)**(1-SIGMA(I)) +
        ((1-GAMMALSK(I)-GAMMALUN(I))**SIGMA(I))*RENT**(1-SIGMA(I)))
    **(1/(1-SIGMA(I))))/AD(I) ;
WAGESKDEF(I).. WLSKI(I) =E= SUM(SK,WAGESK(SK)*LSK(SK,I))/LSKI(I):
WAGEUNDEF (I).
CPINDEX.
    WLUNK(I) =E= SUM(UN,WAGEUN{UN)*LUN (UN, I))/LUNK(I):
    CPI =E= SUM(J,PD{J)*DOO(J))/SUM(J, PDO(J)*DOO(J));
** Production and Factor Inputs Equations
** First stage
OUTPUT(I).. Y(I) =E= AD(I)* (GAMMALSK(I)*LSKI(I)**((SIGMA(I)-1)/SIGMA(I)) +
                    GAMMALUN{I)*LUNK(I)**((SIGMA(I)-1)/SIGMA(I)) +
                            (1-GAMMALSK(I)-GAMMALUN(I))*AK(I)**((SIGMA(I)-1)/SIGMA(I)))
                                    **(SIGMA(I) / (SIGMA(I)-1)):
** Second stage
AGSKLAB(I).. LSKI(I)=E= Y(I)*(ADS(I)*GAMMALSK(I)*PV(I)/WLSKI(I))**SIGMA(I);
AGUNLAB(I) .. LUNK(I) =E= Y(I)* (ADS(I)*GAMMALUN(I)*PV(I)/WLUNK(I))**SIGMA(I);
AGGKAP(I).. AK(I) =E= Y(I)*(ADS(I)* (1-GAMMALSK(I)-GAMMALUN(I))*PV(I)/RENT)
                                    **SIGMA(I);
** Third stage
SKLABDEM(SK,I)..
    LSK(SK,I) = E= LFSSK{I)*LSKI (I)*
                            (DELTASK(SK,I)*WLSKI (I)/WAGESK(SK))**TETASK (I):
UNLABDEM(UN,I).
    LUN(UN, I) =E= LFSUN(I)*LUNK(I)*
                            (DELTAUN (UN, I) *WLUNK (I)/WAGEUN (UN)) * *TETAUN (I) ;
** Trade Equations
ARMINGTON(T).. Q(T) =E= ARM(T)*(BETA(T)*IMP(T)**((EPSI(T)-1)/EPSI(T)) +
    (1-BETA (T))*DO (T)** ((EPSI (T)-1)/EPSI (T)))**(EPSI (T)/(EPSI (T) - 1)):
ARMINGTONT(NT).. Q(NT) =E= DO(NT):
COSTMIN(T).. IMP(T)/DO(T) =E= (PD(T)/PM(T)*BETA(T)/(1-BETA(T)))**EPSI(T);
ARMINGIMP(T).. IMP(T) =E= ARMM(T)*(ALFA(T)*ICEE(T)** ((EPSIM(T)-1)/EPSIM(T)) +
    (1-ALFA(T))*IROW(T)**((EPSIM(T)-1)/EPSIM(T)))**(EPSIM(T)/(EPSIM(T)-1)):
COMIMP(T).. ICEE(T)/IROW(T) =E= (PR(T)/PC(T)*ALFA(T)/(1-ALFA(T)))**EPSIM(T);
CET(I)$T(I).. Y(I) =E= CETS(I)*(ALFAE{I)*E(I)**(|ELA(I) +I)/ELA(I)) *
            {1-ALFAE(I)}*DO(I)**((ELA(I) +1)/ELA(I)})**(ELA(I)/(ELA(I) +1)):
CETNT(NT).. Y(NT) =E= DO(NT);
ESUPPLY(I)$T(I)..E(I)/DO(I)=E=
            ((1-ALFAE(I))*PE(I)/(ALFAE(I)*PD(I)))**ELA(I):
EXPCET(I)$T(I)\ldots E(I) = E= SHIFT(I)*(SHARE(I)*ECEE(I)**((ELAE(I)*1)/ELAE(I)) +
    (1-SHARE(I))*EROW(I)**((ELAE(I) +1)/ELAE(I)))**{ELAE(I)/(ELAE(I) & 1)):
EXPORT(I)ST(I).. ECEE(I)/EROW(I) =E=
    ((1-SHARE(I))*PEC{I)/(SHARE(I)*PER(I)) )**ELAE(I):
```

** Income Equations
PROFITS(I).. PROFIT(I) =E= PEC(I)*TEC(I)*ECEE(I)

```
FACKINC.. FKINC =E= SUM(NAGR,RENT*AK(NAGR) + PROFIT(NAGR)) & TGK +
    TWK - DEPREC
    FSKLINC(SK) =E= SUM(I,WAGESK(SK)*LSK(SK,I));
    FUNLINC (UN) =E= SUM(I,WAGEUN(UN)*LUN(UN,I));
    HR(HH) =E= SUM(SK,SHHSKL(HH,SK)*FSKLINC(SK)) +
    SUM (UN, SHHUNL (HH, UN) *FUNLINC (UN)) +
    SHHK(HH)*FKINC + SHHKAGR(HH)*( RENT*AK("AGR*) -
    DEPAGRO ) + THG(HH) + THW(HH);
```

* Tax equations
DIRTH.. $T D T H=E=S U M(H H, \operatorname{DTAX}(H H) * H R(H H))$;
VATTAX(J) \$IND(J).. INTAX(J) =E= VAT*TD(J)* (PM(J)*IMP(J) + PD(J) *DO (J) -
P(J)*X(J)/PO(J) ) ;
INDTAX ("PETR").. INTAX('PETR") =E= VAT*TD("PETR")* (PM(*PETR")*IMP("PETR*) +
PD("PETR") *DO ("PETR") );
TARIFFS.. TARIF $=E=\operatorname{SUM}(J, T C(J) * \operatorname{PWMCO}(J) * \operatorname{ICEE}(J)$ +
TR(J) *PWMRO (J) *IROW(J)):
GYDEF. $\quad R=E=T D T H+\operatorname{SUM}(J, \operatorname{INTAX}(J))+\operatorname{TARIF}$;
** Savings and Investment Equations
SAVDEF.. $S A V=E=D E P R E C+D E P A G R O+S U M(H H, H S(H H))+G S ~+W S$;
$\operatorname{HHSDEF}(\mathrm{HH}) \ldots \quad \mathrm{HS}(\mathrm{HH})=E=\operatorname{MPSH}(\mathrm{HH}) *(1-\mathrm{DTAX}(\mathrm{HH}))^{*} \mathrm{HR}(\mathrm{HH})$;
GSDEF.. GS $=E=R$ - TGCON - SUM (HH,THG(HH)) - TWG - TGK;
$\operatorname{ZDEF}(I) \ldots(1+T D O(I)) \approx Z(I)=E=\operatorname{KSHR}(I) * I N V$;
** Expenditure Equations
INTDEF(J)\$IND(J) . $X(J)=E=\operatorname{SUM}(I, A(J, I) \star Y(I))$;

$\operatorname{HHCDEF}(J) \ldots \quad H C(J)=E=\operatorname{SUM}(\mathrm{HH}, \mathrm{HBS}(J, \mathrm{HH}) *(1-\mathrm{MPSH}(\mathrm{HH})) *(1-\mathrm{DTAX}(\mathrm{HH})) *$
HR (HH))/P(J):
$\operatorname{GOVCDEF}(J) . . \quad(1+T D O(J)) * G C(J)=E=G B S(J) * T G C O N$;
** Market Clearing Conditions
SKLABMARKT(SK).. SKLAB(SK) =E= SUM(I,LSK(SK,I));
UNLABMARKT(UN).. UNLAB(UN) $=E=\operatorname{SUM}(I, L U N(U N, I)):$
*UNLABMARKT("Farm") .. UNLAB('Farm") $=\mathrm{E}=$ SUM(I,LUN("Farm", I));

CAPMARKT.
GOODEQ (I) . .
BOPEQ . .
$\operatorname{AGCAP}=E=\operatorname{SUM}(I, A K(I)) ;$
$Q(I)=E=H C(I)+G C(I)+Z(I)+X(I) ;$
SUM(I,PEC(I)*ECEE(I)) + SUM(I,PER(I)*EROW(I)) + $\operatorname{SUM}(I, \operatorname{PEC}(I) * T E C(I) * E C E E(I)) * T W K+W S+S U M(H H, T H W(H H))$ $=E=\operatorname{SUM}(J, \operatorname{PWMCO}(J) * I C E E(J))+\operatorname{SUM}(J, \operatorname{PWMRO}(J) * \operatorname{IROW}(J))+$ TWG;
** Objective Function
OBJ.. UTILITY =E= 1;
*MODEL SETUP - INITIALIZATION
PROFIT.L(I) $=$ PROFITO (I):
VAT. L $=1$;
THG.L(HH) $=$ THGO (HH)
THW.L(HH) $=$ THWO (HH):
TWG.L = 6273;
TGK.L = TGKO;
TWK.L = TWKO:
HS.L(HH) $=\mathrm{HSO}(\mathrm{HH})$ :
DEPREC.L = DEPRECO:
FKINC. L = TKINCO
FSKLINC.L(SK) = FSKLINCO (SK);
FUNLINC.L(UN) = FUNLINCO(UN);
HR.L(HH) $=$ HRO (HH):
HCM.L(HH) $=\operatorname{SUM}(J$, HCMO (J,HH)):
$\mathrm{HC} . \mathrm{L}(\mathrm{J})=\mathrm{HCO}(\mathrm{J})$ :
WS.L = 12859
INV.L $=$ INVO:
SAV.L = 102608:
GC.L (J) $=$ GCO (J)
TGCON.L $=$ TGCO ;
ECEE.L(I) = ECEEO(I); EROW.L(I) =EROWO(I):E.L(I)=EO(I);
GS.L = -11955;
Z.L(J) $=20(\mathrm{~J}):$
X.L(J) $=\mathrm{XO}(\mathrm{J})$;
$Y . L(I)=Y O(I) ;$
LSK.L(SK, I) $=\operatorname{SKLINCO}(S K, I) ; L U N . L(U N, I)=$ UNLINCO(UN,I):
LSKI.L(I) = LSKIO(I); LUNK.L(I) = LUNKO (I);
SKLAB.L(SK) = SUM(I,LSK.L(SK,I)); UNLAB.L(UN) = SUM(I,LUN.L(UN,I)):
AK.L(I) $=\mathrm{AKO}(I)$ :
AGCAP.L $=\operatorname{SUM}(I, A K O(I))$
DO.L(J) $=$ DOO(J):
$\operatorname{IMP} . L(J)=\operatorname{IMPO}(\mathrm{J}) ; \operatorname{ICEE} . L(\mathrm{~J})=\operatorname{ICEEO}(\mathrm{J}) ; \operatorname{IROW} \cdot \mathrm{L}(\mathrm{J})=\operatorname{IROWO}(\mathrm{J})$;
Q.L(J) $=$ QO(J):

TDTH.L $=\operatorname{SUM}(H H, \operatorname{HTAXO}(\mathrm{HH}))$;
INTAX.L(J) = INDTAXC (J):
$\operatorname{TARIF} . L=\operatorname{SUM}(J, \operatorname{TARECO}(J)+\operatorname{TARRWO}(J)+\operatorname{FUNDRWO}(J)+\operatorname{JUNDECO}(J)):$
TEC.L(I) $=\operatorname{TECO}(I)$ :
$T C \cdot L(J)=\operatorname{TCOO}(\mathrm{J}): T R \cdot L(J)=T R O O(J):$
TD.L(I) $=$ TDO (I):
R. $L=52520$.

CPI.L = 1; PE.L(I) = PEO(I): PEC.L(I) = PECO(I): PER.L(I) = PERO(I):
PECW.L(VER) = PECWO (VER) ;
P.L(J) $=\mathrm{PO}(J) ; \operatorname{PD} . L(J)=P D O(J): \operatorname{PM} . L(J)=\operatorname{PMO}(J) ; \operatorname{PY} \mathrm{L}(I)=\mathrm{I})=\mathrm{PYO}(I):$

PC.L $(J)=\operatorname{PCO}(J) ; \operatorname{PR} . L(J)=\operatorname{PRO}(J) ; \operatorname{PV} . L(I)=P V O(I) ; W A G E S K . L(S K)=1$ :
WAGEUN.L(UN) = 1: WLSKI.L(I) = 1; WLUNK.L(I) = 1 ;
RENT.L $=1 ;$ P.LO $(J)=0.01 ; P C . L O(J)=0.01 ; P R . L O(J)=0.01$;
PD.LO $(J)=0.01 ;$ PM.LO $(J)=0.01 ;$ PY.LO $(I)=0.01 ;$ PE.LO(I) $=0.01$;
PEC.LO(I) = 0.01; PER.LO(I) = 0.01; PECW.LO(VER) = 0.01; PV.LO(I) = 0.01:
WAGESK.LO(SK) $=0.01 ;$ WAGEUN.LO(UN) $=0.01$; WLSKI.LO(I) $=0.01$;
WLUNK. LO (I) $=0.01$ : RENT.LO $=0.01$;
*CLOSURE RULES
CPI.FX = CPI.L;
PECW.FX(VER) $=$ PECW.L(VER) ;
PEC.FX (NVER) $=$ PEC.L (NVER);
PEC.FX("CONS") = PEC.L("CONS");
TC.FX(J) = TC.L(J):
TR.FX $(J)=T R . L(J) ;$

```
TEC.FX(I) = TEC.L(I);
TD.FX(J) = TD.L(J):
THG.FX(HH)=THG.L(HH):
THW.FX(HH) = THW.L (HH):
TWG.FX = TWG.L;
TGK.FX = TGK.L;
TWK.FX = TWK.L;
DEPREC.FX = DEPREC.L;
IMP.FX(NT) = 0:
ICEE.FX(NT) = 0
IROW.FX(NT) = 0:
E.FX(NT) = 0;
E.FX(NT) = 0
ECEE.FX(NT) = 0;
EROW.FX(NT) = 0;
LSK.FX(SK,I)$(DELTASK(SK,I) EQ 0) = 0;
LUN.FX(UN, I)$(DELTAUN(UN,I) EQ O) = 0;
WS.FX = WS.L
GS.FX = GS.L;
GS.FX = GS.L;
```

$* * * * * * * * * * * * *$
$*$ Fixed wages

* WAGESK. FX(SK) = WAGESK.L(SK):
* WAGEUN.FX('Sale*) = WAGEUN.Li(Sale"):
* WAGEUN.FX("Serv") $=$ WAGEUN.L('Serv*);
WAGEUN.FX("NEarm") = WAGEUN.L("Nfarm")
* WAGEUN.FX("Other") = WAGEUN.L("Other");
* UNLAB.FX("Farm*) = UNLAB.L("Farm*):
* Flexible wages
SKLAB.FX(SK) $=$ SKLAB.L(SK):
UNLAB.FX(UN) $=$ UNLAB.L (UN):
************************************
AGCAP.FX $=$ AGCAP.L:
AGCAP.FX $=$ AGCAP.L:
TGCON.FX $=$ TGCON.L;
MODEL TURKAGgo SQUARE BASE MODEL / ALL / ;
SOLVE TURKAG90 MAKIMIZING UTILITY USING NLP:


## Appendix 4.D Results of the sensitivity analysis

The figures reported in this appendix arise from the sensitivity analysis of the model to the elasticities values. The columns, which are stated "low", show the counterfactual in the case of all elasticities divided by factor two. The columns, which are stated "high", show the counterfactual in the case of all elasticities multiplied by factor two. The columns, which are stated "standard", show the counterfactual with the regular elasticities as reported in the main text.

Table 4.D1 The impact on output (Base year $=100$ )

Fixed wages
Flexible wages

| Sectors | Standard | Low | High | Standard | Low | High |
| :--- | :---: | ---: | ---: | ---: | ---: | ---: |
| Agriculture | 97.8 | 97.4 | 95.8 | 102.6 | 101.5 | 99.5 |
| Mining | 99.7 | 97.3 | 108.9 | 99.1 | 101.4 | 101.2 |
| Food processed products | 103.6 | 100.2 | 104.6 | 103.6 | 110.0 | 111.3 |
| Beverages and tobacco | 107.0 | 104.8 | 113.9 | 105.3 | 102.4 | 111.5 |
| Texilis | 115.0 | 111.2 | 94.1 | 98.8 | 96.7 | 102.9 |
| Wearing apparel | 94.3 | 108.4 | 109.7 | 121.5 | 94.6 | 98.5 |
| Leather and fur products | 138.1 | 120.6 | 177.5 | 175.6 | 138.2 | 146.5 |
| Footwear | 107.8 | 100.2 | 83.2 | 106.2 | 99.3 | 80.8 |
| Wood and wood products | 101.0 | 97.0 | 104.4 | 99.2 | 100.1 | 102.1 |
| Chemical products | 103.3 | 101.6 | 110.0 | 105.8 | 101.3 | 103.1 |
| Petroleum and coal products | 89.3 | 93.0 | 92.7 | 88.3 | 94.6 | 93.0 |
| Non-metallic mineral products | 103.9 | 99.8 | 108.0 | 101.8 | 97.7 | 104.4 |
| Metal products | 108.8 | 101.4 | 114.4 | 107.7 | 104.5 | 101.7 |
| Machinery | 101.3 | 100.6 | 104.8 | 100.6 | 98.5 | 99.2 |
| Transport equipment | 101.6 | 101.2 | 104.1 | 100.8 | 100.4 | 100.0 |
| Electricity, gas and waterworks | 99.2 | 98.5 | 100.0 | 96.6 | 96.0 | 96.6 |
| Construction | 100.0 | 100.0 | 100.0 | 100.0 | 100.0 | 100.0 |
| Trade, restaurants and hotels | 100.2 | 101.1 | 103.0 | 97.3 | 96.4 | 94.1 |
| Transport and communication | 101.2 | 102.2 | 102.4 | 100.3 | 105.9 | 108.2 |
| Other services | 99.1 | 99.2 | 98.1 | 97.4 | 97.0 | 96.9 |
| Leysperes Quantity Index | 101.7 | 100.5 | 101.8 | 100.7 | 100.5 | 100.8 |

Table 4.D2 The impact on exports to the EU (Base year = 100)

Flexible wages

| Sectors | Standard | Low | High | Standard | Low | High |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  |  |  |  |  |  |
| Agriculture | 84.6 | 91.2 | 64.9 | 110.1 | 102.4 | 84.6 |
| Mining | 126.6 | 104.5 | 175.1 | 128.3 | 124.7 | 126.5 |
| Food processed products | 110.4 | 100.3 | 112.9 | 109.9 | 124.7 | 145.2 |
| Beverages and tobacco | 154.1 | 112.3 | 396.8 | 150.7 | 108.5 | 387.2 |
| Textiles | 148.2 | 127.3 | 103.4 | 102.6 | 101.5 | 130.6 |
| Wearing apparel | 108.7 | 125.9 | 163.6 | 162.7 | 103.3 | 140.6 |
| Leather and fur products | 222.3 | 150.0 | 378.9 | 317.2 | 212.2 | 278.4 |
| Footwear | 186.1 | 107.3 | 394.2 | 182.2 | 106.5 | 378.9 |
| Wood and wood products | 137.1 | 97.0 | 298.2 | 130.5 | 111.2 | 276.0 |
| Chemical products | 136.4 | 111.6 | 217.6 | 146.1 | 111.6 | 189.7 |
| Petroleum and coal products | 44.4 | 68.7 | 86.8 | 41.7 | 70.5 | 84.0 |
| Non-metallic mineral products | 146.1 | 105.8 | 233.6 | 135.2 | 96.3 | 203.6 |
| Metal products | 129.0 | 104.2 | 147.9 | 126.4 | 116.3 | 111.1 |
| Machinery | 122.5 | 105.8 | 181.1 | 121.4 | 98.6 | 147.7 |
| Transport equipment | 149.2 | 115.1 | 253.2 | 148.3 | 113.3 | 227.6 |
| Electricity, gas and waterworks | 55.9 | 81.6 | 34.5 | 48.9 | 68.8 | 26.6 |
| Trade, restaurants and hotels | 98.1 | 101.8 | 108.8 | 89.2 | 90.7 | 68.8 |
| Transport and communication | 104.2 | 106.6 | 107.2 | 103.3 | 117.8 | 138.8 |
| Other services | 96.2 | 99.5 | 82.0 | 90.5 | 92.0 | 78.3 |
| Leysperes Quantity Index | 116.6 | 111.1 | 127.6 | 114.2 | 106.0 | 128.3 |

Table 4.D3 The impact on exports to the RoW (Base year = 100)

| Sectors | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Standard | Low | High | Standard | Low | High |
| Agriculture | 84.6 | 91.2 | 64.9 | 110.1 | 102.4 | 84.6 |
| Mining | 126.6 | 104.5 | 175.1 | 128.3 | 124.7 | 126.5 |
| Food processed products | 110.4 | 100.3 | 112.9 | 109.9 | 124.7 | 145.2 |
| Beverages and tobacco | 154.1 | 112.3 | 396.8 | 150.7 | 108.5 | 387.2 |
| Textiles | 116.1 | 112.7 | 63.5 | 80.4 | 89.9 | 80.2 |
| Wearing apparel | 54.0 | 88.8 | 40.4 | 80.9 | 72.9 | 34.8 |
| Leather and fur products | 222.3 | 150.0 | 378.9 | 317.2 | 212.2 | 278.4 |
| Footwear | 186.1 | 107.3 | 394.2 | 182.1 | 106.5 | 378.9 |
| Wood and wood products | 137.1 | 97.0 | 298.2 | 130.5 | 111.2 | 276.0 |
| Chemical products | 136.4 | 111.6 | 217.6 | 146.1 | 111.6 | 189.7 |
| Petroleum and coal products | 44.4 | 68.7 | 86.8 | 41.7 | 70.5 | 84.0 |
| Non-metallic mineral products | 146.1 | 105.8 | 233.6 | 135.2 | 96.3 | 203.6 |
| Metal products | 129.0 | 104.2 | 147.9 | 126.4 | 116.3 | 111.1 |
| Machinery | 122.5 | 105.8 | 181.1 | 121.4 | 98.6 | 147.7 |
| Transport equipment | 149.2 | 115.1 | 253.2 | 148.3 | 113.3 | 227.6 |
| Electricity, gas and waterworks | 55.9 | 81.6 | 34.5 | 48.9 | 68.8 | 26.6 |
| Trade, restaurants and hotels | 98.1 | 101.8 | 108.8 | 89.2 | 90.7 | 68.8 |
| Transport and communication | 104.2 | 106.6 | 107.2 | 103.3 | 117.8 | 138.8 |
| Other services | 96.2 | 99.5 | 82.0 | 90.5 | 92.0 | 78.3 |
| Leysperes Quantity Index | 108.4 | 103.6 | 128.9 | 109.1 | 108.2 | 125.8 |

Table 4.D4 The impact on the value added (Base year $=100$ )

|  | Fixed wages |  |  | Flexible wages |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
|  | Standard | Low | High | Standard | Low | High |
| GDP in real terms | 100.9 | 100.5 | 102.2 | 100.5 | 100.3 | 101.2 |
|  |  |  |  |  |  |  |
| - Agriculture | 94.6 | 95.4 | 92.0 | 102.5 | 99.9 | 96.0 |
| - Industry | 105.4 | 102.4 | 108.0 | 104.1 | 101.9 | 106.3 |
| - Services | 99.1 | 100.5 | 100.5 | 96.8 | 99.1 | 98.6 |

Table 4.D5 The impact on the trade flows (Base year $=100)$

|  | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Standard | Low | High | Standard | Low | High |
| Trade balance deficit | 100.0 | 100.0 | 100.0 | 100.0 | 100.0 | 100.0 |
| Trade balance deficit with the EU | 105.1 | 77.5 | 322.2 | 138.0 | 152.8 | 299.3 |
| Trade balance deficit with the RoW | 99.5 | 102.4 | 76.1 | 95.9 | 94.3 | 78.5 |
| Trade volume/GDP | 110.2 | 106.1 | 121.6 | 109.7 | 105.7 | 121.9 |
| Volume of exports | 113.0 | 107.7 | 128.2 | 111.9 | 107.0 | 127.1 |
| Volume of exports to the EU | 116.6 | 111.1 | 127.6 | 114.2 | 106.0 | 128.3 |
| Volume of exports to the RoW | 108.4 | 103.6 | 128.9 | 109.1 | 108.2 | 125.8 |
| Volume of imports | 109.8 | 105.8 | 121.3 | 109.0 | 105.3 | 120.5 |
| Volume of imports from the EU | 116.0 | 109.3 | 138.1 | 115.5 | 108.6 | 137.5 |
| Volume of imports from the RoW | 104.8 | 103.1 | 107.9 | 103.8 | 102.7 | 106.9 |
| Volume of exports in agriculture | 84.6 | 91.2 | 64.9 | 110.1 | 102.4 | 84.6 |
| Volume of exports in industry | 125.8 | 112.3 | 153.1 | 125.1 | 108.7 | 147.9 |
| Volume of exports in services | 101.1 | 104.2 | 106.1 | 96.8 | 105.5 | 107.5 |
| Volume of imports in agriculture | 108.7 | 102.2 | 127.3 | 97.3 | 100.9 | 112.1 |
| Volume of imports in industry | 110.5 | 106.4 | 122.4 | 110.0 | 105.9 | 122.1 |
| Volume of imports in services | 100.1 | 98.9 | 100.8 | 100.7 | 98.0 | 100.5 |

Table 4.D6 The impact on the welfare of urban households

| Unit of measure | Income class | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Standard | Low | High | Standard | Low | High |
|  | 1st group | 16.3 | 2.1 | 52.8 | 2.8 | - 0.5 | 11.2 |
|  | 2nd group | 215.5 | 116.3 | 448.4 | 103.0 | 26.2 | 228.2 |
|  | 3 rd group | 180.5 | 79.1 | 481.2 | -0.2 | - 82.9 | 152.1 |
| B | 4th group | 185.8 | 103.1 | 506.9 | - 33.0 | -93.2 | 158.5 |
| i | 5th group | 166.3 | 101.2 | 467.1 | - 66.6 | - 91.2 | 147.0 |
| 1 | 6th group | 145.0 | 99.9 | 422.5 | - 79.0 | -85.1 | 132.4 |
| 1 | 74h group | 114.2 | 89.8 | 414.0 | - 142.5 | - 129.9 | 109.9 |
| i | 8th group | 61.7 | 48.9 | 332.1 | -163-3 | - 150.9 | 64.7 |
| 0 | 9th group | 106.0 | 96.6 | 360.0 | - 107.8 | - 102.6 | 102.6 |
| n | 10th group | 84.5 | 77.8 | 290.1 | -91.9 | - 83.4 | 88.8 |
| s | 11th group | 111.8 | 111.0 | 547.6 | - 278.8 | - 247.7 | 120.6 |
|  | 12th group | 127.7 | 122.3 | 482.4 | - 176.1 | - 172.0 | 137.0 |
| 0 | 13th group | 13.2 | 25.7 | 323.5 | - 242.6 | - 224.3 | 45.2 |
| f | 14th group | 38.1 | 36.9 | 297.6 | - 187.9 | - 181.4 | 45.8 |
|  | 15th group | 33.1 | 31.6 | 217.0 | -132.9 | - 146.3 | 22.9 |
| T | 164 group | 189.2 | 210.4 | 754.0 | - 317.3 | - 308.3 | 181.1 |
| L | 174 group | 161.7 | 146.0 | 448.9 | -95.7 | - 119.7 | 154.6 |
|  | 18th group | 635.7 | 595.2 | 1246.8 | 24.1 | -68.9 | 503.5 |
|  | 19th group | 31.4 | 50.3 | 203.7 | - 155.7 | - 144.7 | - 0.8 |
|  | 204 group | 141.7 | 138.3 | 252.1 | 6.2 | - 26.3 | 82.2 |
|  | 1st group | 101.3 | 100.2 | 104.1 | 100.2 | 100.0 | 100.9 |
| \% | 2nd group | 102.9 | 101.6 | 106.0 | 101.4 | 100.4 | 103.1 |
|  | 3 rd group | 101.4 | 100.6 | 103.8 | 100.0 | 99.3 | 101.2 |
| H | 4th group | 101.4 | 100.8 | 103.8 | 99.8 | 99.3 | 101.2 |
| o | 5th group | 101.3 | 100.8 | 103.6 | 99.5 | 99.3 | 101.1 |
| u | 6th group | 101.2 | 100.9 | 103.6 | 99.3 | 99.3 | 101.1 |
| $s$ | 74h group | 100.9 | 100.7 | 103.4 | 98.8 | 98.9 | 100.9 |
|  | 8th group | 100.6 | 100.5 | 103.2 | 98.4 | 98.5 | 100.6 |
| h | 9th group | 101.1 | 101.0 | 103.9 | 98.8 | 98.9 | 101.1 |
| 0 | 10th group | 101.1 | 101.1 | 103.9 | 98.8 | 98.9 | 101.2 |
| 1 | 11th group | 100.7 | 100.7 | 103.7 | 98.1 | 98.3 | 100.8 |
| d | 12th group | 101.0 | 101.0 | 103.9 | 98.6 | 98.6 | 101.1 |
|  | 13th group | 100.1 | 100.3 | 103.3 | 97.5 | 97.7 | 100.5 |
| i | 144h group | 100.5 | 100.5 | 103.8 | 97.6 | 97.7 | 100.6 |
| n | 15th group | 100.6 | 100.5 | 103.8 | 97.7 | 97.5 | 100.4 |
| c | 16th group | 101.1 | 101.2 | 104.2 | 98.2 | 98.3 | 101.0 |
| 0 | 17th group | 101.9 | 101.7 | 105.2 | 98.9 | 98.6 | 101.8 |
| m | 18th group | 103.6 | 103.4 | 107.0 | 100.1 | 99.6 | 102.8 |
| e | 19th group | 100.5 | 100.8 | 103.4 | 97.4 | 97.6 | 100.0 |
|  | 20th group | 104.4 | 104.3 | 107.9 | 100.2 | 99.2 | 102.6 |

Table 4.D7 The impact on the welfare of rural households

| Unit of measure | Income class | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Standard | Low | High | Standard | Low | High |
|  | 1 st group | 3.2 | - 12.2 | 20.8 | 31.6 | 25.3 | 18.0 |
|  | 2nd group | - 1.8 | - 52.6 | 46.3 | 127.7 | 95.4 | 65.5 |
|  | 3rd group | 58.1 | - 27.6 | 151.8 | 222.6 | 152.6 | 168.2 |
| B | 4th group | 29.7 | - 78.1 | 78.1 | 311.2 | 213.2 | 191.6 |
| i | 5th group | - 32.1 | - 114.0 | - 19.4 | 285.2 | 200.4 | 141.3 |
| 1 | 6th group | - 22.7 | - 107.9 | - 35.6 | 302.2 | 208.2 | 140.7 |
| I | 7th group | -4.0 | - 92.5 | - 49.6 | 301.0 | 218.9 | 136.5 |
| i | 8th group | - 38.1 | -91.9 | - 92.2 | 232.7 | 190.3 | 89.3 |
| 0 | 9th group | - 58.8 | - 107.8 | - 113.2 | 214.6 | 181.4 | 67.6 |
| n | 10th group | - 38.7 | - 73.7 | -91.1 | 162.0 | 117.3 | 50.0 |
| S | 11th group | - 113.0 | - 160.1 | - 231.3 | 346.1 | 301.3 | 88.6 |
|  | 12th group | - 43.8 | $-89.6$ | $\text { - } 89.9$ | $206.9$ | 165.4 | 72.7 |
| o | 13th group | 31.3 | 14.3 | 42.9 | 102.0 | 83.2 | 69.8 |
| f | 14th group | 76.0 | 41.4 | 114.6 | 98.5 | 65.3 | 96.2 |
|  | 15th group | 25.5 | 10.1 | 40.9 | 60.5 | 46.9 | 51.3 |
| T | 16th group | 38.6 | 30.5 | 53.7 | 98.6 | 90.6 | 71.6 |
| L | 17th group | 16.0 | - 14.1 | - 21.6 | 168.1 | 104.3 | 57.3 |
|  | 18th group | 50.8 | 31.9 | 59.3 | 97.3 | 51.0 | 56.4 |
|  | 19th group | 14.8 | 16.8 | 20.1 | - 7.3 | -2.5 | 3.2 |
|  | 1st group | 100.2 | 99.2 | 101.4 | 102.1 | 101.7 | 101.2 |
| \% | 2nd group | 100.0 | 99.2 | 100.7 | 102.0 | 101.5 | 101.0 |
|  | 3rd group | 100.5 | 99.7 | 101.4 | 102.1 | 101.4 | 101.6 |
| H | 4th group | 100.2 | 99.4 | 100.6 | 102.4 | 101.7 | 101.5 |
| 0 | 5th group | 99.8 | 99.1 | 99.8 | 102.2 | 101.6 | 101.1 |
| u | 6th group | 99.8 | 99.0 | 99.7 | 102.7 | 101.9 | 101.3 |
| $s$ | 7th group | 100.0 | 99.0 | 99.5 | 103.1 | 102.3 | 101.4 |
| e | 8th group | 99.5 | 98.9 | 98.9 | 102.8 | 102.3 | 101.1 |
| h | 9th group | 99.2 | 98.6 | 98.5 | 102.8 | 102.4 | 100.9 |
| 0 | 10th group | 99.2 | 98.5 | 98.1 | 103.4 | 102.4 | 101.0 |
| 1 | 11 th group | 99.0 | 98.6 | 97.9 | 103.1 | 102.7 | 100.8 |
| d | 12th group | 99.4 | 98.7 | 98.7 | 102.9 | 102.3 | 101.0 |
|  | 13th group | 100.7 | 100.3 | 101.0 | 102.4 | 102.0 | 101.6 |
| i | 14th group | 101.5 | 100.8 | 102.2 | 101.9 | 101.3 | 101.9 |
| n | 15th group | 101.0 | 100.4 | 101.6 | 102.3 | 101.8 | 102.0 |
| c | 16th group | 100.6 | 100.5 | 100.9 | 101.6 | 101.5 | 101.2 |
| o | 17th group | 100.3 | 99.7 | 99.6 | 103.5 | 102.2 | 101.2 |
| m | 18th group | 101.1 | 100.7 | 101.2 | 102.0 | 101.1 | 101.2 |
| e | 19th group | 101.9 | 102.1 | 102.5 | 99.1 | 99.7 | 100.4 |

Table 4.D8 The impact on aggregate welfare

| Unit of measure | Region | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Standard | Low | High | Standard | Low | High |
| Billions of 1990 TL | Turkey | 2750.3 | 1405.5 | 8433.3 | 1226.3 | 75.4 | 4123.5 |
|  | Urban | 2759.3 | 2282.5 | 8548.6 | - 2135.2 | - 2433.2 | 2487.6 |
|  | Rural | -9.1 | - 877.0 | - 115.3 | 3361.4 | 2508.6 | 1635.9 |
| \% of household income | Turkey | 100.8 | 100.4 | 102.6 | 100.4 | 100.0 | 101.3 |
|  | Urban | 101.4 | 101.1 | 104.2 | 99.1 | 98.9 | 101.3 |
|  | Rural | 100.0 | 99.3 | 100.0 | 102.5 | 101.9 | 101.2 |

Table 4.D9 The impact on the size distribution of income
$($ Base year $=100)$

| Generalised Entropy Index | Inequality | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Standard | Low | High | Standard | Low | High |
| -1 | Overall inequality | 100.5 | 101.3 | 101.5 | 98.0 | 98.4 | 99.8 |
|  | Within urban group | 99.9 | 100.8 | 100.8 | 98.2 | 98.7 | 99.8 |
|  | Within rural group | 99.7 | 100.2 | 98.1 | 100.7 | 100.7 | 99.7 |
|  | Between groups | 107.5 | 109.8 | 123.8 | 82.3 | 84.5 | 100.1 |
| 0 | Overall inequality | 100.7 | 101.4 | 101.8 | 98.2 | 98.6 | 100.0 |
|  | Within urban group | 100.3 | 100.9 | 101.0 | 98.8 | 99.1 | 100.1 |
|  | Within rural group | 100.1 | 100.6 | 99.0 | 100.4 | 100.4 | 99.8 |
|  | Between groups | 107.4 | 109.7 | 123.3 | 82.5 | 84.7 | 100.1 |
| + 1 | Overall inequality | 101.5 | 102.1 | 103.1 | 98.2 | 98.4 | 100.3 |
|  | Within urban group | 101.0 | 101.5 | 101.7 | 99.5 | 99.5 | 100.5 |
|  | Within rural group | 100.7 | 101.2 | 100.1 | 99.9 | 100.0 | 99.9 |
|  | Between groups | 106.5 | 107.9 | 115.3 | 89.7 | 91.5 | 100.6 |
| +2 | Overall inequality | 103.6 | 104.4 | 106.4 | 97.8 | 97.7 | 101.0 |
|  | Within urban group | 102.7 | 103.2 | 103.5 | 100.4 | 99.0 | 101.2 |
|  | Within rural group | 101.7 | 102.5 | 101.7 | 98.8 | 99.0 | 99.7 |
|  | Between groups | 107.3 | 109.6 | 123.0 | 82.7 | 84.9 | 100.1 |

Table 4.D10 The impact on the functional distribution of income (Base year $=100$ )

|  | Fixed wages |  |  | Flexible wages |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Standard | Low | High | Standard | Low | High |
| A -Capital income | 100.7 | 101.0 | 101.2 | 99.1 | 99.6 | 100.2 |
| - Agricultural income | 97.2 | 96.8 | 94.0 | 103.7 | 102.4 | 99.6 |
| - Non-agricultural income | 101.5 | 101.9 | 102.8 | 98.1 | 99.0 | 100.3 |
| B - Labour income | 100.4 | 99.0 | 102.3 | 99.9 | 99.2 | 100.0 |
| B. 1 - Skilled labour income | 100.6 | 100.2 | 102.1 | 98.2 | 96.5 | 99.6 |
| - Professional workers | 100.3 | 100.0 | 101.5 | 97.9 | 95.8 | 99.4 |
| - Managerial workers | 101.5 | 100.7 | 103.4 | 99.0 | 97.9 | 100.1 |
| - Clerical workers | 100.6 | 100.3 | 102.5 | 98.2 | 96.8 | 99.6 |
| B. 2 - Basic skilled labour income | 101.8 | 101.0 | 104.7 | 99.5 | 98.8 | 100.2 |
| - Sales workers | 101.2 | 101.7 | 106.2 | 98.5 | 96.7 | 99.2 |
| - Service workers | 100.2 | 100.0 | 102.8 | 99.0 | 97.6 | 99.6 |
| - Non agricultural workers | 102.4 | 101.2 | 105.2 | 99.7 | 99.6 | 100.6 |
| - Other workers | 102.1 | 101.1 | 104.4 | 99.4 | 98.6 | 100.3 |
| B. 3 - No-skilled labour income | 97.4 | 93.2 | 97.8 | 103.2 | 104.2 | 100.0 |
| - Agricultural workers | 97.4 | 93.2 | 97.8 | 103.2 | 104.2 | 100.0 |
| Basic skilled / Skilled labour income | 101.2 | 100.8 | 102.6 | 101.3 | 102.5 | 100.7 |
| No-skilled / Skilled labour income | 96.8 | 93.0 | 95.7 | 105.2 | 108.0 | 100.4 |
| Basic skilled labour / Capital income | 101.1 | 100.0 | 103.4 | 100.4 | 99.2 | 100.1 |
| No-skilled labour / Capital income | 96.7 | 92.3 | 96.6 | 104.2 | 104.6 | 99.8 |

Table 4.D11 The impact on employment

| Relative change <br> (Base year = 100) |  |  |  |  |  |  |  |  |  | Number of new workers |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |

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[^0]:    'The "new trade theory" began with models facing imperfect competition and increasing returns to scalc. Alongside the gains from trade due to the conventional comparative advantage, several authors argue that, by enlarging markets, international trade raises competition and allows greater exploitation of economies of scale (Krugman, 1979, 1981; Lancaster, 1980; Dixit and Norman, 1980; Helpman, 1981; Ethier, 1982). The "strategic trade theory" began with work by Brander and Spencer (1983, 1985), where they argue that governments could raise national incomes at other countries' expense by supporting national firms in international competition.
    ${ }^{2}$ However, Krugman, in a subsequent study, shows that under increasing returns to scale, protection of a domestic firm by an import tariff can shift the equilibrium to the firm's advantage in the export market by lowering its marginal cost of production (Krugman, 1984).

[^1]:    ${ }^{3}$ The calibration procedure consists of estimating unknown parameters, such that the observed values of endogenous variables constitute an equilibrium of the numerical model. It is important to stress that the numerical calibration does not involve any econometric testing procedure (Mansur and Whalley, 1984).

[^2]:    ${ }^{4}$ Harrison, el al. (1997) and Mercenier and Yeldan (1997) analyse the CU between Turkey and the EU, by using AGE models with a representative consumer, thus neglecting issues on income distribution.

[^3]:    " de Melo and Winters ( 1990 ) estimate a $9 \%$ fall of the marginal revenue product of factors employed in the Korean footwear industry leading the industry to contract, as a consequence of a VER agreement with the US in the period 1977-81. Ttis econometric finding supports the view that a VER decreases the supply price of exports. The economic effects of VERs are surveyed by Hamilton (1985) and Pomfret (1989).

[^4]:    ${ }^{6}$ Harris (1985) argues that the introduction of a VER serves as a collusive focal point for domestic pricing. Hence, a VER may be an instrument to hold and reinforce the oligopolistic power of established domestic firms of the importing country, rather than an instrument for import substitution. ${ }^{7}$ Rosendorff shows that the government of the importing country prefers a VER to an optimal tariff if the domestic firm's profits, multiplied by a factor indicating the lobbying pressure on the government, are greater than the losses in tariff revenues.

[^5]:    ${ }^{*}$ However, in a previous study, by investigating the effects of VERs on resource allocation in the Korean leather footwear industry, de Melo and Winters (1990) estimate that the reduction of the industry size is mainly due to the difficulty of switching sales towards markets which are not constrained by VERs.
    ${ }^{9}$ In a subsequent study, Trela and Whalley (1995) focus their attention upon the extra costs on exporting countries of their own internal quota-allocation procedures. Since quotas are typically allocated to established rather than new and more efficient firms, the cost of quola restriction in their model is estimated to be $\$ 23$ billion per year compared to the $\$ 3$ billion without internal guotaallocation schemes.
    ${ }^{10}$ The main feature of the MFA is the use of bilateral agreements on export quotas to regulate textiles and apparel trade. VERs are typically agreed so as to limit textiles and apparel exports from developing countries. Under the MFA, in addition to bilateral quotas, importing countries also levy non-discriminatory tariffs (Yang, et al. 1997).

[^6]:    "In models with perfect competition and constant returns to scale, with the elimination of a VER, the rise in the supply price of exports is due to the fact that the marginal revenue product rises (de Melo and Winters, 1990).

[^7]:    ${ }^{12}$ Note that the criticism by Whalley and Young (1984), about the external sector closure rules in AGE models, does not hold in this modelling framework for two reasons: firstly, the exchange rate does not appear in the model; secondly, the foreign import-supply function is assumed to be infinitely clastic.

[^8]:    ${ }^{13}$ Harrison, et al. (1994) derive the price elasticity of demand under Cournot conjectures and under the assumption that the price elasticity of aggregate demand $\left(\chi_{i}\right)$ is unity, whilst 1 assume that $\chi_{1}$ is endogenously specified. The Bertrand formula is my derivation.

[^9]:    ${ }^{14}$ See Appendix 2.A for derivation of equations (2.15)-(2.18).

[^10]:    ${ }^{15}$ It is important to stress that a similar conclusion has been drawn by Venables (1994). By using a multiregional computable partial equilibrium model of trade under imperfect competition, Venables finds that the gains from an import tariff and an export subsidy are not significantly sensitive to the change of the equilibrium concept. The equilibrium types used in his study are the cases of price and quantity competition, segmented markets, and oligopoly and monopolistic competition.

[^11]:    ${ }^{16}$ Appendix 2.A shows that under Bertrand conjectures $\omega_{1}=\varepsilon,-\left(\varepsilon_{1}-\chi_{1}\right) \Psi_{1}$, whilst under Cournot conjectures $\omega_{1}=\left[1 / \varepsilon_{1}-\left(1 / \varepsilon_{,}-1 / \chi_{1}\right) \Psi_{1}\right]^{-1}$.

[^12]:    ${ }^{17}$ Note that $\Omega_{D} d_{1}<y_{1}$ implies $\Omega_{d} /\left(y_{1} / d_{1}\right)<1$.

[^13]:    ${ }^{18}$ One might ask why incumbent firms would accept VERs in the first place, if some of them would exit the market. It could be argued that if export quotas in the first place are at, or close to, the free market equilibrium, incumbent firms would rationally welcome them.

[^14]:    ${ }^{19} V\left[p_{j}, H R\right]$ is the household's indirect utility function, where $p$, is the price vector of consumption goods. The total differential of $V\left[p_{1}, H R\right]$ is $d V\left[p_{2}, H R\right]=(\partial V / \partial H R) d H R+\sum_{\rho}\left(\partial V / \partial p_{j}\right) d p_{1}$. Using the Roy's identity, the latter expression can be written as $d V\left[p_{j}, H R\right]=(\partial V / \partial H R)\left[d H R-\sum_{j} Q_{j} d p,\right]$, where $Q$, is the quantity demanded.

[^15]:    ${ }^{20}$ The structure of the AGE model is reported in Appendix 2.B.
    ${ }^{21}$ One property of the CET specification is that the condition $\Omega_{D} d_{1}<y_{1}$ [see footnote (17)] is valid for any value of the elasticity of transformation.
    ${ }^{22}$ At the first stage, the utility function is taken to be Cobb-Douglas. This assumption, plus (2.9) imply that $\chi$, is equal to the ratio between final demand and aggregate demand.

[^16]:    ${ }^{23}$ Appendix 2.C reports the 1990 SAM for Turkey.
    ${ }^{24}$ The EU is composed of 15 countries: 12 members existing in 1990, plus the new members Finland, Austria and Sweden.

[^17]:    ${ }^{25}$ The calibration procedure and the GAMS code of the entire model are reported in Appendix 2.D.

[^18]:    ${ }^{26}$ In examining the economic implications for Canada of the North-America free trade agreement. Harris (1984) assumes that the number of imported variety of a product is in a constant ratio to the number of domestically produced varieties. However, this assumption implies that as the number of domestic firms decreases with the elimination of tariffs, the number of competing foreign varieties is also reduced. In contrast, it is generally accepted that product variety rises with trade. Thus, the welfare gains of tariff liberalisation in the presence of product differentiation would be underestimated. As far as the effect of a VER on $\bar{n}_{1}^{m}$ is concerned, it can be argued that the ad valorem quota premium is equivalent to an ad valorem tariff rate for the importing country. Its climination might produce the same results discussed in Harris (1984), where the elimination of tariffs imposes a downward pressure on price mark-ups in manufacturing industries and forces the

[^19]:    less efficient firms to exit in response to losses. Thus, fixing $\bar{n}_{i}^{m}$ exogenously might overestimate the welfare effect of the elimination of a VER. It is likely that only a multiregional model might attempt to explicitly model both domestic and foreign brands, and in this way examine the welfare effect of trade policies in the presence of product differentiation. In this study, $\bar{n}^{\prime \prime}$ is assumed to be equal to the benchmark value of $n_{1}$, and $\tilde{\varsigma}_{1}$ is assumed to be equal to $\varsigma_{1}$.

[^20]:    ${ }^{27}$ tein can also be defined as the difference between the $k$ th firm's perceived marginal revenue and its
     Krugman, 1989).

[^21]:     (i.e. large number of firms' case); and $\lim _{\lambda_{u} t-1+1}^{e}=p w e_{1} / \eta_{;}$(i.e. competitive case). Similarly,
     and this result corresponds to the small country assumption.
    ${ }^{29}$ Under the symmetry assumption and Cournot conjecture, (3.1) takes the following form: $\left.t e_{i}^{0}\right|_{E=E_{M}}=\left(p w e_{i} / \eta_{i}^{i}\right)\left(1-H_{t}\right)$, where $H_{t}=1 / n_{i}$; as proposed by Rodrik (1989).

[^22]:    ${ }^{30}$ In addition, in section 3.4.3., I prove that the impact of an export tax on welfare in ambiguous in a GE setting.

[^23]:    ${ }^{31}$ This approach has been already adopted by Devarajan and Rodrik (1989, 1991) on the domestic side in examining the procompetitive gains from trade. They calibrate the price elasticity of domestic demand endogenously as a positive function of the ratio between the price of imports and the price of domestic goods.

[^24]:    ${ }^{32}$ For an interpretation of (3.22), see section [2.3.2] in the previous chapter.
    ${ }^{33}$ I have indirectly shown that entry always occurs if total output $\left(Y_{1}\right)$ expands. It is interesting to note that the conventional wisdom suggests $d Y_{i} / d n_{1}>0$ (see Seade, 1980).

[^25]:    ${ }^{34}$ Note that $\Omega_{D} d_{1}<y_{1}$ implies $\Omega_{d} /\left(y_{t} / d_{1}\right)<1$.

[^26]:    ${ }^{35}$ The structure of the AGE model is reported in Appendix 3.A.
    ${ }^{36}$ See footnote (21) in the previous chapter and footnote (34).
    ${ }^{37}$ The calibration and the GAMS model is reported in Appendix 3.B.

[^27]:    The results of the scenarios with sunk costs are reported in bracket.

[^28]:    ${ }^{36}$ By using a representative consumer AGE model, Harrison, et al. (1997) estimate that Turkey's wellare gain of the CU agreement with the EU is equal to $1.1 \%$ of 1990 Turkish GDP ( 2,861 Billions of 1990 Turkish lira). However, this result has been obtained under the assumption that the Turkish terms of trade lor non-agricultural products with third countries rises by $4.2 \%$. Harrison, et al. claim that, by the year 200)1, Turkey will negotiate preferential trade agreements with third countries, with whom the EU has negotiated Association and Free Trade agreements. This assumption plays a key role in the estimate of the aggregate welfare gain. As Harrison, et al. (1997, pp. 866-867) put it: "Improved access to these markets results in a gain in Turkish welfare of $0.5 \%$, which is the largest gain of all the components." However, the improved access has been extended to all non-member conntries, whilst Turkish exports with the countries, which negotiated preferential access agreements with the EU, are less than one third of Turkish exports to all non-menter states (United Nations, 1997).

[^29]:    ${ }^{39}$ Mercenier and Yeldan (1997) use a representative agent multiregional intertemporal AGE model, with increasing returns to scale and imperfect competition, to show that the CU agreement with the EU is detrimental to Turkish welfare. They argue that this regional agreement would generate welfare gains to Turkish consumers if, and only if, full integration of the commodity market with nontariff barriers is achieved.
    ${ }^{40}$ It must be stressed that other economists, such as Lawrence and Slaughter (1993), Krugman and Lawrence (1993) and Bound and Johnson (1992), argue that trade is not an important contributor of the increasingly unequal distribution of wages, and plays a minor role in the contraction of U.S. manufacturing output and employment registered in the eighties. They believe that technological change is the cause of these trends in U.S. economy. In contrast, Wood (1994) argues that technology is only a further plausible force to explain the rise in relative demand of skilled labour in developed countries, in particular in U.S. In this study, technological change is not modelled.
    "As MacPherson and Stewart (1990) pointed out, the immediate policy impact of this finding would be a request for trade protection by trade unions. The same concern is shared by Bhagwati and Dehejia (1994).

[^30]:    ${ }^{42}$ In this study, 8 labour categories are distinguished in 3 skilled workers and 5 unskilled workers. In turn, the latter group is distinguished in 4 basic skilled workers and 1 no-skilled workers. The noskilled workers are farmers, who are unemployable in modern manufacturing. Migration issues are not taken into account.
    ${ }^{43}$ Adelman and Robinson (1989) provide a substantive discussion on these concepts.
    ${ }^{44}$ The European Commission and the Istanbul Textiles and Clothing Exporters Association (ITKIB) have agreed quantitative restrictions and price mechanisms for Turkish textiles in 1982 and for clothing categories in 1986. Since then, the VERs arrangements have been regularly renewed (GATT,

[^31]:    ${ }^{46}$ Turkey has levied this surcharge on imports since 1984, the year of the Housing Fund law approved by the Turkish Parliament to finance the government's low cost housing scheme for poor and middleclass income households. The Mass Housing Fund duty will be phased out in 1998 (GATT, 1994).

[^32]:    ${ }^{47}$ Since the Turkish government does not officially recognise any quota restriction, VERs agreements could only be made with Turkish industry associations (GATT, 1994). Thus, the rents from VERs accrued to the exporting firms which were able to ohtain the export quota documents for deliveries to the EU.

[^33]:    ${ }^{44}$ Harrison, et al. (1997) employs a CES utility function for their model with a representative consumer. The elasticity of substitution is also assumed ad hoc, and equal to $\mathbf{1 . 5}$.
    ${ }^{44}$ Harrison, et al. (1997) for example employ the VAT, defined on the income side, as a replacement tax to examine the impact of the CU agreement on Turkey's welfare.

[^34]:    ${ }^{50}$ The VAT system has been introduced in Turkey in 1985. As has been reported by the OECD (1992, 1995), the tax administration is still inadequate in the tace of a large underground economy. Hence, despite the general VAT rate being $12 \%$ in 1990, the effective VAT rate is not uniform among commedities.

[^35]:    ${ }^{51}$ Although this procedure is widely used in cost-benefit analysis, it presents problems related to interpersonal utility comparisons, which are described in Boadway (1974). However, if one accepts the Pareto criterion of optimality, the aggregation is admissible. A more general discussion can be found in Hammond (1991).
    ${ }_{52}$ Assume that there are two households groups ( 1 urban household group and I rural household group), each earning the same income. Obviously, income is equally distributed among household groups. Assume now that the urban household group has one member and that the rural household group is composed of $k$ members. In this case, income would be unequally distributed among household members. This implies that the use of the income received by household groups as a unit of measure of inequality would be imprecise.

[^36]:    ${ }^{53}$ It must be stressed that houschold income does not adjust for differences in needs between households (so called equivalisation process), but only for the number of individuals (so called reweighting process). A fuller discussion on these issues can be found in Cowell (1984), Danziger and Taussig (1979), and Glewwe (1991).

[^37]:    ${ }^{54}$ For proof and further discussion see Bourguignon (1979), Cowell (1980), Cowell and Kuga (1981a, 1981b), Shorrocks (1980).
    ${ }^{55}$ Appendix $4 . B$ describes the measurement of inequality in more detail.
    ${ }^{56}$ Some of the data have been already reported in Table 2.1 and Appendix 2.C.

[^38]:    ${ }^{57}$ I have also considered the fact that the index of prices received by farmers increased by $62.8 \%$ from 1989 to 1990 (SPO, 1996), and that the full time equivalent work in agriculture is $41 \%$ of the entire time, as it has been estimated for similar European countries, such as Greece (EC, 1996).
    ${ }^{58}$ Partly following Wood (1994), I classify professional workers, managerial workers and clerical workers as the skilled labour group, with post-basic education; sales workers, service workers, nonagricultural workers and other workers as the unskilled labour group, with basic education; and the agricultural workers as the no skilled labour group, with virtually no schooling.
    ${ }^{59}$ The disaggregated 1990 SAM for Turkey comprises 54 sectors. Since the formation of CU between Turkey and the EU involves only mining and manufacturing commodities, the author has mainly aggregated the sectors subject to the CAP, mining and services. Mining has been aggregated mainly thecause it is a very small sector in terms of share in the GDP, labour force employed and volume of trade.
    ${ }^{60}$ The EU is composed of 15 countries: 12 members existing in 1990, plus the new members Finland, Austria and Sweden. See Table 2.1 in Chapter 2.

[^39]:    ${ }^{61}$ The calibration procedure can be found in Appendix 4.C, which reports the GAMS code of the model.

[^40]:    ${ }^{62}$ In support of this finding, it is important to consider a study by Celasun (1994), which measures the revealed comparative advantage (RCA) for 26 Turkish industries for the period 1987-89. This study shows that the sectors having a positive RCA value are textiles-clothing-shoes, furniture, ceramicglass, food-beverage-tobacco, rubber-plastic, petrol refineries, and iron-steel.
    ${ }^{63}$ In the future, the liberalisation of the European CAP and the enlargement of the CU agreement to agricultural commodities might favour the expansion of Turkish agriculture.

[^41]:    ${ }^{64}$ The average conversion factor for 1990 is an estimate of the IMF: 2608.6 Turkish Lira for I US dollar (IMF, 1995).

[^42]:    ${ }^{65}$ A similar result has been obtained by Mercenier (1995) in examining the impact of the European single market in 1992 on employment among the EU member states.

[^43]:    (*) Parameter and variables with a bar are set exogenously. crs and $i$ denote sectors facing constant and increasing returns to scale, respectively ( $j=c r s \cup i$ ).

[^44]:    ${ }^{66}$ This section, written in collaboration with Gazi Ozhan, has been published in Economic System Research (De Santis and Ozhan, 1997).

[^45]:    ${ }^{67}$ This SAM has already proved to be very useful to calibrate a AGE model with trade featurcs (Harrison, et al, 1996, 1997).

[^46]:    ${ }^{68}$ The lirst row and the first column of these tables designate the code numbers used to identity the accounts, as set out in the next section [2.C.4].

[^47]:    Source: OECD (1995), The OECD STAN Database for Industrial Analysis 1975-1994, Paris.

